

# I. Complete and complement

Difficulty: Hard

Time: 2 s

Memory: 1024 MB

by bucketpotato

You are given an undirected **disconnected** graph  $G_1$  with  $n$  vertices. You can perform the following two operations on  $G_1$ :

1. Pick distinct vertices  $x, y, z$ , such that the edges  $(x, y)$  and  $(y, z)$  are in the graph, but  $(x, z)$  is not in the graph. Then, add the edge  $(x, z)$  to the graph.
2. For all pairs of distinct vertices  $x, y$ : if the edge  $(x, y)$  is in the graph, then remove it from the graph. Otherwise, add it to the graph.

Now you are given a second graph  $G_2$  with the same vertex set. Transform  $G_1$  into  $G_2$  using at most  $n^2$  operations or say it's impossible.

## Input

Input consists of multiple tests. The first line contains  $t$  ( $1 \leq t \leq 250$ ), the number of tests.

The first line of each test contains  $n$  ( $2 \leq n \leq 10^3$ ), the number of vertices in  $G_1$  and  $G_2$ .

The next  $n$  lines each contain strings of length  $n$ , consisting of "0"s and "1"s, which describe  $G_1$ . The  $j$ -th character of the  $i$ -th string (denoted  $s_{i,j}$ ) is "1" if there is an edge between vertex  $i$  and vertex  $j$ , and is "0" otherwise.

The next  $n$  lines each contain strings of length  $n$ , describing  $G_2$  in the same format as  $G_1$ .

It is guaranteed that for both graphs, and for all  $1 \leq i, j \leq n$ , that  $s_{i,j} = s_{j,i}$  and  $s_{i,i} = 0$ .

**It is guaranteed that  $G_1$  is disconnected.** It is **NOT** guaranteed that  $G_2$  is disconnected.

It is guaranteed that the sum of  $n$  across all tests does not exceed  $10^3$ .

## Output

For each test, if the goal is impossible, output  $-1$ .

Otherwise, on the first line, output  $k$  ( $0 \leq k \leq n^2$ ), the number of operations you perform.

On the following  $k$  lines: first output an integer  $1 \leq \text{type} \leq 2$  denoting the type of move you wish to perform.

If  $\text{type} = 1$ , then you should also output 3 distinct integers  $1 \leq x, y, z \leq n$  such that edges  $(x, y)$  and  $(y, z)$  exist in the graph, but  $(x, z)$  does not. **Note that the order in which you output these numbers matters.**

If there are multiple possible answers using at most  $n^2$  moves, you can output any. You do not need to minimize the number of moves. It can be shown that if there exists a way to transform  $G_1$  into  $G_2$ , there is a way using at most  $n^2$  moves.

## Sample 1

Input

```
2
2
00
00
01
10
2
00
00
00
00
```

Output

```
1
2
2
2
2
```

Explanation

We start with a graph with 2 vertices and no edges.

- In the first test,  $G_2$  is the complement of  $G_1$ , so we just need to apply operation 2 once.
- In the second test,  $G_2$  is already equal to  $G_1$ , so we don't need to apply any operations. But we don't need to minimize the number of operations, so it's fine if we perform operation 2 twice.

**Sample 2**

Input

```

2
4
0100
1000
0001
0010
0111
1011
1101
1110
4
0100
1000
0001
0010
0100
1010
0101
0010

```

Output

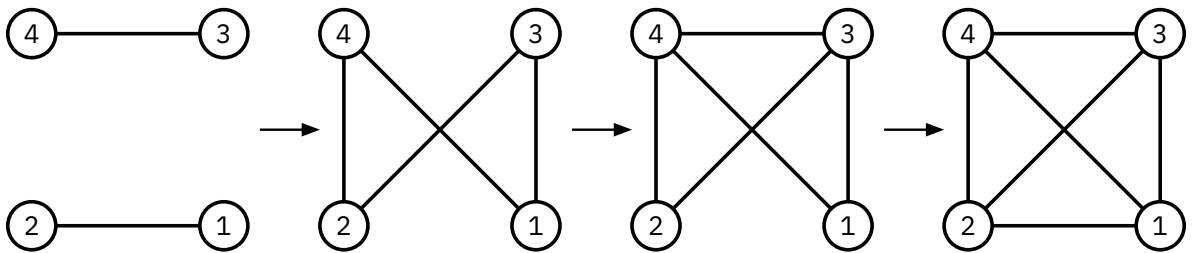
```

3
2
1 4 1 3
1 2 4 1
-1

```

Explanation

In the first test, the sequence of operations performed looks like this:



In the second test, we can show there is no answer.