

# Traffic Fatalities

February 24, 2021

```
[1]: # Import required libraries.
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
import seaborn as sns
from scipy.stats import ttest_ind
import statsmodels.api as sm
import statsmodels.formula.api as smformula
from linearmodels import PanelOLS
import scipy.stats as stats

%load_ext lab_black
```

```
[2]: # Read in the data:
data = pd.read_csv("../data/us_driving_fatalities.csv").iloc[:, 1:]
data.head()
```

```
[2]: state year spirits unemp income emppop beertax baptist \
0 al 1982 1.37 14.4 10544.152344 50.692039 1.539379 30.355700
1 al 1983 1.36 13.7 10732.797852 52.147030 1.788991 30.333599
2 al 1984 1.32 11.1 11108.791016 54.168087 1.714286 30.311501
3 al 1985 1.28 8.9 11332.626953 55.271137 1.652542 30.289499
4 al 1986 1.23 9.8 11661.506836 56.514496 1.609907 30.267401

mormon drinkage ... nfatal2124 afatal pop pop1517 \
0 0.32829 19.00 ... 32 309.437988 3942002.25 208999.593750
1 0.34341 19.00 ... 35 341.834015 3960008.00 202000.078125
2 0.35924 19.00 ... 34 304.872009 3988991.75 196999.968750
3 0.37579 19.67 ... 45 276.742004 4021007.75 194999.734375
4 0.39311 21.00 ... 29 360.716003 4049993.75 203999.890625

pop1820 pop2124 milestot unempus emppopus gsp
0 221553.43750 290000.06250 28516.0 9.7 57.799999 -0.022125
1 219125.46875 290000.15625 31032.0 9.6 57.900002 0.046558
2 216724.09375 288000.15625 32961.0 7.5 59.500004 0.062798
3 214349.03125 284000.31250 35091.0 7.2 60.100002 0.027490
4 212000.00000 263000.28125 36259.0 7.0 60.700001 0.032143
```

[5 rows x 34 columns]

```
[3]: # Check dimensions:
Rows, Cols = data.shape
print("The data consists of {} rows and {} columns.".format(Rows, Cols))
```

The data consists of 336 rows and 34 columns.

### 0.0.1 Exercise 1.

How many states does this dataset contain? What's the time frame of this dataset? (From which year to which year). And what constitutes a single observation (i.e. what is the unit of analysis for each row of the data?)

```
[4]: States = list(set(data["state"]))
print("The data contains observations pertaining to {} states.".
      ↪format(len(States)))

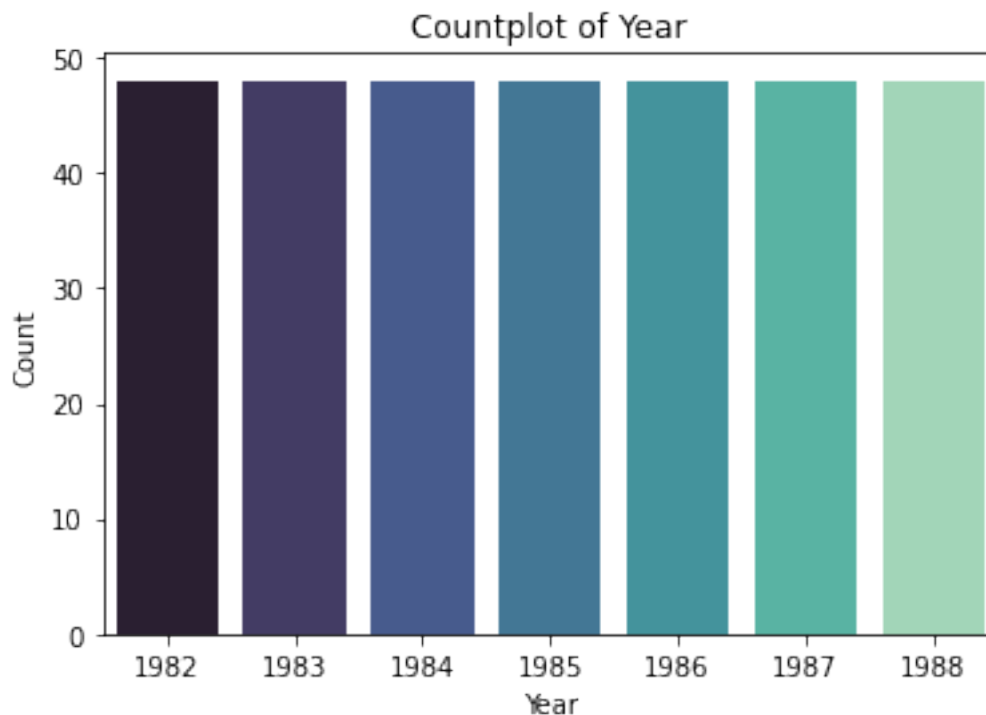
minY = min(data["year"])
maxY = max(data["year"])
print(
    "The minimum year in the data is {}, and the maximum year is {}.".
    ↪format(minY, maxY)
)
```

The data contains observations pertaining to 48 states.

