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clc clear

Variables

```
4x4 Matrix

Y = [3 1 2 0; 1 7 2 4; 2 2 4 0; 0 4 0 4];

j = [6.2 14.6 8.4 8.0].';
```

Calculations

```
[L, U] = crout_factorization(Y);
result_matrix = L * U; % To compare with Y
eta = forward_substitution(L, j);
v = backward_substitution(U, eta);
proof = result_matrix*v; % Should be the same as j
proof
j
```

Functions

```
function [L, U] = crout factorization(A)
    % Preallocate Matrix size
   [N, \sim] = size(A);
   L = zeros(size(A));
   U = zeros(size(A));
   L(:,1) = A(:,1); % Fill first column of L
   U(1,:) = A(1,:) / L(1,1); % Fill first row of U
   for l = 1:N
       U(1,1) = 1; % Fill diagonal U elements
   end
   for j = 2:N % Fill non-zero elements per row/column
        for i = j:N % Fill L elements vertically
           L(i, j) = A(i, j) - dot(L(i, 1:j-1), U(1:j-1, j));
        for i = j+1:N % Fill U elements horizontally
            U(j, i) = (A(j, i) - dot(L(j, 1:j-1), U(1:j-1, i))) \dots
                        / L(j, j);
       end
```

```
end
end
function eta = forward_substitution(L, j)
    [N, \sim] = size(L);
    eta = j; % replace output with j
    for i = 1:N % Loop forwards
        eta(i) = eta(i) / L(i, i);
        for k = i+1:N
            eta(k) = eta(k) - L(k, i) * eta(i);
        end
    end
end
function v = backward_substitution(U, eta)
    [N, \sim] = size(U);
    v = eta; % replace output with eta
    for i = N-1:-1:1 % Loop backwards
        for k = i+1:N
            v(i) = v(i) - U(i, k) * v(k);
        end
    end
end
proof =
    6.2000
   14.6000
    8.4000
    8.0000
j =
    6.2000
   14.6000
    8.4000
    8.0000
```

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