



## *Network Security - an overview*

- Network Security has a number of elements; we are going to discuss here the following four:
  - protection against eavesdropping – confidentiality and privacy (note the difference between these two)
  - protection against user impersonation - authentication
  - protection against message alteration - message integrity
  - protection against denial of service
  - protection against un-authorized access
- Examples of possible security attacks:
  - passive intruder: eavesdropping
  - active intruder: message alteration, message injection (impersonation), reply attack, message deletion (denial of service)

## *There is no “absolute security”*

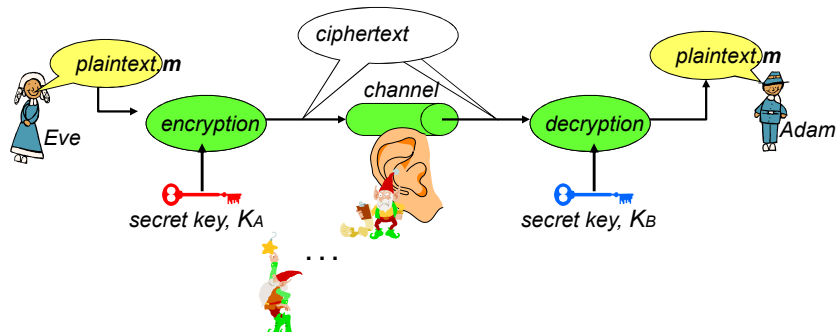
- ✱ (Security) risk of a system (or information/data, or an algorithm, or a protocol, or a process, or a procedure, etc) depends on the cyber resources and the time available to the attacker.
- ✱ Given enough time, every system can be compromised.
- ✱ Given sufficient resources (which depends on the state of the technology), every system can be compromised.
- ✱ However, (nearly always) time is of essence; i.e., (most often) information is of value for a limited time duration; e.g.,
  - ✱ tactical information (hours), strategic information (weeks, months, years), national security (decades), personal information (lifetime), etc

## *Network Security - an overview*

- We start by discussing three basic schemes used in network security:
  - the private-key cryptography (the *Data Encryption Standard - DES*)
  - the public-key cryptography (the *Rivest, Shamir, and Adleman - RSA*)
  - anonymous key distribution (the *Diffie-Hellman Key Exchange*)
- These schemes are representative examples of the corresponding cryptographic tools.
- Some of those schemes rely on existence of “one-way function.” An example of which is exponentiation over a finite field. I.e., it’s easy to find  $m = a^b \bmod n$ . But given  $m$ ,  $a$ , and  $n$ , it’s “extremely hard” (what does this mean?) to find  $b$ .

## Network Security - basic schemes

### The Private-Key Cryptography



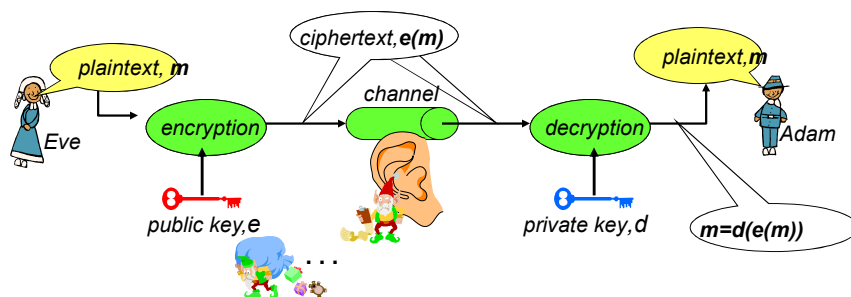
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## Network Security - basic schemes

### The Public Key Cryptography



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## Network Security - public key cryptography

- The RSA (Rivest, Shamir, Adelman) algorithm requires two elements:
  - (1) a pair of keys - a public and a private key
  - (2) an encryption/decryption algorithm
- The RSA algorithm relies on the fact that there are no known algorithms that can reasonably fast factor a number into its prime components; i.e.,  $n$  into  $p$  and  $q$ .

