

Lift Force on an Aerofoil

(lab experiment)

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1 Outline

In this laboratory experiment, the focus is on determining the lift force acting on an airfoil using the Air Flow bench in a vertical wind tunnel. By examining the pressure distribution across the airfoil's surface at varying angles of attack, the experiment helps to relate these pressure to the overall lift produced by the airfoil.

2 Theory

Lift on an airfoil is important for aircraft elevation, which can be interpreted by the Coanda effect and the different pressures between top and bottom surfaces.

For a symmetric airfoil in zero angle, the lift generated is zero. After rising the angle of airfoil, the pressure variaty and producing more lift.

However, at significant angles, the airflow over the top of the wing can detach due to boundary layer effects, altering the pressure distribution and resulting in lower lift coefficients. This phenomenon is known as "stalling".

3 Method

- a. An accurate value for the density of air was determined using room temperature and atmospheric pressure, as cited in Rogers and Mayhew (1992 pp.157-8).
- b. With the aerofoil positioned at a 0° angle of attack, pressure measurements were recorded.
- c. The effective static pressure should be computed by using the atmospheric and duct inlet pressures.

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- d. Using the effective static pressure (P_{eff}) and the airbox pressure reading, calculate the free stream velocity and determined the Reynolds number with chord length.
- e. For each pressure tapping reading, the corresponding value of pressure ratio($C_{p,n}$) was calculated, and these values were plotted against ($\frac{x}{c}$). The curves were extended to represent a chord ratio of 0 and 1. Noticed that the pressure coefficient near the leading edge is approaching zero, which indicate the directing of the air is disappeared at this point. The exact position of this stagnation point changes with incident angle.
- f. From the generated curves of C_p , the lift coefficient (C_L) can be numerically integrated to derive its value.
- g. The measurements have been repeated for increasing angles of attack (in steps of 5°) up to 25° , with additional measurements at 17.5° and 22.5° . Following this, the lift coefficients were computed and a graph illustrating C_L vs. α for the aerofoil was plotted.

4 Results

The density of mercury and air and atmospheric pressure at this time can be determined from the thermometers (23.5°) and manometers($754mmHg$).

The air and mercury densities are ($1.2kg/m^3$ and $13.534 \times 10^3kg/m^3$) and the atmospheric pressure is ($100107.4792Pa$), as shown by equation $P_a = \rho_{Hg}gh$ and by consulting the table.

5 Task 3: The robot's kinematic diagram

	1	3	5	7	9	11	2	4	6	8	10	12	Atm	Airbox	Inlet
0	196	158	152	158	167	177	184	156	155	164	170	182	186	244	190
5	236	195	175	175	178	182	124	118	132	148	168	180	186	244	192
10	146	220	197	187	188	187	58	88	106	146	164	180	186	244	194
15	244	235	212	199	194	189	13	54	116	146	166	178	186	244	198
17.5	242	239	217	203	196	190	8	42	119	148	165	178	186	244	200
20	247	236	217	205	197	190	156	154	154	153	154	158	186	244	210
22.5	248	238	220	209	200	192	164	162	162	160	160	162	186	244	214
25	247	242	226	217	205	196	172	170	169	168	164	164	186	246	218

As we can see in the Figure 6.1, we can find that all the z-axis are the revolution or direction of every joints, and use the right-hand rule, we can check if all the x-axis are perpendicular both to its own z axis and the z axis of the frame before it. Apparently, the directions of all the axis are strictly following the Denavit-Hartenburg Framerule.

6 Task 3: The robot's kinematic diagram

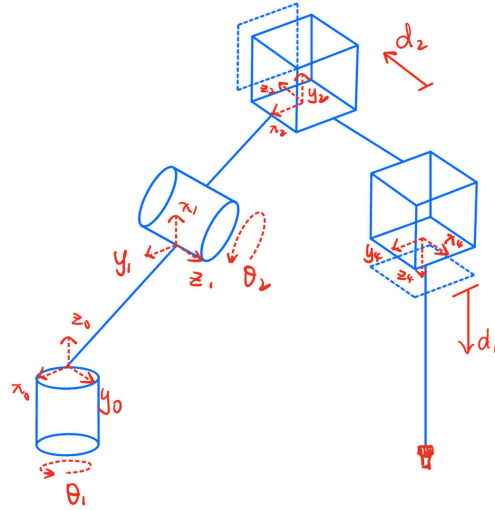


Figure 5.1: The robot's kinematic diagram

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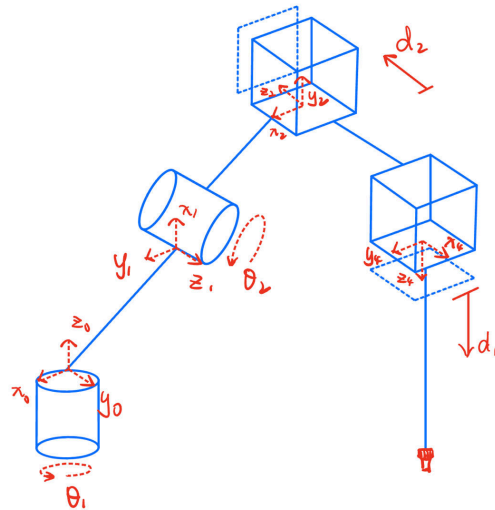


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References