

This is the model we are going to use.

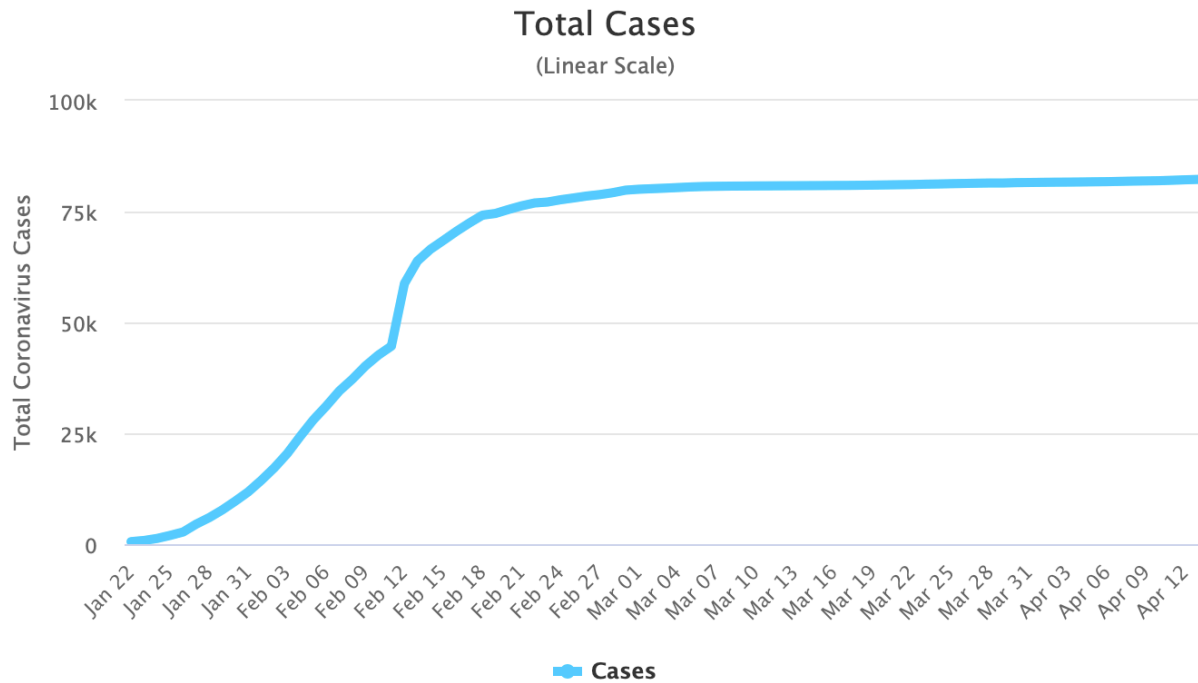
Parameter	Description	Dimension
$\beta$	basic transmission rate	$\frac{individuals^{-1}}{time} \times$
$c$	reduction of transmission in hospital	dimensionless
$\gamma_1$	per capita rate of progress from exposed to infectious state	$time^{-1}$
$\gamma_2$	per capita rate of progress through initial infectious state	$time^{-1}$
$\gamma_3$	per capita rate of progress through hospitalized state	$time^{-1}$
$\gamma_4$	per capita rate of progress through non-hospitalized infectious state	$time^{-1}$
$p_1$	proportion of initially infectious population that becomes hospitalized.	dimensionless
$p_2$	proportion of hospitalized population that die	dimensionless