The minimum year in the data is 1982, and the maximum year is 1988.

The unit of analysis for each row of the data, for now, is year-state-beertax (one row for one state-year). After we calculated the fatality rate and added other predictor variables, this will be expanded with the response variable and other covariates.

```
[5]: Years = [str(i) for i in data["year"]]
sns.countplot(x=Years, palette="mako")
plt.xlabel("Year")
plt.ylabel("Count")
plt.title("Countplot of Year")
plt.show()
pass
```



### 0.0.2 Exercise 2.

We use the fatality rate per 10,000 as the dependent variable. Construct this variable. Name it as `fat_rate`. Hint: You can compute it using total fatalities (`fatal`) and population (`pop`). Note that because `pop` is often the name of a method in Python, you may have to navigate around some issues.

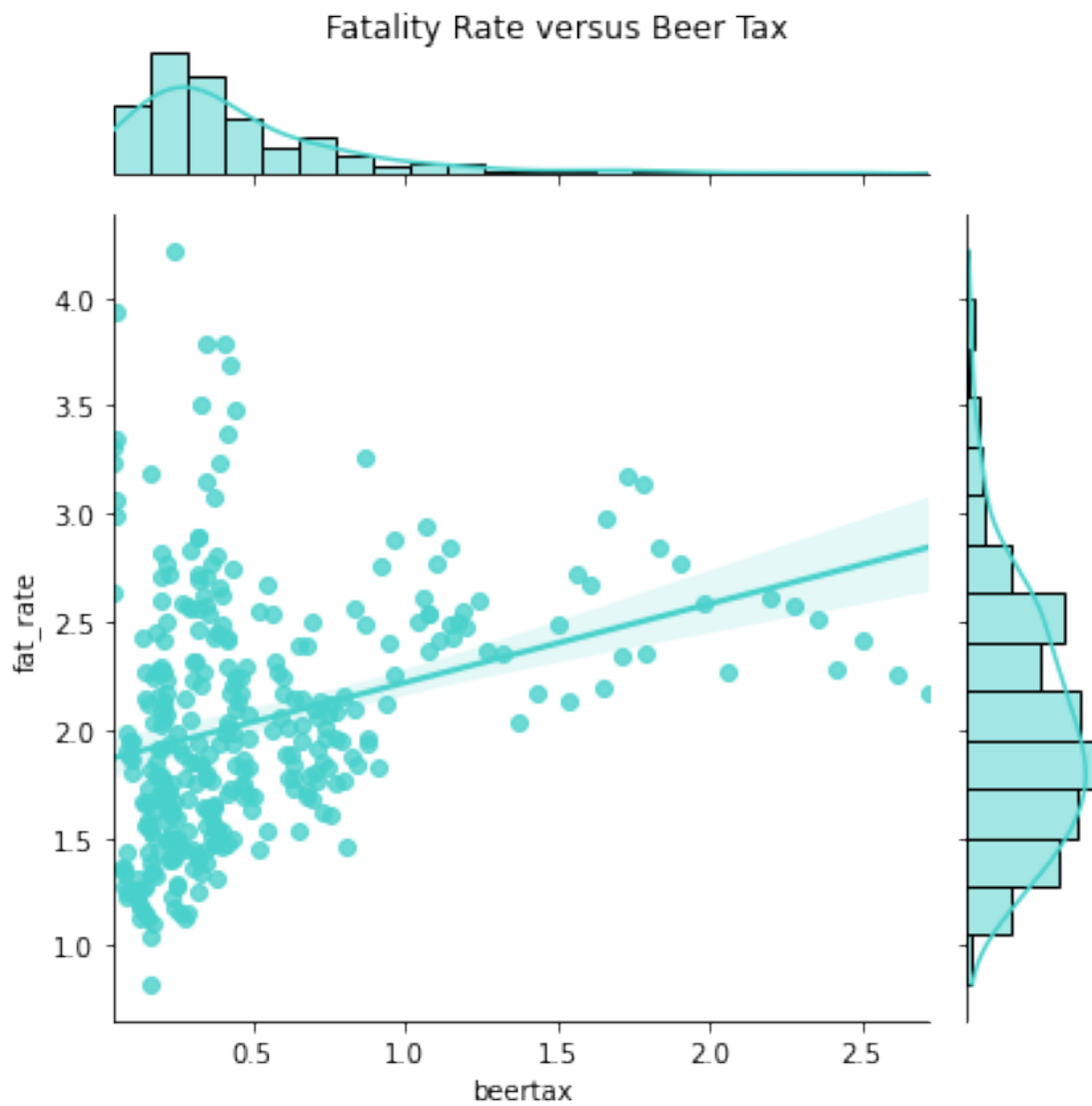
```
[6]: Fatalty_Rate = data["fatal"] / data["pop"] * 10000
     data["fat_rate"] = Fatalty_Rate
```

