

## Calculation of $\pi$ by Monte-Carlo algorithm

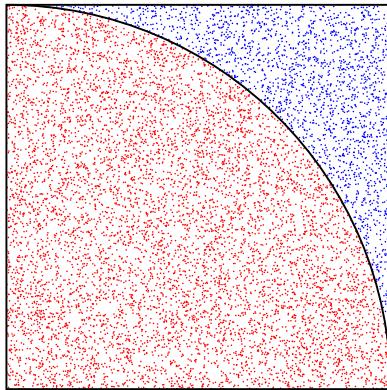
$n = 10000$

$x = \text{random}(\text{fill}(\text{vector}_{\text{hp}}(n); 1)) = \text{random}(\text{fill}(\text{vector}_{\text{hp}}(10000); 1)) = [0.796934 \ 0.3428716 \ 0.8387431 \ 0.8144222 \ 0.208082 \ 0.9580367 \ 0.235574 \ 0.9640031 \ 0.8439941 \ 0.7286194 \ 0.8198159 \ 0.4949155 \ 0.8513573 \ 0.5243268 \ 0.004840068 \ 0.2672824 \ 0.02825512 \ 0.8103465 \ 0.5666044 \ 0.4332156 \dots 0.04434482]$

$y = \text{random}(\text{fill}(\text{Vector}_{\text{hp}}(n); 1)) = \text{random}(\text{fill}(\text{Vector}_{\text{hp}}(10000); 1)) = [0.692637 \ 0.3152484 \ 0.9603776 \ 0.2372237 \ 0.8257397 \ 0.1262372 \ 0.2408104 \ 0.9619765 \ 0.2079101 \ 0.9574729 \ 0.8109736 \ 0.5249152 \ 0.1995952 \ 0.6665502 \ 0.7679245 \ 0.3873982 \ 0.4064997 \ 0.1041482 \ 0.3927386 \ 0.1914169 \dots 0.735944]$

$r = \sqrt{x^2 + y^2} = [1.055865 \ 0.4657708 \ 1.275075 \ 0.848268 \ 0.851554 \ 0.9663178 \ 0.336875 \ 1.361874 \ 0.8692254 \ 1.203179 \ 1.153159 \ 0.7214411 \ 0.8744412 \ 0.8480612 \ 0.7679398 \ 0.4706561 \ 0.4074805 \ 0.8170118 \ 0.6894086 \ 0.4736204 \dots 0.7372788]$

$$n_{\text{in}} = \text{count}(\text{floor}(r); 0; 1) = 7920, PI = \frac{4 \cdot n_{\text{in}}}{n} = \frac{4 \cdot 7920}{10000} = 3.168$$



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