

MOST BASED TEMPLATE EVER

By KawakiMeido



```
1  /*
2   | Centroid Decomposition |
3   Desc: Technique for path queries. Takes O(n*log(n)) to build.
4   Source: KawakiMeido
5   State: Untested lmao
6 */
7
8 int sz[N];
9 int vis[N];
10
11 int findSize(int u, int p=0){
12     sz[u] = 1;
13     for (auto v:adj[u]){
14         if (vis[v] || v==p) continue;
15         sz[u] += findSize(v,u);
16     }
17     return sz[u];
18 }
19
20 int findCentroid(int u, int n, int p=0){
21     for (auto v:adj[u]){
22         if (vis[v] || v==p) continue;
23         if (sz[v]>n/2) return findCentroid(v,n,u);
24     }
25     return u;
26 }
27
28 void dfsCentroid(int u, int p, int depth=1){
29     for (auto v:adj[u]){
30         if (vis[v] || v==p) continue;
31         dfsCentroid(v,u,depth+1);
32     }
33 }
34
35 void buildCentroid(int s){
36     findSize(s);
37     int u = findCentroid(s,sz[s]);
38     vis[u] = true;
39
40     for (auto v:adj[u]){
41         if (vis[v]) continue;
42         dfsCentroid(v,u);
43     }
44
45     for (auto v:adj[u]){
46         if (vis[v]) continue;
47         buildCentroid(v);
48     }
49 }
```

```

1  /*
2   | Convex Hull Trick |
3   Desc: DP opt for problems involving linear functions.
4   Source: KawakiMeido
5   State: Untested lmao
6 */
7
8 struct Line{
9     int m,n;
10
11    Line(int _m=0, int _n=0): m(_m), n(_n){};
12
13    int operator()(const int& x) const { return m*x+n; };
14
15    friend ld intersect (Line a, Line b) {
16        return (ld)(b.n-a.n)/(ld)(a.m-b.m);
17    };
18};
19
20 struct LineContainer{
21     deque<Line> dq;
22
23     void add(Line line){
24         while ((int)dq.size()>1 && intersect(dq[dq.size()-1],dq[dq.size()-2]) >
25             intersect(dq[dq.size()-1],line)){
26             dq.pop_back();
27         }
28         dq.push_back(line);
29     }
30
31     int getLine(int x){
32         int ans = 0, l=1, r=dq.size()-1;
33         while (l≤r){
34             int mid = (l+r)/2;
35             if (intersect(dq[mid],dq[mid-1]) ≤ x){
36                 ans = mid;
37                 l = mid+1;
38             }
39             else r = mid-1;
40         }
41         return ans;
42     }
43
44     int getVal(int x){
45         int idx = getLine(x);
46         return dq[idx](x);
47     }
48 } CHT;

```

```
1  /*
2   | Combinatorics |
3   Desc: Library for BinPow, InvMod, and Binomial Coefficient
4   Source: KawakiMeido
5   State: Untested lmao
6 */
7
8  namespace Comb {
9      using ll = long long;
10
11     const int MD = 1e9+7;
12     const int N = 2e5;
13     const int LG = 30;
14
15     int fac[N+1];
16
17     int binPow(int a, int b){
18         ll res = 1;
19         for (int lg = LG-1; lg ≥ 0; lg--){
20             res = res*res%MD;
21             if ((1LL<<lg)&b) res = res*a%MD;
22         }
23         return res;
24     }
25
26     int invMod(int x, int MD){
27         return binPow(x,MD-2);
28     }
29
30     int nCr(int n, int k){
31         return 1LL*fac[n]*invMod(fac[k],MD)%MD*invMod(fac[n-k],MD)%MD;
32     }
33
34     struct Init {
35         Init() {
36             fac[0] = 1;
37             for (int i = 1; i ≤ N; i++){
38                 fac[i] = (int)(1LL*fac[i-1]*i%MD);
39             }
40         }
41     } __attribute__((__constructor__));
42 }
```

```
1  /*
2   | Dijkstra |
3   Desc: Single-source shortest path in  $O(n \log n)$ 
4   Source: KawakiMeido
5   State: Untested lmao
6 */
7
8 void dijkstra(int s, int dist[]){
9     for (int i=1; i≤n; i++){
10         dist[i] = INF;
11     }
12     priority_queue<pii, vector<pii>, greater<pii>> pq;
13     dist[s] = 0;
14     pq.push({0,s});
15     while (!pq.empty()){
16         int u = pq.top().se;
17         int d = pq.top().fi;
18         pq.pop();
19
20         if (d > dist[u]) continue;
21
22         for (auto in:a[u]){
23             int v = in.fi;
24             int delta = in.se;
25             if (dist[v] > d+delta){
26                 dist[v] = d+delta;
27                 pq.push({d+delta,v});
28             }
29         }
30     }
31 }
```

```

