

INTERNATIONAL UNIVERSITY
VIETNAM NATIONAL UNIVERSITY, HCM CITY

School of Computer Science & Engineering



PROJECT

Lecturer: Dr Vi Chi Thanh

Course: Algorithms & Data Structures

Members:

Huỳnh Trúc Quyên

ITDSIU19051

Table of Contents

I.	Introduction.....	3
1)	Background.....	3
2)	Game rule	3
II.	Method.....	5
1)	Game play.....	5
2)	Minimax with Alpha-Beta pruning	6
a.	Minimax	6
b.	Searching with Alpha-Beta pruning	7
3)	Heuristic.....	7
a.	Mobility	8
b.	Stability.....	8
c.	Corners Captured.....	8
4)	UML	9
III.	Demo.....	10
IV.	References	13
V.	Contribution.....	13

Table of Figures

Figure 1	3
Figure 2. (Black to move, the icon is one possible move for black).....	4
Figure 3.	4
Figure 4	4
Figure 5 UML diagram	9
Figure 6. Main Menu Page.....	10
Figure 7. Rule Page.....	11
Figure 8. Option Page	11
Figure 9. Player Names Page	12
Figure 10. Player vs Player	12
Figure 11. Player vs BOT	13

I. Introduction

This semester I constructed a game project to evaluate the understanding of Algorithms and Data Structures. The project is a remake of the popular chess game Othello. This is a hard project, and it allows us to gain and enhance my DSA knowledge, including coding styles, design patterns, and methodologies. The project is written in Java. I shall present my project in depth in this report, including the approaches and algorithms employed throughout development.

Here is my github: https://github.com/huynhtrucquyen/DSA_OTHELLO_Game.git

Here is the video of my presentation: [DSA Project OTHELLO GAME.mp4](#)

1) Background

Othello, also known as Othello, is a two-player game that has been enjoyed by people of all ages for decades. In this project, I used Java to implement the Minimax algorithm, a commonly used technique for turn-based zero-sum games. I incorporated Alpha-Beta pruning, a heuristic that often goes with the Minimax algorithm to further reduce the time complexity, allowing the bot to consider and analyze more potential moves ahead of time.

2) Game rule

Othello is played on an 8x8 board with black discs and white discs for the black side and white side. Initially, 2 blacks and 2 whites arranged diagonally. Two players alternatively play turn by turn with black going first.

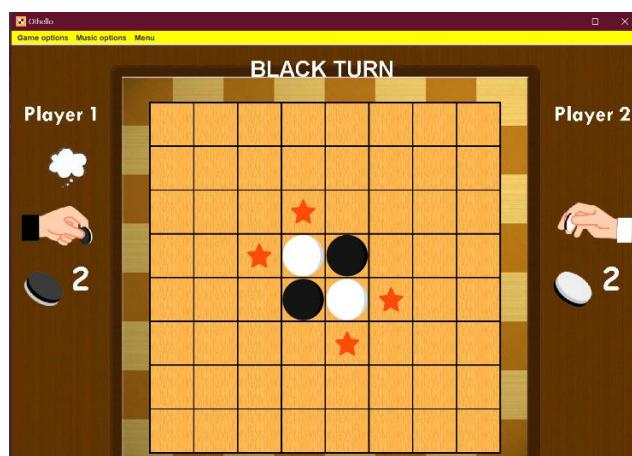


Figure 1

On each turn, the player must make a valid move. Valid move must flip at least one opponent's color.

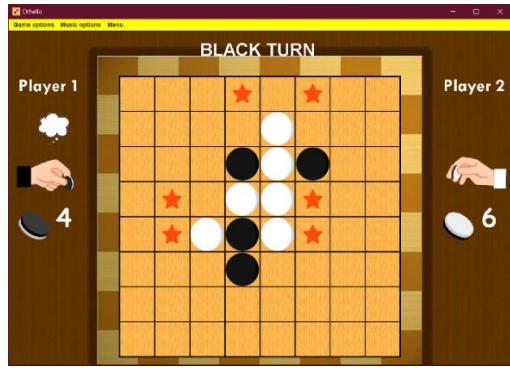


Figure 2. (Black to move, the icon is one possible move for black)

Piece is flipped when bounded by a new piece and another of the current player's color in a straight line (vertical, horizontal, diagonal).



