tea_arm_5d

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```
[]: import sympy
     import numpy as np
     ## Transform function using Euler angle (RPY)(zyx)
     def transform(x, y, z, alpha, beta, gamma):
         ca = sympy.cos(alpha)
         sa = sympy.sin(alpha)
         cb = sympy.cos(beta)
         sb = sympy.sin(beta)
         cg = sympy.cos(gamma)
         sg = sympy.sin(gamma)
         trans = sympy.Matrix([[1, 0, 0, x], [0, 1, 0, y], [0, 0, 1, z], [0, 0, 0,_{\sqcup}
      →1]])
         rotat_x = sympy.Matrix(
             [1,0,0,0],
                 [0,ca,-sa, 0],
                 [0,sa,ca, 0],
                 [0, 0, 0, 1],
             ]
         rotat_y = sympy.Matrix(
             [cb,0,sb, 0],
                 [0,1,0,0],
                 [-sb,0,cb, 0],
                 [0, 0, 0, 1],
             ]
         rotat_z = sympy.Matrix(
             [cg, -sg, 0, 0],
                 [sg,cg,0, 0],
                 [0,0,1,0],
                 [0, 0, 0, 1],
             ]
```

```
return trans*rotat_z*rotat_y*rotat_x
      x,y,z,alpha,beta,gamma=sympy.symbols('x,y,z,alpha,beta,gamma')
      transform(x,y,z,alpha,beta,gamma)
[ ]: \overline{\left[\cos\left(\beta\right)\cos\left(\gamma\right)\right]} \sin\left(\alpha\right)\sin\left(\beta\right)\cos\left(\gamma\right) - \sin\left(\gamma\right)\cos\left(\alpha\right)
                                                              \sin(\alpha)\sin(\gamma) + \sin(\beta)\cos(\alpha)\cos(\gamma)
      \sin(\gamma)\cos(\beta) = \sin(\alpha)\sin(\beta)\sin(\gamma) + \cos(\alpha)\cos(\gamma) = -\sin(\alpha)\cos(\gamma) + \sin(\beta)\sin(\gamma)\cos(\alpha)
                                                                                                     y
         -\sin(\beta)
                                 \sin(\alpha)\cos(\beta)
                                                                         \cos(\alpha)\cos(\beta)
            0
                                        0
                                                                               0
                                                                                                      1
a=transform(0,0,0,0,0,0)
      T=transform(1,1,1,sympy.pi/2,0,sympy.pi/2)
      T2=transform(1,1,1,0,0,0)
      a*T*T2
[]:<sub>[1]</sub>
                  27
         0
            -1 \ 0
        1
              0
                  2
                  1
      0 \quad 0
              0
[]: ## 5 degree arm simulation (forward kinematics)
      pi=sympy.pi
      base=transform(0.066972, -0.052, 1.9, pi/2, 0, 0)
      x,y,z, theta1, theta2, d1, d2, d3, d4, d5, d6=sympy.
      \rightarrowsymbols('x,y,z,theta1,theta2,d1,d2,d3,d4,d5,d6')
      x_joint=transform(0.066972, -0.052, -0.071717,pi,pi/2,0)
      x_move=transform(x,0,0,0,0,0)
      y_joint=transform(0.0755, 0, 0.18051,pi/2,pi/2,0)
      y_move=transform(-y,0,0,0,0,0)
      z_joint=transform(0.0755,0.0375,-0.15871,pi/2,0,pi/2)
      z move=transform(0,z,0,0,0,0)
      a_joint=transform(0 ,-0.418, -0.027,-pi/2,0,pi)
      a move=transform(0,0,0,0,0,theta1)
      b_joint=transform(0.012265, 0.014063, 0.079591,pi/2,0,pi)
      b_move=transform(0,0,0,theta2,0,0)
       →base*x move*x joint*y move*y joint*z move*z joint*a move*a joint*b move*b joint
      final=base*x_joint*x_move*y_joint*y_move*z_joint*z_move*a_joint*a_move*b_joint*b_move
      final
\sin(\theta_1)\cos(\theta_2)
                                                       x + 0.014063\sin(\theta_1) - 0.012265\cos(\theta_1) + 0.132717
      \cos(\theta_1)
                 \sin(\theta_1)\sin(\theta_2)
         0
                    -\cos(\theta_2)
                                        \sin(\theta_2)
                                                                          z + 1.191699
         0
                        0
                                           0
                                                                                1
```