CRIM250 Final Project

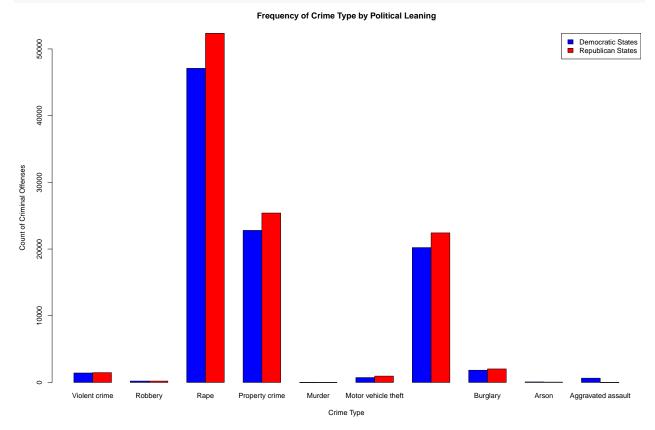
Halle Wasser, Theo Athanitis, and Tori Borlase

```
Load the data.
library(readr)
library(knitr)
dat <- read.csv(file = 'FinalProjectData.csv')</pre>
dat5 <- read.csv(file = 'FinalProjectData5.csv')</pre>
EDA
y = data.frame(Political_Leaning=c('Republican', 'Democratic'), Number=c(28,18))
colours = c("red", "blue")
w \leftarrow c(0.05, 0.05)
barplot(y$Number, width = w, main='Number of Democratic and Republican
States in the UCR Dataset', ylab='Number of States Represented in the UCR Dataset', xlab='State Politic
per of Democratic and R
Republican

Republican

State Political Affiliation
EDA
counts5 <- t(as.matrix(dat5[-1]))</pre>
counts5
      [,1] [,2] [,3] [,4] [,5] [,6]
                                        [,7] [,8] [,9] [,10]
                                   736 20223 1837
## X0 1420 214 47092 22796
                                                      82
                                                           646
## X1 1481 211 52346 25404
                                   957 22423 2028
                                                      58
                                                              5
colnames(counts5) <- dat5$crime_type</pre>
colours = c("blue", "red")
barplot(counts5, main='Frequency of Crime Type by Political Leaning', ylab='Count of Criminal Offenses'
        col=colours, ylim=c(0,max(counts5)*1))
```

legend('topright',fill=colours,legend=c('Democratic States','Republican States'))



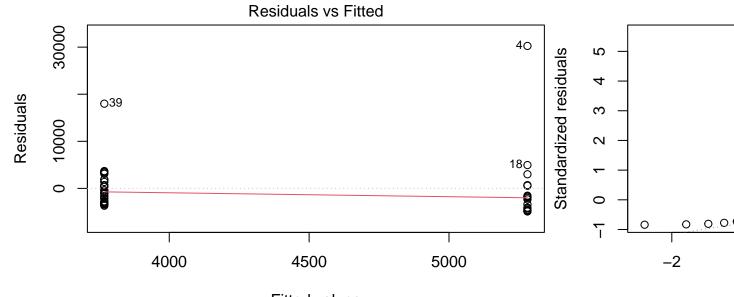
Linear Regressions

```
# Correlation between Crime and Political Affiliation
cor(dat$State.Leaning, dat$Total)
```

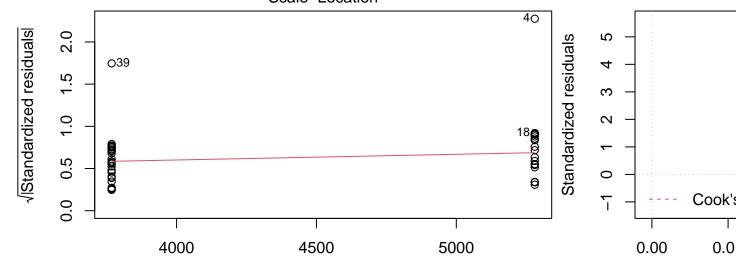
```
## [1] -0.1245639
# Total Crime Regression
reg.output <- lm(dat$Total ~ dat$State.Leaning, data = dat)
summary(reg.output)
##
## Call:
## lm(formula = dat$Total ~ dat$State.Leaning, data = dat)
##
## Residuals:
##
       Min
                1Q Median
                                ЗQ
                                       Max
## -4901.4 -3097.1 -1587.2
                             698.5 30250.6
##
## Coefficients:
##
                     Estimate Std. Error t value Pr(>|t|)
## (Intercept)
                         5280
                                    1417
                                           3.726 0.000551 ***
## dat$State.Leaning
                        -1513
                                    1816 -0.833 0.409484
##
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
##
## Residual standard error: 6012 on 44 degrees of freedom
```

