

Target equation:

$$\begin{aligned}
& -ia_1u^{(1,0)}(x,t)+a_{10}u^{(10,0)}(x,t)-ia_{11}u^{(11,0)}(x,t)+a_{12}u^{(12,0)}(x,t)-ia_{13}u^{(13,0)}(x,t)+a_{14}u^{(14,0)}(x,t)- \\
& ia_{15}u^{(15,0)}(x,t)+a_{16}u^{(16,0)}(x,t)-ia_{17}u^{(17,0)}(x,t)+a_{18}u^{(18,0)}(x,t)-ia_{19}u^{(19,0)}(x,t)+a_2u^{(2,0)}(x,t)+ \\
& a_{20}u^{(20,0)}(x,t)-ia_{21}u^{(21,0)}(x,t)+a_{22}u^{(22,0)}(x,t)-ia_{23}u^{(23,0)}(x,t)+a_{24}u^{(24,0)}(x,t)-ia_{25}u^{(25,0)}(x,t)+ \\
& a_{26}u^{(26,0)}(x,t)-ia_{27}u^{(27,0)}(x,t)+a_{28}u^{(28,0)}(x,t)-ia_{29}u^{(29,0)}(x,t)-ia_3u^{(3,0)}(x,t)+a_{30}u^{(30,0)}(x,t)- \\
& ia_{31}u^{(31,0)}(x,t)+a_{32}u^{(32,0)}(x,t)-ia_{33}u^{(33,0)}(x,t)+a_{34}u^{(34,0)}(x,t)+a_4u^{(4,0)}(x,t)-ia_5u^{(5,0)}(x,t)+ \\
& a_6u^{(6,0)}(x,t)-ia_7u^{(7,0)}(x,t)+a_8u^{(8,0)}(x,t)-ia_9u^{(9,0)}(x,t)-bu(x,t)|u(x,t)|^2+iu^{(0,1)}(x,t)=0
\end{aligned}$$

Substitutions:

$$N = 17$$

$$u(x,t) \rightarrow y(z)e^{i(kx-\omega t)}$$

$$z \rightarrow x - C_0t$$

$$y(z) \rightarrow AR(z)^{17}$$

$$R'(z)^2 = R(z)^2 (1 - \chi R(z)^2)$$

Imaginary part of equation after substitutions:

$$\begin{aligned}
& -278256a_{34}y^{(5)}(z)k^{29}+237336a_{33}y^{(5)}(z)k^{28}+201376a_{32}y^{(5)}(z)k^{27}+5379616a_{34}y^{(7)}(z)k^{27}-169911a_{31}y^{(5)}(z)k^{27} \\
& 4272048a_{33}y^{(7)}(z)k^{26}-142506a_{30}y^{(5)}(z)k^{25}-3365856a_{32}y^{(7)}(z)k^{25}-52451256a_{34}y^{(9)}(z)k^{25}+ \\
& 118755a_{29}y^{(5)}(z)k^{24}+2629575a_{31}y^{(7)}(z)k^{24}+38567100a_{33}y^{(9)}(z)k^{24}+98280a_{28}y^{(5)}(z)k^{23}+2035800a_{30}y^{(7)}(z)k^{23} \\
& 28048800a_{32}y^{(9)}(z)k^{23}+286097760a_{34}y^{(11)}(z)k^{23}-80730a_{27}y^{(5)}(z)k^{22}-1560780a_{29}y^{(7)}(z)k^{22}- \\
& 20160075a_{31}y^{(9)}(z)k^{22}-193536720a_{33}y^{(11)}(z)k^{22}-65780a_{26}y^{(5)}(z)k^{21}-1184040a_{28}y^{(7)}(z)k^{21}- \\
& 14307150a_{30}y^{(9)}(z)k^{21}-129024480a_{32}y^{(11)}(z)k^{21}-927983760a_{34}y^{(13)}(z)k^{21}+53130a_{25}y^{(5)}(z)k^{20}+ \\
& 888030a_{27}y^{(7)}(z)k^{20}+10015005a_{29}y^{(9)}(z)k^{20}+84672315a_{31}y^{(11)}(z)k^{20}+573166440a_{33}y^{(13)}(z)k^{20}+ \\
& 42504a_{24}y^{(5)}(z)k^{19}+657800a_{26}y^{(7)}(z)k^{19}+6906900a_{28}y^{(9)}(z)k^{19}+54627300a_{30}y^{(11)}(z)k^{19}+347373600a_{32}y^{(13)}(z)k^{19} \\
& 1855967520a_{34}y^{(15)}(z)k^{19}-33649a_{23}y^{(5)}(z)k^{18}-480700a_{25}y^{(7)}(z)k^{18}-4686825a_{27}y^{(9)}(z)k^{18}- \\
& 34597290a_{29}y^{(11)}(z)k^{18}-206253075a_{31}y^{(13)}(z)k^{18}-1037158320a_{33}y^{(15)}(z)k^{18}-26334a_{22}y^{(5)}(z)k^{17}- \\
& 346104a_{24}y^{(7)}(z)k^{17}-3124550a_{26}y^{(9)}(z)k^{17}-21474180a_{28}y^{(11)}(z)k^{17}-119759850a_{30}y^{(13)}(z)k^{17}- \\
& 565722720a_{32}y^{(15)}(z)k^{17}-2333606220a_{34}y^{(17)}(z)k^{17}+20349a_{21}y^{(5)}(z)k^{16}+245157a_{23}y^{(7)}(z)k^{16}+ \\
& 2042975a_{25}y^{(9)}(z)k^{16}+13037895a_{27}y^{(11)}(z)k^{16}+67863915a_{29}y^{(13)}(z)k^{16}+300540195a_{31}y^{(15)}(z)k^{16}+ \\
& 1166803110a_{33}y^{(17)}(z)k^{16}+15504a_{20}y^{(5)}(z)k^{15}+170544a_{22}y^{(7)}(z)k^{15}+1307504a_{24}y^{(9)}(z)k^{15}+ \\
& 7726160a_{26}y^{(11)}(z)k^{15}+37442160a_{28}y^{(13)}(z)k^{15}+155117520a_{30}y^{(15)}(z)k^{15}+565722720a_{32}y^{(17)}(z)k^{15}+ \\
& 1855967520a_{34}y^{(19)}(z)k^{15}-11628a_{19}y^{(5)}(z)k^{14}-116280a_{21}y^{(7)}(z)k^{14}-817190a_{23}y^{(9)}(z)k^{14}- \\
& 4457400a_{25}y^{(11)}(z)k^{14}-20058300a_{27}y^{(13)}(z)k^{14}-77558760a_{29}y^{(15)}(z)k^{14}-265182525a_{31}y^{(17)}(z)k^{14}- \\
& 818809200a_{33}y^{(19)}(z)k^{14}-8568a_{18}y^{(5)}(z)k^{13}-77520a_{20}y^{(7)}(z)k^{13}-497420a_{22}y^{(9)}(z)k^{13}-2496144a_{24}y^{(11)}(z)k^{13} \\
& 10400600a_{26}y^{(13)}(z)k^{13}-37442160a_{28}y^{(15)}(z)k^{13}-119759850a_{30}y^{(17)}(z)k^{13}-347373600a_{32}y^{(19)}(z)k^{13}- \\
& 927983760a_{34}y^{(21)}(z)k^{13}+6188a_{17}y^{(5)}(z)k^{12}+50388a_{19}y^{(7)}(z)k^{12}+293930a_{21}y^{(9)}(z)k^{12}+1352078a_{23}y^{(11)}(z)k^{12}
\end{aligned}$$