Figure 3.

The game ends when the board has no valid moves. In the end, whoever has more pieces wins. The game is a tie when both 2 players have equal moves.

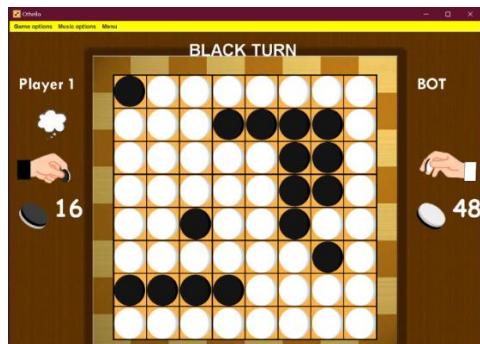


Figure 4

II. Method

1) Game play

The "checkPossibleMove" method in the "GamePlay" class is used to determine the possible moves for a player in a game.

It takes two parameters:

- 'check': a 2D array representing the current state of the game board, where each element indicates the player who occupies that position (-1 for empty, 1 for player 1, 2 for player 2).
- 'player': an integer representing the current player (1 for player 1, 2 for player 2).

The function initializes an empty list `arrPossibleMove` to store the possible moves. It then creates a 2D array `possible` to represent the possibility of each position on the board for the current player to make a move.

It creates another 2D array `arr` of type `cond` (a custom class) to store additional information about the cells on the board. Each element of `arr` contains four properties: *arri,j.horizontal*, *arri,j.vertical*, *arri,j.leftDiagonal*, *arri,j.rigthDiagonal*.

The function iterates through the cells of the game board, starting from the top left corner and moving downwards and to the right.

If the cell is white, the `horizontal` property of the current cell is set to the same value as the `horizontal` property of the previous cell in the same row. Similarly, the `vertical` property is set to the `vertical` property of the cell above it. The `leftDiagonal` property is set to the `leftDiagonal` property of the cell diagonally above and to the left, and the `rightDiagonal` property is set to the `rightDiagonal` property of the cell diagonally above and to the right.

$$arri,j . horizontal = arri,j-1 . horizontal$$

$$arri,j . vertical = arri-1,j . vertical$$

$$arri,j . leftDiagonal = arri-1,j-1.leftDiagonal$$

$$arri,j . rightDiagonal = arri-1,j+1. rightDiagonal$$

If the cell is black, the `horizontal`, `vertical`, `leftDiagonal`, and `rightDiagonal` properties of the current cell are set to the same values as the corresponding properties of the current cell. In other words, the current cell is marked as a black cell, and all its properties indicate that there is no consecutive cell with a different value to the left in any direction.

$arr[i,j].rightDiagonal = arr[i,j].leftDiagonal = arr[i,j].vertical = arr[i,j].horizontal = white$

If the cell is empty, additional checks are performed. If the property `rightDiagonal` of the cell diagonally above and to the right is `true`, and the cell diagonally above and to the right is white ($cell[i-1][j+1]$ is white), or if the property `leftDiagonal` of the cell diagonally above and to the left is `true`, and the cell diagonally above and to the left is white ($cell[i-1][j-1]$ is white), or if the property `horizontal` of the cell to the left is `true`, and the cell to the left is white ($cell[i][j-1]$ is white), or if the property `vertical` of the cell above is `true`, and the cell above is white ($cell[i-1][j]$ is white), then the current cell is marked as a possible move.

$arr[i-1,j+1].rightDiagonal = black \wedge check[i-1,j+1] = white$

$arr[i-1,j-1].leftDiagonal = black \wedge check[i-1,j-1] = white$

$arr[i,j-1].horizontal = black \wedge check[i,j-1] = white$

$arr[i-1,j].vertical = black \wedge check[i-1,j] = white$

Finally, the function iterates through the `possible` array and adds the coordinates of the possible moves to the `arrPossibleMove` list.

