Homework 3 Code

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Course: ECGR 5105 Intro to ML

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Problem 1

```
# Import necessary libraries
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
#imports the necessary libraries for creating visualizations (matplotlib),
scaling data (StandardScaler and MinMaxScaler), performing cross-validation
(KFold and cross val score), and fitting a logistic regression model
(LogisticRegression)
import matplotlib.pyplot as plt
from sklearn.preprocessing import StandardScaler
from sklearn.preprocessing import MinMaxScaler
from sklearn.model selection import KFold
from sklearn.model selection import cross val score
from sklearn.linear model import LogisticRegression
#import the necessary libraries for working with datasets (datasets),
evaluating model performance (metrics, confusion_matrix,
classification report, and precision recall curve), loading the breast cancer
dataset from scikit-learn (load_breast_cancer), and fitting a Gaussian Naive
Bayes model (GaussianNaiveBayes)
from sklearn import datasets
from sklearn import metrics
from sklearn.metrics import confusion_matrix
from sklearn.metrics import classification_report
from sklearn.datasets import load breast cancer
from sklearn.naive bayes import GaussianNaiveBayes
```

```
from sklearn.metrics import precision_recall_curve
# Load breast cancer dataset from scikit-learn datasets module
breast = load breast cancer()
# Assign the features (data) to the variable X
X = breast.data
# Assign the target (labels) to the variable Y
Y = breast.target
# Reshape X to have 569 rows and 30 columns
X = np.reshape(X, (569, 30))
# Reshape Y to have 569 rows and 1 column
Y = np.reshape(Y, (569,1))
# Concatenate X and Y arrays along the columns axis (axis=1)
#final_breast_data = np.concatenate([X,Y],axis=1)
# Convert final_breast_data array to a pandas DataFrame (optional)
#breast dataset = pd.DataFrame(final breast data)
# Append 'labels' to the feature names and store in features_labels array
#features_labels = np.append(breast.feature_names,'labels')
# Set column names of breast_dataset to features_labels
#breast_dataset.columns = features_labels
# Display first 5 rows of the DataFrame (optional)
#breast_dataset.head()
# Create an instance of the MinMaxScaler class
Min Max Scaling = MinMaxScaler()
# Apply Min-Max scaling to the X array and store the result in breast_dataset
breast_dataset = Min_Max_Scaling.fit_transform(X)
# Create an instance of the StandardScaler class
sc = StandardScaler()
# Apply standardization to the breast_dataset array and store the result in
breast dataset
breast_dataset = sc.fit_transform(breast_dataset)
# Convert breast_dataset to a pandas DataFrame
breast dataset = pd.DataFrame(breast dataset)
```

breast dataset

```
0
                    1
                              2
                                        3
                                                            5
                                                                      6
                                                                          \
                                            1.568466
0
     1.097064 -2.073335 1.269934 0.984375
                                                      3.283515
                                                                2.652874
1
     1.829821 -0.353632 1.685955
                                  1.908708 -0.826962 -0.487072 -0.023846
2
    1.579888 0.456187
                        1.566503
                                  1.558884 0.942210
                                                      1.052926
                                                                1.363478
3
    -0.768909 0.253732 -0.592687 -0.764464
                                            3.283553
                                                      3.402909
                                                                1.915897
4
     1.750297 -1.151816 1.776573
                                  1.826229
                                            0.280372 0.539340
                                                                1.371011
                                       . . .
              0.721473 2.060786 2.343856
                                            1.041842
564
    2.110995
                                                      0.219060
                                                                1.947285
565
    1.704854
              2.085134 1.615931 1.723842
                                            0.102458 -0.017833
                                                                0.693043
    0.702284
              2.045574 0.672676 0.577953 -0.840484 -0.038680
566
                                                                0.046588
567
    1.838341 2.336457
                        1.982524
                                  1.735218 1.525767
                                                     3.272144
                                                                3.296944
568 -1.808401 1.221792 -1.814389 -1.347789 -3.112085 -1.150752 -1.114873
          7
                    8
                                             20
                                                       21
                                                                 22
0
    2.532475
              2.217515 2.255747
                                       1.886690 -1.359293
                                                          2.303601
1
    0.548144
              0.001392 -0.868652
                                       1.805927 -0.369203
                                                           1.535126
                                  . . .
2
    2.037231
              0.939685 -0.398008
                                  . . .
                                       1.511870 -0.023974
                                                           1.347475
3
    1.451707 2.867383 4.910919
                                  ... -0.281464 0.133984 -0.249939
4
     1.428493 -0.009560 -0.562450
                                       1.298575 -1.466770 1.338539
                                  . . .
564
    2.320965 -0.312589 -0.931027
                                       1.901185 0.117700
                                                           1.752563
565
    1.263669 -0.217664 -1.058611
                                       1.536720
                                                 2.047399
                                                           1.421940
    0.105777 -0.809117 -0.895587
                                       0.561361
                                                 1.374854
                                                           0.579001
566
567
    2.658866 2.137194 1.043695
                                       1.961239
                                                 2.237926
                                                           2.303601
568 -1.261820 -0.820070 -0.561032
                                  ... -1.410893 0.764190 -1.432735
          23
                    24
                              25
                                        26
                                                  27
                                                            28
                                                                      29
0
     2.001237
              1.307686
                        2.616665
                                  2.109526
                                            2.296076
                                                      2.750622
                                                                1.937015
1
    1.890489 -0.375612 -0.430444 -0.146749
                                            1.087084 -0.243890
                                                                0.281190
2
     1.456285
              0.527407
                        1.082932
                                  0.854974
                                            1.955000
                                                      1.152255
                                                                0.201391
3
    -0.550021 3.394275
                        3.893397
                                  1.989588
                                            2.175786
                                                      6.046041 4.935010
4
     1.220724
              0.220556 -0.313395 0.613179
                                            0.729259 -0.868353 -0.397100
                                       . . .
   2.015301 0.378365 -0.273318 0.664512
                                            1.629151 -1.360158 -0.709091
564
565
    1.494959 -0.691230 -0.394820 0.236573
                                            0.733827 -0.531855 -0.973978
566
    0.427906 -0.809587
                        0.350735 0.326767
                                            0.414069 -1.104549 -0.318409
567
    1.653171 1.430427
                        3.904848
                                 3.197605
                                            2.289985
                                                     1.919083 2.219635
568 -1.075813 -1.859019 -1.207552 -1.305831 -1.745063 -0.048138 -0.751207
[569 rows x 30 columns]
# Concatenate the standardized breast_dataset and Y arrays along the columns
axis (axis=1)
final_breast_data = np.concatenate([breast_dataset,Y],axis=1)
# Convert final_breast_data to a pandas DataFrame
breast_dataset = pd.DataFrame(final_breast_data)
```

```
# Append the string 'labels' to the end of the array breast.feature_names
features_labels = np.append(breast.feature_names,'labels')

# Assign the resulting array as the column labels of the breast_dataset
DataFrame
breast_dataset.columns = features_labels
```

