

$$N_{3,w}(\xi, \eta) = \Phi_{3a}(\xi) \cdot \Phi_{3b}(\eta) \quad N_{3,\theta_x}(\xi, \eta) = \Phi_{4a}(\xi) \cdot \Phi_{3b}(\eta) \quad N_{3,\theta_y}(\xi, \eta) = \Phi_{3a}(\xi) \cdot \Phi_{4b}(\eta)$$

$$N_{4,w}(\xi, \eta) = \Phi_{1a}(\xi) \cdot \Phi_{3b}(\eta) \quad N_{4,\theta_x}(\xi, \eta) = \Phi_{2a}(\xi) \cdot \Phi_{3b}(\eta) \quad N_{4,\theta_y}(\xi, \eta) = \Phi_{1a}(\xi) \cdot \Phi_{4b}(\eta)$$

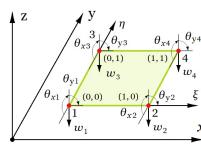
For twist ψ

$$N_{1,\psi}(\xi, \eta) = \Phi_{2a}(\xi) \cdot \Phi_{2b}(\eta)$$

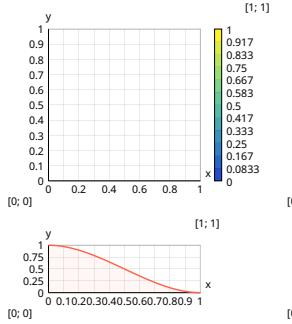
$$N_{2,\psi}(\xi, \eta) = \Phi_{4a}(\xi) \cdot \Phi_{2b}(\eta)$$

$$N_{3,\psi}(\xi, \eta) = \Phi_{4a}(\xi) \cdot \Phi_{4b}(\eta)$$

$$N_{4,\psi}(\xi, \eta) = \Phi_{2a}(\xi) \cdot \Phi_{4b}(\eta)$$



$N_{1,w}$ shape function plot



Shape functions vector

$$N(i; \xi, \eta) = \text{take}(i; N_{1,w}(\xi, \eta); N_{1,\theta_x}(\xi, \eta); N_{2,w}(\xi, \eta); N_{2,\theta_x}(\xi, \eta); N_{3,w}(\xi, \eta); N_{3,\theta_x}(\xi, \eta); N_{4,w}(\xi, \eta); N_{4,\theta_x}(\xi, \eta); N_{1,\psi}(\xi, \eta); N_{2,\psi}(\xi, \eta); N_{3,\psi}(\xi, \eta); N_{4,\psi}(\xi, \eta))$$

Constitutive matrix (stress - strain relationship)

$$D = \frac{E \cdot v^3}{12 \cdot (1 - v^2)} \cdot \mathbf{hp} \left(\begin{bmatrix} 1; v; 0 & | & v; 1; 0 & | & 0; 0; \frac{1-v}{2} \end{bmatrix} \right) = \frac{35000 \cdot 0.2^3}{12 \cdot (1 - 0.2^2)} \cdot \mathbf{hp} \left(\begin{bmatrix} 1; 0.2; 0 & | & 0.2; 1; 0 & | & 0; 0 \end{bmatrix} \right)$$

$$\frac{1-0.2}{2} \left[\begin{bmatrix} 24.305556 & 4.861111 & 0 \\ 4.861111 & 24.305556 & 0 \\ 0 & 0 & 9.722222 \end{bmatrix} \right] \text{ kNm}$$

Strain-displacement matrix

$$B_1(j; \xi, \eta) = \text{take}(j; \Phi_{1a}(\xi) \cdot \Phi_{1b}(\eta); \Phi_{2a}(\xi) \cdot \Phi_{2b}(\eta); \Phi_{1a}''(\xi) \cdot \Phi_{2b}(\eta); \Phi_{2a}''(\xi) \cdot \Phi_{2b}(\eta); \Phi_{3a}''(\xi) \cdot \Phi_{1b}(\eta); \Phi_{4a}''(\xi) \cdot \Phi_{1b}(\eta); \Phi_{3a}''(\xi) \cdot \Phi_{2b}(\eta); \Phi_{4a}''(\xi) \cdot \Phi_{2b}(\eta); \Phi_{3a}''(\xi) \cdot \Phi_{3b}(\eta); \Phi_{4a}''(\xi) \cdot \Phi_{3b}(\eta); \Phi_{3a}''(\xi) \cdot \Phi_{4b}(\eta); \Phi_{4a}''(\xi) \cdot \Phi_{4b}(\eta); \Phi_{1a}''(\xi) \cdot \Phi_{3b}(\eta); \Phi_{2a}''(\xi) \cdot \Phi_{3b}(\eta); \Phi_{1a}''(\xi) \cdot \Phi_{4b}(\eta); \Phi_{2a}''(\xi) \cdot \Phi_{4b}(\eta))$$