1  /*
2   | Dinitz's Max Flow algorithm |
3   Desc: Calculating Max flow in  $O(V^2 \cdot E)$ .
4   Source: KawakiMeido
5   State: Untested lmao (But that one problem in ECNA practice works sooooo
6 */
7
8  struct Node{
9      int u,v,flow,cap;
10     Node(int _u, int _v, int _cap): u(_u), v(_v), cap(_cap){
11         flow = 0;
12     }
13 };
14
15 int s,t,edgecnt;
16 vector<Node> edge;
17 vector<int> adj[N];
18 int level[N],ptr[N];
19
20 void AddEdge(int u, int v, int cap){
21     edge.emplace_back(u,v,cap);
22     edge.emplace_back(v,u,0);
23     adj[u].push_back(edgecnt);
24     adj[v].push_back(edgecnt+1);
25     edgecnt+=2;
26 }
27
28 bool BFS(){
29     queue<int> q;
30     memset(level,-1,sizeof(level));
31     level[s] = 0;
32     q.push(0);
33
34     while (!q.empty()){
35         int u = q.front();
36         q.pop();
37
38         for (auto id:adj[u]){
39             int v = edge[id].v;
40             if (level[v] == -1 && edge[id].flow!=edge[id].cap){
41                 level[v] = level[u]+1;
42                 q.push(v);
43             }
44         }
45     }
46
47     return (level[t]!=-1);
48 }
49

```

```
50 int DFS(int u, int pushed){
51     if (pushed == 0) return 0;
52     if (u==t) return pushed;
53
54     int res = 0;
55
56     for (int &pos = ptr[u]; pos<(int)adj[u].size(); pos++){
57         int id = adj[u][pos];
58         int v = edge[id].v;
59         if (level[v] == level[u]+1 && edge[id].flow!=edge[id].cap){
60             if ((res = DFS(v,min(pushed,edge[id].cap-edge[id].flow)))){
61                 edge[id].flow+=res;
62                 edge[id^1].flow-=res;
63                 return res;
64             }
65         }
66     }
67
68     return 0;
69 }
70
71 int Dinitz(){
72     int max_flow = 0;
73     while (BFS()){
74         memset(ptr,0,sizeof(ptr));
75         int flow;
76         while ((flow = DFS(s,INF))){
77             max_flow+=flow;
78         }
79     }
80     return max_flow;
81 }
```

```

1  /*
2   | Divide & Conquer DP Optimization |
3   Desc: Optimizing DP transitions in the form of
4
5       dp[i][j] = min(dp[i-1][k-1] + C(k,j)) for (0 ≤ k ≤ j)
6
7   where C(k,j) is a cost function.
8
9   lets define opt(i,j) be the value of k that optimize dp[i][j].
10  DnC ONLY APPLIES IF:
11
12      opt(i,j) ≤ opt(i,j+1)
13
14  One case of where this condition holds is when cost function C(k,j) satisfy
the Quadrangle Inequality:
15
16      C(a,c) + C(b,d) < C(a,d) + C(b,c) for a ≤ b ≤ c ≤ d. (Note that "<" indicates more optimal)
17
18  Runs in O(n*log(n)*C) with C is time to compute Cost function C(k,j)
19
20  Source: KawakiMeido
21  State: Untested lmao
22 */
23
24 void DnC (int k){
25     deque<pair<int,pair<pii,pii>>> dq;
26     int lvl = 0;
27     dq.push_back({1,{k,m},{k,m}});
28     while (!dq.empty()){
29         auto in = dq.front();
30         int curlvl = in.fi;
31         int l = in.se.fi.fi;
32         int r = in.se.fi.se;
33         int optl = in.se.se.fi;
34         int optr = in.se.se.se;
35         dq.pop_front();
36
37         if (curlvl≠lvl){
38             lvl = curlvl;
39             BIT.Init(m);
40         }
41
42         int mid = (l+r)/2;
43
44         pii best = {0,-INF};
45
46         for (int i = optl; i≤min(mid,optr); i++){
47             int sum = dpPrev[i-1] - precalc[mid][i-1] + precalc[mid][mid];

```

```
48
49         if (sum > best.se){
50             best.fi = i;
51             best.se = sum;
52         }
53     }
54     dp[mid] = best.second;
55     int opt = best.first;
56
57     if (l ≤ mid-1) dq.push_back({lvl+1, {{l, mid-1}, {optl, opt}}});
58     if (mid+1 ≤ r) dq.push_back({lvl+1, {{mid+1, r}, {opt, optr}}});
59 }
60 }
```

```
1  /*
2   | DP Digit |
3   Desc: A general framework for DP Digit
4   States would be DP[pos][k][over][under][start] where:
5     - pos: The digit position
6     - k: An arbitrary state related to the problem
7     - over: Whether the current num is guaranteed to be over lower bound
8     - under: Whether the current num is guaranteed to be under lower bound
9     - started: Whether the number has started (not full 0s)
10  Source: KawakiMeido
11  State: Untested lmao
12 */
13
14 int Call_DP(int pos, bool started, bool over, bool under){
15  if (pos == sz){
16    //Do something
17  }
18
19  if (dp[pos][started][over][under] != -1) return dp[pos][started][over]
20 [under];
21
22  for (int i=0; i<10; i++){
23    if (!over && i<digr) continue;
24    if (!under && i>digr) break;
25    //Do something
26  }
27  return dp[pos][started][over][under] = res;
28 }
```