The equations governing common upper respiratory virus dynamics are given by

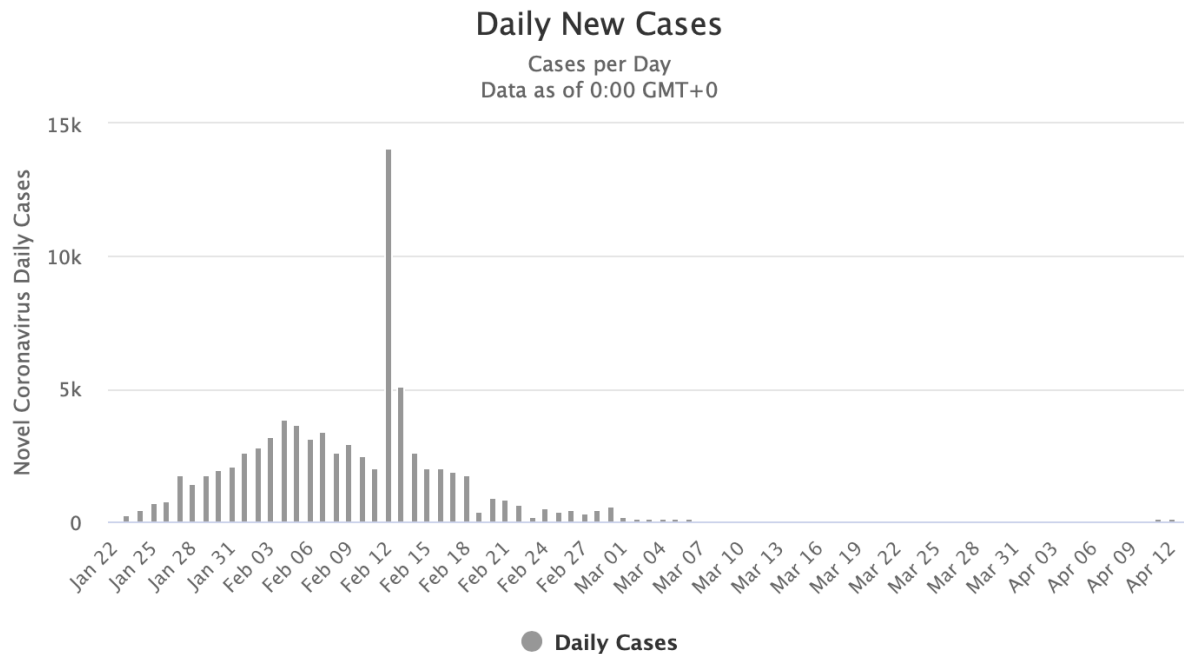
$$\begin{aligned}
\frac{dS}{dt} &= -\beta S(I_1 + I_2 + cH) \\
\frac{dE}{dt} &= \beta S(I_1 + I_2 + cH) - \gamma_1 E \\
\frac{dI_1}{dt} &= \gamma_1 E - \gamma_2 I_1 \\
\frac{dI_2}{dt} &= \gamma_2(1 - p_1)I_1 - \gamma_4 I_2 \\
\frac{dH}{dt} &= \gamma_2 p_1 I_1 - \gamma_3 H \\
\frac{dR}{dt} &= \gamma_4 I_2 + \gamma_3(1 - p_2)H \\
\frac{dD}{dt} &= \gamma_3 p_2 H
\end{aligned}$$

