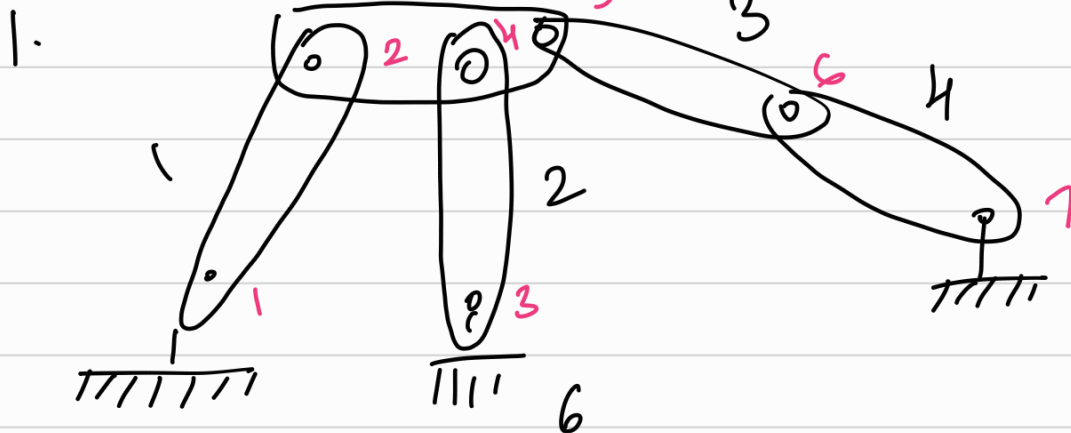


Questions



$$N = 6$$

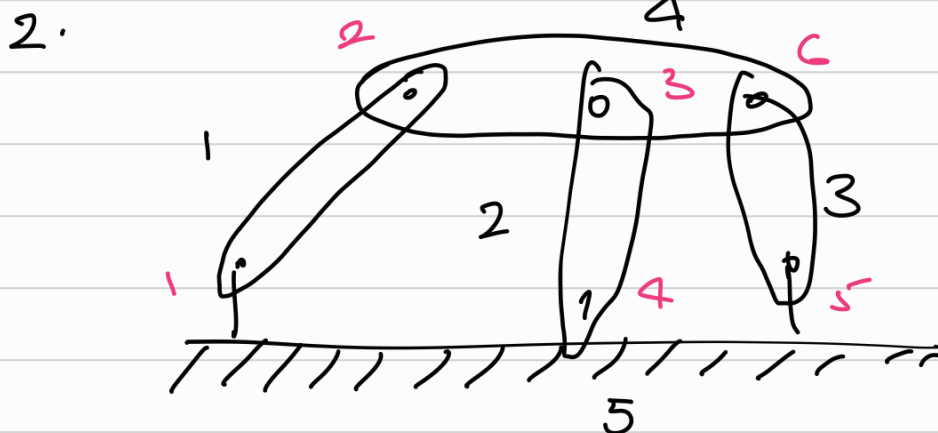
$$J = 7$$

$$DOF = k(N - J - 1) + \sum_{i=1}^J f_i$$

$$= 3(6 - 7 - 1) + 7 \times 1$$

$$= -6 + 7$$

$$= \underline{\underline{1}}$$



$$N = 5$$

$$J = 6$$

$$DOF = 3(5 - 6 - 1) + 6$$

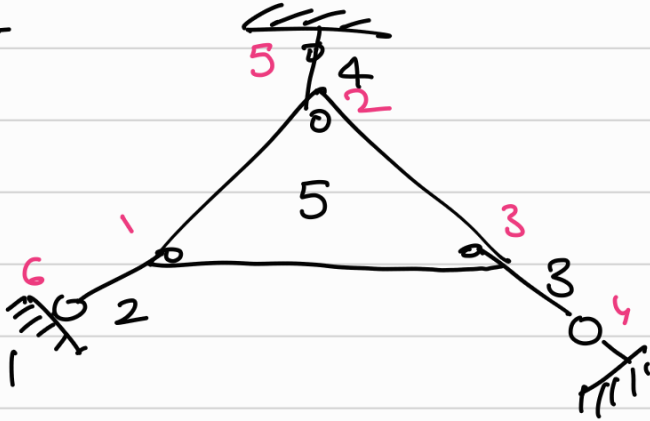
$$= -6 + 6$$

$$= \underline{\underline{0}}$$

It says $DOF = 0$ but this obviously isn't true.