$$B_2(j; \xi, \eta) = \text{take}(j; \Phi_{1a}(\xi) \cdot \Phi_{1b}''(\eta); \Phi_{2a}(\xi) \cdot \Phi_{1b}''(\eta); \Phi_{1a}(\xi) \cdot \Phi_{2b}''(\eta); \Phi_{2a}(\xi) \cdot \Phi_{2b}''(\eta); \Phi_{3a}(\xi) \cdot \Phi_{1b}''(\eta); \Phi_{4a}(\xi) \cdot \Phi_{1b}''(\eta); \Phi_{3a}(\xi) \cdot \Phi_{2b}''(\eta); \Phi_{4a}(\xi) \cdot \Phi_{2b}''(\eta); \Phi_{3a}(\xi) \cdot \Phi_{3b}''(\eta); \Phi_{4a}(\xi) \cdot \Phi_{3b}''(\eta); \Phi_{3a}(\xi) \cdot \Phi_{4b}''(\eta); \Phi_{4a}(\xi) \cdot \Phi_{4b}''(\eta); \Phi_{1a}(\xi) \cdot \Phi_{3b}''(\eta); \Phi_{2a}(\xi) \cdot \Phi_{3b}''(\eta); \Phi_{1a}(\xi) \cdot \Phi_{4b}''(\eta); \Phi_{2a}(\xi) \cdot \Phi_{4b}''(\eta))$$

$$B_3(j; \xi, \eta) = 2 \cdot \text{take}(j; \Phi_{1a}(\xi) \cdot \Phi_{1b}''(\eta); \Phi_{2a}(\xi) \cdot \Phi_{1b}''(\eta); \Phi_{1a}(\xi) \cdot \Phi_{2b}''(\eta); \Phi_{2a}(\xi) \cdot \Phi_{2b}''(\eta); \Phi_{3a}(\xi) \cdot \Phi_{1b}''(\eta); \Phi_{4a}(\xi) \cdot \Phi_{1b}''(\eta); \Phi_{3a}(\xi) \cdot \Phi_{2b}''(\eta); \Phi_{4a}(\xi) \cdot \Phi_{2b}''(\eta); \Phi_{3a}(\xi) \cdot \Phi_{3b}''(\eta); \Phi_{4a}(\xi) \cdot \Phi_{3b}''(\eta); \Phi_{3a}(\xi) \cdot \Phi_{4b}''(\eta); \Phi_{4a}(\xi) \cdot \Phi_{4b}''(\eta); \Phi_{1a}(\xi) \cdot \Phi_{3b}''(\eta); \Phi_{2a}(\xi) \cdot \Phi_{3b}''(\eta); \Phi_{1a}(\xi) \cdot \Phi_{4b}''(\eta); \Phi_{2a}(\xi) \cdot \Phi_{4b}''(\eta))$$

$$B(j; \xi, \eta) = \mathbf{hp}([B_1(j; \xi, \eta); B_2(j; \xi, \eta); B_3(j; \xi, \eta)])$$

The coefficients of the stiffness matrix will be calculated by using the equation

$$K_{e,ij} = \mathbf{a}_1 \cdot \mathbf{b}_1 \cdot \int_0^1 \int_0^1 B_i(\xi, \eta)^T \cdot D \cdot B_j(\xi, \eta) d\xi d\eta$$

Element stiffness matrix

(above the main diagonal only)

$$BTDB_e(i; j; \xi, \eta) = \text{transp}(B(i; \xi, \eta)) \cdot D \cdot B(j; \xi, \eta)$$

$$K_{e}(i; j) = \mathbf{a}_1 \cdot \mathbf{b}_1 \cdot \int_0^1 \int_0^1 BTDB_e(i; j; \xi, \eta) d\xi d\eta$$

\$Repeat{\$Repeat{\$K_{e,i,j} = K_e(i; j)\$ for \$j = i...n\$} for \$i = 1...n\$} = 0.9777823