$$\begin{aligned}
& 5200300a_{25}y^{(13)}(z)k^{12}+17383860a_{27}y^{(15)}(z)k^{12}+51895935a_{29}y^{(17)}(z)k^{12}+141120525a_{31}y^{(19)}(z)k^{12}+ \\
& 354817320a_{33}y^{(21)}(z)k^{12}+4368a_{16}y^{(5)}(z)k^{11}+31824a_{18}y^{(7)}(z)k^{11}+167960a_{20}y^{(9)}(z)k^{11}+705432a_{22}y^{(11)}(z)k^{11}- \\
& 2496144a_{24}y^{(13)}(z)k^{11}+7726160a_{26}y^{(15)}(z)k^{11}+21474180a_{28}y^{(17)}(z)k^{11}+54627300a_{30}y^{(19)}(z)k^{11}+ \\
& 129024480a_{32}y^{(21)}(z)k^{11}+286097760a_{34}y^{(23)}(z)k^{11}-3003a_{15}y^{(5)}(z)k^{10}-19448a_{17}y^{(7)}(z)k^{10}- \\
& 92378a_{19}y^{(9)}(z)k^{10}-352716a_{21}y^{(11)}(z)k^{10}-1144066a_{23}y^{(13)}(z)k^{10}-3268760a_{25}y^{(15)}(z)k^{10}-8436285a_{27}y^{(17)}(z)k^{10}- \\
& 20030010a_{29}y^{(19)}(z)k^{10}-44352165a_{31}y^{(21)}(z)k^{10}-92561040a_{33}y^{(23)}(z)k^{10}-2002a_{14}y^{(5)}(z)k^9- \\
& 11440a_{16}y^{(7)}(z)k^9-48620a_{18}y^{(9)}(z)k^9-167960a_{20}y^{(11)}(z)k^9-497420a_{22}y^{(13)}(z)k^9-1307504a_{24}y^{(15)}(z)k^9- \\
& 3124550a_{26}y^{(17)}(z)k^9-6906900a_{28}y^{(19)}(z)k^9-14307150a_{30}y^{(21)}(z)k^9-28048800a_{32}y^{(23)}(z)k^9- \\
& 52451256a_{34}y^{(25)}(z)k^9+1287a_{13}y^{(5)}(z)k^8+6435a_{15}y^{(7)}(z)k^8+24310a_{17}y^{(9)}(z)k^8+75582a_{19}y^{(11)}(z)k^8+ \\
& 203490a_{21}y^{(13)}(z)k^8+490314a_{23}y^{(15)}(z)k^8+1081575a_{25}y^{(17)}(z)k^8+2220075a_{27}y^{(19)}(z)k^8+4292145a_{29}y^{(21)}(z)k^8+ \\
& 7888725a_{31}y^{(23)}(z)k^8+13884156a_{33}y^{(25)}(z)k^8+792a_{12}y^{(5)}(z)k^7+3432a_{14}y^{(7)}(z)k^7+11440a_{16}y^{(9)}(z)k^7+ \\
& 31824a_{18}y^{(11)}(z)k^7+77520a_{20}y^{(13)}(z)k^7+170544a_{22}y^{(15)}(z)k^7+346104a_{24}y^{(17)}(z)k^7+657800a_{26}y^{(19)}(z)k^7+ \\
& 1184040a_{28}y^{(21)}(z)k^7+2035800a_{30}y^{(23)}(z)k^7+3365856a_{32}y^{(25)}(z)k^7+5379616a_{34}y^{(27)}(z)k^7- \\
& 462a_{11}y^{(5)}(z)k^6-1716a_{13}y^{(7)}(z)k^6-5005a_{15}y^{(9)}(z)k^6-12376a_{17}y^{(11)}(z)k^6-27132a_{19}y^{(13)}(z)k^6- \\
& 54264a_{21}y^{(15)}(z)k^6-100947a_{23}y^{(17)}(z)k^6-177100a_{25}y^{(19)}(z)k^6-296010a_{27}y^{(21)}(z)k^6-475020a_{29}y^{(23)}(z)k^6- \\
& 736281a_{31}y^{(25)}(z)k^6-1107568a_{33}y^{(27)}(z)k^6-252a_{10}y^{(5)}(z)k^5-792a_{12}y^{(7)}(z)k^5-2002a_{14}y^{(9)}(z)k^5- \\
& 4368a_{16}y^{(11)}(z)k^5-8568a_{18}y^{(13)}(z)k^5-15504a_{20}y^{(15)}(z)k^5-26334a_{22}y^{(17)}(z)k^5-42504a_{24}y^{(19)}(z)k^5- \\
& 65780a_{26}y^{(21)}(z)k^5-98280a_{28}y^{(23)}(z)k^5-142506a_{30}y^{(25)}(z)k^5-201376a_{32}y^{(27)}(z)k^5-278256a_{34}y^{(29)}(z)k^5+ \\
& 126a_9y^{(5)}(z)k^4+330a_{11}y^{(7)}(z)k^4+715a_{13}y^{(9)}(z)k^4+1365a_{15}y^{(11)}(z)k^4+2380a_{17}y^{(13)}(z)k^4+ \\
& 3876a_{19}y^{(15)}(z)k^4+5985a_{21}y^{(17)}(z)k^4+8855a_{23}y^{(19)}(z)k^4+12650a_{25}y^{(21)}(z)k^4+17550a_{27}y^{(23)}(z)k^4+ \\
& 23751a_{29}y^{(25)}(z)k^4+31465a_{31}y^{(27)}(z)k^4+40920a_{33}y^{(29)}(z)k^4+56a_8y^{(5)}(z)k^3+120a_{10}y^{(7)}(z)k^3+ \\
& 220a_{12}y^{(9)}(z)k^3+364a_{14}y^{(11)}(z)k^3+560a_{16}y^{(13)}(z)k^3+816a_{18}y^{(15)}(z)k^3+1140a_{20}y^{(17)}(z)k^3+ \\
& 1540a_{22}y^{(19)}(z)k^3+2024a_{24}y^{(21)}(z)k^3+2600a_{26}y^{(23)}(z)k^3+3276a_{28}y^{(25)}(z)k^3+4060a_{30}y^{(27)}(z)k^3+ \\
& 4960a_{32}y^{(29)}(z)k^3+5984a_{34}y^{(31)}(z)k^3-21a_7y^{(5)}(z)k^2-36a_9y^{(7)}(z)k^2-55a_{11}y^{(9)}(z)k^2-78a_{13}y^{(11)}(z)k^2- \\
& 105a_{15}y^{(13)}(z)k^2-136a_{17}y^{(15)}(z)k^2-171a_{19}y^{(17)}(z)k^2-210a_{21}y^{(19)}(z)k^2-253a_{23}y^{(21)}(z)k^2- \\
& 300a_{25}y^{(23)}(z)k^2-351a_{27}y^{(25)}(z)k^2-406a_{29}y^{(27)}(z)k^2-465a_{31}y^{(29)}(z)k^2-528a_{33}y^{(31)}(z)k^2- \\
& 6a_6y^{(5)}(z)k-8a_8y^{(7)}(z)k-10a_{10}y^{(9)}(z)k-12a_{12}y^{(11)}(z)k-14a_{14}y^{(13)}(z)k-16a_{16}y^{(15)}(z)k- \\
& 18a_{18}y^{(17)}(z)k-20a_{20}y^{(19)}(z)k-22a_{22}y^{(21)}(z)k-24a_{24}y^{(23)}(z)k-26a_{26}y^{(25)}(z)k-28a_{28}y^{(27)}(z)k- \\
& 30a_{30}y^{(29)}(z)k-32a_{32}y^{(31)}(z)k-34a_{34}y^{(33)}(z)k+(a_1-C0+k(k(4a_4+k(5a_5+k(k(8a_8+k(9a_9+k(\\
& (a_3+k(k(20a_6+k(35a_7+k(k(120a_{10}+k(165a_{11}+k(k(364a_{14}+k(455a_{15}+k(k(816a_{18}+k(\\
& a_5y^{(5)}(z)+a_7y^{(7)}(z)+a_9y^{(9)}(z)+a_{11}y^{(11)}(z)+a_{13}y^{(13)}(z)+a_{15}y^{(15)}(z)+a_{17}y^{(17)}(z)+a_{19}y^{(19)}(z)+ \\
& a_{21}y^{(21)}(z)+a_{23}y^{(23)}(z)+a_{25}y^{(25)}(z)+a_{27}y^{(27)}(z)+a_{29}y^{(29)}(z)+a_{31}y^{(31)}(z)+a_{33}y^{(33)}(z)=0
\end{aligned}$$

