

- Abstract classes and interfaces - both used for abstraction + cannot be instantiated
 - Abstract classes extend another class “extends” - child classes must have all functionality listed; you can instantiate a variable and an object in the class
 - Interfaces are implementations “implements” + can only have static and final attributes - child classes must have all functionality listed
- UML - top is class, middle is attributes (+ is public, - is private), bottom is methods
- Overloading is within same class; Overriding is subclass overriding a superclass (allowed through polymorphism)
- Non-primitive = strings, arrays, classes
- Runtime - big O finds upper bound (worst case scenario)
 - Specify base when writing how many times code will print
 - In logarithmic runtime - logn base does not matter for big O
 - When the inner for loop is dependent on the outer, it is usually $(n(n+1))/2$ times
- Accessing item in array = $O(1)$, removal/insertion = $O(n)$
- Stacks: Push: Puts an element into the stack; Peek: Looks at the top of the stack; Pop: Looks and removes the element at the top of the stack
- Queues: Offer : Adds an element to the end of the Queue; Peek : Looks at the front of the Queue; Poll : Looks and removes the front element of the queue

```

int n=100;
for (int i=0; i<n; i++)
{
    for (int j=n; j>0; j/=2)
    {
        System.out.println("Hey");
    }
}

```

$j = j/2$

$O(n \log n)$

Consider the code below. Indicate:

1. How many times it prints a message.
2. Its complexity.

You may assume that $n > 1$.

```

1 for (int i=0; i<n; i++) {
2     for (int j=0; j<n; j++) {
3         if (i%2==0) {
4             System.out.println("Hi");
5         }
6     }
7 }

```

$O(n^2)$

```

for (int i=0; i<n; i++){
    for (int j=0; j<i; j++){
        System.out.println("Quadratic run time...");
    }
}

```

LEFT: $n*((n+1)/2)$ = num of prints, $O(n^2)$

```

for (int i = 0; i < n^2; i++){
    for(int j = n; j > 0; j/=3){
        if(i > 3){
            System.out.print("yippee");
        }
    }
}

```

RIGHT: $O(n^2 * \log(n))$ or $O(n^2 * \log_3(n))$

BOTTOM: runs $3*((n+1)/2)*\log_2(n)$; $O(n*\log(n))$

```

for(int i = 0; i < n; i++){
    if(i % 2 == 0){
        for(int j = 1; j < n; j*=2){
            System.out.println("count me!");
            System.out.println("count me!");
            System.out.println("count me!");
        }
    }
}

```

```

public SingleLL<E> append(SingleLL<E> l2) {
    if (this.head == null) {
        return l2;
    }
    if (l2.head == null) {
        return this;
    }
    Node<E> lastNode = this.head;
    while (lastNode.next != null) {
        lastNode = lastNode.next;
    }
    lastNode.next = l2.head;
    return this;
}

```