- The Weubler's formula doesn't exactly tell us the DoF but gives us the lower bound for the DoF instead. [doesn't take geometry into account]

Eg -



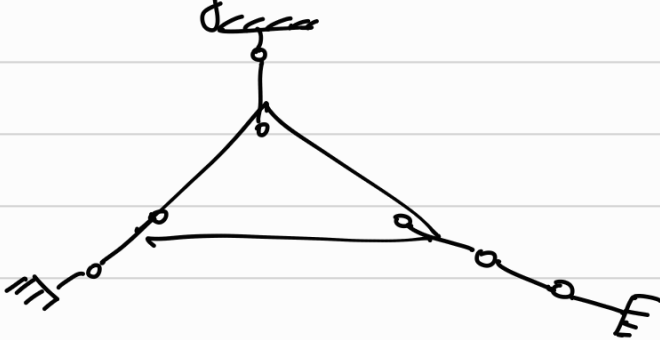
$$N = 5$$

$$J = 6$$

$$k = 3 \text{ (planar)}$$

$$\begin{aligned} \text{DoF} &= 3(5 - 6 - 1) + 6 \times 1 \\ &= -6 + 6 \\ &= 0 \end{aligned}$$

→ we can increase the degree of freedom by adding an extra link & joint.



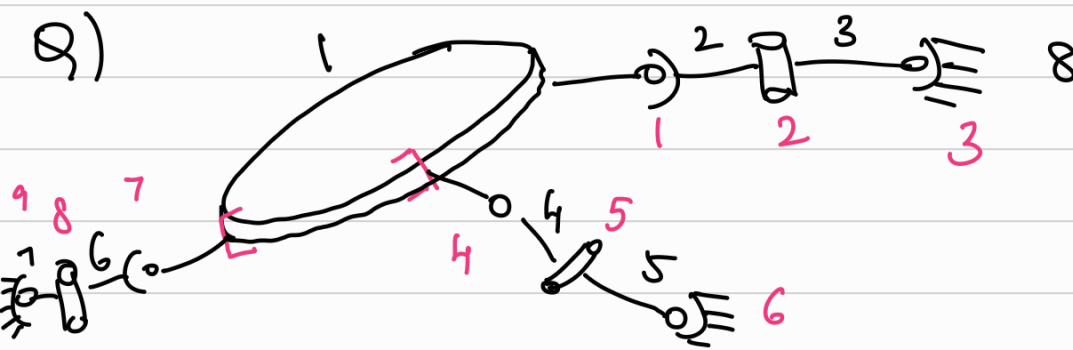
$$N = 6$$

$$J = 7$$

$$\begin{aligned} \text{DoF} &= 3(6 - 7 - 1) + 7 \\ &= \underline{\underline{1}} \end{aligned}$$

★

FIND CASES WHERE THE FORMULA FAILS



8 → ground
1 → object

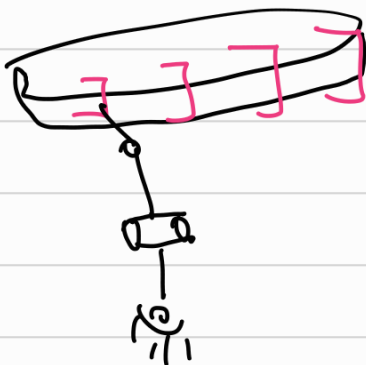
here, $\circ \equiv \rightarrow$ spherical

$\parallel \rightarrow$ revolute

$N = 8$, $k = 6$ (non-planar), $J = 9$

$$\begin{aligned} \text{DoF} &= 6(8 - 9 - 1) + \underset{\rightarrow \text{revolute}}{3(1)} + \underset{\rightarrow \text{spherical}}{6(3)} \\ &= -12 + 3 + 18 \\ &= \underline{\underline{9}} \end{aligned}$$

• now assume there are n -clamps on the spherical disk



$$\text{DoF} = 6(2n - 3n - 1 + 2) + 2n(3) + n$$

$$\begin{aligned} &= -6n + 6 + 6n + n \\ &= \underline{\underline{n+6}} \end{aligned}$$

I'm bored
- Alvin

3rd

5th

6th
Sreeja

1st

Sheet 1st

K2 2nd

Assignment + Quiz → 2 parameterization questions, DoF, task space & work space

Q) difference b/w explicit & implicit parameterization.