Real part of equation after substitutions:

$$-46376a_{34}y^{(4)}(z)k^{30}+40920a_{33}y^{(4)}(z)k^{29}+35960a_{32}y^{(4)}(z)k^{28}+1344904a_{34}y^{(6)}(z)k^{28}-31465a_{31}y^{(4)}(z)k^{27}-$$

$$\begin{aligned}
& 1107568a_{33}y^{(6)}(z)k^{27}-27405a_{30}y^{(4)}(z)k^{26}-906192a_{32}y^{(6)}(z)k^{26}-18156204a_{34}y^{(8)}(z)k^{26}+23751a_{29}y^{(4)}(z)k^{25}+ \\
& 736281a_{31}y^{(6)}(z)k^{25}+13884156a_{33}y^{(8)}(z)k^{25}+20475a_{28}y^{(4)}(z)k^{24}+593775a_{30}y^{(6)}(z)k^{24}+10518300a_{32}y^{(8)}(z)k^{24}+ \\
& 131128140a_{34}y^{(10)}(z)k^{24}-17550a_{27}y^{(4)}(z)k^{23}-475020a_{29}y^{(6)}(z)k^{23}-7888725a_{31}y^{(8)}(z)k^{23}- \\
& 92561040a_{33}y^{(10)}(z)k^{23}-14950a_{26}y^{(4)}(z)k^{22}-376740a_{28}y^{(6)}(z)k^{22}-5852925a_{30}y^{(8)}(z)k^{22}-64512240a_{32}y^{(10)}(z)k^{22}+ \\
& 548354040a_{34}y^{(12)}(z)k^{22}+12650a_{25}y^{(4)}(z)k^{21}+296010a_{27}y^{(6)}(z)k^{21}+4292145a_{29}y^{(8)}(z)k^{21}+44352165a_{31}y^{(10)}(z)k^{21}+ \\
& 354817320a_{33}y^{(12)}(z)k^{21}+10626a_{24}y^{(4)}(z)k^{20}+230230a_{26}y^{(6)}(z)k^{20}+3108105a_{28}y^{(8)}(z)k^{20}+30045015a_{30}y^{(10)}(z)k^{20}+ \\
& 225792840a_{32}y^{(12)}(z)k^{20}+1391975640a_{34}y^{(14)}(z)k^{20}-8855a_{23}y^{(4)}(z)k^{19}-177100a_{25}y^{(6)}(z)k^{19}- \\
& 2220075a_{27}y^{(8)}(z)k^{19}-20030010a_{29}y^{(10)}(z)k^{19}-141120525a_{31}y^{(12)}(z)k^{19}-818809200a_{33}y^{(14)}(z)k^{19}-\blacksquare \\
& 7315a_{22}y^{(4)}(z)k^{18}-134596a_{24}y^{(6)}(z)k^{18}-1562275a_{26}y^{(8)}(z)k^{18}-13123110a_{28}y^{(10)}(z)k^{18}-86493225a_{30}y^{(12)}(z)k^{18}+ \\
& 471435600a_{32}y^{(14)}(z)k^{18}-2203961430a_{34}y^{(16)}(z)k^{18}+5985a_{21}y^{(4)}(z)k^{17}+100947a_{23}y^{(6)}(z)k^{17}+ \\
& 1081575a_{25}y^{(8)}(z)k^{17}+8436285a_{27}y^{(10)}(z)k^{17}+51895935a_{29}y^{(12)}(z)k^{17}+265182525a_{31}y^{(14)}(z)k^{17}+\blacksquare \\
& 1166803110a_{33}y^{(16)}(z)k^{17}+4845a_{20}y^{(4)}(z)k^{16}+74613a_{22}y^{(6)}(z)k^{16}+735471a_{24}y^{(8)}(z)k^{16}+5311735a_{26}y^{(10)}(z)k^{16}+ \\
& 30421755a_{28}y^{(12)}(z)k^{16}+145422675a_{30}y^{(14)}(z)k^{16}+601080390a_{32}y^{(16)}(z)k^{16}+2203961430a_{34}y^{(18)}(z)k^{16}-\blacksquare \\
& 3876a_{19}y^{(4)}(z)k^{15}-54264a_{21}y^{(6)}(z)k^{15}-490314a_{23}y^{(8)}(z)k^{15}-3268760a_{25}y^{(10)}(z)k^{15}-17383860a_{27}y^{(12)}(z)k^{15}+ \\
& 77558760a_{29}y^{(14)}(z)k^{15}-300540195a_{31}y^{(16)}(z)k^{15}-1037158320a_{33}y^{(18)}(z)k^{15}-3060a_{18}y^{(4)}(z)k^{14}-\blacksquare \\
& 38760a_{20}y^{(6)}(z)k^{14}-319770a_{22}y^{(8)}(z)k^{14}-1961256a_{24}y^{(10)}(z)k^{14}-9657700a_{26}y^{(12)}(z)k^{14}-40116600a_{28}y^{(14)}(z)k^{14}+ \\