### 0.0.3 Exercise 3.

Draw a scatter plot using `beertax` as the x-axis, and `fat_rate` as the y-axis. Draw a fitted line showing the correlation between these two variables.

```
[7]: p = sns.jointplot(
      x="beertax", y="fat_rate", data=data, kind="reg", color="mediumturquoise"
    )
    p.fig.suptitle("Fatality Rate versus Beer Tax")
    p.fig.tight_layout()
    p.fig.subplots_adjust(top=0.95)
    # p.annotate(stats.pearsonr)
    plt.xlabel("Beer Tax")
    plt.ylabel("Fatality Rate, per 10,000")
```

```
plt.show()
pass
```



#### 0.0.4 Exercise 4.

Fit a simple OLS regression. This is what is called a “pooled” regression because we’re “pooling” observations from different years into a single regression. What do your results imply about the relationship between Beer Taxes and fatalities?

$$FatalityRate_i = \beta_0 + \beta_1 + BeerTax_i$$

```
[8]: # Linear probability model; OLS. Use the statsmodels formula to code for
      ↪ categorical variables.
```

```
FF4 = smformula.ols(formula="fat_rate ~ beertax", data=data).fit()
print(FF4.summary())
```

```

=====
                        OLS Regression Results
=====
Dep. Variable:          fat_rate      R-squared:                0.093
Model:                  OLS          Adj. R-squared:             0.091
Method:                 Least Squares   F-statistic:              34.39
Date:                  Wed, 24 Feb 2021   Prob (F-statistic):       1.08e-08
Time:                  16:45:20         Log-Likelihood:           -271.04
No. Observations:      336             AIC:                     546.1
Df Residuals:          334             BIC:                     553.7
Df Model:               1
Covariance Type:       nonrobust
=====

```

	coef	std err	t	P> t	[0.025	0.975]
Intercept	1.8533	0.044	42.539	0.000	1.768	1.939
beertax	0.3646	0.062	5.865	0.000	0.242	0.487

```

=====
Omnibus:                66.653   Durbin-Watson:              0.465
Prob(Omnibus):          0.000   Jarque-Bera (JB):           112.734
Skew:                   1.134   Prob(JB):                   3.31e-25
Kurtosis:               4.707   Cond. No.                    2.76
=====

```

Notes:

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

With a small p value on the beertax variable ( $p < 0.05$ ), the regression summary shows that beertax is a statistically significant predictor variable for the fatality rate. However, the positive coefficient of beertax suggests that increasing beertax by one unit would lead to an increase in 0.36 unit of fatality rate on average, which is in contrast with our previous belief that increasing beer taxes could reduce alcohol consumption and could potentially reduce drunk driving deaths.

