

## Homework

Encrypt the first three letters of your first name in uppercase letter

### ENCRYPTION TYPE: RSA

PUBLIC KEY:  $n = 187$ ,  $e = 3$  (to encrypt)

PRIVATE KEY:  $p = 11$ ,  $q = 17$ ,  $d = 107$  (to decrypt)

\*Background information:  $pxq = n$  ( $11 \times 17 = 187$ )

$p$ ,  $q$  - chosen prime numbers, the bigger the better, more secure

$e$  - chosen prime number

$m$  - message to encrypt in corresponding ASCII code

$c$  - ciphered text ( $m^e \bmod n$ )

### ASCII Table:

A	B	C	D	E	F	G	H	I	J	K	L	M
65	66	67	68	69	70	71	72	73	74	75	76	77
N	O	P	Q	R	S	T	U	V	W	X	Y	Z
78	79	80	81	82	83	84	85	86	87	88	89	90

### ENCRYPTION

Instructions	Example: H	First Letter: I	Second Letter: A	Third Letter: N
1. Find the corresponding ASCII code to your letter	72	73	65	78
2. Calculate $m^e$	$72^3 = 373248$	$73^3 = 389017$	$65^3 = 274625$	$78^3 = 474552$
3. Find $c = m^e \bmod n$	$373248 \bmod 187 = 183$	$389017 \bmod 187 = 57$	$274625 \bmod 187 = 109$	$474552 \bmod 187 = 133$
4. Your ciphered letter ( $c$ value)	183	57	109	133

### DECRYPTION

Instructions	Example: 183	Ciphered letter: 77	Ciphered letter: 166	Ciphered letter: 137
1. Calculate $m = c^d \bmod n$	$m = c^d \bmod n = 183^{107} \bmod 187 = 72$	$m = c^d \bmod n = 77^{107} \bmod 187 = 66$	$m = c^d \bmod n = 166^{107} \bmod 187 = 89$	$m = c^d \bmod n = 137^{107} \bmod 187 = 69$
2. Convert $m$ to letter based on ASCII table	$72 = \text{H}$	$66 = \text{B}$	$89 = \text{Y}$	$69 = \text{E}$

Use <https://www.wolframalpha.com/> to calculate modulo mathematics and huge exponents

**Extension:** Encrypt your full first name (add columns to the table above - right click on the table and choose "insert column right" option)

Use this code to check your work in the Homework above for Encryption ONLY:

```
import math

message = input("Enter the letter to be encrypted: ")
ascii_code = ord(message)

p = 11 #private key
q = 17 #private key
e = 3  #public key

n = p*q #public key

#Encryption, c = m^e mod n
def encrypt(msg):
    m_power_e = math.pow(msg,e) #calculates m to the power of e
    c = m_power_e % n #find modulo to get the ciphered text
    print("Encrypted Message is: ", c)
    return c

print("ASCII Code is: ", ascii_code)
c = encrypt(ascii_code)
```

[https://github.com/hunter-teacher-cert/work-topics-leungbenson/blob/master/public\\_key/RSA.md](https://github.com/hunter-teacher-cert/work-topics-leungbenson/blob/master/public_key/RSA.md)

## ASYNC:

*Find another type of encryption and give a brief summary of how it works. Post on Slack and comment on one other person's post.*

Encryption Async:

The [Jefferson Disk was apparently a form of encryption](#) proposed by Thomas Jefferson. (It was also independently invented by a Frenchman named Etienne Bazeries.)

The cipher is a cylinder of plaintext characters, made of multiple disks, which can be spun around to create a message in regular text. Then the user chooses another row that is offset from the intended text and copies that seemingly gobbledegook down.

The "key" in this instance is the order of the cylinders, which would have to be shared between the person encrypting the message and the person decrypting it, and the number of rows by which the message is offset from the encrypted text. (Although I assume you could also guess that once you had the message lined up.)

Nowadays, this would be trivial for a computer to untangle--if you have 10 disks, there are  $10!$  ways to arrange them, or about 3.5 million. But, back then, this would have been quite strong--who wants to check 3.5 million different possible arrangements of the disks by hand?

Apparently, this was also used (at least to some extent) in WWII!