& 145422675a_{30}y^{(16)}(z)k^{14}-471435600a_{32}y^{(18)}(z)k^{14}-1391975640a_{34}y^{(20)}(z)k^{14}+2380a_{17}y^{(4)}(z)k^{13}+\blacksquare \\
& 27132a_{19}y^{(6)}(z)k^{13}+203490a_{21}y^{(8)}(z)k^{13}+1144066a_{23}y^{(10)}(z)k^{13}+5200300a_{25}y^{(12)}(z)k^{13}+20058300a_{27}y^{(14)}(z)k^{13}+ \\
& 67863915a_{29}y^{(16)}(z)k^{13}+206253075a_{31}y^{(18)}(z)k^{13}+573166440a_{33}y^{(20)}(z)k^{13}+1820a_{16}y^{(4)}(z)k^{12}+ \\
& 18564a_{18}y^{(6)}(z)k^{12}+125970a_{20}y^{(8)}(z)k^{12}+646646a_{22}y^{(10)}(z)k^{12}+2704156a_{24}y^{(12)}(z)k^{12}+9657700a_{26}y^{(14)}(z)k^{12}+ \\
& 30421755a_{28}y^{(16)}(z)k^{12}+86493225a_{30}y^{(18)}(z)k^{12}+225792840a_{32}y^{(20)}(z)k^{12}+548354040a_{34}y^{(22)}(z)k^{12}-\blacksquare \\
& 1365a_{15}y^{(4)}(z)k^{11}-12376a_{17}y^{(6)}(z)k^{11}-75582a_{19}y^{(8)}(z)k^{11}-352716a_{21}y^{(10)}(z)k^{11}-1352078a_{23}y^{(12)}(z)k^{11}-\blacksquare \\
& 4457400a_{25}y^{(14)}(z)k^{11}-13037895a_{27}y^{(16)}(z)k^{11}-34597290a_{29}y^{(18)}(z)k^{11}-84672315a_{31}y^{(20)}(z)k^{11}-\blacksquare \\
& 193536720a_{33}y^{(22)}(z)k^{11}-1001a_{14}y^{(4)}(z)k^{10}-8008a_{16}y^{(6)}(z)k^{10}-43758a_{18}y^{(8)}(z)k^{10}-184756a_{20}y^{(10)}(z)k^{10}-\blacksquare \\
& 646646a_{22}y^{(12)}(z)k^{10}-1961256a_{24}y^{(14)}(z)k^{10}-5311735a_{26}y^{(16)}(z)k^{10}-13123110a_{28}y^{(18)}(z)k^{10}- \\
& 30045015a_{30}y^{(20)}(z)k^{10}-64512240a_{32}y^{(22)}(z)k^{10}-131128140a_{34}y^{(24)}(z)k^{10}+715a_{13}y^{(4)}(z)k^9+ \\
& 5005a_{15}y^{(6)}(z)k^9+24310a_{17}y^{(8)}(z)k^9+92378a_{19}y^{(10)}(z)k^9+293930a_{21}y^{(12)}(z)k^9+817190a_{23}y^{(14)}(z)k^9+\blacksquare \\
& 2042975a_{25}y^{(16)}(z)k^9+4686825a_{27}y^{(18)}(z)k^9+10015005a_{29}y^{(20)}(z)k^9+20160075a_{31}y^{(22)}(z)k^9+ \\
& 38567100a_{33}y^{(24)}(z)k^9+495a_{12}y^{(4)}(z)k^8+3003a_{14}y^{(6)}(z)k^8+12870a_{16}y^{(8)}(z)k^8+43758a_{18}y^{(10)}(z)k^8+\blacksquare \\
& 125970a_{20}y^{(12)}(z)k^8+319770a_{22}y^{(14)}(z)k^8+735471a_{24}y^{(16)}(z)k^8+1562275a_{26}y^{(18)}(z)k^8+3108105a_{28}y^{(20)}(z)k^8+ \\
& 5852925a_{30}y^{(22)}(z)k^8+10518300a_{32}y^{(24)}(z)k^8+18156204a_{34}y^{(26)}(z)k^8-330a_{11}y^{(4)}(z)k^7-1716a_{13}y^{(6)}(z)k^7-\blacksquare \\
& 6435a_{15}y^{(8)}(z)k^7-19448a_{17}y^{(10)}(z)k^7-50388a_{19}y^{(12)}(z)k^7-116280a_{21}y^{(14)}(z)k^7-245157a_{23}y^{(16)}(z)k^7-\blacksquare \\
& 480700a_{25}y^{(18)}(z)k^7-888030a_{27}y^{(20)}(z)k^7-1560780a_{29}y^{(22)}(z)k^7-2629575a_{31}y^{(24)}(z)k^7-4272048a_{33}y^{(26)}(z)k^7+ \\
& 210a_{10}y^{(4)}(z)k^6-924a_{12}y^{(6)}(z)k^6-3003a_{14}y^{(8)}(z)k^6-8008a_{16}y^{(10)}(z)k^6-18564a_{18}y^{(12)}(z)k^6-
\end{aligned}$$

