

Calculation of π by Monte-Carlo algorithm

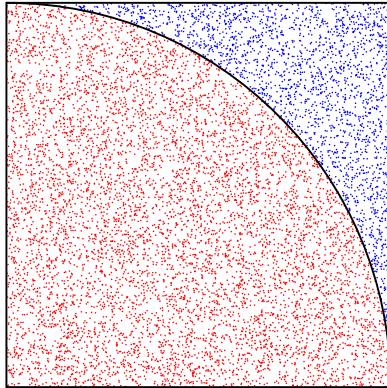
$n = 10000$

$x = \text{random}(\text{fill}(\text{vector}_{\text{hp}}(n); 1)) = \text{random}(\text{fill}(\text{vector}_{\text{hp}}(10000); 1)) = [0.001799367 \ 0.8750261 \ 0.2829606 \ 0.1733978 \ 0.5763774 \ 0.2903022 \ 0.3657439 \ 0.5450284 \ 0.6811521 \ 0.129895 \ 0.6017672 \ 0.3065246 \ 0.7190901 \ 0.1435574 \ 0.4793494 \ 0.4363276 \ 0.9358903 \ 0.2292997 \ 0.5298317 \ 0.8569359 \dots 0.4501879]$

$y = \text{random}(\text{fill}(\text{Vector}_{\text{hp}}(n); 1)) = \text{random}(\text{fill}(\text{Vector}_{\text{hp}}(10000); 1)) = [0.4698551 \ 0.403979 \ 0.3578065 \ 0.08098221 \ 0.2013057 \ 0.3727541 \ 0.220038 \ 0.3555691 \ 0.9844405 \ 0.3892044 \ 0.5625908 \ 0.6622651 \ 0.6501075 \ 0.4220525 \ 0.9375995 \ 0.5138136 \ 0.8339162 \ 0.2749179 \ 0.04185187 \ 0.5474062 \dots 0.9424482]$

$r = \sqrt{x^2 + y^2} = [0.4698586 \ 0.9637789 \ 0.4561713 \ 0.1913764 \ 0.6105202 \ 0.4724627 \ 0.4268318 \ 0.6507575 \ 1.197118 \ 0.4103081 \ 0.8237914 \ 0.7297619 \ 0.9693969 \ 0.4457993 \ 1.053028 \ 0.6740817 \ 1.253518 \ 0.3579919 \ 0.5314821 \ 1.016854 \dots 1.044451]$

$$n_{\text{in}} = \text{count}(\text{floor}(r); 0; 1) = 7742, PI = \frac{4 \cdot n_{\text{in}}}{n} = \frac{4 \cdot 7742}{10000} = 3.0968$$



@hydrostructai.com