### (1) Choosing the key pair:

- select two large prime numbers,  $p$  and  $q$ . (The recommended size of  $p$  and  $q$  is 768[bits] for personal applications and 1024 [bits] for corporate use.)
- $n=pq$ ;  $z=(p-1)(q-1)$
- select a number  $e < z$  which is a prime relative to  $z$  ( $e$  and  $z$  have no common factors, except 1)
- select a number  $d$ , such that  $ed-1$  is divisible by  $z$ ; ( $ed \bmod z = 1$ )
- the public key is  $(n,e)$  and the private key is  $(n,d)$

## Network Security - public key cryptography

### (2) The encryption/decryption algorithm will then be:

- a message  $m$  ( $m < n$ ) is encrypted as ciphertext  $c$ :

$$c = m^e \bmod n$$

- a ciphertext is decrypted as follows:

$$m' = c^d \bmod n$$

We will show that

$$m' = m$$

Proof:

$$m' = (m^e)^d \bmod n = m^{ed} \bmod n = m$$

In the above, we have used the fact that, if  $p$  and  $q$  are prime and  $n=pq$ , then (Fermat's Little Theorem):

$$a^{(b \bmod ((p-1)(q-1)))} \bmod n = a^b \quad \text{and } m < n.$$

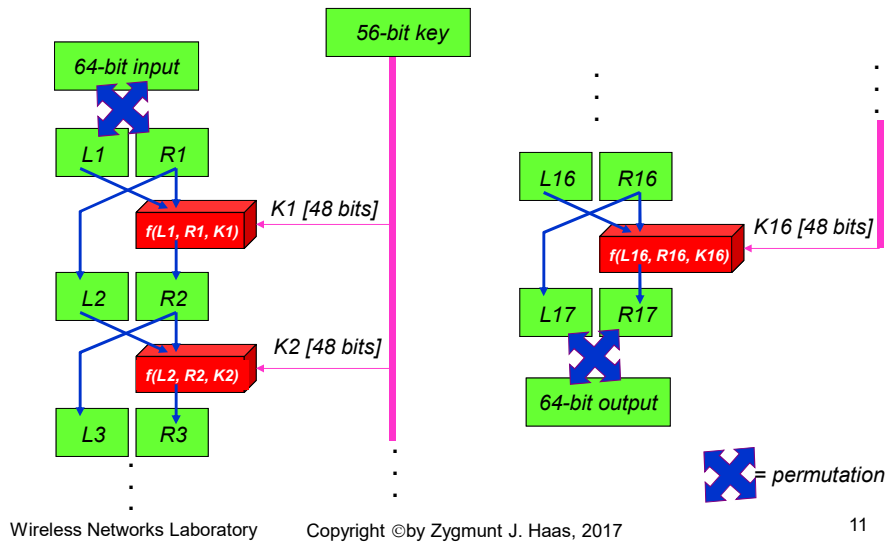
### *Network Security - the RSA (Rivest, Shamir, Adleman algorithm - an example*

- Assume that we chose  $p=5$  and  $q=11$  (both are relatively prime).
- Thus,  $n=pq=55$  and  $z=(p-1)(q-1)=40$ .
- Now we need to select a number that is relatively prime to 40, say 13 ( $13 < n$ ). So,  $e=13$  and the public key is (13,55)
- We select  $d=37$  (as  $13 \cdot 37 \bmod 40 = 1$ ). Thus the private key is (37,55).
- Now assume that our message  $m=7$ . Thus, the ciphertext is:  
 $7^{13} \bmod 55 = 2$ .
- To decode the message, we do  $2^{37} \bmod 55 = 7$ !

### *Network Security - The Data Encryption Standard (DES) (now obsolete)*

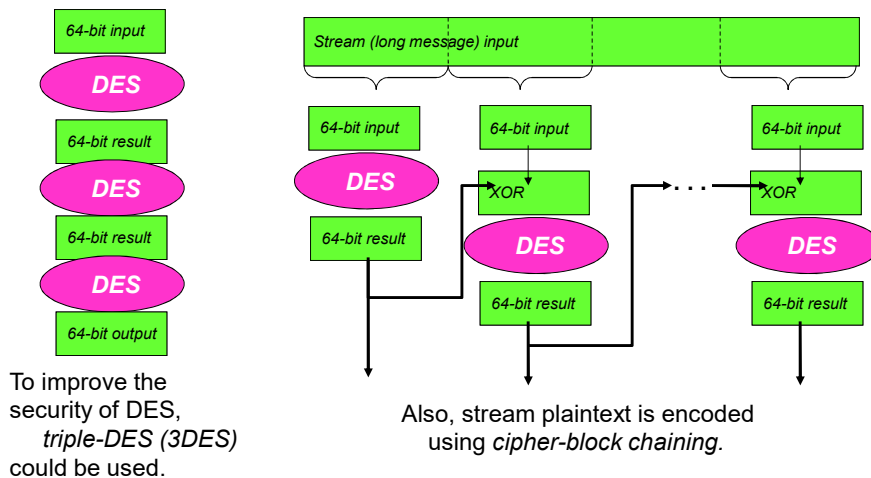
- Based on IBM's LUCIFER algorithm.
- Adopted by National Bureau of Standards (NBS).
- The banking industry adopted DES as a wholesale banking standard. (Standards for the wholesale banking industry are set by the American National Standards Institute (ANSI)).
- ANSI X3.92, adopted in 1980, specified the use of the DES algorithm.

