

Calculation of π by Monte-Carlo algorithm

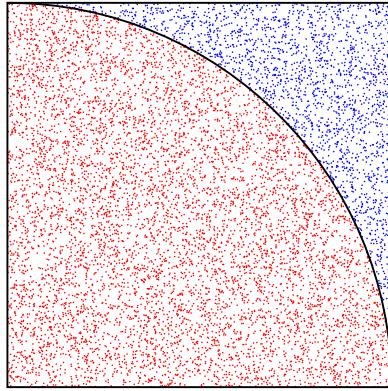
$n = 10000$

$\text{r} = \text{random}(\text{fill}(\text{vector}_{\text{hp}}(n); 1)) = \text{random}(\text{fill}(\text{vector}_{\text{hp}}(10000); 1)) = [0.742176 \ 0.6508581 \ 0.6605696 \ 0.4676931 \ 0.4043998 \ 0.07013425 \ 0.3354955 \ 0.6740415 \ 0.1928455 \ 0.738402 \ 0.2264924 \ 0.9583731 \ 0.7860559 \ 0.8423899 \ 0.682569 \ 0.4437863 \ 0.6225958 \ 0.6052215 \ 0.464681 \ 0.9610078 \dots 0.008128978]$

$\text{r} = \text{random}(\text{fill}(\text{Vector}_{\text{hp}}(n); 1)) = \text{random}(\text{fill}(\text{Vector}_{\text{hp}}(10000); 1)) = [0.252411 \ 0.6218393 \ 0.9869916 \ 0.7059767 \ 0.3959453 \ 0.7679354 \ 0.9081831 \ 0.7795125 \ 0.6866257 \ 0.777726 \ 0.9668872 \ 0.513738 \ 0.9697231 \ 0.2164705 \ 0.6545053 \ 0.03312811 \ 0.07900223 \ 0.7108383 \ 0.1505013 \ 0.8923924 \dots 0.4678099]$

$\text{r} = \sqrt{x^2 + y^2} = [0.7839238 \ 0.9001668 \ 1.187647 \ 0.8468412 \ 0.565961 \ 0.7711313 \ 0.9681703 \ 1.03052 \ 0.713193 \ 1.072425 \ 0.9930607 \ 1.087385 \ 1.248298 \ 0.8697587 \ 0.9456626 \ 0.4450211 \ 0.6275882 \ 0.9335867 \ 0.4884456 \ 1.31145 \dots 0.4678806]$

$$n_{\text{in}} = \text{count}(\text{floor}(r); 0; 1) = 7897, PI = \frac{4 \cdot n_{\text{in}}}{n} = \frac{4 \cdot 7897}{10000} = 3.1588$$



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