K_e =

$$\begin{bmatrix} 796.296296 & 135.185185 & 135.185185 & 16.736111 & -391.203704 & 84.953704 & -13.657407 & 4.097222 & -13.888889 & 36.574074 & 36.574074 & -8.541667 & -391.203704 & -13.657407 & 84.953704 & 4.097222 \\ 0 & 46.666667 & 21.597222 & 4.666667 & -84.953704 & 14.027778 & -4.094824 & 0.7083333 & -36.574074 & 10.277778 & 8.541667 & -1.624997 & -13.657407 & 1.944444 & 4.097222 & -0.5833333 \\ 0 & 0 & 46.666667 & 4.666667 & -13.657407 & 4.094824 & 1.944444 & -0.5833333 & -36.574074 & 8.541667 & 10.277778 & -1.625 & -84.953704 & -4.097222 & 14.027778 & 0.7083333 \\ 0 & 0 & 0 & 0.9777823 & -4.097222 & 0.7083333 & 0.5833333 & -0.1611111 & -8.541667 & 1.624997 & 1.625 & -0.2305541 & -4.097222 & 0.5833333 & 0.7083333 & -0.1611111 \\ 0 & 0 & 0 & 0 & 796.296296 & -135.185185 & 135.185185 & -16.736111 & -391.203704 & 13.657407 & 84.953704 & -4.097222 & -13.888889 & -36.574074 & 36.574074 & 8.541667 \\ 0 & 0 & 0 & 0 & 0 & 46.666667 & -21.597222 & 4.666667 & 13.657407 & 1.944444 & -4.097222 & -0.5833333 & 36.574074 & 10.277778 & -8.541667 & -1.624997 \\ 0 & 0 & 0 & 0 & 0 & 0 & 46.666667 & -4.666667 & -84.953704 & 4.097222 & 14.027778 & -0.7083333 & -36.574074 & 10.277778 & 1.625 & \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0.9777823 & 4.097222 & 0.5833333 & -0.7083333 & -0.1611111 & 8.541667 & 1.624997 & -1.625 & -0.2305541 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 796.296296 & -135.185185 & 135.185185 & 16.736111 & -391.203704 & 84.953704 & 13.657407 & 4.097222 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 46.666667 & 21.597222 & -4.666667 & 84.953704 & 14.027778 & -4.094824 & -0.7083333 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 46.666667 & -4.666667 & 13.657407 & 4.094824 & 1.944444 & 0.5833333 & \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0.9777823 & -4.097222 & -0.7083333 & -0.5833333 & -0.1611111 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 796.296296 & 135.185185 & -135.185185 & 16.736111 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 46.666667 & -21.597222 & -4.666667 & 4.6666667 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0.9777823 \end{bmatrix}$$

Element load vector

$$F_{e,i} = \mathbf{a}_1 \cdot \mathbf{b}_1 \cdot \int_0^1 \int_0^1 N_1(\xi, \eta)^T \cdot q \cdot d\xi d\eta$$

$$\tilde{e} = [0.9 \ 0.09 \ 0.09 \ 0.09 \ 0.09 \ -0.09 \ 0.09 \ -0.09 \ -0.09 \ 0.09 \ 0.09 \ -0.09 \ -0.09] \text{ kN}$$

Solution

Global stiffness matrix

K =

Global load vector

$$\vec{r} = [0.9 \ 0.09 \ 0.09 \ 0.009 \ 1.8 \ 0.18 \ 0 \ 0 \ 1.8 \ 0.18 \ 0 \ 0 \ 1.8 \ 0.18 \ 0 \ 0 \ 1.8 \ 0.18 \ 0 \ 0 \ \dots \ 0.009] \text{ kN}$$

Solution of the system of equations

$\mathbb{Z} = \text{slslove}(K\mathcal{F}) = [0 \ 0.5523613 \ 0.3827392 \ -0.4161287 \ 0.2028064 \ 0.3732832 \ 0.2648463 \ -0.1937261 \ 0.2989047]$

0.3091182 0.04830843 -0.02501454 0.261207 0.3426386 -0.1651493 0.1275073 0.1211489