$$\begin{aligned}
& 38760a_{20}y^{(14)}(z)k^6 - 74613a_{22}y^{(16)}(z)k^6 - 134596a_{24}y^{(18)}(z)k^6 - 230230a_{26}y^{(20)}(z)k^6 - 376740a_{28}y^{(22)}(z)k^6 - \\
& 593775a_{30}y^{(24)}(z)k^6 - 906192a_{32}y^{(26)}(z)k^6 - 1344904a_{34}y^{(28)}(z)k^6 + 126a_9y^{(4)}(z)k^5 + 462a_{11}y^{(6)}(z)k^5 + \\
& 1287a_{13}y^{(8)}(z)k^5 + 3003a_{15}y^{(10)}(z)k^5 + 6188a_{17}y^{(12)}(z)k^5 + 11628a_{19}y^{(14)}(z)k^5 + 20349a_{21}y^{(16)}(z)k^5 + \\
& 33649a_{23}y^{(18)}(z)k^5 + 53130a_{25}y^{(20)}(z)k^5 + 80730a_{27}y^{(22)}(z)k^5 + 118755a_{29}y^{(24)}(z)k^5 + 169911a_{31}y^{(26)}(z)k^5 + \\
& 237336a_{33}y^{(28)}(z)k^5 + 70a_8y^{(4)}(z)k^4 + 210a_{10}y^{(6)}(z)k^4 + 495a_{12}y^{(8)}(z)k^4 + 1001a_{14}y^{(10)}(z)k^4 + \\
& 1820a_{16}y^{(12)}(z)k^4 + 3060a_{18}y^{(14)}(z)k^4 + 4845a_{20}y^{(16)}(z)k^4 + 7315a_{22}y^{(18)}(z)k^4 + 10626a_{24}y^{(20)}(z)k^4 + \\
& 14950a_{26}y^{(22)}(z)k^4 + 20475a_{28}y^{(24)}(z)k^4 + 27405a_{30}y^{(26)}(z)k^4 + 35960a_{32}y^{(28)}(z)k^4 + 46376a_{34}y^{(30)}(z)k^4 - \\
& 35a_7y^{(4)}(z)k^3 - 84a_9y^{(6)}(z)k^3 - 165a_{11}y^{(8)}(z)k^3 - 286a_{13}y^{(10)}(z)k^3 - 455a_{15}y^{(12)}(z)k^3 - 680a_{17}y^{(14)}(z)k^3 - \\
& 969a_{19}y^{(16)}(z)k^3 - 1330a_{21}y^{(18)}(z)k^3 - 1771a_{23}y^{(20)}(z)k^3 - 2300a_{25}y^{(22)}(z)k^3 - 2925a_{27}y^{(24)}(z)k^3 - \\
& 3654a_{29}y^{(26)}(z)k^3 - 4495a_{31}y^{(28)}(z)k^3 - 5456a_{33}y^{(30)}(z)k^3 - 15a_6y^{(4)}(z)k^2 - 28a_8y^{(6)}(z)k^2 - 45a_{10}y^{(8)}(z)k^2 - \\
& 66a_{12}y^{(10)}(z)k^2 - 91a_{14}y^{(12)}(z)k^2 - 120a_{16}y^{(14)}(z)k^2 - 153a_{18}y^{(16)}(z)k^2 - 190a_{20}y^{(18)}(z)k^2 - 231a_{22}y^{(20)}(z)k^2 - \\
& 276a_{24}y^{(22)}(z)k^2 - 325a_{26}y^{(24)}(z)k^2 - 378a_{28}y^{(26)}(z)k^2 - 435a_{30}y^{(28)}(z)k^2 - 496a_{32}y^{(30)}(z)k^2 - \\
& 561a_{34}y^{(32)}(z)k^2 + 5a_5y^{(4)}(z)k + 7a_7y^{(6)}(z)k + 9a_9y^{(8)}(z)k + 11a_{11}y^{(10)}(z)k + 13a_{13}y^{(12)}(z)k + \\
& 15a_{15}y^{(14)}(z)k + 17a_{17}y^{(16)}(z)k + 19a_{19}y^{(18)}(z)k + 21a_{21}y^{(20)}(z)k + 23a_{23}y^{(22)}(z)k + 25a_{25}y^{(24)}(z)k + \\
& 27a_{27}y^{(26)}(z)k + 29a_{29}y^{(28)}(z)k + 31a_{31}y^{(30)}(z)k + 33a_{33}y^{(32)}(z)k - by(z)^3 + (-a_{34}k^{34} + a_{33}k^{33} + a_{32}k^{32} - a_{31}k^{31} \\
& (a_2 + k(3a_3 + k(k(15a_6 + k(21a_7 + k(k(45a_{10} + k(55a_{11} + k(k(91a_{14} + k(105a_{15} + k(k(153a_{19} \\
& a_4y^{(4)}(z) + a_6y^{(6)}(z) + a_8y^{(8)}(z) + a_{10}y^{(10)}(z) + a_{12}y^{(12)}(z) + a_{14}y^{(14)}(z) + a_{16}y^{(16)}(z) + a_{18}y^{(18)}(z) + \\
& a_{20}y^{(20)}(z) + a_{22}y^{(22)}(z) + a_{24}y^{(24)}(z) + a_{26}y^{(26)}(z) + a_{28}y^{(28)}(z) + a_{30}y^{(30)}(z) + a_{32}y^{(32)}(z) + \\
& a_{34}y^{(34)}(z) = 0
\end{aligned}$$