Display the first few rows of the resulting DataFrame
breast_dataset.head()

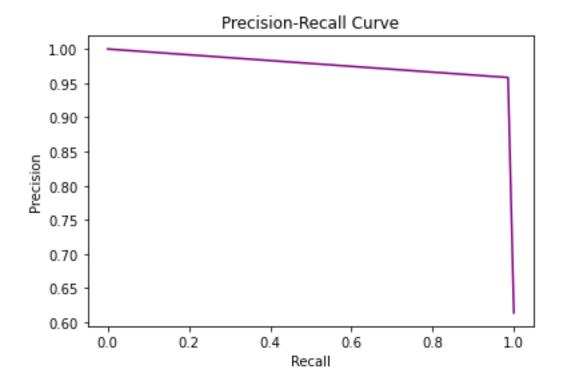
```
mean radius mean texture mean perimeter mean area mean smoothness \
0
      1.097064
                   -2.073335
                                    1.269934
                                               0.984375
                                                                 1.568466
1
      1.829821
                   -0.353632
                                    1.685955
                                               1.908708
                                                                -0.826962
2
      1.579888
                    0.456187
                                    1.566503
                                               1.558884
                                                                 0.942210
                                   -0.592687 -0.764464
3
     -0.768909
                    0.253732
                                                                 3.283553
4
      1.750297
                   -1.151816
                                    1.776573
                                                                 0.280372
                                                1.826229
   mean compactness mean concavity mean concave points
                                                           mean symmetry \
0
           3.283515
                           2.652874
                                                 2.532475
                                                                2.217515
1
          -0.487072
                          -0.023846
                                                 0.548144
                                                                0.001392
2
           1.052926
                           1.363478
                                                 2.037231
                                                                0.939685
3
           3.402909
                           1.915897
                                                 1.451707
                                                                2.867383
4
           0.539340
                           1.371011
                                                 1.428493
                                                               -0.009560
   mean fractal dimension ...
                               worst texture worst perimeter worst area
0
                 2.255747
                                    -1.359293
                                                       2.303601
                                                                   2.001237
                -0.868652 ...
1
                                    -0.369203
                                                       1.535126
                                                                   1.890489
2
                -0.398008 ...
                                                       1.347475
                                    -0.023974
                                                                   1.456285
3
                 4.910919
                                     0.133984
                                                      -0.249939
                                                                  -0.550021
                          . . .
4
                -0.562450
                                    -1.466770
                                                       1.338539
                                                                   1.220724
                           . . .
   worst smoothness worst compactness worst concavity worst concave points
\
0
           1.307686
                              2.616665
                                                                      2.296076
                                                2.109526
1
          -0.375612
                             -0.430444
                                               -0.146749
                                                                      1.087084
2
           0.527407
                              1.082932
                                                0.854974
                                                                      1.955000
3
           3.394275
                              3.893397
                                                1.989588
                                                                      2.175786
4
           0.220556
                             -0.313395
                                                0.613179
                                                                      0.729259
   worst symmetry worst fractal dimension labels
0
                                                0.0
         2.750622
                                  1.937015
1
        -0.243890
                                  0.281190
                                                0.0
2
         1.152255
                                  0.201391
                                                0.0
3
         6.046041
                                  4.935010
                                                0.0
        -0.868353
                                 -0.397100
                                                0.0
```

[5 rows x 31 columns]

Randomly select 80% of the rows in the breast_dataset DataFrame and assign them to the train variable

```
train=breast dataset.sample(frac=0.8, random state=0)
# Drop the rows in the test DataFrame that were selected for the train
DataFrame
test=breast dataset.drop(train.index)
# Extract the values of the first 29 columns of the train and test DataFrames
and assign them to X train and X test, respectively
X_train = train.values[:,0:29]
X_test = test.values[:,0:29]
# Extract the values of the 'labels' column of the train and test DataFrames
and assign them to Y_train and Y_test, respectively
Y_train = train.values[:,30]
Y_test = test.values[:,30]
# Display the values of the 'labels' column of the test DataFrame
Y test
\mathsf{array}([0.,\ 0.,\ 0.,\ 0.,\ 0.,\ 0.,\ 1.,\ 1.,\ 0.,\ 0.,\ 0.,\ 1.,\ 0.,\ 0.,\ 0.,
      1., 0., 0., 0., 0., 1., 0., 1., 0., 1., 1., 1., 0., 1., 1., 1., 1.,
      1., 1., 1., 0., 1., 0., 1., 1., 1., 0., 0., 0., 0., 1., 1., 1., 0.,
      0., 0., 0., 1., 1., 0., 1., 1., 1., 1., 1., 1., 1., 0., 1., 0., 1.,
      1., 1., 0., 1., 1., 1., 0., 1., 0., 1., 1., 1., 1., 0., 1., 1., 0.,
      1., 1., 1., 0., 1., 1., 1., 1., 1., 1., 1., 1.])
# Create a new instance of the Gaussian Naive Bayes classifier and assign it
to the variable 'model'
model = GaussianNaiveBayes()
# Train the Gaussian Naive Bayes classifier on the training data by calling
the 'fit()' method of the 'model' object, passing in X train and Y train as
arguments
model.fit(X train, Y train)
GaussianNaiveBayes()
# Use the 'predict()' method of the 'model' object to predict the class
labels of the test data, passing in X test as the argument
Y_predicted = model.predict(X_test)
# Print the predicted class labels of the test data
print(Y_predicted)
array([0., 0., 0., 0., 1., 0., 0., 1., 1., 0., 0., 0., 1., 0., 0., 0.,
      1., 0., 0., 0., 0., 1., 1., 1., 0., 1., 0., 1., 0., 1., 1., 1., 1.,
      1., 1., 1., 0., 1., 0., 1., 1., 1., 0., 0., 0., 0., 1., 1., 1., 0.,
      0., 0., 0., 1., 1., 0., 1., 1., 1., 1., 1., 1., 1., 0., 1., 0., 1.,
```

```
1., 1., 0., 1., 1., 1., 0., 1., 0., 1., 1., 1., 1., 0., 1., 1., 0.,
      # Use the 'classification_report()' function from the 'metrics' module to
generate a report of the classification performance of the model on the test
data, passing in Y test and Y predicted as arguments
report = metrics.classification_report(Y_test, Y_predicted)
# Print the classification report to the console
print(report)
             precision
                          recall f1-score
                                            support
        0.0
                  0.98
                            0.93
                                      0.95
                                                 44
        1.0
                            0.99
                  0.96
                                      0.97
                                                 70
                                      0.96
   accuracy
                                                114
   macro avg
                  0.97
                            0.96
                                      0.96
                                                114
weighted avg
                  0.97
                            0.96
                                      0.96
                                                114
# Use the 'confusion matrix()' function from the 'metrics' module to generate
a confusion matrix of the classification performance of the model on the test
data, passing in Y_test and Y_predicted as arguments
matrix = metrics.confusion_matrix(Y_test, Y_predicted)
# Print the confusion matrix to the console
print(matrix)
[[41 3]
[ 1 69]]
#precision and recall
precision, recall, thresholds = precision recall curve(Y test,Y predicted)
fig, ax = plt.subplots()
ax.plot(recall, precision, color='purple')
#precision-recall curve is plotted using ax.plot(), with recall on the x-axis
and precision on the y-axis
ax.set_title('Precision-Recall Curve')
ax.set ylabel('Precision')
ax.set_xlabel('Recall')
#display plot
plt.show()
```