```
1  /*
2   | Disjoint Set Union |
3   Desc: Maintaining disjoint set in  $O(n \alpha(n))$ .
4   Source: KawakiMeido
5   State: Untested lmao
6 */
7
8 //DSU
9 //
10
11 struct DSU{
12     int n;
13     vector<int> parent;
14
15     void Init(int _n){
16         n = _n;
17         parent.resize(n, 0);
18         for (int i=1; i≤n; i++){
19             parent[i] = i;
20         }
21     }
22
23     int Find(int x){
24         return (x == parent[x])? x : parent[x] = Find(parent[x]);
25     }
26
27     bool IsSame(int u, int v){
28         return (Find(u) == Find(v));
29     }
30
31     void Union(int u, int v){
32         int x = Find(u);
33         int y = Find(v);
34         if (x≠y){
35             parent[y] = x;
36         }
37     }
38 };
```

```
1  /*
2   | Extended Euclidean Algorithm |
3   Desc: Find a way to represent GCD in terms of a and b for which a*x + b*y =
4   gcd(a,b)
5   Source: KawakiMeido
6   State: Untested lmao
7 */
8 pll extend_euclid(ll a, ll b) {
9     if (b == 0) { return {1, 0}; }
10    pll p = extend_euclid(b, a % b);
11    return {p.se, p.fi - a / b * p.se};
12 }
```

```
1  /*
2   | Fenwick Tree |
3   Desc: Point update range query / Range update point query in O(n*log(n))
4   Source: KawakiMeido
5   State: Untested lmao
6 */
7
8 struct Fenwick{
9     vector<int> BIT;
10
11    Fenwick(int _n=0): n(_n){
12        BIT.resize(n+10);
13    }
14
15    void Init (int _n, int val=0){
16        BIT.resize(n+10,0);
17    }
18
19    void update(int idx, int val){
20        while (idx<=n){
21            BIT[idx]+=val;
22            idx+=(idx&(-idx));
23        }
24    }
25
26    int getPoint(int idx){
27        int res = 0;
28        while (idx>0){
29            res+=BIT[idx];
30            idx-=(idx&(-idx));
31        }
32        return res;
33    }
34
35    int getVal(int l, int r){
36        return (getPoint(r)-getPoint(l-1));
37    }
38 }
```

```
1  /*
2   | Hashing |
3   Desc: Hashing with base B and mod M.
4   Source: USACO Guide
5   State: Its USACO Guide
6 */
7
8 class HashedString {
9 private:
10    // change M and B if you want
11    static const long long M = 1e9 + 9; //882517247 //905798389 //854099959
12    static const long long B = 9973;
13
14    // pow[i] contains B^i % M
15    static vector<long long> pow;
16
17    // p_hash[i] is the hash of the first i characters of the given string
18    vector<long long> p_hash;
19
20 public:
21     HashedString(const string &s) : p_hash(s.size() + 1) {
22         while (pow.size() <= s.size()) { pow.push_back((pow.back() * B)
23 % M); }
24
25         p_hash[0] = 0;
26         for (int i = 0; i < s.size(); i++) {
27             p_hash[i + 1] = ((p_hash[i] * B) % M + s[i]) % M;
28         }
29
30         long long get_hash(int start, int end) {
31             long long raw_val = (p_hash[end + 1] - (p_hash[start] * pow[end
32 - start + 1]));
33             return (raw_val % M + M) % M;
34         }
35     };
36     vector<long long> HashedString::pow = {1};
```

```