2) Minimax with Alpha-Beta pruning

a. Minimax

The Minimax algorithm is a widely used technique in the field of game theory that is often applied to turn-based zero-sum games. It works by imagining all the possible future moves that both players can make and then choosing the move that is most likely to lead to a win by using the depth-first search. In the zero-sum game, the gain of one player is equivalent to the loss of the other player, meaning that the sum of the players' gains and losses is always zero. The goal of the algorithm is to minimize the maximum possible loss or maximize the minimum possible gain, depending on the player's perspective. This means that the player will always choose the best move based on the assumption that their opponent is making optimal moves as well. c ccc

To make things simple, assume that one player has A score, and the other has B score. To know who is winning, just consider the value of $S = A - B$. If $S > 0$ that means A wins, $S < 0$ means B wins, and $S = 0$ is a draw. So player A will try to maximize the value of S, while player B expects to minimize the value of S.

b. Searching with Alpha-Beta pruning

This project improves upon previous work by incorporating the Alpha-Beta pruning technique to reduce the time complexity of the algorithm so that the bot can imagine and analyze further moves and various scenarios that can arise. It works by cutting off the evaluation of parts of the tree that are unlikely to lead to a better outcome, thus reducing the computation time. The algorithm maintains two values, alpha and beta, which represent the maximum score for the max player.

3) Heuristic

In terms of Minimax search, we can imagine the algorithm will search in the graph, where each node is a state of the game, and edges are the transition move.

During the Minimax search, when visiting a leave node, the heuristic function is used to evaluate the utility values at the leave. In the previous work, I created a static board of weights associated with each coin position as shown in the below table:

4	-3	2	2	2	2	-3	4
-3	-4	-1	-1	-1	-1	-4	-3
2	-1	1	0	0	1	-1	2
2	-1	1	1	1	1	-1	2
2	-1	0	1	1	0	-1	2
2	-1	1	0	0	1	-1	2
-3	-4	-1	-1	-1	-1	-4	-3
4	-3	2	2	2	2	-3	4

The main weakness of this static board heuristic is due to its lack of ability to dynamically change weights to represent the current state of the game. In this project, I proposed a heuristic that can adapt the weights depending on different situations.

My approach uses 3 criteria to evaluate the utility values of the board state: **Mobility**, **Stability**, **Corners Captured**.

The final utility value is the linear combination of each criterion. Each of these criteria is assigned a weight based on its importance.

a. Mobility

Mobility is the number of available moves a player has, having more moves means more opportunities to capture the opponent's pieces, it can be considered as an indicator of the ability to control the board.

A natural tactic is to restrict the opponent's mobility while increasing the player's own mobility. By doing so, the player can gain more options and flexibility in their gameplay, while limiting their opponent's options and forcing them into unfavorable positions.

b. Stability

The stability of pieces is a crucial aspect in the game of Othello, as it determines how difficult a piece is to be flipped by the opponent. To evaluate the stability of a piece, we examine each row, column, and diagonal to check if both ends of the line are either occupied by our own piece or an empty square. If so, the piece is considered stable in that direction. By capturing stable pieces, we can limit the opponent's moves and expand our own options on the board. This heuristic is particularly significant in the early stages of the game, as controlling more stable pieces early on provides more beneficial options in the long run, resulting in increased mobility in the late game.

c. Corners Captured

The corners in Othello are the four squares located at a1, a8, h1, and h8. These squares hold significant importance as once they are captured, they cannot be taken by the opponent, making them the most stable coins in the game. To ensure that the bot prioritizes capturing these corners, we employ the use of the static board shown above, where each weight assigned to a position indicates the likelihood of capturing a corner if we capture that particular position.

Finally, the utility value is calculated by the linear combination of each heuristic as follow:

$$\text{Score} = \text{Corners Captured} + 5 * \text{Mobility} + 10 * \text{Stability}$$

The Stability value has most significant weighted, according to my observation that who controls the stability can easily control all other aspects of the game.