## Network Security - The Data Encryption Standard (DES) (now obsolete)



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## Network Security - The Data Encryption Standard (DES) (now obsolete)



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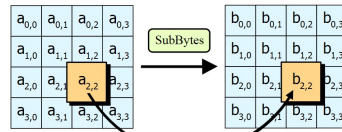
## *The Advanced Encryption Standard (AES) [NIST 2001] (replaced DES)*

- Based on *Rijndael cipher* (after the inventors Joan Daemen and Vincent Rijmen)
- The key size determines the number of repetitions of transformation rounds that convert the plaintext into ciphertext.
- The number of cycles of repetition are:
  - 128-bit keys: 10 cycles of repetition
  - 192-bit keys: 12 cycles of repetition
  - 256-bit keys: 14 cycles of repetition
- Each round consists of four step (except for the initial and final rounds); the fourth step depends on the encryption key itself.
- For decryption, a set of reverse rounds are applied that transform the ciphertext back into the original plaintext. It uses the same encryption key (i.e., it's a symmetric-key crypto-system).

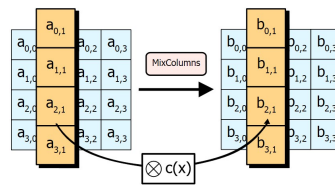
## *The Advanced Encryption Standard (AES) [NIST 2001] (replaced DES)*

- Key Expansion: *round keys* are derived from the cipher key. (AES requires a separate 128-bit *round key* for each round + one more *round key*).
- Initial Round consists of the following step:
  - AddRoundKey: each byte of the state is combined with a block of the *round key* using bitwise XOR operation.
- Each subsequent round consists of the following steps:
  - SubBytes: a non-linear substitution step where each byte is replaced with another according to a lookup table.
  - ShiftRows: a transposition step where rows of the state are shifted (cyclically) a certain number of steps.
  - MixColumns: a mixing operation, which combines the four bytes in each column.
  - AddRoundKey: round key is bitwise XORed with the state
- Final Round includes the following steps (no MixColumns step): SubBytes, ShiftRows, and AddRoundKey

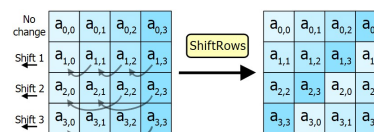
## The Advanced Encryption Standard (AES) [NIST 2001] (replaced DES)



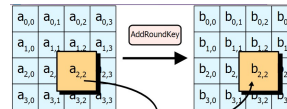
**SubBytes step:** each byte in the state is replaced with its entry in a fixed 8-bit lookup table,  $S$ ;  $b_{ij} = S(a_{ij})$ .



**MixColumns step:** each column of the state is multiplied with a fixed polynomial  $c(x)$ .



**ShiftRows step:** bytes in each row of the state are shifted cyclically to the left. The number of places each byte is shifted differs for each row



**AddRoundKey step:** each byte of the state is XORed with a byte of the round key

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## Network Security - key distribution problem - Diffie-Hellman Key Exchange

- The problem with the above schemes is that to create a secure channel, it is required to (securely) establish session keys. But in order to communicate such keys securely, we need a secure channel.
- Is it possible to establish a secure channel without prior secure communication over the channel?
- Yes - a simple approach is to distribute the keys in a different way, say by storing the keys at the manufacturing time. But this may not be a feasible solution. Why? ...
- But there is another way ...