The total population is  $N = S + E + I_1 + I_2 + H + R + D$ . Parameters

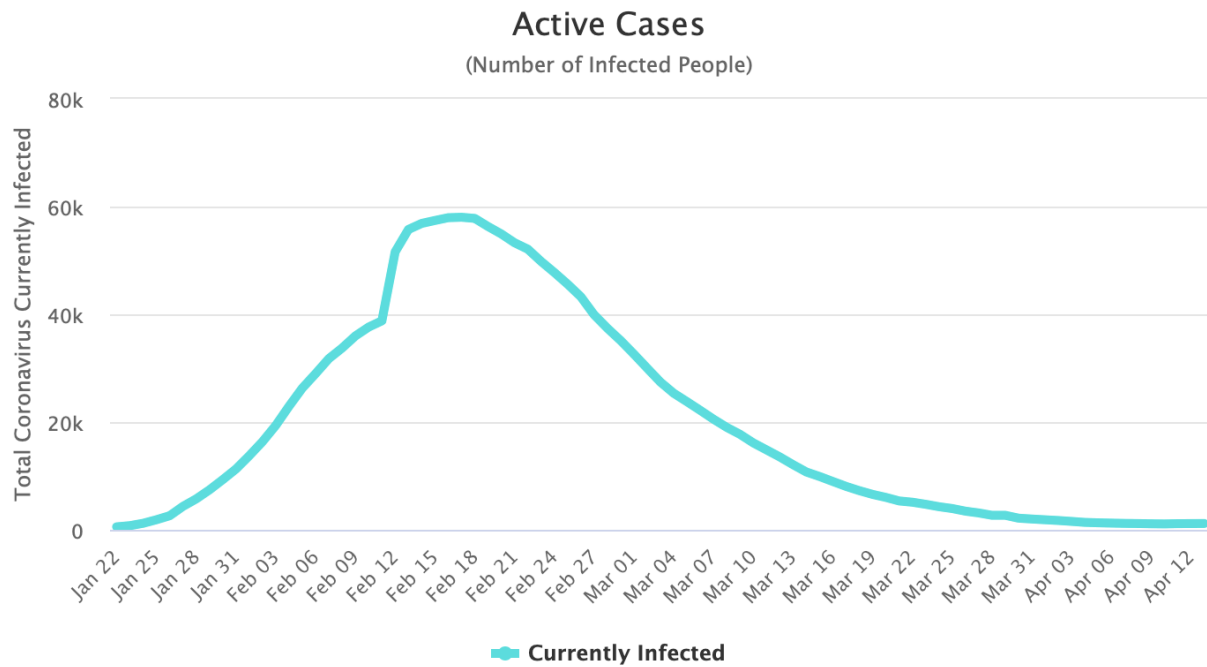
## Total Coronavirus Cases in China



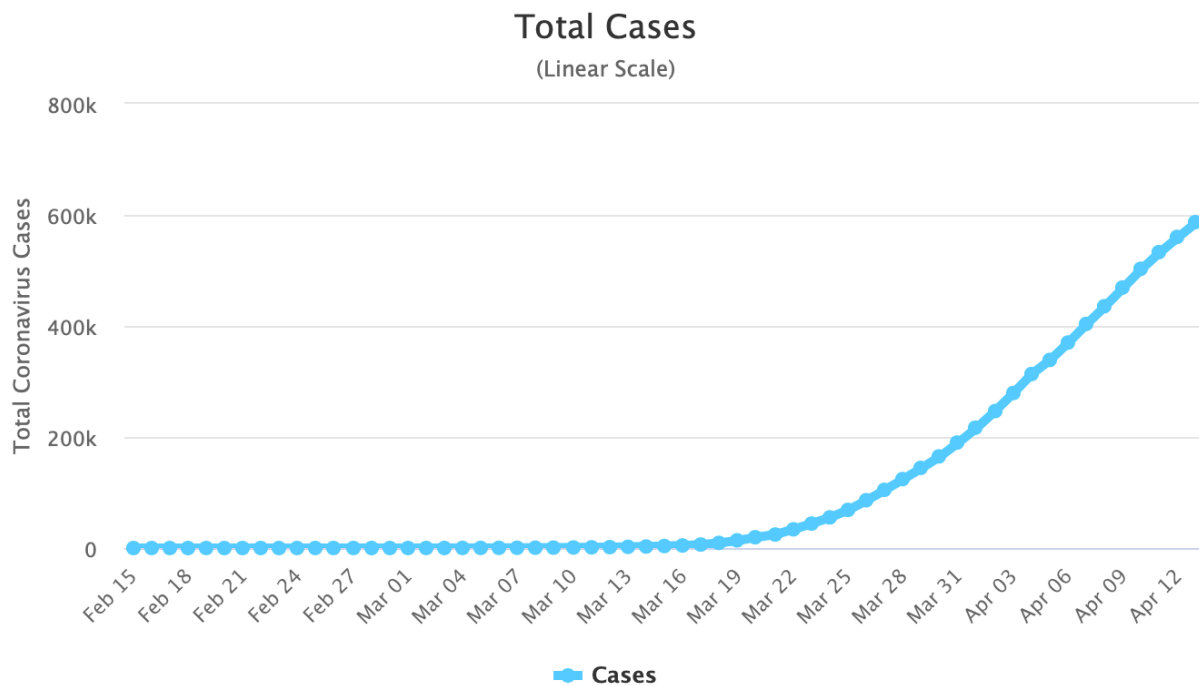
## Daily New Cases in China



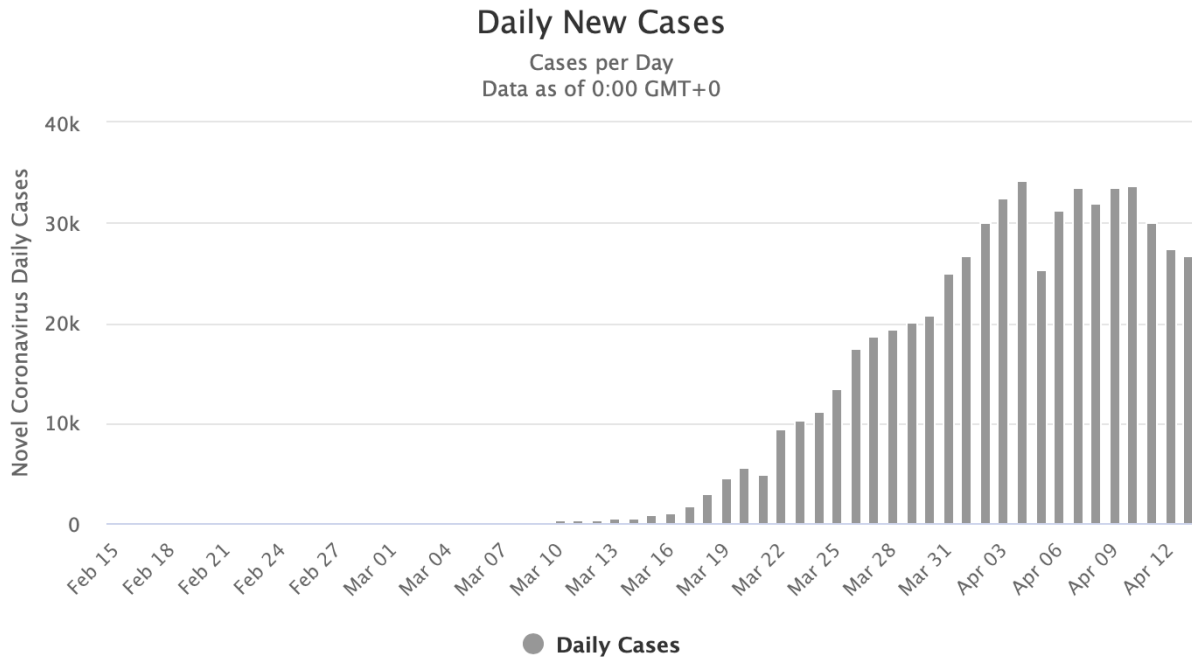
## Active Cases in China



## Total Coronavirus Cases in the United States



## Daily New Cases in the United States



## Active Cases in the United States