4) UML diagram

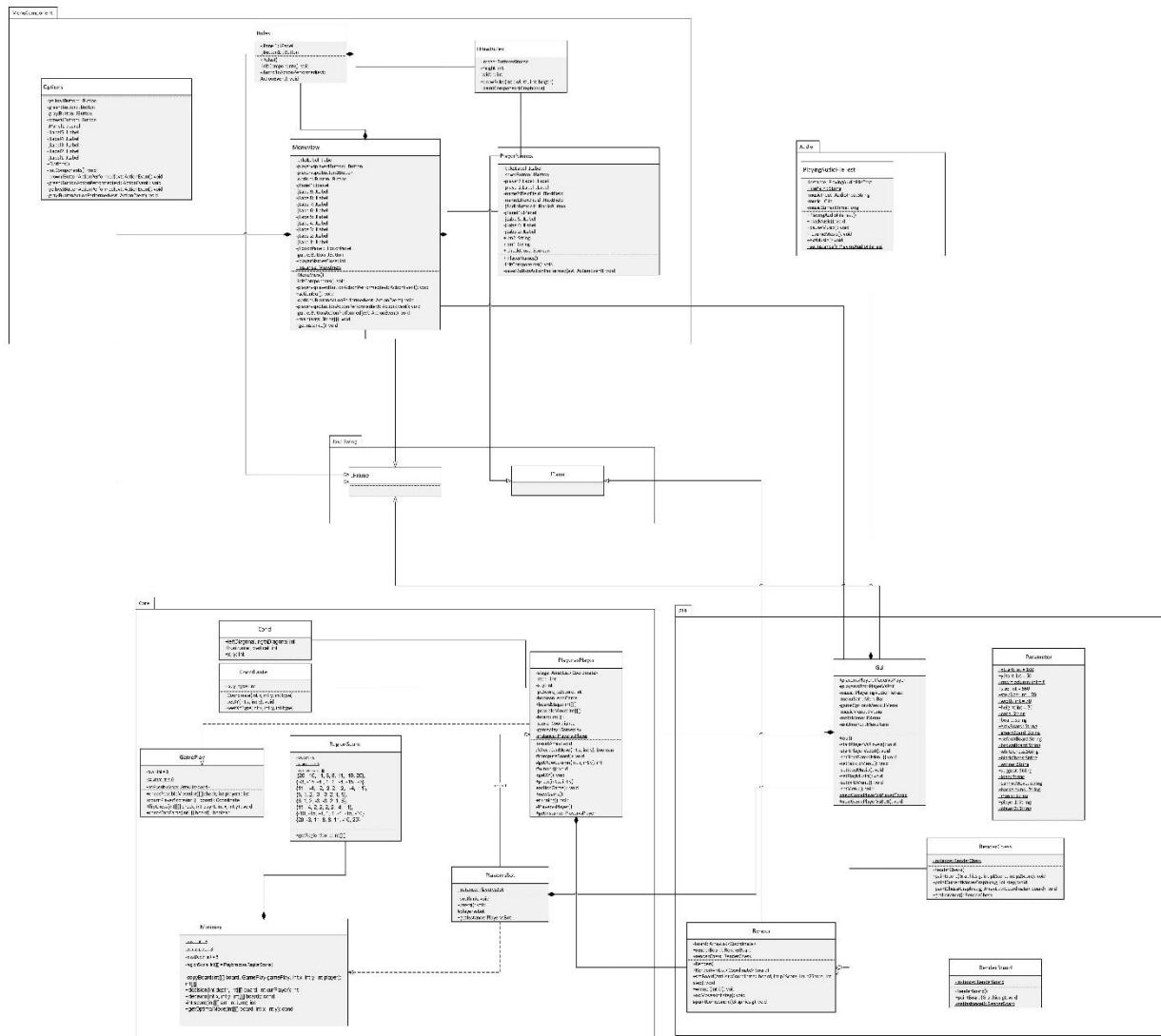


Figure 5 UML diagram

III. Demo

The Main Menu page contain four options: Player vs Player, Player vs BOT, Options, How to play?.