Problem 2

```
# Import necessary libraries
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
#imports the necessary libraries for creating visualizations (matplotlib),
scaling data (StandardScaler and MinMaxScaler), performing cross-validation
(KFold and cross val score), and fitting a logistic regression model
(LogisticRegression)
import matplotlib.pyplot as plt
from sklearn.preprocessing import StandardScaler
from sklearn.preprocessing import MinMaxScaler
from sklearn.model_selection import KFold
from sklearn.model selection import cross val score
from sklearn.linear_model import LogisticRegression
#import the necessary libraries for working with datasets (datasets),
evaluating model performance (metrics, confusion matrix,
classification_report, and precision_recall_curve), loading the breast cancer
dataset from scikit-learn (load_breast_cancer), and fitting a Gaussian Naive
Bayes model (GaussianNaiveBayes)
from sklearn import datasets
```

```
from sklearn import metrics
from sklearn.metrics import confusion matrix
from sklearn.metrics import classification_report
from sklearn.datasets import load breast cancer
from sklearn.naive bayes import GaussianNaiveBayes
from sklearn.metrics import precision recall curve
# Load breast cancer dataset from scikit-learn datasets module
breast = load breast cancer()
# Assign the features (data) to the variable X
X = breast.data
# Assign the target (labels) to the variable Y
Y = breast.target
# Reshape X to have 569 rows and 30 columns
X = np.reshape(X, (569, 30))
# Reshape Y to have 569 rows and 1 column
Y = np.reshape(Y, (569,1))
#create a pandas DataFrame object Dataflow from the target variable Y of the
breast cancer dataset
Dataflow = pd.DataFrame(Y)
# Importing PCA module from Scikit-learn's decomposition library
from sklearn.decomposition import PCA
# Initializing PCA with number of components as 2
pca = PCA(n components=2)
# Applying PCA on the given data 'X' and getting the principal components
PrnComp = pca.fit_transform(X)
# Converting the principal components into a Pandas DataFrame
principalDataflow = pd.DataFrame(data = PrnComp
 , columns = ['principal component 1', 'principal component 2'])
# Concatenating the principalDataflow and Dataflow DataFrames horizontally
finalDataflow1 = pd.concat([principalDataflow, Dataflow], axis = 1)
# Printing the concatenated DataFrame
finalDataflow1
     principal component 1 principal component 2 0
0
               1160.142574
                                     -293.917544 0
1
               1269.122443
                                        15.630182 0
```

```
2
               995.793889
                                       39.156743 0
3
              -407.180803
                                      -67.380320 0
4
              930.341180
                                      189.340742 0
                                      110.222492 0
564
              1414.126684
                                      77.057589 0
565
              1045.018854
566
               314.501756
                                      47.553525 0
                                       34.129225 0
567
              1124.858115
              -771.527622
                                      -88.643106 1
568
[569 rows x 3 columns]
# Creating a random training set of 80% of the data
train = finalDataflow1.sample(frac=0.8, random state=0)
# Creating a test set containing the remaining 20% of the data
test = finalDataflow1.drop(train.index)
# Creating X train and X test datasets containing only the first principal
component
X train = train.values[:,0:1]
X_test = test.values[:,0:1]
# Creating Y_train and Y_test datasets containing the target variable
#Y train = train.values[:,2]
#Y_test = test.values[:,2]
# Creating a Logistic Regression model
model = LogisticRegression()
# Fitting the model with the training data
model.fit(X_train, Y_train)
# Predicting the target variable for the test data using the fitted model
Y predicted = model.predict(X test)
# Printing the classification report of the model's performance on the test
data
print(metrics.classification_report(Y_test, Y_predicted))
# Printing the confusion matrix of the model's performance on the test data
print(metrics.confusion_matrix(Y_test, Y_predicted))
             precision recall f1-score
                                             support
         0.0
                  0.95
                            0.84
                                      0.89
                                                  44
                  0.91
                            0.97
                                      0.94
                                                  70
         1.0
```

0.92

0.91

accuracy

macro avg

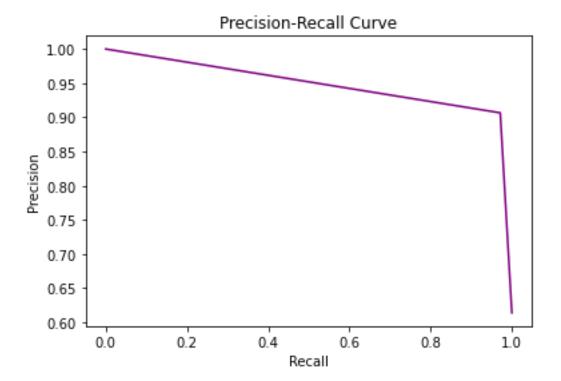
0.93

0.91

114

114

```
weighted avg 0.92 0.92 0.92
                                                 114
[[37 7]
[ 2 68]]
# Calculate precision, recall, and thresholds using the
precision_recall_curve function from the metrics module
precision, recall, thresholds = precision recall curve(Y test, Y predicted)
# Create a new figure and axis objects using the subplots method from the
pyplot module
fig, ax = plt.subplots()
# Plot the precision-recall curve with recall on the x-axis and precision on
the y-axis using the plot method of the axis object
ax.plot(recall, precision, color='purple')
# Add a title to the plot using the set_title method of the axis object
ax.set_title('Precision-Recall Curve')
# Add a label to the y-axis using the set_ylabel method of the axis object
ax.set_ylabel('Precision')
# Add a label to the x-axis using the set_xlabel method of the axis object
ax.set_xlabel('Recall')
# Display the plot using the show method of the pyplot module
plt.show()
```