0.4681287 -0.2671179 0.2293302 ... -0.4161286] mm

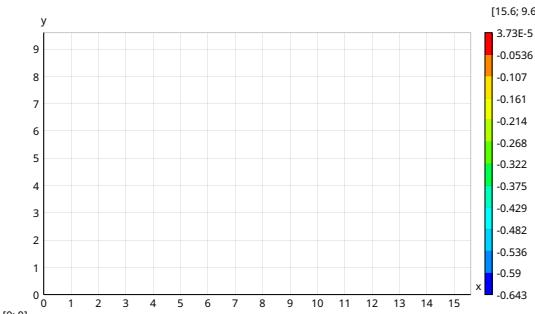
Results

Joint displacements

transp(*W_z***) =**

0	0.303	0.488	0.512	0.383	0.165	0	0.139	0.34	0.469	0.472	0.347	0.146	0	0.146	0.347	0.472	0.469	0.34	0.139	0
0.203	0.419	0.562	0.581	0.485	0.337	0.25	0.31	0.438	0.531	0.533	0.443	0.311	0.242	0.311	0.443	0.533	0.531	0.438	0.31	0.203
0.299	0.482	0.605	0.62	0.537	0.417	0.35	0.387	0.485	0.562	0.564	0.489	0.387	0.338	0.387	0.489	0.564	0.562	0.485	0.387	0.299
0.261	0.461	0.593	0.608	0.513	0.375	0.299	0.342	0.455	0.542	0.544	0.46	0.345	0.289	0.345	0.46	0.544	0.542	0.455	0.342	0.261
0.121	0.386	0.55	0.565	0.443	0.253	0.138	0.217	0.381	0.493	0.497	0.389	0.225	0.134	0.225	0.389	0.497	0.493	0.381	0.217	0.121
0	0.34	0.527	0.542	0.404	0.173	0	0.135	0.36	0.463	0.467	0.345	0.145	0	0.145	0.345	0.467	0.463	0.336	0.135	0
0.139	0.398	0.556	0.566	0.44	0.247	0.129	0.206	0.367	0.478	0.481	0.374	0.211	0.121	0.211	0.374	0.481	0.478	0.367	0.206	0.139
0.299	0.487	0.608	0.612	0.511	0.369	0.287	0.325	0.433	0.516	0.519	0.437	0.324	0.27	0.324	0.437	0.519	0.516	0.433	0.325	0.299
0.363	0.526	0.632	0.635	0.544	0.42	0.35	0.376	0.464	0.536	0.538	0.467	0.373	0.329	0.373	0.467	0.538	0.536	0.464	0.376	0.363
0.299	0.487	0.608	0.612	0.511	0.369	0.287	0.325	0.433	0.516	0.519	0.437	0.324	0.27	0.324	0.437	0.519	0.516	0.433	0.325	0.299
0.139	0.398	0.556	0.566	0.44	0.247	0.129	0.206	0.367	0.478	0.481	0.374	0.211	0.121	0.211	0.374	0.481	0.478	0.367	0.206	0.139
0	0.34	0.527	0.542	0.404	0.173	0	0.135	0.36	0.463	0.467	0.345	0.145	0	0.145	0.345	0.467	0.463	0.336	0.135	0
0.121	0.386	0.55	0.565	0.443	0.253	0.138	0.217	0.381	0.493	0.497	0.389	0.225	0.134	0.225	0.389	0.497	0.493	0.381	0.217	0.121
0.261	0.461	0.593	0.608	0.513	0.375	0.299	0.342	0.455	0.542	0.544	0.46	0.345	0.289	0.345	0.46	0.544	0.542	0.455	0.342	0.261
0.299	0.482	0.605	0.62	0.537	0.417	0.35	0.387	0.485	0.562	0.564	0.489	0.387	0.338	0.387	0.489	0.564	0.562	0.485	0.387	0.299
0.203	0.419	0.562	0.581	0.485	0.337	0.25	0.31	0.438	0.531	0.533	0.443	0.311	0.242	0.311	0.443	0.533	0.531	0.438	0.31	0.203
0	0.303	0.488	0.512	0.383	0.165	0	0.139	0.34	0.469	0.472	0.347	0.146	0	0.146	0.347	0.472	0.469	0.34	0.139	0

mm



Bending moments

$$Z(i) = \text{slice}(Z; k, (i-1)+1; k, i)$$

$$Z_1(e) = \text{hp}([Z_2(e_{-1}); Z_2(e_{-2}); Z_2(e_{-3}); Z_2(e_{-4})])$$

• $\text{E}_\text{e}(\text{c}) = \text{NP}([\text{E}](\text{c}).\text{e}, 1), [\text{E}](\text{c}).\text{e}, 2), [\text{E}](\text{c}).\text{e}, 3)$

