

2. N-Pacmen Search

⇒ Controlling n pacmen simultaneously.

⇒ Several pacmen can be in the same square at the same time.

⇒ At each time step, each pacman moves by at most one unit.

⇒ Goal: All the pacmen be at the same square in the minimum number of time steps.

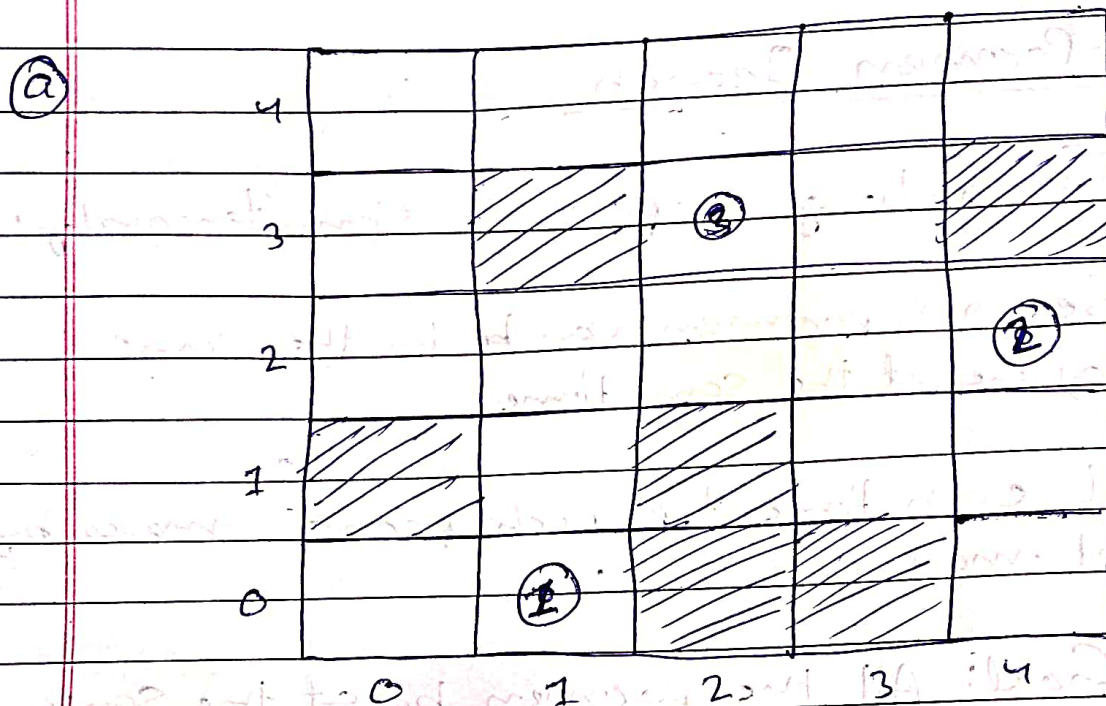
Notation

① $M \Rightarrow$ Number of squares in the maze that are not walls.

② $n \Rightarrow$ Number of pacmen

③ $P_i = (x_i, y_i) \forall i=1, \dots, n$ the position of i^{th} pacman.

⇒ Assume that maze is connected.



$$M = 19$$

$$n = 3$$

$$P_1 = (1, 0)$$

$$P_2 = (4, 2)$$

$$P_3 = (2, 3)$$

$$\text{State} \Rightarrow \{P_1, P_2, \dots, P_n\}$$

State Space \Rightarrow Set of all possible states

(b) ~~M^n~~ M^n

(c) $b \leq 5^n$

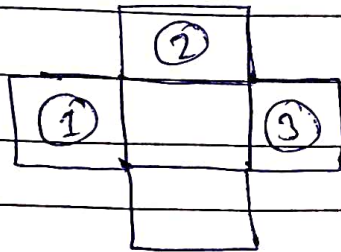
(d) b^D where $b = \text{branching factor}$
 $D = \text{depth of tree}$

$$b \leq 5^n$$

$$D \leq M/2$$

$$\left(\begin{array}{l} \text{number of node expanded} \\ \text{by uniform cost tree} \end{array} \right) \leq 5 \frac{nM}{2}$$

② (i) Nth



$$h^* = 1 \text{ but } h = 3$$

(ii) Admissible

↳ Imagine a relaxed problem where there are no walls & peerman can move diagonally.

Consistent

↳ Because each absolute value will change by at most 2 per step, meaning the h will decrease by at most 1 for each action.
(actions have cost 1)