Import the PCA class from Scikit-learn's decomposition module
from sklearn.decomposition import PCA

```
# Create a new PCA object with 6 principal components
pca = PCA(n_components=6)
```

Fit the PCA model to the input data X and transform the data into the new principal component space

PrnComp = pca.fit_transform(X)

Create a new DataFrame called principalDataflow to hold the principal components, with column names for each component

principalDataflow = pd.DataFrame(data=PrnComp, columns=['principal component
1', 'principal component 2', 'principal component 3', 'principal component
4', 'principal component 5', 'principal component 6'])

Concatenate the principal component DataFrame (principalDataflow) with the original data DataFrame (Dataflow) along the columns (axis=1)

finalDataflow2 = pd.concat([principalDataflow, Dataflow], axis=1)

Print the final concatenated DataFrame

	principal component 1	principal component 2	principal component 3 \
0	1160.142574	-293.917544	48.578398
1	1269.122443	15.630182	-35.394534
2	995.793889	39.156743	-1.709753

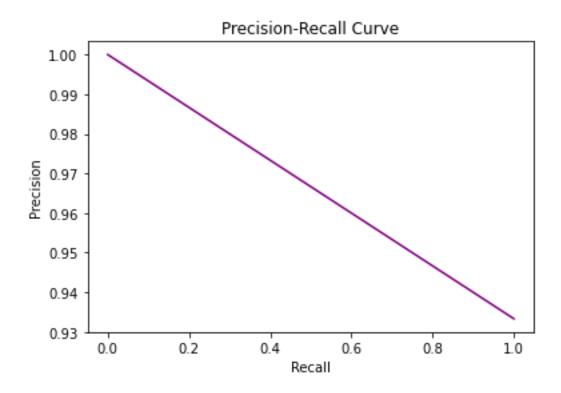
```
3
              -407.180803
                                      -67.380320
                                                              8.672848
4
               930.341180
                                      189.340742
                                                              1.374801
. .
                                     110.222492
                                                             40.065944
564
              1414.126684
565
              1045.018854
                                      77.057589
                                                              0.036669
566
               314.501756
                                      47.553525
                                                            -10.442407
                                                            -19.742087
567
              1124.858115
                                      34.129225
568
              -771.527622
                                      -88.643106
                                                             23.889032
    principal component 4 principal component 5
                                                 principal component 6
0
                -8.711975
                                       32.000486
                                                              1.265415
1
                17.861283
                                       -4.334874
                                                             -0.225872
2
                 4.199340
                                       -0.466529
                                                             -2.652811
3
               -11.759867
                                       7.115461
                                                              1.299436
4
                 8.499183
                                                              1.021160
                                       7.613289
. .
564
                 6.562240
                                      -5.102856
                                                             -0.395424
                                                                       0
565
                -4.753245
                                      -12.417863
                                                             -0.059637
566
                -9.771881
                                      -6.156213
                                                             -0.870726
                                                                        0
567
               -23.660881
                                        3.565133
                                                              4.086390
568
                 2.547249
                                      -14.717566
                                                              4.418123
                                                                       1
[569 rows x 7 columns]
# Select a random sample of 80% of the data for training, with a fixed random
state for reproducibility
training2 = finalDataflow2.sample(frac=0.8, random_state=0)
# Select the remaining 20% of the data for testing by dropping the rows that
were selected for training
testing2 = finalDataflow2.drop(train.index)
# Extract the input features (principal components) for the training and test
X training2 = training2.values[:,0:5]
X_testing2 = testing2.values[:,0:5]
# Extract the output labels (species) for the training and test sets
Y training2 = training2.values[:,6]
Y_testing2 = testing2.values[:,6]
array([0., 0., 0., 0., 0., 0., 0., 1., 1., 0., 0., 0., 1., 0., 0., 0.,
      1., 0., 0., 0., 0., 1., 0., 1., 0., 1., 1., 1., 0., 1., 1., 1.,
      1., 1., 1., 0., 1., 0., 1., 1., 1., 0., 0., 0., 0., 1., 1., 1., 0.,
      0., 0., 0., 1., 1., 0., 1., 1., 1., 1., 1., 1., 1., 0., 1., 0., 1.,
      1., 1., 0., 1., 1., 1., 0., 1., 0., 1., 1., 1., 1., 0., 1., 1., 0.,
      1., 1., 1., 0., 1., 1., 1., 1., 1., 1., 1.]
```

```
# Create a new Logistic regression model
model = LogisticRegression()
# Fit the logistic regression model to the training data
model.fit(X training2, Y training2)
LogisticRegression()
# Predict the output labels for the test data using the trained model
Y_predicted = model.predict(X_testing2)
Y predicted
array([0., 0., 0., 0., 1., 0., 0., 1., 1., 1., 0., 0., 0., 1., 0., 0., 0.,
      1., 0., 1., 0., 0., 1., 0., 1., 0., 1., 1., 1., 0., 1., 1., 1., 1.,
      1., 1., 1., 0., 1., 0., 1., 1., 1., 0., 0., 0., 0., 1., 1., 1., 0.,
      1., 1., 0., 1., 1., 1., 0., 1., 0., 1., 1., 1., 1., 0., 1., 1., 0.,
      # Print the classification report for the logistic regression model
print(metrics.classification_report(Y_test, Y_predicted))
# Print the confusion matrix for the logistic regression model
print(metrics.confusion_matrix(Y_test,Y_predicted))
# Calculate the precision, recall, and thresholds for the logistic regression
precision, recall, thresholds = precision_recall_curve(Y_test,Y_predicted)
# Create a new figure and axis for the precision-recall curve
fig, ax = plt.subplots()
# Plot the precision and recall values as a curve
ax.plot(recall, precision, color='purple')
# Set the title, x-label, and y-label for the plot
ax.set title('Precision-Recall Curve')
ax.set_ylabel('Precision')
ax.set_xlabel('Recall')
# Show the plot
plt.show()
                        recall f1-score
            precision
                                         support
        0.0
                 1.00
                         0.89
                                   0.94
                                             44
        1.0
                0.93
                         1.00
                                   0.97
                                             70
   accuracy
                                   0.96
                                            114
```

```
      macro avg
      0.97
      0.94
      0.95
      114

      weighted avg
      0.96
      0.96
      0.96
      114
```