Average

$$M_1 = \begin{pmatrix} 1.498465 & 0.3097372 & 0.2197322 & 0.1563433 & 0.1570519 & 0.9983302 & 0.1564193 & 0.1519741 & 0.19422 & 0.1519742 & 0.1564197 & 0.9983303 & 0.1570475 & 0.1563397 & 0.2197486 & 0.3098808 & 1.49858 & 8.502998 & 6.479199 & 5.777684 & \cdots & 1.498434 \\ 1.566914 & 7.805101 & 9.33778 & 7.668097 & 3.333 & -28.361735 & 3.14639 & 7.323888 & 8.895019 & 7.323888 & 3.14639 & -28.361734 & 3.332997 & 7.668093 & 9.337791 & 7.80518 & 1.566813 & 0.3205972 & 5.382201 & 7.12651 & \cdots & 1.56695 \\ 8.091391 & 3.766896 & 0.4863938 & -2.479308 & -4.459199 & 0.1550864 & 4.780359 & 2.842723 & 1.18852 \times 10^{-8} & -2.842723 & -4.780359 & -0.1550866 & 4.459199 & 2.479312 & -0.4863957 & -3.766967 & -8.09139 & 4.110857 & 2.572942 & 0.367139 & \cdots & 8.09139 \end{pmatrix}$$

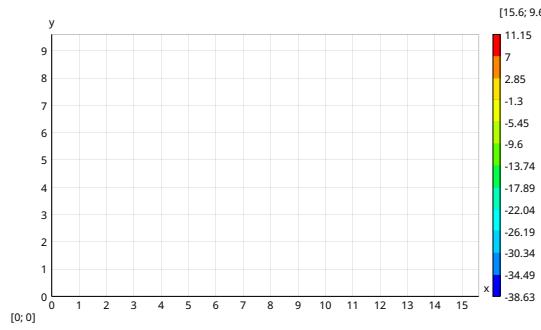
Bending moments for the plate

Bending moments - M_{xx}

transp(*Mx*) =

	1.498465	8.502998	11.066652	10.477441	6.797477	0.8838727	-31.235271	0.3015017	5.644442	8.779995	8.877612	5.920011	0.6854447	-30.133041	0.6854451	5.92001	8.877613	8.779995	5.644443	0.3015014	...	1.498543
0.3097372	6.479199	9.4322	8.877275	4.922637	-2.695317	-10.242892	-3.260294	3.808797	7.250425	7.361393	4.127752	-2.764349	-9.733242	-2.764349	4.127752	7.361393	7.250426	3.808797	-3.260293	...	0.3098324	
0.2197322	5.777684	8.176293	8.135055	0.4039483	-2.257879	-6.060711	-2.819291	2.932144	6.516758	6.640543	3.291674	-2.294253	-5.615624	-2.294253	3.291674	6.640543	6.516758	9.232144	-2.819291	...	0.2197447	
0.1563433	5.993176	9.125993	8.492789	4.05777	-3.257751	-7.98846	-3.832677	2.913674	6.779469	6.926822	3.045097	-3.205198	-7.381383	-3.205198	3.045097	6.926822	6.779469	2.913674	-3.832677	...	0.1563393	
0.1570519	7.269644	10.372249	9.556604	9.725533	-2.568409	-16.118864	-5.865491	3.766832	7.713228	7.838243	4.157472	-5.96284	-15.086013	-5.96284	4.157472	7.838243	7.713228	3.766832	-5.865491	...	0.1570491	
0.9983302	9.038525	11.080418	10.122777	5.76385	-2.135317	-38.650059	-2.745557	4.52179	8.190804	8.315041	4.904088	-2.088413	-36.536458	-2.088413	4.904088	8.315041	8.190804	4.52179	-2.745557	...	0.9983301	