Multiple R-squared: 0.01552, Adjusted R-squared: -0.006858 ## F-statistic: 0.6935 on 1 and 44 DF, p-value: 0.4095

plot(reg.output)



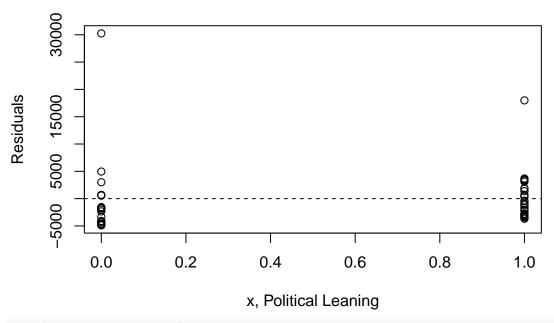
Fitted values
Im(dat\$Total ~ dat\$State.Leaning)
Scale-Location



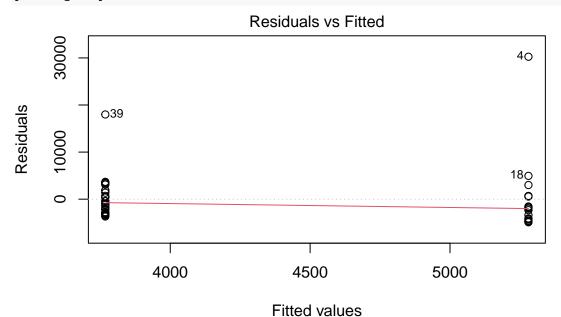
Fitted values Im(dat\$Total ~ dat\$State.Leaning)

Linearity Assumption:
plot(dat\$State.Leaning, reg.output\$residuals, main="Residuals vs. x", xlab="x, Political Leaning", ylab
abline(h = 0, lty="dashed")

Residuals vs. x

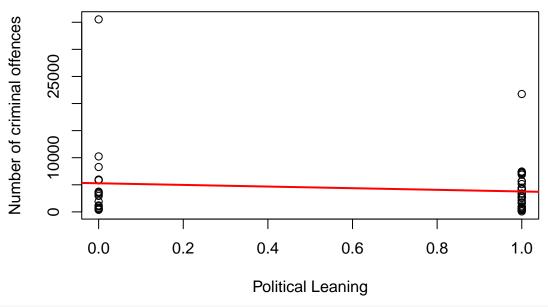


plot(reg.output, which=1)

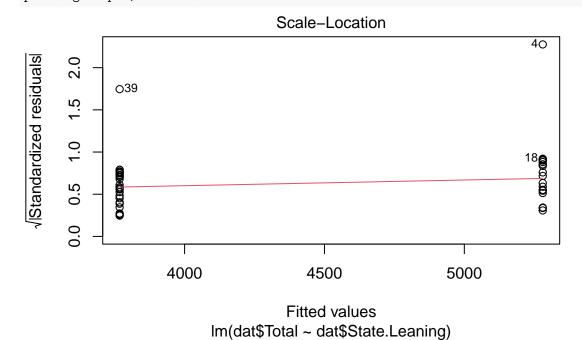


Im(dat\$Total ~ dat\$State.Leaning)

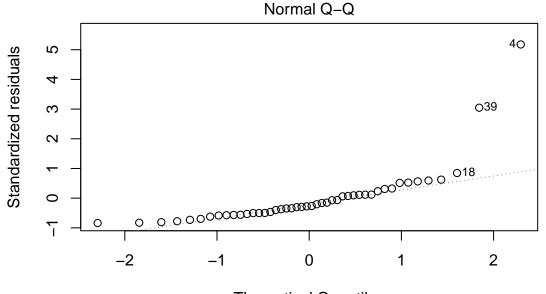
Relationship between crime and political leaning



Equal Variance Assumption/ Homoscedasticity:
plot(reg.output, which=3)