### 0.0.5 Exercise 5.

Now estimate your model again, this time adding state fixed effects (using the C() notation and your normal linear model machinery). What does this result imply about the relationship between beer taxes and fatalities?

```
[9]: import warnings

warnings.filterwarnings("ignore")
```

```
# Linear probability model; OLS. Use the statsmodels formula to code for
↳ categorical variables.
FF5 = smformula.ols(formula="fat_rate ~ beertax + C(state)", data=data).fit()
FF5.get_robustcov_results(cov_type="cluster", groups=data["state"]).summary()
```

```
[9]: <class 'statsmodels.iolib.summary.Summary'>
```

```
"""
                                OLS Regression Results
=====
Dep. Variable:                  fat_rate    R-squared:                  0.905
Model:                            OLS      Adj. R-squared:             0.889
Method:                 Least Squares    F-statistic:                 9.944
Date:                Wed, 24 Feb 2021    Prob (F-statistic):         0.00281
Time:                  16:45:20          Log-Likelihood:             107.97
No. Observations:                336      AIC:                       -117.9
Df Residuals:                    287      BIC:                       69.09
Df Model:                        48
Covariance Type:                cluster
=====
==
                                coef    std err          t      P>|t|      [0.025
0.975]
-----
--
Intercept                3.4776      0.511      6.802      0.000      2.449
4.506
C(state)[T.ar]          -0.6550      0.325     -2.013      0.050     -1.309
-0.001
C(state)[T.az]          -0.5677      0.413     -1.374      0.176     -1.399
0.264
C(state)[T.ca]          -1.5095      0.481     -3.139      0.003     -2.477
-0.542
C(state)[T.co]          -1.4843      0.451     -3.294      0.002     -2.391
-0.578
C(state)[T.ct]          -1.8623      0.438     -4.248      0.000     -2.744
-0.980
C(state)[T.de]          -1.3076      0.462     -2.828      0.007     -2.238
-0.377
C(state)[T.fl]          -0.2681      0.160     -1.676      0.100     -0.590
0.054
C(state)[T.ga]           0.5246      0.257      2.040      0.047      0.007
1.042
C(state)[T.ia]          -1.5439      0.389     -3.967      0.000     -2.327
-0.761
C(state)[T.id]          -0.6690      0.398     -1.683      0.099     -1.469
0.131
C(state)[T.il]          -1.9616      0.458     -4.283      0.000     -2.883
```

-1.040					
C(state) [T.in]	-1.4615	0.424	-3.447	0.001	-2.314
-0.609					
C(state) [T.ks]	-1.2232	0.375	-3.266	0.002	-1.977
-0.470					
C(state) [T.ky]	-1.2175	0.450	-2.704	0.010	-2.123
-0.312					
C(state) [T.la]	-0.8471	0.267	-3.178	0.003	-1.383
-0.311					
C(state) [T.ma]	-2.1097	0.430	-4.902	0.000	-2.976
-1.244					
C(state) [T.md]	-1.7064	0.443	-3.851	0.000	-2.598
-0.815					
C(state) [T.me]	-1.1079	0.271	-4.082	0.000	-1.654
-0.562					
C(state) [T.mi]	-1.4845	0.357	-4.157	0.000	-2.203
-0.766					
C(state) [T.mn]	-1.8972	0.410	-4.622	0.000	-2.723
-1.071					
C(state) [T.mo]	-1.2963	0.413	-3.136	0.003	-2.128
-0.465					
C(state) [T.ms]	-0.0291	0.182	-0.160	0.873	-0.394
0.336					
C(state) [T.mt]	-0.3604	0.408	-0.882	0.382	-1.182
0.461					
C(state) [T.nc]	-0.2905	0.107	-2.719	0.009	-0.505
-0.076					
C(state) [T.nd]	-1.6234	0.390	-4.163	0.000	-2.408
-0.839					
C(state) [T.ne]	-1.5222	0.382	-3.989	0.000	-2.290
-0.754					
C(state) [T.nh]	-1.2545	0.308	-4.079	0.000	-1.873
-0.636					
C(state) [T.nj]	-2.1057	0.486	-4.333	0.000	-3.083
-1.128					
C(state) [T.nm]	0.4264	0.391	1.091	0.281	-0.360
1.213					
C(state) [T.nv]	-0.6008	0.448	-1.341	0.186	-1.502
0.301					
C(state) [T.ny]	-2.1867	0.471	-4.640	0.000	-3.135
-1.239					
C(state) [T.oh]	-1.6744	0.390	-4.294	0.000	-2.459
-0.890					
C(state) [T.ok]	-0.5451	0.227	-2.404	0.020	-1.001
-0.089					
C(state) [T.or]	-1.1680	0.448	-2.609	0.012	-2.069
-0.267					