[[39 5] [0 70]]



#Doing the LogisicReg for 18 imp components

```
from sklearn.decomposition import PCA
```

#Create a pandas DataFrame principalDataflow to store the principal
components with column names corresponding to the component number
finalDataflow3 = pd.concat([principalDataflow, Dataflow], axis = 1)

#Concatenate the principalDataflow DataFrame with the original DataFrame Dataflow along the column axis

0 1 2 3 4	principal	component 1 1160.142574 1269.122443 995.793889 -407.180803 930.341180	principal	component 2 -293.917544 15.630182 39.156743 -67.380320 189.340742	principal	component 3 48.578398 -35.394534 -1.709753 8.672848 1.374801	\
564 565 566 567 568		1414.126684 1045.018854 314.501756 1124.858115 -771.527622		110.222492 77.057589 47.553525 34.129225 -88.643106		40.065944 0.036669 -10.442407 -19.742087 23.889032	
0 1 2 3 4	principal	component 4 -8.711975 17.861283 4.199340 -11.759867 8.499183	principal	component 5 32.000486 -4.334874 -0.466529 7.115461 7.613289	principal	component 6 1.265415 -0.225872 -2.652811 1.299436 1.021160	\
564 565 566 567 568		6.562240 -4.753245 -9.771881 -23.660881 2.547249		-5.102856 -12.417863 -6.156213 3.565133 -14.717566		-0.395424 -0.059637 -0.870726 4.086390 4.418123	
0 1 2 3 4	principal	component 7 0.931337 -0.046037 -0.779745 -1.267304 -0.335522	principal	component 8 0.148167 0.200804 -0.274026 -0.060555 0.289109	principal	component 9 0.745463 -0.485828 -0.173874 -0.330639 0.036087	\
564 565 566		 -0.786751 0.449831 -2.166493		0.037082 0.509154 -0.442279		-0.452530 -0.449986 -0.097398	

567 568	-1.705401 -2.815752	-0.359964 0.030039	0.385030 -0.423451
,	principal component 10	principal component 11	principal component 12
\ 0 1 2 3 4	0.589359 -0.084035 -0.186994 -0.144155 -0.138502	-0.307804 0.080642 0.279174 0.927471 0.042228	0.043452 0.033042 -0.020464 -0.174720 -0.062721
564 565 566 567 568	-0.235185 0.493247 -0.144667 0.615467 -0.301439	0.163649 0.007625 -0.109147 0.307166 0.133353	0.052543 0.055832 0.076263 -0.028224 -0.115105
\	principal component 13	principal component 14	principal component 15
0 1 2 3 4	0.034777 0.045485 0.083505 0.282556 -0.114247	0.065069 -0.005534 0.024824 0.080057 0.002274	-0.012934 0.021368 -0.026887 0.043201 -0.019548
564 565 566 567 568	-0.075032 -0.015163 -0.004448 0.060561 -0.019667	-0.015211 0.009985 -0.055285 -0.037742 0.013734	-0.061390 0.003312 -0.012459 -0.031873 -0.004134
	principal component 16	principal component 17	principal component 18
0	-0.002670	0.018300	0.010263
0	-0.028715	0.012371	-0.006009
0 2	-0.041255	0.008218	-0.028044
0 3	-0.034175	0.033742	-0.016965
0 4 0	0.019932	-0.019201	0.004024
••		•••	
564	-0.054694	-0.004829	-0.011515
0 565	-0.020654	0.005197	0.002106
0 566	-0.005414	0.007866	-0.004484

```
0
567
                0.020126
                                      0.015243
                                                           0.043651
                                      0.009440
568
                0.034264
                                                          -0.028323
1
[569 rows x 19 columns]
# Select a random sample of 80% of the data for training, with a fixed random
state for reproducibility
training3=finalDataflow3.sample(frac=0.8,random state=0)
## Select the remaining 20% of the data for testing by dropping the rows that
were selected for training
testing3=finalDataflow3.drop(train.index)
# Extract the input features (principal components) for the training and test
X_training3 = training3.values[:,0:17]
X_testing3 = testing3.values[:,0:17]
# Extract the output labels (species) for the training and test sets
#Y train = np.array(train.labels)
#Y test = np.array(test.labels)
Y training3 = training3.values[:,18]
Y_testing3 = testing3.values[:,18]
Y testing3
# Create a new Logistic regression model
model.fit(X training3,Y training3)
# Predict the output labels for the test data using the trained model
Y predicted = model.predict(X testing3)
Y predicted
array([0., 0., 0., 0., 1., 0., 0., 1., 1., 0., 0., 0., 1., 0., 0., 0.,
      1., 0., 1., 0., 0., 1., 0., 1., 0., 1., 1., 0., 1., 1., 1.,
      1., 1., 1., 0., 1., 0., 1., 1., 1., 0., 0., 0., 0., 1., 1., 1., 0.,
      1., 1., 0., 1., 1., 1., 0., 1., 0., 1., 1., 1., 1., 0., 1., 1., 0.,
      # Print the classification report for the logistic regression model
print(metrics.classification report(Y test, Y predicted))
# Print the confusion matrix for the logistic regression model
print(metrics.confusion matrix(Y test,Y predicted))
```

```
# Calculate the precision, recall, and thresholds for the logistic regression
model
precision, recall, thresholds = precision_recall_curve(Y_test,Y_predicted)
# Create a new figure and axis for the precision-recall curve
fig, ax = plt.subplots()
# Plot the precision and recall values as a curve
ax.plot(recall, precision, color='purple')
# Set the title, x-label, and y-label for the plot
ax.set_title('Precision-Recall Curve')
ax.set_ylabel('Precision')
ax.set xlabel('Recall')
# Show the plot
plt.show()
              precision
                           recall f1-score
                                              support
         0.0
                   1.00
                             0.91
                                       0.95
                                                   44
         1.0
                   0.95
                             1.00
                                       0.97
                                                   70
```