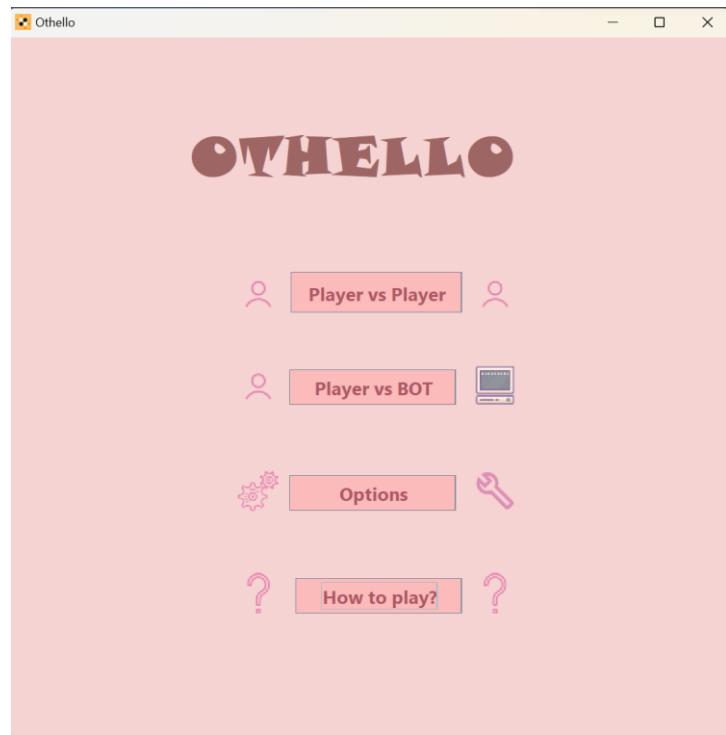


Figure 6. Main Menu Page

In the Rule page, it contains the detail Othello rules.

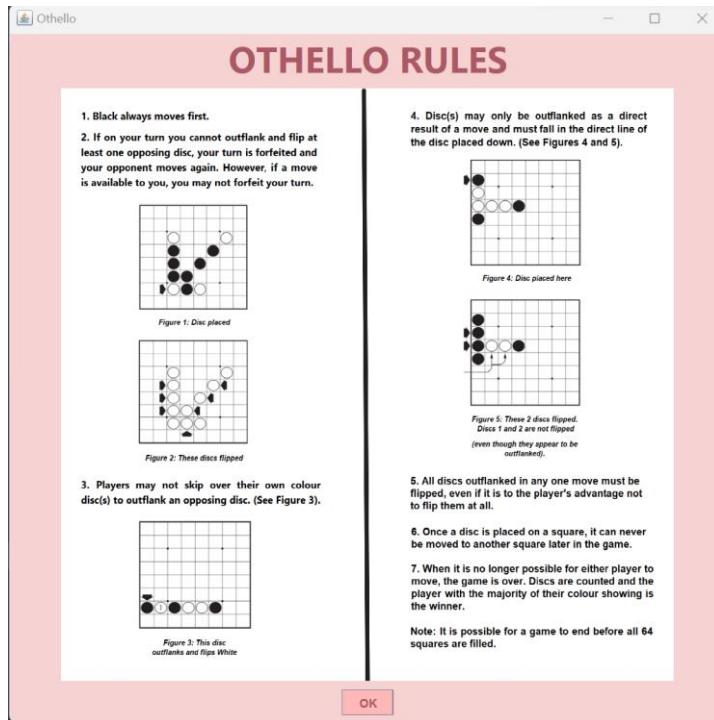


Figure 7. Rule Page

In the Options Page, have four options for table's background.