C(state) [T.pa]	-1.7675	0.430	-4.107	0.000	-2.633
-0.902					
C(state) [T.ri]	-2.2651	0.462	-4.902	0.000	-3.195
-1.336					
C(state) [T.sc]	0.5572	0.071	7.835	0.000	0.414
0.700					
C(state) [T.sd]	-1.0037	0.307	-3.265	0.002	-1.622
-0.385					
C(state) [T.tn]	-0.8757	0.416	-2.106	0.041	-1.712
-0.039					
C(state) [T.tx]	-0.9175	0.375	-2.448	0.018	-1.671
-0.164					
C(state) [T.ut]	-1.1640	0.282	-4.130	0.000	-1.731
-0.597					
C(state) [T.va]	-1.2902	0.297	-4.345	0.000	-1.887
-0.693					
C(state) [T.vt]	-0.9660	0.310	-3.113	0.003	-1.590
-0.342					
C(state) [T.wa]	-1.6595	0.444	-3.741	0.000	-2.552
-0.767					
C(state) [T.wi]	-1.7593	0.462	-3.805	0.000	-2.689
-0.829					
C(state) [T.wv]	-0.8968	0.377	-2.380	0.021	-1.655
-0.139					
C(state) [T.wy]	-0.2285	0.496	-0.461	0.647	-1.226
0.769					
beertax	-0.6559	0.315	-2.083	0.043	-1.289
-0.022					
=====					
Omnibus:	53.045	Durbin-Watson:	1.517		
Prob(Omnibus):	0.000	Jarque-Bera (JB):	219.863		
Skew:	0.585	Prob(JB):	1.81e-48		
Kurtosis:	6.786	Cond. No.	187.		
=====					

Notes:

[1] Standard Errors are robust to cluster correlation (cluster)

"""

By adding state fixed effects, it turns out that except for NM and SC, all other states have negative coefficients. This result shows that when consider state as a group level effect, beer taxes and car assident fatality rates seem to be negatively related. When looking at the p-values across states, a majority of them are statistically significant (p-value <0.05). Increasing beertax by one unit would lead to an decrease in 0.66 unit of fatality rate per 10,000 on average, holding all else equal. This result supports our belief that increasing beer taxes could reduce alcohol consumption and could potentially reduce drunk driving deaths.



### 0.0.6 Exercise 6.

Explain why your results in Exercises 4 (without fixed effects) and Exercise 5 (with state fixed effects) look so different. What does this imply about states with high beer taxes?

In exercise 4 where fixed effects are not included, we only look at the overall impact of beer taxes on fatality rate that's averaged across all states and all other variables. However, in exercise 5 where fixed effects are included, we now consider state as a group level effect, and the impact of beer taxes on fatality rate are only measured within the specified state. Since the amount of beer taxes can vary greatly across states, the results from before and after we add the fixed effects can also vary considerably. Some states could have high fatality rates in the beginning, so if we do not control the effect of state, we may attribute the problem of high fatality to having high beer taxes. This could imply that the car accident fatality rates in certain states with larger negative beertax coefficients may have decreased to a greater extent due to the high beer taxes in those states.

### 0.0.7 Exercise 7.

Implement the entity-demeaned approach to estimate the fixed-effects model by hand.

```
[10]: # group by state and generate mean values for fatality rate and beer tax for
      ↪ each state
meanfat = pd.DataFrame(data.groupby("state")["fat_rate"].mean())
beertax = pd.DataFrame(data.groupby("state")["beertax"].mean())

# concatenate two dataframes
staten = pd.concat([meanfat, beertax], axis=1)

state1 = staten.reset_index()
state1.columns = ["state", "state_fat_rate", "state_beertax"]

state1.head()
```

```
[10]:   state  state_fat_rate  state_beertax
0    al         2.412627         1.623793
1    ar         2.435336         0.590575
2    az         2.705900         0.311040
3    ca         1.904977         0.096336
4    co         1.866981         0.192672
```

```
[11]: # merge the mean values of fatality rate and beer tax by state with our
      ↪ original data

merged = data.merge(state1, left_on="state", right_on="state")

# calculate how much fatality rate and beertax for each unit of observation
↪ deviate from the mean fatality rate and beertax of that state
merged["fatamean"] = merged["fat_rate"] - merged["state_fat_rate"]
```

```
merged["beermean"] = merged["beertax"] - merged["state_beertax"]

# fit the regression
FF7 = smformula.ols(formula="fatamean ~ beermean", data=merged, missing="drop").
    ↪ fit()
print(FF7.summary())
```

```

                                OLS Regression Results
=====
Dep. Variable:                  fatamean    R-squared:                  0.041
Model:                            OLS      Adj. R-squared:              0.038
Method:                 Least Squares    F-statistic:                  14.19
Date:                Wed, 24 Feb 2021    Prob (F-statistic):          0.000196
Time:                  16:45:20          Log-Likelihood:              107.97
No. Observations:                336      AIC:                        -211.9
Df Residuals:                    334      BIC:                        -204.3
Df Model:                            1
Covariance Type:                nonrobust
=====
                                coef    std err          t      P>|t|      [0.025    0.975]
-----
Intercept    -1.735e-17     0.010   -1.81e-15     1.000    -0.019     0.019
beermean     -0.6559       0.174    -3.767     0.000    -0.998    -0.313
=====
Omnibus:                        53.045    Durbin-Watson:              1.517
Prob(Omnibus):                   0.000    Jarque-Bera (JB):           219.863
Skew:                            0.585    Prob(JB):                   1.81e-48
Kurtosis:                       6.786    Cond. No.                   18.1
=====
```