0.96

0.96

0.96

114

114

114

[[40 4] [0 70]]

weighted avg

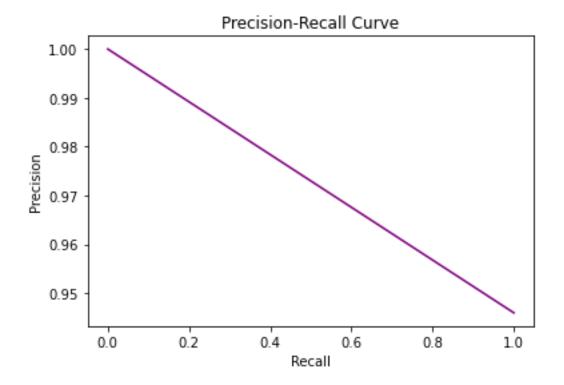
accuracy macro avg

0.97

0.97

0.95

0.96



Problem 3

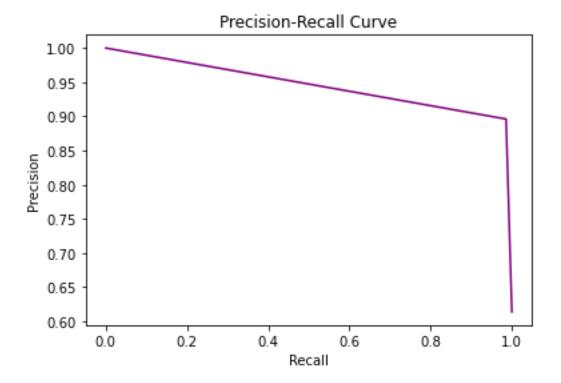
```
# Import necessary libraries
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
#imports the necessary libraries for creating visualizations (matplotlib),
scaling data (StandardScaler and MinMaxScaler), performing cross-validation
(KFold and cross val score), and fitting a logistic regression model
(LogisticRegression)
import matplotlib.pyplot as plt
from sklearn.preprocessing import StandardScaler
from sklearn.preprocessing import MinMaxScaler
from sklearn.model_selection import KFold
from sklearn.model_selection import cross_val_score
from sklearn.linear model import LogisticRegression
#import the necessary libraries for working with datasets (datasets),
evaluating model performance (metrics, confusion matrix,
classification_report, and precision_recall_curve), loading the breast cancer
```

```
dataset from scikit-learn (load breast cancer), and fitting a Gaussian Naive
Bayes model (GaussianNaiveBayes)
from sklearn import datasets
from sklearn import metrics
from sklearn.metrics import confusion matrix
from sklearn.metrics import classification_report
from sklearn.datasets import load_breast_cancer
from sklearn.naive_bayes import GaussianNaiveBayes
from sklearn.metrics import precision recall curve
# Load breast cancer dataset from scikit-learn datasets module
breast = load breast cancer()
# Assign the features (data) to the variable X
X = breast.data
# Assign the target (labels) to the variable Y
Y = breast.target
# Reshape X to have 569 rows and 30 columns
X = np.reshape(X, (569, 30))
# Reshape Y to have 569 rows and 1 column
Y = np.reshape(Y, (569, 1))
#create a pandas DataFrame object Dataflow from the target variable Y of the
breast cancer dataset
Dataflow = pd.DataFrame(Y)
#Doing the GaussianNaiveBayes for 2 imp components
# Importing PCA module from Scikit-learn's decomposition library
from sklearn.decomposition import PCA
# Initializing PCA with number of components as 2
pca = PCA(n_components=2)
# Applying PCA on the given data 'X' and getting the principal components
PrnComp = pca.fit transform(X)
# Converting the principal components into a Pandas DataFrame
principalDataflow = pd.DataFrame(data = PrnComp
 , columns = ['principal component 1', 'principal component 2'])
# Concatenating the principalDataflow and Dataflow DataFrames horizontally
finalDataflow1 = pd.concat([principalDataflow, Dataflow], axis = 1)
```

Printing the concatenated DataFrame finalDataflow1 principal component 1 principal component 2 0 0 1160.142574 -293.917544 0 1 1269.122443 15.630182 0 2 995.793889 39.156743 0 3 -407.180803 -67.380320 0 4 930.341180 189.340742 0 . . 110.222492 0 564 1414.126684 77.057589 0 565 1045.018854 47.553525 0 566 314.501756 567 1124.858115 34.129225 0 568 -771.527622 -88.643106 1 [569 rows x 3 columns] # Creating a random training set of 80% of the data train = finalDataflow1.sample(frac=0.8, random state=0) # Creating a test set containing the remaining 20% of the data test = finalDataflow1.drop(train.index) # Creating X_train and X_test datasets containing only the first principal component X train = train.values[:,0:1] X_test = test.values[:,0:1] # Creating Y train and Y test datasets containing the target variable #Y train = train.values[:,2] #Y_test = test.values[:,2] # Creating a Logistic Regression model model = LogisticRegression() # Fitting the model with the training data model.fit(X_train, Y_train) # Predicting the target variable for the test data using the fitted model Y predicted = model.predict(X test) # Printing the classification report of the model's performance on the test print(metrics.classification_report(Y_test, Y_predicted)) # Printing the confusion matrix of the model's performance on the test data

print(metrics.confusion matrix(Y test, Y predicted))

```
precision
                         recall f1-score
                                              support
         0.0
                   0.97
                             0.82
                                       0.89
                                                   44
                   0.90
                             0.99
                                       0.94
                                                   70
         1.0
    accuracy
                                       0.92
                                                  114
   macro avg
                   0.93
                             0.90
                                       0.91
                                                  114
weighted avg
                   0.93
                             0.92
                                       0.92
                                                  114
[[36 8]
[ 1 69]]
# Calculate precision, recall, and thresholds using the
precision_recall_curve function from the metrics module
precision, recall, thresholds = precision recall curve(Y test, Y predicted)
# Create a new figure and axis objects using the subplots method from the
pyplot module
fig, ax = plt.subplots()
# Plot the precision-recall curve with recall on the x-axis and precision on
the y-axis using the plot method of the axis object
ax.plot(recall, precision, color='purple')
# Add a title to the plot using the set_title method of the axis object
ax.set title('Precision-Recall Curve')
# Add a label to the y-axis using the set ylabel method of the axis object
ax.set_ylabel('Precision')
# Add a label to the x-axis using the set xlabel method of the axis object
ax.set xlabel('Recall')
# Display the plot using the show method of the pyplot module
plt.show()
```



Import the PCA class from Scikit-learn's decomposition module
from sklearn.decomposition import PCA

Create a new PCA object with 6 principal components
pca = PCA(n_components=6)

Fit the PCA model to the input data X and transform the data into the new principal component space

PrnComp = pca.fit_transform(X)

Create a new DataFrame called principalDataflow to hold the principal components, with column names for each component

principalDataflow = pd.DataFrame(data=PrnComp, columns=['principal component
1', 'principal component 2', 'principal component 3', 'principal component
4', 'principal component 5', 'principal component 6'])

Concatenate the principal component DataFrame (principalDataflow) with the original data DataFrame (Dataflow) along the columns (axis=1)

finalDataflow2 = pd.concat([principalDataflow, Dataflow], axis=1)