1  /*
2   | Heavy Light Decomposition |
3   Desc: BEST TECHNIQUE EVER. Path queries in  $O(n \log^2 n)$  with Segment Tree.
4   Source: KawakiMeido
5   State: Untested lmao
6 */
7
8 int curpos = 0;
9 int parent[N], sz[N], depth[N];
10 int root[N], pos[N];
11
12 void dfsHLD(int u, int p=0){
13     sz[u] = 1;
14     for (auto v:adj[u]){
15         if (v==p) continue;
16         parent[v] = u;
17         depth[v] = depth[u]+1;
18         dfsHLD(v,u);
19         sz[u] += sz[v];
20     }
21 }
22
23 void buildHLD(int u, int r){
24     pos[u] = ++curpos;
25     root[u] = r;
26
27     int nxt = 0;
28
29     for (auto v:adj[u]){
30         if (v==parent[u]) continue;
31         if (!nxt || sz[v]>sz[nxt]) nxt = v;
32     }
33
34     if (nxt){
35         buildHLD(nxt,r);
36     }
37
38     for (auto v:adj[u]){
39         if (v==parent[u] || v==nxt) continue;
40         buildHLD(v,v);
41     }
42 }
43
44 void updateHLD(int x){
45     int u = x;
46     while (root[u]!=1){
47         int v = parent[root[u]];
48
49         u = v;

```

```
50      }
51 }
```

```
1  /*
2   | Hopcroft-Karp algorithm |
3   Desc: Maximum Bipartite in O(E*sqrt(V))
4   Source: KawakiMeido
5   State: Untested lmao
6 */
7
8 int pairX[N],pairY[N],dist[N];
9 bool visX[N],visY[N];
10
11 bool BFS(){
12     memset(visX,0,sizeof(visX));
13     memset(visY,0,sizeof(visY));
14     queue<int> q;
15     for (int i=1; i≤n; i++){
16         if (pairX[i] == 0){
17             dist[i] = 0;
18             q.push(i);
19         }
20         else dist[i] = INF;
21     }
22     dist[0] = INF;
23     while (!q.empty()){
24         int x = q.front();
25         q.pop();
26
27         visX[x] = true;
28         for (auto y:adj[x]){
29             int v = pairY[y];
30             visY[y] = true;
31             if (dist[v]==INF){
32                 dist[v] = dist[x]+1;
33                 q.push(v);
34             }
35         }
36     }
37     return (dist[0]≠INF);
38 }
39
40 bool DFS(int u){
41     if (u == 0) return true;
42     for (auto y:adj[u]){
43         int v = pairY[y];
44         if (dist[v] == dist[u]+1 && DFS(v)){
45             pairX[u] = y;
46             pairY[y] = u;
47             return true;
48         }
49     }
}
```

```
50     dist[u] = INF;
51     return 0;
52 }
53
54 int Hopcroft_Karp(){
55     int matching = 0;
56     memset(pairX, 0, sizeof(pairX));
57     memset(pairY, 0, sizeof(pairY));
58     while (BFS()){
59         // cout << dist[0] << endl;
60         for (int i=1; i<=n; i++){
61             if (pairX[i] == 0 && DFS(i)){
62                 ++matching;
63             }
64         }
65     }
66     return matching;
67 }
```

```
1  /*
2   | Knuth-Morris-Pratt |
3   Desc: Single string matching in O(n)
4   Source: KawakiMeido
5   State: Untested lmao
6 */
7
8 pi[0] = 0;
9 for (int i=1; i<(int)s.size(); i++){
10    int cur = i;
11    while (cur!=0){
12        if (s[i]==s[pi[cur-1]]){
13            pi[i] = pi[cur-1]+1;
14            break;
15        }
16        cur = pi[cur-1];
17    }
18    if (cur == 0){
19        if (s[i] == s[0]) pi[i] = 1;
20        else pi[i] = 0;
21    }
22}
23
```

```
1  /*
2   | Segment Tree - Lazy Propagation |
3   Desc: Range Update Range Queries in O(n*log(n)).
4   Source: KawakiMeido
5   State: Untested lmao
6 */
7
8 struct LazySegmentTree{
9     struct Node{
10         int val;
11         Node(){
12             val = INF;
13         }
14     };
15
16     int n;
17     vector<Node> IT;
18     vector<int> lazy;
19
20     void add(int idx, int x){
21
22         //Update logic
23
24     }
25
26     void propagate(int idx){
27         add(idx*2,lazy[idx]);
28         add(idx*2+1,lazy[idx]);
29         lazy[idx] = 0;
30     }
31
32     Node comb(Node l, Node r){
33         if (l.val == INF) return r;
34         if (r.val == INF) return l;
35
36         Node i;
37
38         //Update logic
39
40         return i;
41     }
42
43     void build(int idx, int l, int r){
44         if (l==r){
45
46             //Update logic
47
48             return;
49         }
50     }
51 }
```

```
50
51     int mid = (l+r)/2;
52     build(idx*2,l,mid);
53     build(idx*2+1,mid+1,r);
54     IT[idx] = comb(IT[idx*2],IT[idx*2+1]);
55 }
56
57 void update(int idx, int l, int r, int x, int y, int val){
58     if (y < l || r < x) return;
59     if (x <= l && r <= y){
60         add(idx,val);
61         return;
62     }
63
64     propagate(idx);
65
66     int mid = (l+r)/2;
67     update(idx*2,l,mid,x,y,val);
68     update(idx*2+1,mid+1,r,x,y,val);
69     IT[idx] = comb(IT[idx*2],IT[idx*2+1]);
70 }
71
72 Node getNode(int idx, int l, int r, int x, int y){
73     if (y < l || r < x) return Node();
74     if (x <= l && r <= y){
75         return IT[idx];
76     }
77
78     propagate(idx);
79
80     int mid = (l+r)/2;
81     return comb(getNode(idx*2,l,mid,x,y),getNode(idx*2+1,mid+1,r,x,y));
82 }
83
84 void init(int _n){
85     n = _n;
86     IT.resize(n*4+10, Node());
87     lazy.resize(n*4+10, 0);
88     build(1,1,n);
89 }
90
91 };
92 }
```

