## REPORT ON:

## THE MODULE EMBEDDING THEOREM VIA TOWERS OF ALGEBRAS

## List of minor comments.

- Example 3.8 :  $TLJ \to \mathcal{TLJ}$
- p.10, Example 2.10: what is  $\Phi$ ?
- (14): I was thinking of  $E_n$  rather than  $e_n$ . According to me  $E_n$  and  $p_n$  are more or less the same object (except maybe that  $E_n: L^2(M_n, Tr_n) \to L^2(M_{n-1}, Tr_{n-1}) \subset L^2(M_n, Tr_n)$  whereas  $p_n = i_{M_{n-1} \subset M_n} \circ E_n$  is an operator from  $L^2(M_n, Tr_n)$  to  $L^2(M_n, Tr_n)$ , where  $i_{M_{n-1} \subset M_n}$  is the inclusion of  $M_{n-1}$  into  $M_n$ ). In any case I guess anyone familiar with Jones basic construction understands your point.
- (15), (EP8): sorry, I skipped the fact that y was a central projection.
- (21): you are right, thank you for the clarification.
- p.32, proof of Lemma 4.5 : I don't think you defined the set C (is it the Pimsner-Popa basis of  $A_0 \subset A_1$ ?)