Notes:

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

### 0.0.8 Exercise 8.

Fit the model with state fixed-effect using PanelOLS / lfe. Compare it to your by-hand output. Interpret the result.

```
[12]: # Move state groups into highest level of multi-index, with old index in second
    ↪ level.
# PanelOLS will then see the first level as the `entity` identifier.
MIndex = data.set_index(["state", data.index])
MIndex.head()
```

```
[12]:      year  spirits  unemp      income  emppop  beertax  baptist \
state
al    0  1982     1.37   14.4  10544.152344  50.692039  1.539379  30.355700
```

1	1983	1.36	13.7	10732.797852	52.147030	1.788991	30.333599
2	1984	1.32	11.1	11108.791016	54.168087	1.714286	30.311501
3	1985	1.28	8.9	11332.626953	55.271137	1.652542	30.289499
4	1986	1.23	9.8	11661.506836	56.514496	1.609907	30.267401

		mormon	drinkage	dry	...	afatal	pop	\
state					...			
al	0	0.32829	19.00	25.006300	...	309.437988	3942002.25	
	1	0.34341	19.00	22.994200	...	341.834015	3960008.00	
	2	0.35924	19.00	24.042601	...	304.872009	3988991.75	
	3	0.37579	19.67	23.633900	...	276.742004	4021007.75	
	4	0.39311	21.00	23.464701	...	360.716003	4049993.75	

		pop1517	pop1820	pop2124	milestot	unempus	\
state							
al	0	208999.593750	221553.43750	290000.06250	28516.0	9.7	
	1	202000.078125	219125.46875	290000.15625	31032.0	9.6	
	2	196999.968750	216724.09375	288000.15625	32961.0	7.5	
	3	194999.734375	214349.03125	284000.31250	35091.0	7.2	
	4	203999.890625	212000.00000	263000.28125	36259.0	7.0	

		emppopus	gsp	fat_rate
state				
al	0	57.799999	-0.022125	2.12836
	1	57.900002	0.046558	2.34848
	2	59.500004	0.062798	2.33643
	3	60.100002	0.027490	2.19348
	4	60.700001	0.032143	2.66914

[5 rows x 34 columns]

```
[13]: mod = PanelOLS.from_formula("fat_rate ~ beertax + EntityEffects", data=MIndex)
mod.fit(cov_type="clustered", cluster_entity=True)
```

```
[13]: PanelOLS Estimation Summary
=====
Dep. Variable:          fat_rate      R-squared:                0.0407
Estimator:              PanelOLS      R-squared (Between):      -0.3805
No. Observations:        336          R-squared (Within):       0.0407
Date:                    Wed, Feb 24 2021  R-squared (Overall):     -0.3775
Time:                    16:45:20         Log-likelihood            107.97
Cov. Estimator:          Clustered
F-statistic:              12.190
Entities:                 48             P-value                   0.0006
Avg Obs:                  7.0000         Distribution:              F(1,287)
Min Obs:                  7.0000
Max Obs:                  7.0000         F-statistic (robust):     5.1576
```

Time periods: 336 P-value 0.0239  
 Distribution: F(1,287)  
 Avg Obs: 1.0000  
 Min Obs: 1.0000  
 Max Obs: 1.0000

Parameter Estimates						
	Parameter	Std. Err.	T-stat	P-value	Lower CI	Upper CI
beertax	-0.6559	0.2888	-2.2710	0.0239	-1.2243	-0.0874

F-test for Poolability: 52.179  
 P-value: 0.0000  
 Distribution: F(47,287)

Included effects: Entity  
 PanelEffectsResults, id: 0x7fa2dc4b1040

The PanelOLS returns a negative coefficient for beertax, -0.66, which is the same as the result from our by-hand output for beertax. Both are statistically significant. This means that both results show a negative correlation between beertax and fatality rate.