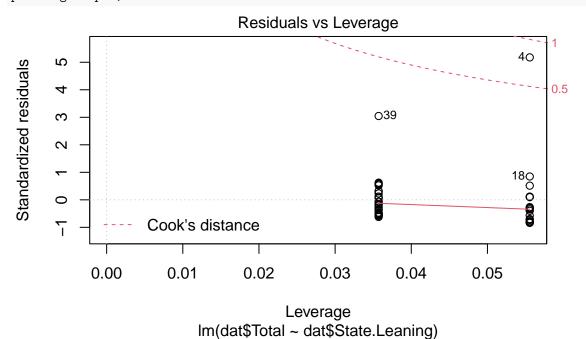


Normal Population Assumption:
plot(reg.output, which=2)



Theoretical Quantiles Im(dat\$Total ~ dat\$State.Leaning)

plot(reg.output, which=5)



```
# Rape regression
reg.output1 <- lm(dat$Rape ~ dat$State.Leaning, data = dat)
summary(reg.output1)</pre>
```

```
##
## Call:
## lm(formula = dat$Rape ~ dat$State.Leaning, data = dat)
##
## Residuals:
## Min 1Q Median 3Q Max
```

```
## -2427.2 -1536.8 -780.4
                             348.2 14986.8
##
## Coefficients:
                     Estimate Std. Error t value Pr(>|t|)
##
## (Intercept)
                       2616.2
                                   702.8
                                           3.723 0.000557 ***
                       -746.7
                                         -0.829 0.411605
## dat$State.Leaning
                                   900.8
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
##
## Residual standard error: 2982 on 44 degrees of freedom
## Multiple R-squared: 0.01538,
                                    Adjusted R-squared:
## F-statistic: 0.6872 on 1 and 44 DF, p-value: 0.4116
# Violent Crime Regression
reg.output2 <- lm(dat$Violent.crime ~ dat$State.Leaning, data = dat)
summary(reg.output2)
##
## Call:
## lm(formula = dat$Violent.crime ~ dat$State.Leaning, data = dat)
##
## Residuals:
##
     Min
              1Q Median
                            30
##
  -77.89 -46.64 -19.39
                        31.11 417.11
##
## Coefficients:
                     Estimate Std. Error t value Pr(>|t|)
##
                        78.89
                                   19.20
                                           4.108 0.000171 ***
## (Intercept)
## dat$State.Leaning
                       -26.00
                                   24.62 -1.056 0.296690
## ---
                 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
## Signif. codes:
##
## Residual standard error: 81.48 on 44 degrees of freedom
## Multiple R-squared: 0.02472,
                                    Adjusted R-squared:
## F-statistic: 1.115 on 1 and 44 DF, p-value: 0.2967
```

Linearity Assumption: This assumption is met. The residuals vs. x plot has a horizontal direction and does have a significant pattern in the data. Furthermore, the residuals vs fitted plot is fairly horizontal and flat, meaning that there is no discernible non-linear trend to the residuals.

Independence Assumption: This assumption is also met for the same reason as the linearity assumption as the residuals vs. x plot has a horizontal direction and does have a significant pattern in the data, as well as because there does not seem to be a time-series component to the data.

Equal Variance Assumption/ Homoscedasticity: This assumption is not met. The scatter plot of crimes vs. political affiliation has no variations with shrinkage in the plot. Additionally, there are significant negative trends, based on the size of the data, shown by the line in the scale-location plot showing that the errors do not have a constant variance.

Normal Population Assumption: This assumption is not met as the q-q plot has significant left skew deviations and heavy-tailed for values in this plot.

As these assumptions are not met, normally the next step would be to use the box-cox method to find the best transformation for this data, transform the x variable, and repeat this process. However, as the p-value was so large at 0.4095, demonstrating that this relationship is not statistically significant, we instead concluded that we cannot reject the null hypothesis and instead explored whether or not this relationship existed for a particular crime type variable. However, the two variables that we explored, rape and violent crime, also

had significant p-values of 0.4116 and 0.2967 respectively and we concluded that we cannot reject the null hypothesis for these indivigual variables either. While this analysis does not show a relationship between crime frequency on college campuses and the political affiliation of the state in which it is located, in the following section we will argue that it may actually exist based on a series of confounding factors and that the limitations of this dataset make it impossible to distinguish in this analysis.