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## Network Security - key distribution problem - Diffie-Hellman Key Exchange

- The Diffie-Hellman Key Exchange scheme relies on the fact that exponentiation over a finite field is a “one way function,” i.e., it’s easy to find  $m = a^b \bmod n$ . However, given  $m$ ,  $a$ , and  $n$ , it’s “extremely hard” to find  $b$ .
- Diffie-Hellman Key Exchange:
  - both Eve and Adam agree on a large prime number,  $N$ , and a generator,  $g$
  - Eve picks a random number,  $x$ , and computes:  $T = g^x \bmod N$
  - Adam picks a random number,  $y$ , and computes:  $R = g^y \bmod N$
  - Eve sends  $T$  to Adam, and Adam send  $R$  to Eve
  - Adam computes the share secret,  $K$ , as:  $T^y = (g^x \bmod N)^y = g^{xy} \bmod N \triangleq K$

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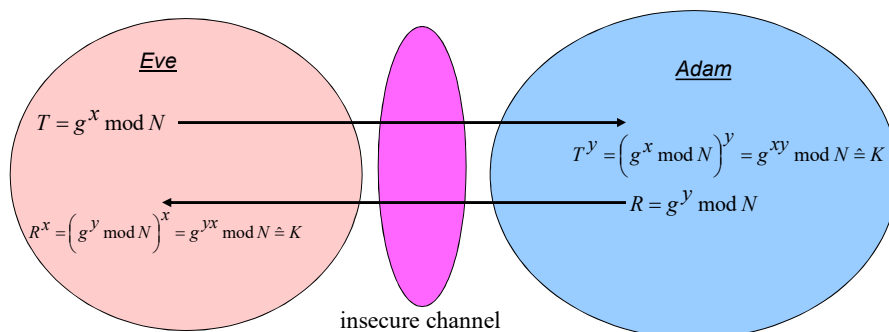
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## Network Security - key distribution problem - Diffie-Hellman Key Exchange

- Eve computes the share secret,  $K$ , as

$$R^x = (g^y \bmod N)^x = g^{yx} \bmod N \triangleq K$$



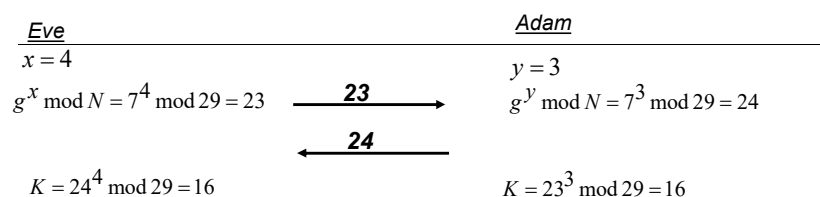
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## Network Security - key distribution problem - Diffie-Hellman Key Exchange

- Example:  $N=29$  and  $g=7$

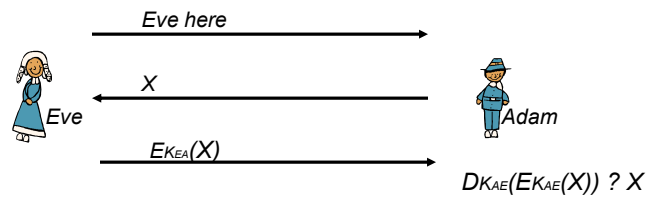


- Even knowing  $N=29$  and  $g=7$ , and the values of 23 and 24, it is impossible to get 4 and 3, respectively; i.e.,  $\log_g T$  and  $\log_g R$  are very difficult to do over finite field.

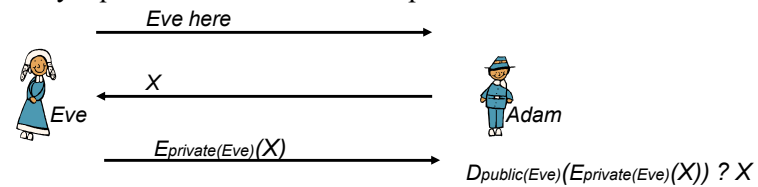
## Network Security - Authentication

- An example of an authentication protocol is;
  - Eve sends a message to Adam.
  - Adam chooses a *nonce*,  $X$ , and sends it to Eve (in the clear).
  - Eve encrypts  $X$  using a shared (symmetric) key,  $K_{AE}$ , and sends the encrypted value  $E_{K_{AE}}(X)$  to Adam.
  - Adam decrypts the  $E_{K_{AE}}(X)$  using the secret key and if  $DK_{AE}(E_{K_{AE}}(X)) = X$ , then Eve is authenticated.
- In the above scheme authentication is performed by verifying that Eve is in the possession of the shared key,  $K_{AE}$ .
- Use of nonce ensures freshness of the authentication; i.e., prevents reply attacks.

## Network Security - Authentication (con't)



- A public key equivalent authentication is possible as well:



- This assumes that public keys can be securely distributed.