### 0.0.9 Exercise 9.

Now (using PanelOLS or lfe) estimate a fixed effects model using the following specification. Add fixed effects for both the state and the year, as well as the other covariates you think are important  $X_{it}$ ).

Explain (a) the type of phenomenon we control for by adding year fixed effects, and (b) your choice of covariates. Cluster the standard error at the state level. Interpret the result.

$$FatalityRate_{it} = \beta BeerTax_{it} + SState_i + Year_t + \epsilon_{it}$$

```
[14]: # Fit a linear regression with both fixed effects - state and year - and two
      ↳ other covariates - income and youngdrivers

FF8 = smformula.ols(
    formula="fat_rate ~ beertax + C(state) + C(year) + income + youngdrivers",
    ↳ data=data
).fit()
FF8.get_robustcov_results(cov_type="cluster", groups=data["state"]).summary()
```

```
[14]: <class 'statsmodels.iolib.summary.Summary'>
      """
```

OLS Regression Results			
Dep. Variable:	fat_rate	R-squared:	0.924

```

Model:                      OLS      Adj. R-squared:      0.909
Method:                    Least Squares      F-statistic:      11.99
Date:                      Wed, 24 Feb 2021      Prob (F-statistic):      1.51e-09
Time:                      16:45:21      Log-Likelihood:      145.66
No. Observations:          336      AIC:      -177.3
Df Residuals:              279      BIC:      40.26
Df Model:                  56
Covariance Type:          cluster

```

```

=====
===

```

	coef	std err	t	P> t	[0.025
0.975]					
-----					
---					
Intercept	1.7219	0.825	2.087	0.042	0.062
3.382					
C(state) [T.ar]	-0.5140	0.402	-1.278	0.208	-1.323
0.295					
C(state) [T.az]	-0.7739	0.524	-1.476	0.147	-1.829
0.281					
C(state) [T.ca]	-2.1888	0.673	-3.251	0.002	-3.543
-0.835					
C(state) [T.co]	-1.9743	0.596	-3.313	0.002	-3.173
-0.775					
C(state) [T.ct]	-2.9336	0.702	-4.176	0.000	-4.347
-1.521					
C(state) [T.de]	-1.7851	0.614	-2.906	0.006	-3.021
-0.549					
C(state) [T.fl]	-0.6955	0.287	-2.421	0.019	-1.273
-0.118					
C(state) [T.ga]	0.1957	0.332	0.590	0.558	-0.472
0.864					
C(state) [T.ia]	-1.7455	0.495	-3.524	0.001	-2.742
-0.749					
C(state) [T.id]	-0.6049	0.486	-1.246	0.219	-1.582
0.372					
C(state) [T.il]	-2.4763	0.611	-4.054	0.000	-3.705
-1.247					
C(state) [T.in]	-1.5887	0.551	-2.886	0.006	-2.696
-0.481					
C(state) [T.ks]	-1.5977	0.495	-3.226	0.002	-2.594
-0.601					
C(state) [T.ky]	-1.1226	0.554	-2.027	0.048	-2.237
-0.008					
C(state) [T.la]	-0.8665	0.325	-2.663	0.011	-1.521
-0.212					
C(state) [T.ma]	-2.8800	0.632	-4.557	0.000	-4.152

-1.608					
C(state) [T.md]	-2.4070	0.623	-3.864	0.000	-3.660
-1.154					
C(state) [T.me]	-1.2402	0.350	-3.542	0.001	-1.945
-0.536					
C(state) [T.mi]	-1.8864	0.469	-4.023	0.000	-2.830
-0.943					
C(state) [T.mn]	-2.3041	0.550	-4.190	0.000	-3.410
-1.198					
C(state) [T.mo]	-1.5627	0.532	-2.936	0.005	-2.633
-0.492					
C(state) [T.ms]	0.2375	0.234	1.015	0.315	-0.233
0.708					
C(state) [T.mt]	-0.3578	0.502	-0.713	0.480	-1.368
0.652					
C(state) [T.nc]	-0.4055	0.149	-2.725	0.009	-0.705
-0.106					
C(state) [T.nd]	-1.7121	0.483	-3.544	0.001	-2.684
-0.740					
C(state) [T.ne]	-1.7629	0.487	-3.617	0.001	-2.743
-0.782					
C(state) [T.nh]	-1.8808	0.472	-3.987	0.000	-2.830
-0.932					
C(state) [T.nj]	-3.0420	0.740	-4.112	0.000	-4.530
-1.554					
C(state) [T.nm]	0.4698	0.478	0.984	0.330	-0.491
1.431					
C(state) [T.nv]	-1.1034	0.608	-1.815	0.076	-2.326
0.119					
C(state) [T.ny]	-2.8410	0.665	-4.272	0.000	-4.179
-1.503					
C(state) [T.oh]	-1.9510	0.503	-3.875	0.000	-2.964
-0.938					
C(state) [T.ok]	-0.6973	0.297	-2.351	0.023	-1.294
-0.101					
C(state) [T.or]	-1.3418	0.570	-2.356	0.023	-2.488
-0.196					
C(state) [T.pa]	-2.0918	0.565	-3.699	0.001	-3.229
-0.954					
C(state) [T.ri]	-2.6267	0.602	-4.363	0.000	-3.838
-1.416					
C(state) [T.sc]	0.5530	0.088	6.273	0.000	0.376
0.730					
C(state) [T.sd]	-0.9975	0.377	-2.649	0.011	-1.755
-0.240					
C(state) [T.tn]	-0.8607	0.515	-1.671	0.101	-1.897
0.175					