Print the final concatenated DataFrame

	principal component 1	principal component 2	principal component 3 \
0	1160.142574	-293.917544	48.578398
1	1269.122443	15.630182	-35.394534
2	995.793889	39.156743	-1.709753

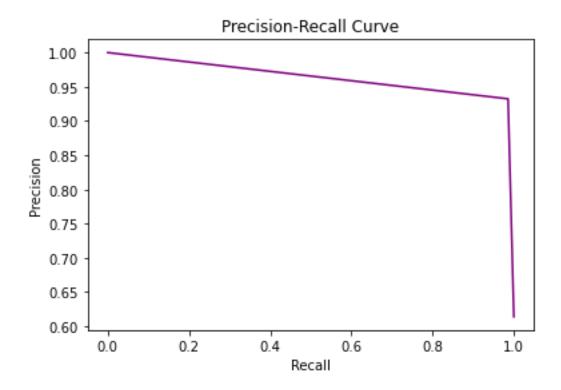
```
3
              -407.180803
                                      -67.380320
                                                              8.672848
4
               930.341180
                                      189.340742
                                                              1.374801
. .
                                     110.222492
                                                             40.065944
564
              1414.126684
565
              1045.018854
                                      77.057589
                                                              0.036669
566
               314.501756
                                      47.553525
                                                            -10.442407
567
                                                            -19.742087
              1124.858115
                                      34.129225
568
              -771.527622
                                      -88.643106
                                                             23.889032
    principal component 4 principal component 5
                                                 principal component 6
0
                -8.711975
                                       32.000486
                                                              1.265415
1
                                       -4.334874
                17.861283
                                                             -0.225872
2
                 4.199340
                                       -0.466529
                                                             -2.652811
3
               -11.759867
                                       7.115461
                                                              1.299436
4
                 8.499183
                                       7.613289
                                                              1.021160
. .
564
                 6.562240
                                      -5.102856
                                                             -0.395424
                                                                       0
565
                -4.753245
                                      -12.417863
                                                             -0.059637
566
                -9.771881
                                      -6.156213
                                                             -0.870726
                                                                        0
567
               -23.660881
                                       3.565133
                                                              4.086390
568
                 2.547249
                                      -14.717566
                                                              4.418123
                                                                       1
[569 rows x 7 columns]
# Select a random sample of 80% of the data for training, with a fixed random
state for reproducibility
training2 = finalDataflow2.sample(frac=0.8, random_state=0)
# Select the remaining 20% of the data for testing by dropping the rows that
were selected for training
testing2 = finalDataflow2.drop(train.index)
# Extract the input features (principal components) for the training and test
X training2 = training2.values[:,0:5]
X_testing2 = testing2.values[:,0:5]
# Extract the output labels (species) for the training and test sets
Y training2 = training2.values[:,6]
Y_testing2 = testing2.values[:,6]
Y_testing2
array([0., 0., 0., 0., 0., 0., 0., 1., 1., 0., 0., 0., 1., 0., 0., 0.,
      1., 0., 0., 0., 0., 1., 0., 1., 0., 1., 1., 1., 0., 1., 1., 1.,
      1., 1., 1., 0., 1., 0., 1., 1., 1., 0., 0., 0., 0., 1., 1., 1., 0.,
      0., 0., 0., 1., 1., 0., 1., 1., 1., 1., 1., 1., 1., 0., 1., 0., 1.,
      1., 1., 0., 1., 1., 1., 0., 1., 0., 1., 1., 1., 1., 0., 1., 1., 0.,
      1., 1., 1., 0., 1., 1., 1., 1., 1., 1., 1.]
```

```
# Create a new Gaussian model
model = GaussianNaiveBayes()
# Fit the Gaussian model to the training data
model.fit(X training2,Y training2)
GaussianNaiveBayes()
# Predict the output labels for the test data using the trained model
Y_predicted = model.predict(X_testing2)
Y predicted
array([0., 1., 0., 0., 1., 0., 0., 1., 1., 1., 0., 0., 0., 1., 0., 0., 0.,
      1., 0., 0., 0., 0., 1., 1., 1., 0., 1., 1., 0., 1., 1., 1., 1.,
      1., 1., 1., 0., 1., 0., 1., 1., 1., 0., 0., 0., 0., 0., 1., 1., 0.,
      0., 0., 0., 1., 1., 0., 1., 1., 1., 1., 1., 1., 1., 0., 1., 0., 1.,
      1., 1., 0., 1., 1., 1., 0., 1., 0., 1., 1., 1., 1., 0., 1., 1., 0.,
      # Print the classification report for the logistic regression model
print(metrics.classification_report(Y_test, Y_predicted))
# Print the confusion matrix for the logistic regression model
print(metrics.confusion_matrix(Y_test,Y_predicted))
# Calculate the precision, recall, and thresholds for the logistic regression
precision, recall, thresholds = precision_recall_curve(Y_test,Y_predicted)
# Create a new figure and axis for the precision-recall curve
fig, ax = plt.subplots()
# Plot the precision and recall values as a curve
ax.plot(recall, precision, color='purple')
# Set the title, x-label, and y-label for the plot
ax.set title('Precision-Recall Curve')
ax.set_ylabel('Precision')
ax.set_xlabel('Recall')
# Show the plot
plt.show()
                         recall f1-score
             precision
                                           support
        0.0
                 0.97
                           0.89
                                    0.93
                                               44
        1.0
                 0.93
                           0.99
                                    0.96
                                               70
   accuracy
                                    0.95
                                              114
```

```
      macro avg
      0.95
      0.94
      0.94
      114

      weighted avg
      0.95
      0.95
      0.95
      114
```

[[39 5] [1 69]]



#Doing the GaussianNaiveBayes for 18 imp components
from sklearn.decomposition import PCA

```
#Import the PCA class from scikit-learn.
pca = PCA(n_components=18)

#Create a PCA object with 18 principal components.
PrnComp = pca.fit_transform(X)

#Fit the PCA object to the input data X and transform the data to get the
```

#Create a pandas DataFrame principalDataflow to store the principal components with column names corresponding to the component number finalDataflow3 = pd.concat([principalDataflow, Dataflow], axis = 1)

#Concatenate the principalDataflow DataFrame with the original DataFrame Dataflow along the column axis

