

Section A

Question	Full marks	Part marks
1	Histogram W3	W1 Frequency density proportional to 15 / 40 / 120 / 85 / 65 / 40 W1 Axis scaled –dependent on frequency divided by their class width attempted at least twice. W1 Bars correct height and width.
2	Explanation W2	W1 $\angle ABC = 93^\circ$ or $\angle ABD = 87^\circ$ W1 <u>Tangent</u> and <u>diameter</u> meet at <u>90°</u>
3	400 or 4×10^2 390 or 3.9×10^2 W2	M1 Digit 4 or 10^2 or $8/2$ Or digits 39
4 (a)	$y = \frac{36}{x^2}$ or equivalent W2	M1 $9 = \frac{k}{4}$ or 36 seen or $9 = \frac{k}{2^2}$
(b)	6 and – 6 Or Ft $\sqrt{\text{their } k}$ W2	W1 One solution Condone $\sqrt{\text{their } k}$ not evaluated
5	$\frac{3}{8}$ nww W3	M1 3 M1 8
6 (a)	1 and 10 W1	
(b)	Graph W2	W1 5 <u>given</u> points plotted W1 Smooth <u>cubic</u> curve through any 5 points.
(c) (i)	$y=7x$ W1	
(c) (ii)	$y=7x$ drawn W1 -2.8, 0.3, 2.5 (all ± 0.1) W2	W1 1 correct solution Condone coordinate form Ft intersection of $y = 7x$ with their <u>cubic</u> curve SC1 1 solution from $y=7$ drawn intersecting with cubic curve
7	$\frac{5}{15}$ I.S.W W4	M1 Tree diagram completed for raining/delayed and not raining/delayed branches AND M2 $(1/3 \times 3/5) + (2/3 \times 1/5)$ Or M1 $(1/3 \times 3/5)$ or for $(2/3 \times 1/5)$ ft their probabilities for M2 or M1 A1 $\frac{5}{15}$ or $\frac{1}{3}$ or $\frac{75}{225}$ isw

Section B

Question	Full marks	Part marks
8 (a)	$6x^2 + 8x + 2$ W2	W1 3 terms from $6x^2 + 2x + 6x + 2$
(b)	$6x^2 + 8x + 2 - 2x^2 = 142$ M1 $4x^2 + 8x - 140 = 0$ M1 Divide by 4 or $x^2 + 2x - 35 = 0$ A1	M1 Their algebraic (a) - $2x^2 = 142$ oe M1 Rearrange their quadratic =0 Or divide 2 or divide 4 A1 s.o.i. (n.w.w.)
(c)	$(x-5)(x+7)$ M2 $x=5(\text{and } -7)$ A1	M1 $(x\pm 5)(x\pm 7)$ If M0 then W1 for $x = 5$ only
9	54 W2	M1 4.5 seen
10	$d = \frac{5e}{5-c}$ or $d = \frac{-5e}{c-5}$ W3	M1 1 st step eg $cd = 5d - 5e$ M1 2 nd step eg $cd - 5d = -5e$ rearranged so d and e on separate sides M1 3 rd step ft 1 st step eg $d = 5e/(5-c)$ If M0, allow M1 for multiplying out brackets at any stage. i.e. $5d - 5e$
11 (a)	$\tan(\text{BOF}) = 8/2$ W1 $(\tan^{-1}4) = 75.8^\circ - 76^\circ$ W1	Or $\sin(\text{BOF}) = 8/8.25$ Or $\cos(\text{BOF}) = 2/8.25$ Or eg $\sin^{-1} 0.97 = 75.9^\circ - 76^\circ$ eg $\cos^{-1} 0.24 = 76^\circ - 76.1^\circ$
(b) (i)	16.6(...) W3	M2 $\frac{28 \times \pi \times 8.25^2}{360}$ M1 28 for <AOB seen in (b) Or $\pi \times 8.25^2$ or $213 - 214$ seen A1 16.5 – 16.8... or 17
(b) (ii)	144.6 - 144.7 W2	M1 28×4 and 2×8 or 128 seen A1 144.5 – 144.8 or 144 or 145 Or A1 128 + their (i) If M0, SC1 144 + their (i)
12 (a)	$\sqrt[3]{2 \times 13.5}$ M2 $1.26 \times 13.5 = 17(.0\dots)$ A1	M1 $\sqrt[3]{2}$ seen or 1.25..- 1.26 (not including 1.25)
(b)	31 to 32 W2	M1 $(20 \times)$ their 1.26^2 or 1.58 to 1.59