```
1  /*
2   | Lowest Common Ancestor - Binary Lifting |
3   Desc: Finding LCA in O(n*log(n)). Can support additional path computations.
4   Source: KawakiMeido
5   State: Untested lmao
6 */
7
8 const int LG_LCA = 18
9
10 int up[LG_LCA][N];
11 int depth[N];
12
13 void dfsLCA(int u, int p=0){
14     depth[u] = depth[p]+1;
15     up[0][u] = p;
16     for (int lg=1; lg<LG_LCA; lg++){
17         int v = up[lg-1][u];
18         up[lg][u] = up[lg-1][v];
19     }
20     for (auto v:adj[u]){
21         if (v==p) continue;
22         dfsLCA(v,u);
23     }
24 }
25
26 int binLift(int u, int x){
27     for (int lg=0; lg<LG_LCA; lg++){
28         if ((1<<lg)&x) u = up[lg][u];
29     }
30     return u;
31 }
32
33 int getDist(int u, int v){
34     if (depth[u]>depth[v]) swap(u,v);
35     v = binLift(v,depth[v]-depth[u]);
36     if (u==v) return u;
37     for (int lg=LG_LCA-1; lg>=0; lg--){
38         if (up[lg][u]!=up[lg][v]){
39             u = up[lg][u];
40             v = up[lg][v];
41         }
42     }
43     return up[0][u];
44 }
```

```
1  /*
2   | Matrix Template |
3   Desc: Template for Matrix operations.
4   Source: KawakiMeido
5   State: Untested but new code
6 */
7
8 const int LG = 30;
9
10 struct Matrix{
11     int n,m;
12     vector<vector<int>> val;
13
14     Matrix(int _n=0, int _m=0){
15         n = _n;
16         m = _m;
17         val.resize(n, vector<int>(m,0));
18     }
19
20     friend Matrix mul (Matrix a, Matrix b){
21         if (a.m!=b.n) return Matrix();
22         Matrix res(a.n,b.m);
23         for (int i=0; i<a.n; i++){
24             for (int j=0; j<b.m; j++){
25                 for (int k=0; k<a.m; k++){
26                     res.val[i][j] = (res.val[i][j] + a.val[i][k]*b.val[k]
27 [j]%MD)%MD;
28                 }
29             }
30         }
31         return res;
32     }
33
34     Matrix matrixExp(Matrix a, int b){
35         Matrix res(a.n,a.n);
36         for (int i=0; i<a.n; i++){
37             res.val[i][i] = 1;
38         }
39         for (int lg=LG-1; lg≥0; lg--){
40             res = mul(res,res);
41             if ((1LL<<lg)&b) res = mul(res,a);
42         }
43         return res;
44     }
```

```

1  /*
2   | Monotone Chain |
3   Finding Convex Hull in  $O(n \log n)$ 
4   Source: USACO Guide
5   State: Idk its from USACO Guide
6 */
7
8 #include <bits/stdc++.h>
9 using namespace std;
10
11 using pii = pair<int, int>;
12
13 vector<pii> points;
14 vector<pii> hull;
15
16 // cross product, the signed area of these three points
17 int area(pii O, pii P, pii Q) {
18     return (P.first - O.first) * (Q.second - O.second) -
19             (P.second - O.second) * (Q.first - O.first);
20 }
21
22 void monotone_chain() {
23     // sort with respect to the x and y coordinates
24     sort(points.begin(), points.end());
25     // distinct the points
26     points.erase(unique(points.begin(), points.end()), points.end());
27     int n = points.size();
28
29     // 1 or 2 points are always in the convex hull
30     if (n < 3) {
31         hull = points;
32         return;
33     }
34
35     // lower hull
36     for (int i = 0; i < n; i++) {
37         // if with the new point points[i], a right turn will be formed,
38         // then we remove the last point in the hull and test further
39         while (hull.size() > 1 &&
40                 area(hull[hull.size() - 2], hull.back(), points[i]) <= 0)
