$$C \rightarrow CDE[\mathcal{C}]$$

$$C \rightarrow CDE[\mathcal{C}]$$

$$D \Rightarrow ab|A|B$$

$$D \text{ remove } \mathcal{C}\text{-productions};$$

$$So \rightarrow S|\mathcal{C}$$

$$S \rightarrow aAa|bBb$$

$$So \rightarrow S|\mathcal{C}$$

$$A \rightarrow a|C|\mathcal{C} \Rightarrow S \Rightarrow aa|bb|aAa|bBb \Rightarrow S \rightarrow aa|bb|aAa|bBb$$

$$B \rightarrow b|C|\mathcal{C}$$

$$A \rightarrow a|\mathcal{C}|\mathcal{C}$$

$$B \rightarrow b|\mathcal{C}$$

$$C \rightarrow \mathcal{C}$$

$$B \rightarrow b|\mathcal{C}$$

$$B \rightarrow b|\mathcal{C}$$

$$B \rightarrow aa|bb|aAa|bBb|\mathcal{C}$$

$$So \rightarrow aa|bb|aAa|bBb|\mathcal{C}$$

$$So \rightarrow aa|bb|aAa|bBb|\mathcal{C}$$

$$S \rightarrow aa|bb|aAa|bBb|\mathcal{C}$$

$$S \rightarrow aa|bb|aAa|bBb|\mathcal{C}$$

$$A \rightarrow a$$

E is useless since it cannot

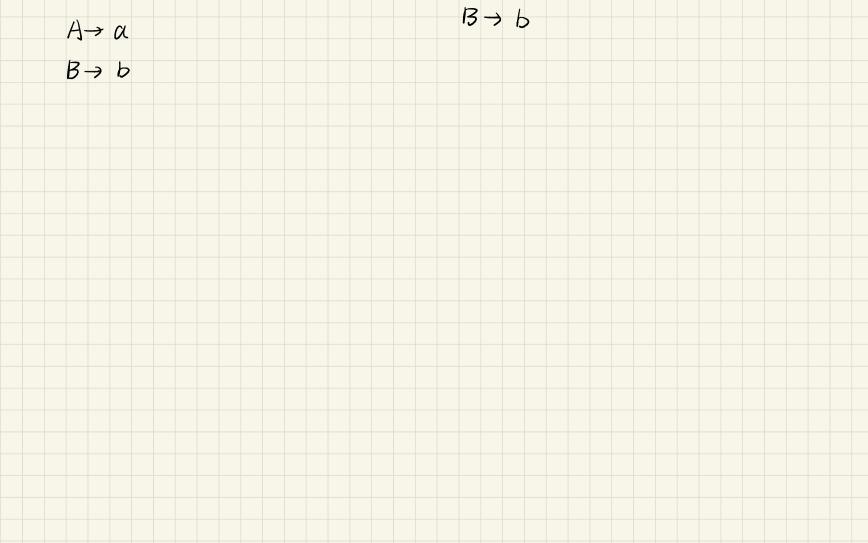
derive non-terminals

S-aAa | bBb | &

A>a|C

B → b | C

1. So>S



$$(0,1)^{k} 0 (0,1)^{k}$$

$$0/1, \varepsilon \rightarrow \alpha$$

$$\varepsilon, \varepsilon \rightarrow \phi$$

$$0/1, \varepsilon \rightarrow \alpha$$

$$0/1, \varepsilon \rightarrow \alpha$$

$$0/1, \varepsilon \rightarrow \alpha$$

$$0/1, \varepsilon \rightarrow \varphi$$

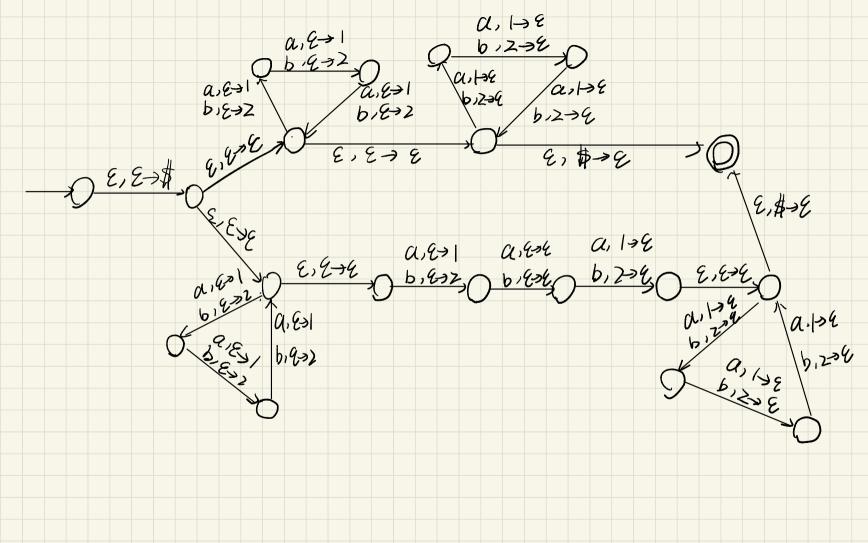
$$0, \varepsilon \rightarrow \varepsilon$$

$$\varepsilon, \psi \rightarrow \varphi$$

$$0 \rightarrow \varphi$$

2.9.

2.4.(d):



€, F+a; (, (+€; ),)>€; x, x>2; +,+>2; E,E>7; E,T>F; a, a, ह.