

First: characters $\#$ ab can break the original string into many substrings only contain ab . We can solve these substrings independently because there are no way we can remove any $'ab'$, $'ba'$ from different substrings.

So let consider a string that only contain $'a'$ and $'b'$.

Now, we want to find a way to get max score by remove $'ab'$, $'ba'$ from this string.

Some observation:

Regardless how we remove character from the string the final remain string will be the same.

Prove:

First, when the remained string still contain $'a'$ & $'b'$, we still can perform the remove operation \Rightarrow so the final remain string will be empty or contain only $'a'$ or $'b'$.

If the original string have $'a'$ more than $'b'$ \Rightarrow Final string contain all $'a'$ otherwise all $'b'$

\Rightarrow Every possible way to remove string have the fixed length.

\Rightarrow The number of $'ab'$ (not base general, assume $'ab'$ give higher score) is higher \Rightarrow score higher,

\Rightarrow Find a way to remove $'ab'$ as much as possible.

\Rightarrow greedy: First remove $'ab'$ when cannot remove $'ab'$

\Rightarrow remove $'ba'$.

* Prove: Remove "a"b" first, can reach maxim possible "ab" pair.

Let assume with this strategy we can remove P "ab" $< M$
with $M = \text{max possible remove "ab"}$.

\Rightarrow the remain string still can form a pair of "a" and "b".

The one distance between "a" and "b" of the pair becomes
we have remove as much as possible "ab" in the first step.

but regarding character between "a" and "b", we still
can have a substring "ab" \Rightarrow contradicted with our assumption
 \Rightarrow Remove "ab" first always remove all maxim possible
"ab" \Rightarrow the next step remove all possible "ba" in the remain
string to get the final result.