41
42             hull.pop_back();
43         // otherwise, add the point to the hull
44         hull.push_back(points[i]);
45     }
46
47     // upper hull, following the same logic as the lower hull
48     auto lower_hull_length = hull.size();
49     for (int i = n - 2; i >= 0; i--) {

```

```
50          // we can only remove a point if there are still points left in
51          // the
52          // upper hull
53          while (hull.size() > lower_hull_length &&
54                  area(hull[hull.size() - 2], hull.back(), points[i]) ≤ 0)
55                  hull.pop_back();
56          hull.push_back(points[i]);
57      }
58      // delete point[0] that has been added twice
59      hull.pop_back();
60  }
61
62  int main() {
63      cin.tie(0)→sync_with_stdio(false);
64
65      int n;
66      cin >> n;
67      while (n ≠ 0) {
68          points.assign(n, {});
69          hull = {};
70          for (auto &p : points) cin >> p.first >> p.second;
71          monotone_chain();
72
73          cout << hull.size() << "\n";
74          for (auto &p : hull) cout << p.first << " " << p.second << "\n";
75
76          cin >> n;
77      }
78
79      return 0;
}
```

```

1  /*
2   | Point Class |
3   Desc: A generic point class with some helper funcs
4   Source: KawakiMeido
5   State: Untested and VERY buggy lmao
6 */
7
8 #define X real()
9 #define Y imag()
10
11 template <typename T>
12 class Point {
13 public:
14     static constexpr double EPS = 1e-6;
15
16     std::complex<T> p;
17
18     // Constructors
19     Point(T x = 0, T y = 0) : p(x, y) {}
20     explicit Point(const std::complex<T>& val) : p(val) {}
21
22     // Accessors
23     // T real() { return p.real(); }
24     T real() const { return p.real(); }
25     // T imag() { return p.imag(); }
26     T imag() const { return p.imag(); }
27
28     void setX(int x) {
29         p.real(x);
30     }
31
32     void setY(int y) {
33         p.imag(y);
34     }
35
36     // Comparisons
37     bool operator==(const Point& other) const {
38         if constexpr (std::is_floating_point_v<T>) {
39             return (std::abs(p.real() - other.p.real()) < EPS) &&
40                     (std::abs(p.imag() - other.p.imag()) < EPS);
41         } else {
42             return p == other.p;
43         }
44     }
45     bool operator!=(const Point& other) const { return !(*this == other); }
46
47     // Arithmetics
48     Point& operator+=(const Point& other) { p += other.p; return *this; }
49     Point& operator-=(const Point& other) { p -= other.p; return *this; }

```

```
50     friend Point operator+(Point a, const Point& b) { a += b; return a; }
51     friend Point operator-(Point a, const Point& b) { a -= b; return a; }
52
53     // Helper Functions
54     friend T dot(const Point& a, const Point& b)    { return (std::conj(a.p) *
55     b.p).real(); }
55     friend T cross(const Point& a, const Point& b) { return (std::conj(a.p) *
56     b.p).imag(); }
56     friend T sqdist(const Point& a, const Point& b){ return std::norm(a.p -
57     b.p); }
57     friend T dist(const Point& a, const Point& b)  { return std::abs(a.p - b.p);
58 }
58     friend long double angle(const Point& a, const Point& b) { return
59     std::arg(b.p - a.p); }
59     friend long double slope(const Point& a, const Point& b) { return
60     std::tan(std::arg(a.p - b.p)); }
60 };
```