C(state) [T.tx]	-1.1942	0.487	-2.453	0.018	-2.173
-0.215					
C(state) [T.ut]	-1.0747	0.344	-3.121	0.003	-1.768
-0.382					
C(state) [T.va]	-1.7965	0.431	-4.172	0.000	-2.663
-0.930					
C(state) [T.vt]	-1.1464	0.404	-2.838	0.007	-1.959
-0.334					
C(state) [T.wa]	-2.0679	0.592	-3.495	0.001	-3.258
-0.877					
C(state) [T.wi]	-2.0300	0.588	-3.450	0.001	-3.214
-0.846					
C(state) [T.wv]	-0.7079	0.465	-1.523	0.134	-1.643
0.227					
C(state) [T.wy]	-0.4032	0.622	-0.648	0.520	-1.655
0.848					
C(year) [T.1983]	-0.0915	0.041	-2.212	0.032	-0.175
-0.008					
C(year) [T.1984]	-0.1487	0.068	-2.179	0.034	-0.286
-0.011					
C(year) [T.1985]	-0.2333	0.083	-2.814	0.007	-0.400
-0.067					
C(year) [T.1986]	-0.1910	0.112	-1.702	0.095	-0.417
0.035					
C(year) [T.1987]	-0.2528	0.134	-1.886	0.065	-0.522
0.017					
C(year) [T.1988]	-0.2965	0.159	-1.865	0.068	-0.616
0.023					
beertax	-0.5856	0.385	-1.523	0.134	-1.359
0.188					
income	0.0001	5.25e-05	2.794	0.008	4.11e-05
0.000					
youngdrivers	0.6740	1.234	0.546	0.588	-1.809
3.157					
=====					
Omnibus:	12.768	Durbin-Watson:	1.648		
Prob(Omnibus):	0.002	Jarque-Bera (JB):	27.243		
Skew:	0.075	Prob(JB):	1.21e-06		
Kurtosis:	4.387	Cond. No.	2.51e+06		
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#### Notes:

[1] Standard Errors are robust to cluster correlation (cluster)

[2] The condition number is large, 2.51e+06. This might indicate that there are strong multicollinearity or other numerical problems.

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(a) By adding an additional fixed effects variable - year, now we also consider year as a group level effect, which means the we now measure the impact of beer taxes on fatality in each specific year from 1983 to 1988. The summary result shows negative coefficients throughout all 6 years and the p values for each year is below 0.05, which is statistically significant. This indicates that within each single year in the study, beer taxes had a negative impact on average fatality rate, which supports our belief that increasing beer taxes could reduce alcohol consumption and could potentially reduce drunk driving deaths. (b) We choose to add income as an additional covariate because a heavier beer tax could potentially affect those in the low income group more than those in the high income group. We choose to add youngdrivers as another covariate because young drivers have higher change of driving recklessly because of lack of experience/lifestyle etc., which could potentially be related with the outcome - fatality rate. From our results, income turns out to be a statistically significant predictor ( $p < 0.05$ ) but with only a small positive coefficient (0.0001), and youngdrivers, although with a relatively larger coefficient (0.6740), turns out to be a statistically insignificant predictor ( $p > 0.05$ ). According to the Notes section, Standard Errors are robust to cluster correlation at the state level. While our point estimates have dropped from 0.36 (FF4) to -0.59 (FF8), we have increased the size of our standard errors. The SE on beertax, has gone from 0.06 without clustering to 0.39 with clustering.