0.1564193	7.221047	10.282001	9.346543	4.848242	-3.58009	-16.18287	-5.96302	3.624262	7.560111	7.698855	4.05327	-5.138805	-15.091525	-5.138805	4.05327	7.698855	7.560111	3.624262	-5.96302	...	0.1564295	
0.1519741	5.873186	8.92795	8.229755	3.773453	-3.19119	-8.032747	-4.009042	2.594259	4.69761	6.626453	3.062913	-3.269947	-7.306587	-3.269947	3.062913	6.626453	4.69761	2.594259	-4.009042	...	0.151956	
0.19422	5.514147	8.380213	7.692931	3.468337	-2.491105	-5.742638	-3.073384	2.310468	5.97922	6.142663	2.786902	-3.276825	-5.118406	-3.276825	2.786902	6.142663	5.97922	2.310468	-3.073384	...	0.1942406	
0.1519742	5.873186	8.92795	8.229755	3.773453	-3.19119	-8.032747	-4.009042	2.594259	4.69761	6.626453	3.062913	-3.269947	-7.306587	-3.269947	3.062913	6.626453	4.69761	2.594259	-4.009042	...	0.1519563	
0.1564197	7.221047	10.282001	9.346543	4.848242	-3.58009	-16.18287	-5.96302	3.624262	7.560111	7.698855	4.05327	-5.138805	-15.091525	-5.138805	4.05327	7.698855	7.560111	3.624262	-5.96302	...	0.1564287	
0.9983303	9.038524	11.080418	10.122777	5.76385	-2.135317	-38.650059	-2.745557	4.52179	8.190804	8.315041	4.904088	-2.088413	-36.536458	-2.088413	4.904088	8.315041	8.190804	4.52179	-2.745557	...	0.9983303	
0.1507405	7.269646	10.372249	9.556604	9.472554	-2.568409	-16.118864	-5.865491	3.766832	7.713228	7.838243	4.157472	-5.96284	-15.086013	-5.96284	4.157472	7.838243	7.713228	3.766832	-5.865491	...	0.15070551	
0.1563397	5.993176	9.125994	8.492789	4.05777	-3.257751	-7.98846	-3.832677	2.913674	6.779469	6.926822	3.045097	-3.205198	-7.381383	-3.205198	3.045097	6.926822	6.779469	2.913674	-3.832677	...	0.1563387	
0.2197486	5.777685	8.716292	8.135052	0.4039485	-2.25788	-6.060711	-2.819291	2.932144	6.516758	6.640543	3.291674	-2.294253	-5.615624	-2.294253	3.291674	6.640543	6.516758	9.232144	-2.819291	...	0.2197395	
0.3098808	6.479177	9.432178	8.877282	9.426234	-6.695314	-10.242892	-3.260293	3.808797	7.250426	7.361393	4.127752	-7.263449	-9.733242	-7.263449	4.127752	7.361393	7.250426	3.808797	-3.260293	...	0.309677	
1.49858	8.502893	11.0666537	10.477401	6.797478	0.8838683	-31.23527	0.301501	5.644443	8.779994	8.877614	5.920009	0.6854455	-30.133041	0.6854449	5.920011	8.877613	8.779995	5.644443	0.3015017	...	1.498434	

