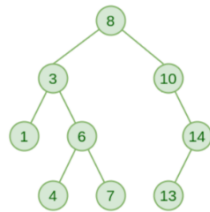


- Recursion
- Binary Trees - Everything on left is smaller than parent, everything on right is bigger
- Binary Search Trees
 - Types of traversals
 - Insertion - traversing through and place accordingly
 - Deletion: find node
 - If # of children:
 - - Delete node
 - 1 - Replace node with child
 - 2 - Replace node with largest node in left subtree or replace with small in right subtree
 - Indicate if swapping with predecessor (left BIG) or successor (right small)
- Heaps
 - Removal
 - Remove root and replace with rightmost node on bottom layer + make swaps
 - min heap: swap with least child
 - max heap: swap with greatest child
 - Insertion
 - Insert into leftmost free space on the bottom layer + do swapping for heap property
- Sorting Algorithms (Selection, Bubble, Insertion, Mergesort and Heapsort, excluding ShellSort)
 - Selection - finding minimum elements one by one and swapping : $O(n^2)$ with $O(n)$ exchanges
 - Bubble - compare elements next to each other and bubble up max : exchange/complexity is $O(n^2)$
 - Insertion - compare elements next to each other : $O(n^2)$
 - Mergesort - splitting and combining ($n \log n$) : $\log n$ is time to get to greatest depth when splitting, n because merge and comparison happens for each element
 - Heapsort - make max heaps, remove max and place at the end of array ($n \log n$, insert is $\log n$)
- Sets and Maps
 - Sets
 - Not indexed - no Set.get method (this means iterating gives you arbitrary order)
 - Must contain unique elements - Set.add returns false if you attempt to insert a duplicate item)
 - Maps - keys need to be unique
- Hashing
 - Load factor = number of full / total spots in table
 - Number of comparisons = $C = \frac{1}{2} (1 + \frac{1}{1 - L})$
 - Number of chaining comparisons = $1 + L/2$

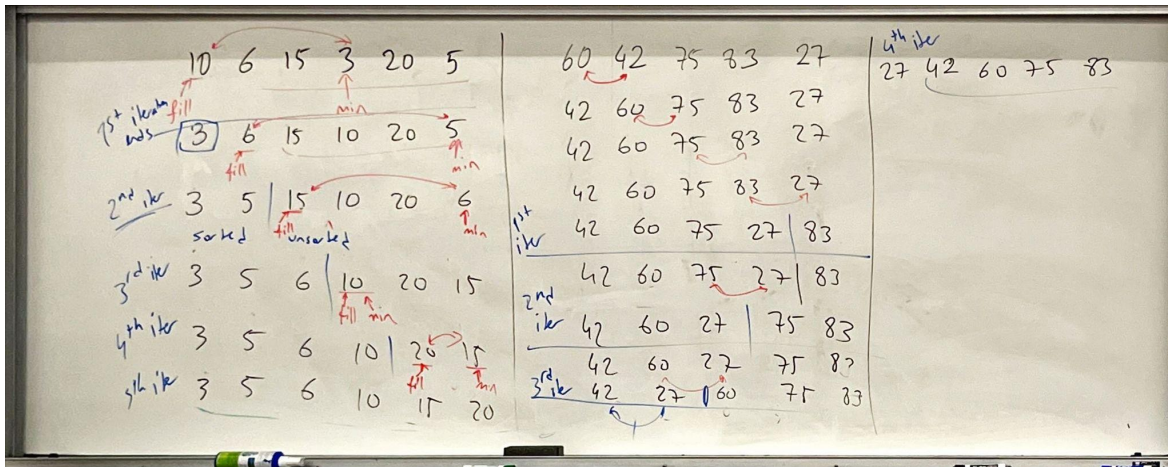
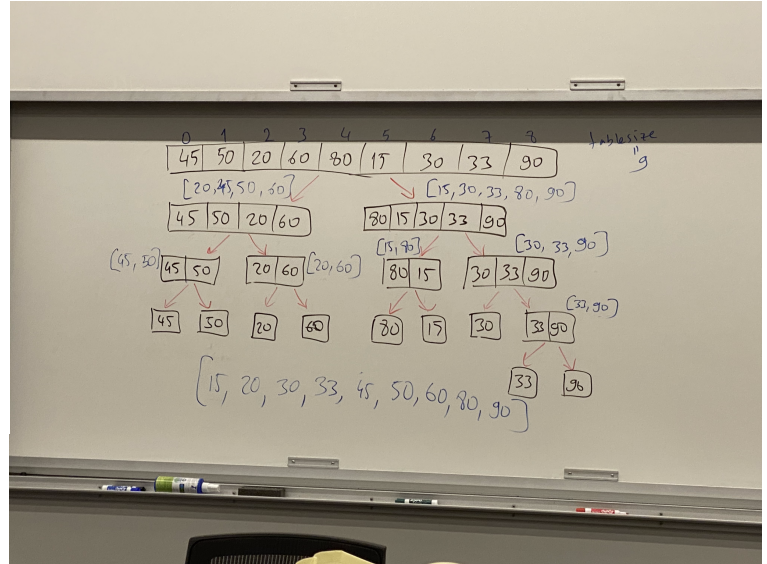
- ASCII- UPPERCASE A starts at 65
- UPPERCASE Z ends at 90
- lowercase a starts at 97
- lowercase z ends at 122
- AVL Trees - used because runtime (unbalanced can have a max n, balanced gives max logn)
 - Diagram + understand
 - Height of node = height of right - height of left
 - Removal and insertion are the same as BST - perform balancing operations to balance :)

Traversals

Pre-order: Node - Left Subtree - Right Subtree
In-order: Left Subtree - Node - Right Subtree
Post-order: Left Subtree - Right Subtree - Node



Pre-order: 8 3 1 6 4 7 10 14 13
In-order: 1 3 4 6 7 8 10 13 14
Post-order: 1 4 7 6 3 13 14 10 8



Right is bubble, left is selection