```
1  /*
2   | Segment Tree |
3   Desc: Classic segment tree. Point Update Range Queries in O(n*log(n)).
4   Source: KawakiMeido
5   State: Untested lmao
6 */
7
8 struct SegmentTree{
9     struct Node{
10         int val;
11         Node(){
12             val = INF;
13         }
14     };
15
16     int n;
17     vector<Node> IT;
18
19     Node comb(Node l, Node r){
20         if (l.val == INF) return r;
21         if (r.val == INF) return l;
22
23         Node i;
24         //Update logic
25
26         return i;
27     }
28
29     void build(int idx, int l, int r){
30         if (l==r){
31             //Update logic
32             return;
33         }
34
35         int mid = (l+r)/2;
36         build(idx*2,l,mid);
37         build(idx*2+1,mid+1,r);
38         IT[idx] = comb(IT[idx*2],IT[idx*2+1]);
39     }
40
41     void update(int idx, int l, int r, int x, Node val){
42         if (r < x || x < l) return;
43         if (l==r){
44             //Update logic
45             return;
46         }
47         int mid = (l+r)/2;
48         update(idx*2,l,mid,x,val);
49         update(idx*2+1,mid+1,r,x,val);
```

```
50         IT[idx] = comb(IT[idx*2],IT[idx*2+1]);
51     }
52
53     Node getNode(int idx, int l, int r, int x, int y){
54         if (y < l || r < x) return Node();
55         if (x ≤ l && r ≤ y){
56             return IT[idx];
57         }
58
59         int mid = (l+r)/2;
60         return comb(getNode(idx*2,l,mid,x,y),getNode(idx*2+1,mid+1,r,x,y));
61     }
62
63
64     void init(int _n){
65         n = _n;
66         IT.resize(n*4+10, Node());
67         build(1,1,n);
68     }
69 }
```

```
1  /*
2   | Sieve of Eratosthenes |
3   Desc: Get all primes from 1 to MXP in O(n*log(log(n)))
4   Source: KawakiMeido
5   State: Untested lmao
6 */
7 const int MXP = 1e6;
8
9 vector<int> primes;
10
11 void Sieve(){
12     bitset<MXP+1> bs;
13     bs.set();
14     bs[0] = bs[1] = 0;
15     for (int i=2; i*i <= MXP; i++){
16         if (!bs[i]) continue;
17         for (int j=i*i; j <= MXP; j+=i){
18             bs[j]=0;
19         }
20     }
21
22     for (int i=1; i <= MXP; i++){
23         if (bs[i]) primes.push_back(i);
24     }
25 }
```

```
1  /*
2   | SOS DP |
3   Desc: Compute sum of all subset of a mask in O(n*2^n).
4   Source: KawakiMeido
5   State: Tested
6 */
7
8 for (int i=0; i<LG; i++){
9     for (int mask=0; mask<(1<<LG); mask++){
10         if ((mask&(1<<i))){
11             SOS[mask] = SOS[mask]+SOS[mask^(1<<i)];
12         }
13     }
14 }
```

```
1  /*
2   | Tarjan |
3   Desc: Algorithm for finding Strongly Connected Components
4   Source: CP2
5   State: Probably works but idk
6 */
7
8 vi dfs_num, dfs_low, S, visited;
9
10 void tarjanSCC(int u) {
11     dfs_low[u] = dfs_num[u] = dfsNumberCounter++; //  $dfs\_low[u] \leq dfs\_num[u]$ 
12     S.push_back(u); // stores  $u$  in a vector based on order of visitation
13     visited[u] = 1;
14     for (int j = 0; j < (int)AdjList[u].size(); j++) {
15         int v = AdjList[u][j];
16         if (dfs_num[v] == DFS_WHITE)
17             tarjanSCC(v);
18         if (visited[v]) // condition for update
19             dfs_low[u] = min(dfs_low[u], dfs_low[v]);
20     }
21     if (dfs_low[u] == dfs_num[u]) { // if this is a root (start) of an SCC
22         printf("SCC %d:", ++numSCC); // this part is done after recursion
23         while (1) {
24             int v = S.back(); S.pop_back(); visited[v] = 0;
25             printf(" %d", v);
26             if (u == v) break;
27         }
28         printf("\n");
29     }
30 }
```

```
1  /*
2   | Trie |
3   Desc: Multiple string matching in O(max(s.size())) for all operations
4   Source: KawakiMeido
5   State: VERY Untested and old code lmao
6 */
7
8 struct Trie{
9
10    struct Node{
11        Node* child[2];
12        int cnt;
13        int l,r;
14        Node(){
15            child[0] = child[1] = NULL;
16            cnt = 0;
17        }
18    };
19
20    Node* Root;
21    int cnt;
22    Trie(){
23        Root = new Node();
24        cnt = 0;
25    }
26
27    void Init(){
28        clr(Root);
29    }
30    void clr(Node* cur){
31        if (cur->child[0] != NULL){
32            clr(cur->child[0]);
33            cur->child[0] = NULL;
34        }
35        if (cur->child[1] != NULL){
36            clr(cur->child[1]);
37            cur->child[1] = NULL;
38        }
39        if (cur != Root) delete cur;
40    }
41
42    void Add(int x, int pos){
43        Node* cur = Root;
44        for (int i=29; i ≥ 0; i--){
45            int idx = ((x>>i)&1);
46            if (cur->child[idx] == NULL) cur->child[idx] = new Node();
47            cur = cur->child[idx];
48            cur->cnt++;