0 1 2 3 4 564 565 566 567 568	principal	component 1 1160.142574 1269.122443 995.793889 -407.180803 930.341180 1414.126684 1045.018854 314.501756 1124.858115 -771.527622	principal	component 2 -293.917544 15.630182 39.156743 -67.380320 189.340742 110.222492 77.057589 47.553525 34.129225 -88.643106	principal	component 3 48.578398 -35.394534 -1.709753 8.672848 1.374801 40.065944 0.036669 -10.442407 -19.742087 23.889032	\
0 1 2 3 4 564 565 566 567	principal	component 4 -8.711975 17.861283 4.199340 -11.759867 8.499183 6.562240 -4.753245 -9.771881 -23.660881 2.547249	principal	component 5 32.000486 -4.334874 -0.466529 7.115461 7.6132895.102856 -12.417863 -6.156213 3.565133 -14.717566	principal	component 6 1.265415 -0.225872 -2.652811 1.299436 1.021160 -0.395424 -0.059637 -0.870726 4.086390 4.418123	\
0 1 2 3 4 564 565 566 567	principal	component 7 0.931337 -0.046037 -0.779745 -1.267304 -0.335522 -0.786751 0.449831 -2.166493 -1.705401	principal	component 8 0.148167 0.200804 -0.274026 -0.060555 0.289109 0.037082 0.509154 -0.442279 -0.359964	principal	component 9 0.745463 -0.485828 -0.173874 -0.330639 0.036087 -0.452530 -0.449986 -0.097398 0.385030	\

568		-2.815752		0.030039	9		-0.423451	L
\	principal	component 10	principal	component	11	principal	component	t 12
0 1 2 3 4		0.589359 -0.084035 -0.186994 -0.144155 -0.138502		-0.3078 0.0806 0.2793 0.9274 0.0422	642 174 471		0.043 0.033 -0.020 -0.174 -0.062	3042 0464 1720
564 565 566 567 568		-0.235185 0.493247 -0.144667 0.615467 -0.301439		0.1636 0.0076 -0.1093 0.3073 0.1333	525 147 166		0.052 0.059 0.076 -0.028 -0.119	5832 5263 3224
	principal	component 13	principal	component	14	principal	component	t 1 5
0 1 2 3 4 564 565 566 567 568		0.034777 0.045485 0.083505 0.282556 -0.114247 -0.075032 -0.015163 -0.004448 0.060561 -0.019667		0.0656 -0.0055 0.0248 0.0886 0.0022 -0.0152 0.0099 -0.0552 -0.0372 0.0133	534 824 957 274 211 985 285		-0.012 -0.026 0.043 -0.019 -0.061 -0.012 -0.031	1368 5887 3201 9548 1390 3312 2459 1873
	principal	component 16	principal	component	17	principal	component	18
0 0 0 1 0		-0.002670 -0.028715		0.0183 0.0123			0.016 -0.006	
2 0		-0.041255		0.0082	218		-0.028	3044
3		-0.034175		0.033	742		-0.016	5965
0 4 0		0.019932		-0.0192	201		0.004	1024
• •		•••			• • •			• • •
564 0		-0.054694		-0.0048	829		-0.011	L515
565 0		-0.020654		0.005	197		0.002	2106
566		-0.005414		0.0078	866		-0.004	1484

```
567
                  0.020126
                                         0.015243
                                                                0.043651
0
568
                  0.034264
                                         0.009440
                                                               -0.028323
1
[569 rows x 19 columns]
# Select a random sample of 80% of the data for training, with a fixed random
state for reproducibility
training3=finalDataflow3.sample(frac=0.8,random_state=0)
## Select the remaining 20% of the data for testing by dropping the rows that
were selected for training
testing3=finalDataflow3.drop(train.index)
# Extract the input features (principal components) for the training and test
sets
X training3 = training3.values[:,0:17]
X_testing3 = testing3.values[:,0:17]
# Extract the output labels (species) for the training and test sets
#Y_train = np.array(train.labels)
#Y test = np.array(test.labels)
Y_training3 = training3.values[:,18]
Y testing3 = testing3.values[:,18]
Y_testing3
array([0., 0., 0., 0., 0., 0., 0., 1., 1., 0., 0., 0., 1., 0., 0., 0.,
      1., 0., 0., 0., 0., 1., 0., 1., 0., 1., 1., 1., 0., 1., 1., 1.,
      1., 1., 1., 0., 1., 0., 1., 1., 1., 0., 0., 0., 0., 1., 1., 1., 0.,
      0., 0., 0., 1., 1., 0., 1., 1., 1., 1., 1., 1., 1., 0., 1., 0., 1.,
      1., 1., 0., 1., 1., 1., 0., 1., 0., 1., 1., 1., 1., 0., 1., 1., 0.,
      1., 1., 1., 0., 1., 1., 1., 1., 1., 1., 1., 1.])
# Create a new Gaussian model
model = GaussianNaiveBayes()
# Fit the Gaussian model to the training data
model.fit(X training3,Y training3)
GaussianNaiveBayes()
# Predict the output labels for the test data using the trained model
Y_predicted = model.predict(X_testing3)
Y predicted
array([0., 0., 0., 0., 1., 0., 0., 1., 1., 1., 0., 0., 0., 1., 0., 0.,
      1., 0., 1., 1., 0., 1., 1., 0., 1., 1., 0., 1., 1., 0.,
      1., 1., 1., 0., 1., 0., 1., 1., 0., 0., 0., 0., 0., 1., 1., 1., 0.,
      0., 0., 0., 1., 1., 0., 1., 1., 1., 1., 1., 1., 1., 0., 1., 0., 1.,
```

```
1., 1., 0., 1., 1., 1., 0., 1., 0., 1., 1., 1., 1., 0., 1., 1., 0.,
      1., 0., 1., 1., 1., 1., 1., 1., 1., 1., 0.])
# Print the classification report for the logistic regression model
print(metrics.classification_report(Y_test, Y_predicted))
# Print the confusion matrix for the logistic regression model
print(metrics.confusion_matrix(Y_test,Y_predicted))
# Calculate the precision, recall, and thresholds for the logistic regression
model
precision, recall, thresholds = precision_recall_curve(Y_test,Y_predicted)
# Create a new figure and axis for the precision-recall curve
fig, ax = plt.subplots()
# Plot the precision and recall values as a curve
ax.plot(recall, precision, color='purple')
# Set the title, x-label, and y-label for the plot
ax.set title('Precision-Recall Curve')
ax.set_ylabel('Precision')
ax.set_xlabel('Recall')
# Show the plot
plt.show()
             precision
                         recall f1-score
                                           support
        0.0
                 0.88
                           0.86
                                     0.87
                                                44
        1.0
                  0.92
                           0.93
                                     0.92
                                                70
                                     0.90
   accuracy
                                               114
                 0.90
                           0.90
                                     0.90
                                               114
  macro avg
                                     0.90
weighted avg
                 0.90
                           0.90
                                               114
[[38 6]
[ 5 65]]
```