μ kNm/m

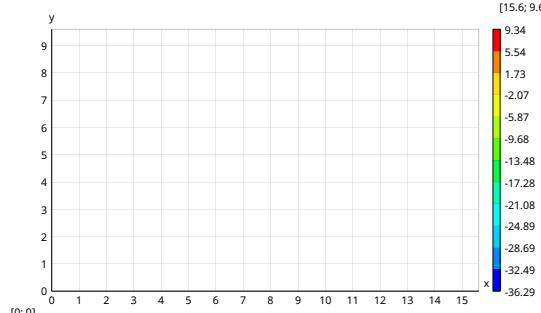


Bending moments M_y

transp(M_y) =

1.566914	0.3205972	0.2333587	0.2147852	0.1682816	0.1798035	1.015789	0.1794301	0.1669894	0.2098191	0.2091906	0.1663467	0.1776119	0.9891482	0.1776123	0.1663459	0.2091915	0.2098181	0.1669903	0.1794296	...	1.566846
7.805101	5.382201	4.308412	4.134952	4.742331	6.340395	8.230714	6.28316	4.611981	3.89228	3.867499	4.530534	6.12258	7.985896	6.12258	4.530534	3.867499	3.89228	4.611981	6.28316	...	7.805153
9.337778	7.126518	5.800074	5.553032	6.414898	8.11577	9.046666	8.014704	6.188836	5.14485	5.116777	6.090589	7.821224	8.777225	7.821225	6.090589	5.116777	5.14485	6.188836	8.014704	...	9.337789
7.668097	5.41756	4.262493	3.920413	4.233692	5.419822	6.344591	5.301124	3.979478	3.477998	3.480904	3.968582	5.222837	6.181459	5.222837	3.968582	3.480904	3.477998	3.979478	5.301104	...	7.668093
3.333	-0.3280779	0.5396346	0.405616	-1.17438	-3.412974	-0.3301829	-3.531204	-1.399574	0.09964996	0.1609008	-1.210571	-3.234664	-0.2184219	-3.234664	-1.210571	0.1609008	0.09964995	-1.399574	-3.531204	...	3.332998
-28.361735	-7.038366	-1.936162	-1.646652	-4.993974	-13.644678	-36.317523	-13.771126	-5.215881	-1.858171	-1.764027	-4.886867	-13.03174	-34.571125	-13.03174	-4.886867	-1.764027	-1.858171	-5.215881	-13.771126	...	-28.361736
3.14639	-0.5066696	0.3485146	0.1799353	-1.456247	-3.762435	-0.7233495	-3.922981	-1.765819	-0.2520091	-0.1968807	-1.596341	-3.661657	-0.6661947	-3.661657	-1.596341	-0.1968807	-0.2520091	-1.765819	-3.922981	...	3.146398
7.323888	5.094544	3.908978	3.489139	3.675468	4.685865	5.49873	4.483969	3.254199	2.794376	2.788549	3.214495	4.349964	5.243651	4.349964	3.214495	2.788549	2.794376	3.254199	4.483969	...	7.323874
8.895091	6.740122	5.350863	4.96126	5.608937	6.913063	7.572529	6.693158	5.141784	4.180525	4.149637	5.027791	6.456862	7.212973	6.456862	5.027791	4.149637	4.180525	5.141784	6.693158	...	8.895035
7.323888	5.094544	3.908978	3.489139	3.675468	4.685865	5.49873	4.483969	3.254199	2.794376	2.788549	3.214495	4.349964	5.243651	4.349964	3.214495	2.788549	2.794376	3.254199	4.483969	...	7.323874
3.14639	-0.5066695	0.3485145	0.1799354	-1.456247	-3.762435	-0.7233495	-3.922981	-1.765819	-0.2520091	-0.1968807	-1.596341	-3.661657	-0.6661947	-3.661657	-1.596341	-0.1968807	-0.2520091	-1.765819	-3.922981	...	3.146397
-28.361735	-7.038366	-1.936162	-1.646652	-4.993974	-13.644678	-36.317523	-13.771126	-5.215881	-1.858171	-1.764027	-4.886867	-13.03174	-34.571125	-13.03174	-4.886867	-1.764027	-1.858171	-5.215881	-13.771126	...	-28.361736
3.332997	-0.3280781	0.5396345	0.405616	-1.174379	-3.412974	-0.3301829	-3.531204	-1.399574	0.09964994	0.1609008	-1.210571	-3.234664	-0.2184219	-3.234664	-1.210571	0.1609008	0.09964996	-1.399574	-3.531204	...	3.333003
7.668093	5.41756	4.262493	3.920414	4.233691	5.419822	6.344591	5.301104	3.979478	3.477998	3.480904	3.968582	5.222837	6.181459	5.222837	3.968582	3.480904	3.477998	3.979478	5.301104	...	7.668093
9.337791	7.126529	5.800079	5.553029	6.414899	8.115769	9.046667	8.014704	6.188836	5.14485	5.116777	6.090589	7.821225	8.777225	7.821225	6.090589	5.116777	5.14485	6.188836	8.014704	...	9.337788
7.80518	5.382247	4.308397	4.134958	4.742326	6.340398	8.230713	6.283161	4.61198	3.892281	3.867498	4.530534	6.12258	7.985896	6.12258	4.530534	3.867499	3.89228	4.61198	6.28316	...	7.805067
1.566813	0.3204128	0.2333748	0.2147746	0.1682944	0.1797983	1.015789	0.1794292	0.1669914	0.2098169	0.2091927	0.166345	0.1776128	0.9891482	0.177612	0.1663463	0.209191	0.2098187	0.1669898	0.1794301	...	1.56695