Constraints on coefficients from imaginary part of equation:

$$\begin{aligned}
a_{33} & \rightarrow 34a_{34}k \\
a_{31} & \rightarrow 32a_{32}k + 11968a_{34}k^3 \\
a_{29} & \rightarrow 30a_{30}k + 9920a_{32}k^3 + 4452096a_{34}k^5 \\
a_{27} & \rightarrow 28a_{28}k + 8120a_{30}k^3 + 3222016a_{32}k^5 + 146325552a_{34}k^7 \\
a_{25} & \rightarrow 26a_{26}k + 6552a_{28}k^3 + 2280096a_{30}k^5 + 915512832a_{32}k^7 + 416253167616a_{34}k^9 \\
a_{23} & \rightarrow 24a_{24}k + 5200a_{26}k^3 + 1572480a_{28}k^5 + 553737600a_{30}k^7 + 222595276800a_{32}k^9 + 101219098705920a_{34}k^{11} \\
a_{21} & \rightarrow 22a_{22}k + 4048a_{24}k^3 + 1052480a_{26}k^5 + 322058880a_{28}k^7 + 113541542400a_{30}k^9 + 45647828828160a_{32}k^{11} + \\
& 20757378307522560a_{34}k^{13} \\
a_{19} & \rightarrow 20a_{20}k + 3080a_{22}k^3 + 680064a_{24}k^5 + 178921600a_{26}k^7 + 54813158400a_{28}k^9 + 19326701721600a_{30}k^{11} + \\
& 7770141612441600a_{32}k^{13} + 3533311737034506240a_{34}k^{15} \\
a_{17} & \rightarrow 18a_{18}k + 2280a_{20}k^3 + 421344a_{22}k^5 + 94140288a_{24}k^7 + 24796428800a_{26}k^9 + 7597393090560a_{28}k^{11} + \\
& 2678818983321600a_{30}k^{13} + 1076998764764528640a_{32}k^{15} + 489743069731226910720a_{34}k^{17} \\
a_{15} & \rightarrow 16a_{16}k + 1632a_{18}k^3 + 248064a_{20}k^5 + 46387968a_{22}k^7 + 10376351744a_{24}k^9 + 2733453598720a_{26}k^{11} + \\
& 837515820072960a_{28}k^{13} + 295306112919306240a_{30}k^{15} + 118725592662115614720a_{32}k^{17} + 5398802596242772720a_{34}k^{19}
\end{aligned}$$

$$\begin{aligned}
a_{13} &\rightarrow 14a_{14}k + 1120a_{16}k^3 + 137088a_{18}k^5 + 21085440a_{20}k^7 + 3947525120a_{22}k^9 + 883115778048a_{24}k^{11} + \blacksquare \\
&232643283353600a_{26}k^{13} + 71280785877073920a_{28}k^{15} + 25133441995004313600a_{30}k^{17} + 10104710741630858035 \\
&4594909780970778352680960a_{34}k^{21} \\
a_{11} &\rightarrow 12a_{12}k + 728a_{14}k^3 + 69888a_{16}k^5 + 8656128a_{18}k^7 + 1332930560a_{20}k^9 + 249576198144a_{22}k^{11} + \\
&55834388004864a_{24}k^{13} + 14708733593681920a_{26}k^{15} + 4506686150828359680a_{28}k^{17} + 1589047253724207513600 \\
&638864461525348861870080a_{32}k^{21} + 290510499380104682557931520a_{34}k^{23} \\
a_9 &\rightarrow 10a_{10}k + 440a_{12}k^3 + 32032a_{14}k^5 + 3111680a_{16}k^7 + 385848320a_{18}k^9 + 59422904320a_{20}k^{11} + \\
&11126417899520a_{22}k^{13} + 2489170300469248a_{24}k^{15} + 655734757395660800a_{26}k^{17} + 200914020585819340800a_{28} \\
&70841825370754410086400a_{30}k^{21} + 28481421507853400250777600a_{32}k^{23} + 129513417693555276418866216960a_{34}k^{25} \\
a_7 &\rightarrow 240a_{10}k^3 + 12672a_{12}k^5 + 933504a_{14}k^7 + 90787840a_{16}k^9 + 11259076608a_{18}k^{11} + 1733987205120a_{20}k^{13} + \blacksquare \\
&324674387017728a_{22}k^{15} + 72635234665365504a_{24}k^{17} + 19134668627220889600a_{26}k^{19} + 58627717548210546278 \\
&2067199948150650018201600a_{30}k^{23} + 831102145627092682901815296a_{32}k^{25} + 377926640014202589716154417 \\
&8a_8k \\
a_5 &\rightarrow 4032a_{10}k^5 + 215424a_{12}k^7 + 15887872a_{14}k^9 + 1545363456a_{16}k^{11} + 191651217408a_{18}k^{13} + \\
&29515853365248a_{20}k^{15} + 5526593941929984a_{22}k^{17} + 1236393972835811328a_{24}k^{19} + 325709541934503034880a_{26}k^{21} \\
&99795859565893449154560a_{28}k^{23} + 35187792455985778913181696a_{30}k^{25} + 14146986524595818866380111872a_{32}k^{27} \\
&6433051715363147456977060233216a_{34}k^{29} + 6a_6k + 112a_8k^3 \\
a_3 &\rightarrow 32640a_{10}k^7 + 1745920a_{12}k^9 + 128780288a_{14}k^{11} + 12526223360a_{16}k^{13} + 1553465966592a_{18}k^{15} + \blacksquare \\
&239246490992640a_{20}k^{17} + 44796883073761280a_{22}k^{19} + 10021832059523170304a_{24}k^{21} + 26401021049178161152 \\
&808914769103121354326016a_{28}k^{25} + 285221502512012477144760320a_{30}k^{27} + 1146711535715356052937087385 \\
&52144353138637013068286135369728a_{34}k^{31} + 4a_4k + 40a_6k^3 + 896a_8k^5 \\
C0 &\rightarrow a_1 - 79360a_{10}k^9 - 4245504a_{12}k^{11} - 313155584a_{14}k^{13} - 30460116992a_{16}k^{15} - 3777576173568a_{18}k^{17} - \blacksquare \\
&2a_2k - 581777702256640a_{20}k^{19} - 108932957168730112a_{22}k^{21} - 24370173276164456448a_{24}k^{23} - \\
&6419958484945407574016a_{26}k^{25} - 1967044844910430876860416a_{28}k^{27} - 693575525634287935244206080a_{30}k^{29} \\
&278846808228005417477465964544a_{32}k^{31} - 126799861926498005417315327279104a_{34}k^{33} - 8a_4k^3 - \blacksquare \\
&96a_6k^5 - 2176a_8k^7
\end{aligned}$$