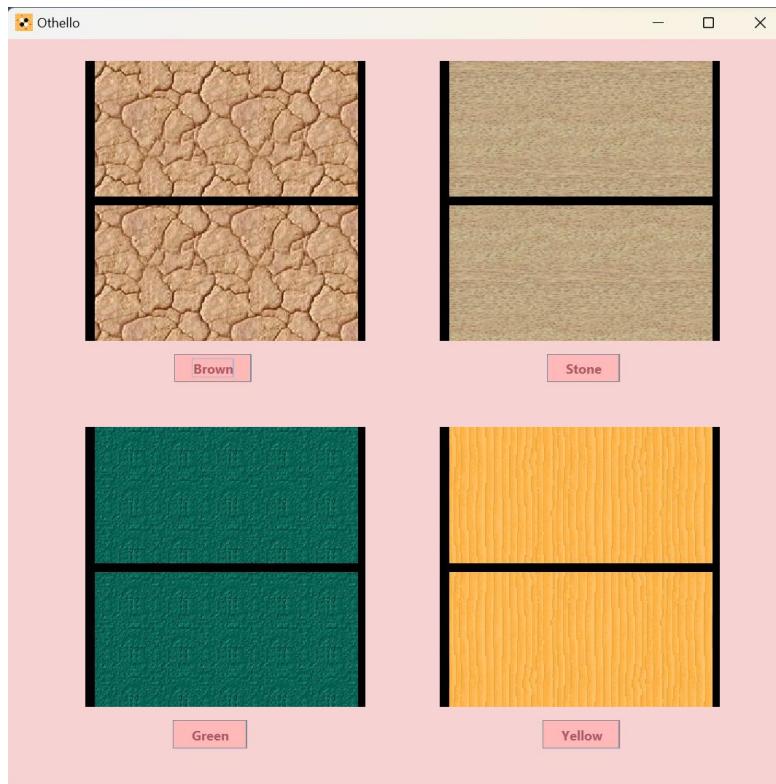


Figure 8. Option Page

In the Player Names Page, the player save their name to play game.



Figure 9. Player Names Page

There are two modes game, one is player against player.



Figure 10. Player vs Player

The other is player against BOT.

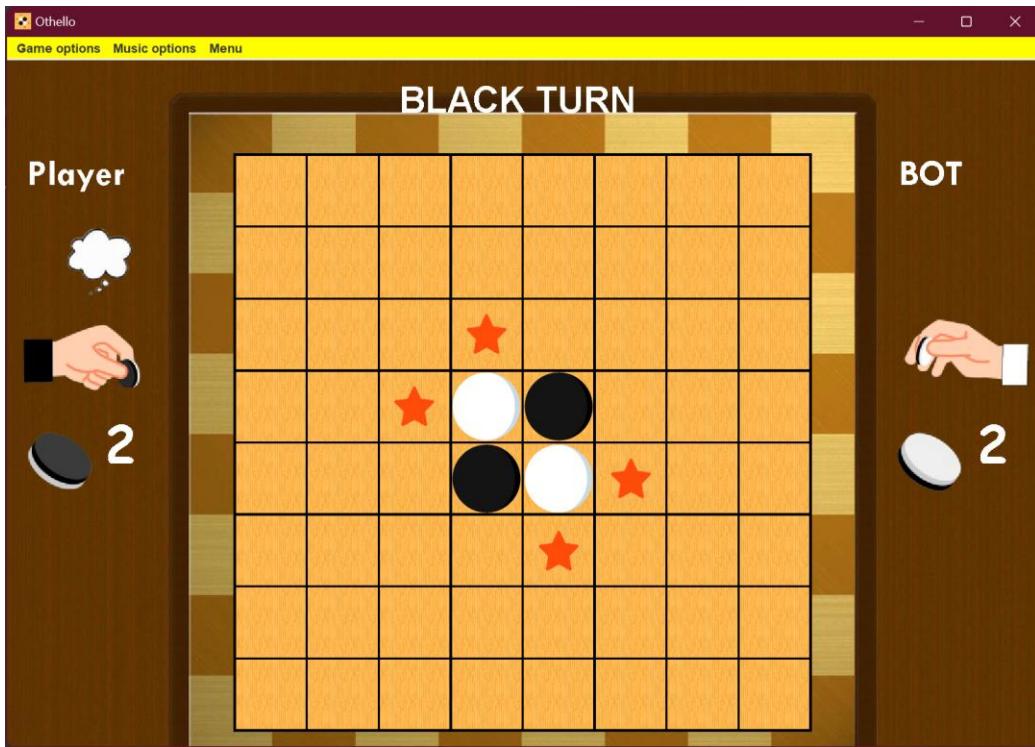


Figure 11. Player vs BOT

IV. References

In the project, the algorithm minimax is implemented based on this paper: An Analysis of Heuristics in Othello

V. Contribution

Member Name	ID	Task	Percentage
Huỳnh Trúc Quyên	ITDSIU19051	Algorithm for Bot making decision and Game play, GUI	100%