49        }
50    }
51
52    void Print(){
53        cout << "Root: " << Root->cnt << endl;
54        for (int i=0; i<29; i++){
55            cout << "Child " << i << ": ";
56            if (Root->child[i] == NULL) cout << "NULL" << endl;
57            else cout << Root->child[i]->cnt << endl;
58        }
59    }
60
61    int Search(string s){
62        Node* cur = Root;
63        for (int i=0; i<s.size(); i++){
64            int idx = ((s[i]>>29)&1);
65            if (cur->child[idx] == NULL) return -1;
66            cur = cur->child[idx];
67        }
68        return cur->cnt;
69    }
70
71    int Delete(string s){
72        Node* cur = Root;
73        for (int i=0; i<s.size(); i++){
74            int idx = ((s[i]>>29)&1);
75            if (cur->child[idx] == NULL) return -1;
76            cur = cur->child[idx];
77        }
78        if (cur->cnt == 0) delete cur;
79        return cur->cnt;
80    }
81
82    void PrintPath(string s, Node* cur, int pos){
83        if (pos == s.size()) cout << s << endl;
84        else{
85            int idx = ((s[pos]>>29)&1);
86            if (cur->child[idx] == NULL) cout << "NULL" << endl;
87            else PrintPath(s, cur->child[idx], pos+1);
88        }
89    }
90
91    void PrintAllPaths(string s, Node* cur, int pos){
92        if (pos == s.size()) cout << s << endl;
93        else{
94            int idx = ((s[pos]>>29)&1);
95            if (cur->child[idx] == NULL) cout << "NULL" << endl;
96            else PrintAllPaths(s, cur->child[idx], pos+1);
97        }
98    }
99
100 }
```

```
50     }
51     int Get(int x, Node* cur, int lg){
52         int res = 0;
53         if (cur->cnt ≤ 0) return INF;
54         for (int i=lg; i ≥ 0; i--){
55             int idx = ((x>>i)&1);
56             if (cur->child[idx] == NULL){
57                 res = res+(1<<i);
58                 cur = cur->child[(idx+1)%2];
59             }
60             else{
61                 cur = cur->child[idx];
62             }
63         }
64         return res;
65     }
66 };
67
68 Trie TR;
```

```
1  /*She smiles, but nothing behind it feels real. The neon glow wraps around her
2   like armor vibrant, untoouchable, cold. Once, maybe, there was warmth in her
3   gestures... but now it's rehearsed. Perfectly practiced detachment. Her wave is
4   polite, her wink playful, yet there's an eerie hollowness like a ghost who
5   forgot what it meant to feel. She doesn't break down. She doesn't react. She
6   simply exists flawless, empty, and free. Because having zero feelings means
7   never being hurt again.*/
8  #include <bits/stdc++.h>
9
10 #define TEXT ""
11
12 using namespace std;
13
14 #define pb push_back
15 #define endl "\n"
16 #define all(x) (x).begin(),(x).end()
17 #define lb lower_bound
18 #define ub upper_bound
19 #define fi first
20 #define se second
21
22
23
24
25 mt19937_64 rd(chrono::high_resolution_clock::now().time_since_epoch().count());
26
27 const int N = 2e5+10;
28 const int INF = 1e9+7;
29 const int MD = 1e9+7; //998244353;
30 const long long LLINF = 1e18+3;
31
32 //Starts here
33
34 int n;
35
36 void solve(){
37 }
38
39
40 /*Driver Code*/
41 signed main(){
42     cin.tie(0) -> sync_with_stdio(0);
43     if (fopen(TEXT".inp","r")){
44 }
```

```
44         freopen(TEXT".inp","r",stdin);
45         freopen(TEXT".out","w",stdout);
46     }
47
48     int testCount = 1;
49 //    cin >> testCount;
50     while (testCount--){
51         solve();
52     }
53
54     return 0;
55 }
```

```
1  /*Author: KawakiMeido*/
2  #include <bits/stdc++.h>
3  #define pb push_back
4  #define endl "\n"
5  #define ll long long
6  #define all(x) (x).begin(),(x).end()
7  #define pii pair<int,int>
8  #define fi first
9  #define se second
10
11 #define NAME ""
12
13 using namespace std;
14
15 /*Constants*/
16 const int N = 2e5+10;
17 const int INF = 1e9+7;
18 const long long LLINF = 1e18+3;
19
20 /*Global Variables*/
21 int n;
22 mt19937_64 mt(chrono::high_resolution_clock::now().time_since_epoch().count());
23
24 ll rd(ll l, ll r){
25     return uniform_int_distribution<ll> (l,r) (mt);
26 }
27
28 void Gen(){
29     ofstream cout(NAME".inp");
30
31     cout.close();
32 }
33
34 /*Solution*/
35 void Solve(){
36     Gen();
37
38     system(NAME ".exe");
39     system(NAME "_BRUTE.exe");
40     if (system("fc " NAME ".out " NAME ".ans")){
41         cerr << "WA" << endl;
42         exit(0);
43     }
44 }
45
46 /*Driver Code*/
47 signed main(){
48     ios_base::sync_with_stdio(0);
49     cin.tie(0);
```

```
50     srand(time(NULL));
51     int TEST=10;
52     for (int testid = 1; testid≤TEST; testid++){
53         Solve();
54     }
55     Solve();
56
57     return 0;
58 }
```