Constraints on coefficients from real part of equation:

$$b \rightarrow -\frac{1453634690427063664618520694579407748071424000000000a_{34}\chi^{17}}{A^2}$$

$$a_{32} \rightarrow -561a_{34}k^2 - 20145a_{34}$$

$$a_{30} \rightarrow 46376a_{34}k^4 + 9991920a_{34}k^2 + 187358088a_{34}$$

$$a_{28} \rightarrow -1344904a_{34}k^6 - 724414200a_{34}k^4 - 81500768280a_{34}k^2 - 1067783437480a_{34}$$

$$\begin{aligned}
a_{26} &\rightarrow 18156204a_{34}k^8 + 18255237840a_{34}k^6 + 5134548401640a_{34}k^4 + 403622139367440a_{34}k^2 + \\
&4173852814131276a_{34}
\end{aligned}$$

$$a_{24} \rightarrow -131128140a_{34}k^{10} - 211891153500a_{34}k^8 - 111248548702200a_{34}k^6 - 21862865882403000a_{34}k^4 - \blacksquare$$

$$\begin{aligned}
& 1356502164592664700a_{34}k^2 - 11867305220777904300a_{34} \\
& a_{22} \rightarrow 548354040a_{34}k^{12} + 1299599074800a_{34}k^{10} + 1096592837207400a_{34}k^8 + 402276732236215200a_{34}k^6 + \blacksquare \\
& 62399099571262576200a_{34}k^4 + 3275376240934701586800a_{34}k^2 + 25396918894137021431640a_{34} \\
& a_{20} \rightarrow -1391975640a_{34}k^{14} - 4548596761800a_{34}k^{12} - 5629176564331320a_{34}k^{10} - 3318783040948775400a_{34}k^8 - \blacksquare \\
& 960946133397443673480a_{34}k^6 - 126101985275986011091800a_{34}k^4 - 5866688264545651950708840a_{34}k^2 - \blacksquare \\
& 41756555365890206924100600a_{34} \\
& a_{18} \rightarrow 2203961430a_{34}k^{16} + 9497070162000a_{34}k^{14} + 16205205260953800a_{34}k^{12} + 14012639506228162800a_{34}k^{10} - \blacksquare \\
& 6520705905196939212900a_{34}k^8 + 1597291813495822807162800a_{34}k^6 + 185778461710612311772446600a_{34}k^4 + \blacksquare \\
& 7933745519519139315579114000a_{34}k^2 + 53360276204618123641373739510a_{34} \\
& a_{16} \rightarrow -2203961430a_{34}k^{18} - 12108764456550a_{34}k^{16} - 27246114339845400a_{34}k^{14} - 32483846128074377400a_{34}k^{12} - \blacksquare \\
& 22170400077669593323860a_{34}k^{10} - 8728058838030746053425300a_{34}k^8 - 1894940309448245580078955320a_{34}k^6 - \blacksquare \\
& 202310510747738052547267407000a_{34}k^4 - 8164122259306572917130182145030a_{34}k^2 - 53261366069096399080a_{34} \\
& a_{14} \rightarrow 1391975640a_{34}k^{20} + 9497070162000a_{34}k^{18} + 27246114339845400a_{34}k^{16} + 42835841048010168000a_{34}k^{14} - \blacksquare \\
& 40309818323035624225200a_{34}k^{12} + 23274823568081989475800800a_{34}k^{10} + 8121172754778195343195522800a_{34}k^8 - \blacksquare \\
& 1618484085981904420378139256000a_{34}k^6 + 163282445186131458342603642900600a_{34}k^4 + 6391363928291567000a_{34}k^2 - \blacksquare \\
& 41493174233847929183266731963206904a_{34} \\
& a_{12} \rightarrow -548354040a_{34}k^{22} - 4548596761800a_{34}k^{20} - 16205205260953800a_{34}k^{18} - 32483846128074377400a_{34}k^{16} - \blacksquare \\
& 40309818323035624225200a_{34}k^{14} - 32091044616597894580270800a_{34}k^{12} - 16422816015218128360684279440a_{34}k^{10} - \blacksquare \\
& 5260073279441189366228952582000a_{34}k^8 - 990580167462530847278462100263640a_{34}k^6 - 9693568624575544000a_{34}k^4 - \blacksquare \\
& 3775878855280161555677272608651828264a_{34}k^2 - 25066847312597641244252430558606305880a_{34} \\
& a_{10} \rightarrow 131128140a_{34}k^{24} + 1299599074800a_{34}k^{22} + 5629176564331320a_{34}k^{20} + 14012639506228162800a_{34}k^{18} + \blacksquare \\
& 22170400077669593323860a_{34}k^{16} + 23274823568081989475800800a_{34}k^{14} + 16422816015218128360684279440a_{34}k^{12} - \blacksquare \\
& 7714774143180411070469130453600a_{34}k^{10} + 2334938966161679854299232093478580a_{34}k^8 + 42651701948132000a_{34}k^6 - \blacksquare \\
& 41534667408081777112449998695170110904a_{34}k^4 + 1654411922631444322120660416868016188080a_{34}k^2 + \blacksquare \\
& 11590153783399743760236541918865039936812a_{34} \\
& a_8 \rightarrow -18156204a_{34}k^{26} - 211891153500a_{34}k^{24} - 1096592837207400a_{34}k^{22} - 3318783040948775400a_{34}k^{20} - \blacksquare \\
& 6520705905196939212900a_{34}k^{18} - 8728058838030746053425300a_{34}k^{16} - 8121172754778195343195522800a_{34}k^{14} - \blacksquare \\
& 5260073279441189366228952582000a_{34}k^{12} - 2334938966161679854299232093478580a_{34}k^{10} - 6854737813092000a_{34}k^8 - \blacksquare \\
& 124604002224245331337349996085510332712a_{34}k^6 - 12408089419735832415904953126510121410600a_{34}k^4 - \blacksquare \\
& 521556920252988469210644386348926797156540a_{34}k^2 - 4012292364597071241517086473594818672617420a_{34} \\
& a_6 \rightarrow 1344904a_{34}k^{28} + 18255237840a_{34}k^{26} + 111248548702200a_{34}k^{24} + 402276732236215200a_{34}k^{22} + \blacksquare \\
& 960946133397443673480a_{34}k^{20} + 1597291813495822807162800a_{34}k^{18} + 1894940309448245580078955320a_{34}k^{16} - \blacksquare \\
& 1618484085981904420378139256000a_{34}k^{14} + 990580167462530847278462100263640a_{34}k^{12} + 42651701948132000a_{34}k^{10} - \blacksquare \\
& 124604002224245331337349996085510332712a_{34}k^8 + 23161766916840220509689245836152226633120a_{34}k^6 + \blacksquare
\end{aligned}$$