kNm/m



Bending moments M_{xy}

transp(M_{xy}) =

8.091391	4.110857	1.417137	-0.9458016	-3.233923	-4.783472	0.02175397	4.840696	3.336369	1.142106	-1.025808	-3.195694	-4.675291	8.203632×10 ⁻⁹	4.675291	3.195694	1.025808	-1.142106
3.766896	2.572942	0.9831798	-0.5157529	-2.056961	-3.229076	0.05823395	3.354953	2.213405	0.7311327	-0.6697977	-2.124616	-3.226088	-1.924384×10 ⁻⁸	3.226088	2.124615	0.6697977	-0.731132
0.4863938	0.367139	0.2104715	0.08573235	-0.1195606	-0.3138301	0.07348128	0.4612966	0.2667083	0.05683469	-0.07988453	-0.2739108	-0.4318273	4.135681×10 ⁻⁹	0.4318273	0.2739109	0.07988453	-0.0568346
-2.479308	-1.795977	-0.6012575	0.6167458	1.746893	2.092654	0.07628287	-1.948193	-1.634066	-0.5814737	0.4919345	1.536254	1.879329	-9.39927×10 ⁻¹⁰	-1.879329	-1.536254	-0.4919345	0.581473
-4.459199	-3.239942	-0.8977427	0.6826669	2.370922	4.524997	0.07578146	-4.382303	-2.264662	-0.6817699	0.6007663	2.152105	4.210878	2.347034×10 ⁻¹⁰	-4.210878	-2.152105	-0.6007663	0.681769
0.1550864	0.1611718	0.1492474	0.1245987	-0.09639145	-0.07797703	-0.07388197	0.06988651	0.05125056	0.02105121	0.008413693	-0.02659669	-0.02344966	-6.046931×10 ⁻¹¹	0.02344966	0.02659669	0.008413693	-0.0210512
4.780359	3.565968	1.189369	-0.4505428	-2.206755	-4.399285	0.06348492	4.535454	2.37937	0.7252095	-0.6263983	-2.225358	-4.279277	1.578955×10 ⁻¹¹	4.279277	2.225358	0.6263983	-0.725209
2.842723	2.13438	0.8682924	-0.4377229	-1.679594	-2.084069	0.0377804	2.16835	1.796129	0.6296557	-0.5417072	-1.677932	-2.037682	-4.744667×10 ⁻¹²	2.037682	1.677932	0.5417072	-0.629655
1.18852×10 ⁻⁸	-6.576042×10 ⁻⁹	-7.016847×10 ⁻¹⁰	1.244056×10 ⁻¹⁰	2.191792×10 ⁻¹⁰	-7.501514×10 ⁻¹¹	1.8954×10 ⁻¹¹	-1.177769×10 ⁻¹²	3.047327×10 ⁻¹²	1.092988×10 ⁻¹²	-4.777445×10 ⁻¹²	5.435255×10 ⁻¹²	-3.554444×10 ⁻¹²	3.228026×10 ⁻¹²	-2.990397×10 ⁻¹²	1.375859×10 ⁻¹²	-1.298123×10 ⁻¹²	7.488428×10 ⁻¹²
-2.842723	-2.13438	-0.8682924	0.4377229	1.679594	2.084069	-0.0377804	-2.16835	-1.796129	-0.6296557	0.5417072	1.677932	2.037682	-7.622464×10 ⁻¹²	-2.037682	-1.677932	-0.5417072	0.629655
-4.780359	-3.565968	-1.189369	0.4505428	2.206755	4.399285	-0.06348492	-4.535454	-2.37937	-0.7252095	0.6263983	2.225358	4.279277	2.756043×10 ⁻¹¹	-4.279277	-2.225358	-0.6263983	0.725209
-0.1550866	-0.1611716	-0.1492474	-0.1245987	-0.09639145	-0.07797703	-0.07388197	-0.06988651	-0.05125056	-0.02105121	0.008413693	0.02659669	0.02344966	-1.059221×10 ⁻¹⁰	-0.02344966	0.02659669	-0.008413693	0.0210512
4.459199	3.239941	0.8977427	-0.6826669	-2.370922	-4.524997	-0.07578147	4.382303	2.264662	0.6817699	-0.6007663	-2.152105	-4.210878	4.094768×10 ⁻¹⁰	4.210878	2.152105	0.6007663	-0.681769
2.479312	1.795976	0.6012571	-0.6167458	-1.746893	-2.092654	-0.07628286	1.948193	1.634066	0.5814737	-0.4919345	-1.536254	-1.879329	-1.616467×10 ⁻⁹	1.879329	1.536254	0.4919345	-0.581473
-0.4863957	-0.3671418	-0.2104716	-0.08573185	0.1195605	0.3138302	-0.07348132	-0.4612966	-0.2667083	-0.05683469	0.07988452	0.2739109	0.4318273	6.850159×10 ⁻⁹	-0.4318273	-0.2739109	-0.07988453	0.0568346
-3.766967	-2.57294	-0.9831755	0.5157536	2.056962	3.229076	-0.05823381	-3.354953	-2.213405	-0.7311327	0.6697977	2.124615	3.226088	-3.125512×10 ⁻⁸	-3.226088	-2.124615	-0.6697977	0.731132
-0.809139	-4.110792	-1.417137	0.9457983	3.233922	4.783472	-0.02175395	-4.840696	-3.336369	-1.142106	1.025808	3.195694	4.675291	1.254052×10 ⁻⁸	-4.675291	-3.195694	-1.025808	1.142106



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