

## Calculation of $\pi$ by Monte-Carlo algorithm

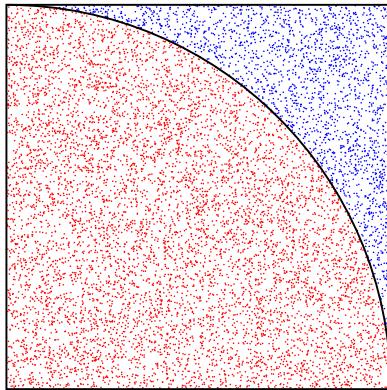
$n = 10000$

$x = \text{random}(\text{fill}(\text{vector}_{\text{hp}}(n); 1)) = \text{random}(\text{fill}(\text{vector}_{\text{hp}}(10000); 1)) = [0.8815335 \ 0.7977784 \ 0.6651829 \ 0.2953373 \ 0.184329 \ 0.9738323 \ 0.448848 \ 0.4044005 \ 0.3997995 \ 0.8671214 \ 0.7228449 \ 0.2846159 \ 0.5242558 \ 0.0004758663 \ 0.9974857 \ 0.4574623 \ 0.08322548 \ 0.8563595 \ 0.03470082 \ 0.3026956 \dots 0.9153]$

$y = \text{random}(\text{fill}(\text{Vector}_{\text{hp}}(n); 1)) = \text{random}(\text{fill}(\text{Vector}_{\text{hp}}(10000); 1)) = [0.7608876 \ 0.4550417 \ 0.5076255 \ 0.4827496 \ 0.5171769 \ 0.4588636 \ 0.3735884 \ 0.232175 \ 0.251505 \ 0.09061793 \ 0.04239632 \ 0.6901894 \ 0.09934924 \ 0.1348916 \ 0.7329476 \ 0.3553113 \ 0.1951417 \ 0.7389414 \ 0.604645 \ 0.439894 \dots 0.2009293]$

$r = \sqrt{x^2 + y^2} = [1.164496 \ 0.9184298 \ 0.8367508 \ 0.5659251 \ 0.5490438 \ 1.076525 \ 0.5839802 \ 0.46631 \ 0.4723287 \ 0.8718436 \ 0.7240871 \ 0.7465706 \ 0.5335864 \ 0.1348925 \ 1.237817 \ 0.579239 \ 0.2121479 \ 1.131099 \ 0.6056399 \ 0.5339769 \dots 0.9370948]$

$$n_{\text{in}} = \text{count}(\text{floor}(r); 0; 1) = 7849, PI = \frac{4 \cdot n_{\text{in}}}{n} = \frac{4 \cdot 7849}{10000} = 3.1396$$



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