$$\begin{aligned}
& 2433932294513946189649673802961658386730520a_{34}k^4 + 1123441862087179947624784212606549228332877 \\
& 1003490349086610991707436965670982928400095144a_{34} \\
& a_4 \rightarrow -46376a_{34}k^{30} - 724414200a_{34}k^{28} - 5134548401640a_{34}k^{26} - 21862865882403000a_{34}k^{24} - \\
& 62399099571262576200a_{34}k^{22} - 126101985275986011091800a_{34}k^{20} - 185778461710612311772446600a_{34}k^{18} - \\
& 202310510747738052547267407000a_{34}k^{16} - 163282445186131458342603642900600a_{34}k^{14} - 969356862457554 \\
& 41534667408081777112449998695170110904a_{34}k^{10} - 12408089419735832415904953126510121410600a_{34}k^8 - \\
& 2433932294513946189649673802961658386730520a_{34}k^6 - 2808604655217949869061960531516373070832194 \\
& 15052355236299164875611554485064743926001427160a_{34}k^2 - 170726346270331091757891680875639210608 \\
& a_2 \rightarrow 561a_{34}k^{32} + 9991920a_{34}k^{30} + 81500768280a_{34}k^{28} + 403622139367440a_{34}k^{26} + 1356502164592664700a_{34}k^{24} \\
& 3275376240934701586800a_{34}k^{22} + 5866688264545651950708840a_{34}k^{20} + 7933745519519139315579114000a_{34}k^{18} \\
& 8164122259306572917130182145030a_{34}k^{16} + 6391363928291567890503372298866000a_{34}k^{14} + 37758788552801 \\
& 1654411922631444322120660416868016188080a_{34}k^{10} + 521556920252988469210644386348926797156540a_{34}k^8 \\
& 112344186208717994762478421260654922833287760a_{34}k^6 + 15052355236299164875611554485064743926001 \\
& 1024358077621986550547350085253835263651346398000a_{34}k^2 + 1762782453385803802603814888024588551 \\
& \omega \rightarrow -a_1k + 33a_{34}k^{34} + 624495a_{34}k^{32} + 5433384552a_{34}k^{30} + 28830152811960a_{34}k^{28} + 104346320353281900a_{34}k^{26} \\
& 272948020077891798900a_{34}k^{24} + 533335296776877450064440a_{34}k^{22} + 793374551951913931557911400a_{34}k^{20} + \\
& 907124695478508101903353571670a_{34}k^{18} + 798920491036445986312921537358250a_{34}k^{16} + 5394112650400230 \\
& 275735320438574053686776736144669364680a_{34}k^{12} + 104311384050597693842128877269785359431308a_{34}k^{10} \\
& 28086046552179498690619605315163730708321940a_{34}k^8 + 501745174543305495853718482835491464200047 \\
& 512179038810993275273675042626917631825673199000a_{34}k^4 + 17627824533858038026038148880245885519 \\
& 831075336312307681886333504833057977075395375390625a_{34}
\end{aligned}$$

y(z) - function:

$$\frac{17179869184a^{17}A}{(4a^2e^z + \chi e^{-z})^{17}}$$

u(x, t) - function:

$$\frac{17179869184a^{17}Ae^{i(kx-\omega t)}}{(4a^2e^{C0t+x} + \chi e^{-C0t-x})^{17}}$$