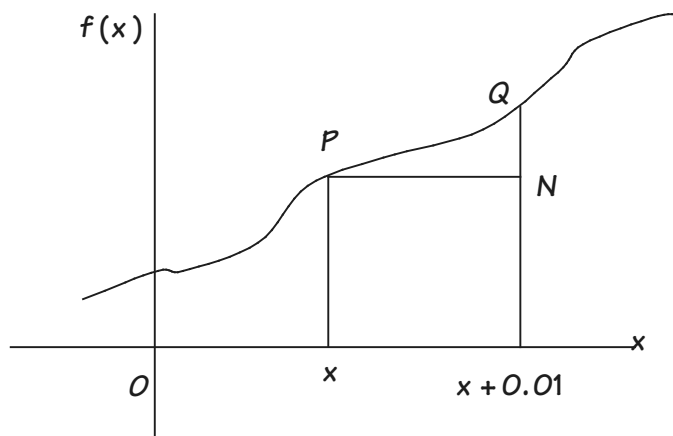


In **CHORD GRADIENTS** you worked out the gradient of the chord PQ as Q gets closer to P for different position of P on the graph of $f(x) = x^2$. This idea can be generalised to any function $f(x)$.



$$\text{Gradient of chord } PQ = \frac{QN}{PN} = \frac{f(x + 0.01) - f(x)}{0.01}$$

PN does not have to be of length 0.01 . More generally, the gradient of chord

PQ —or the **chord-slope function**—can be written as $\frac{f(x + h) - f(x)}{h}$ where in the picture h is shown as 0.01 .

- Use the chord-slope function with $h = 0.01$ to determine an approximate value of $f'(x)$ for each of the following functions, using values of x for each integer value from -4 to 4 :

- | | |
|------------------|-------------------------------|
| 1 $f(x) = 2x^2$ | 5 $f(x) = x^2 + 2x$ |
| 2 $f(x) = 3x^2$ | 6 $f(x) = 3x^2 - x$ |
| 3 $f(x) = 4x^2$ | 7 $f(x) = 2x^2 - 3x$ |
| 4 $f(x) = -2x^2$ | 8 $f(x) = \frac{1}{2}x^2 + x$ |

- Deduce a formula for $f'(x)$ for $f(x) = ax^2 + bx + c$.
- You could see if your formula is correct by using the gradient function facility on a graph plotter or on a computer algebra system such as **DERIVE**.