

* Since we now have 4 properties, set we have shown that even with 4 properties, it is still an NP-complete problem. pg. 1

Reduction K-Dimensional Matching to Set Game.

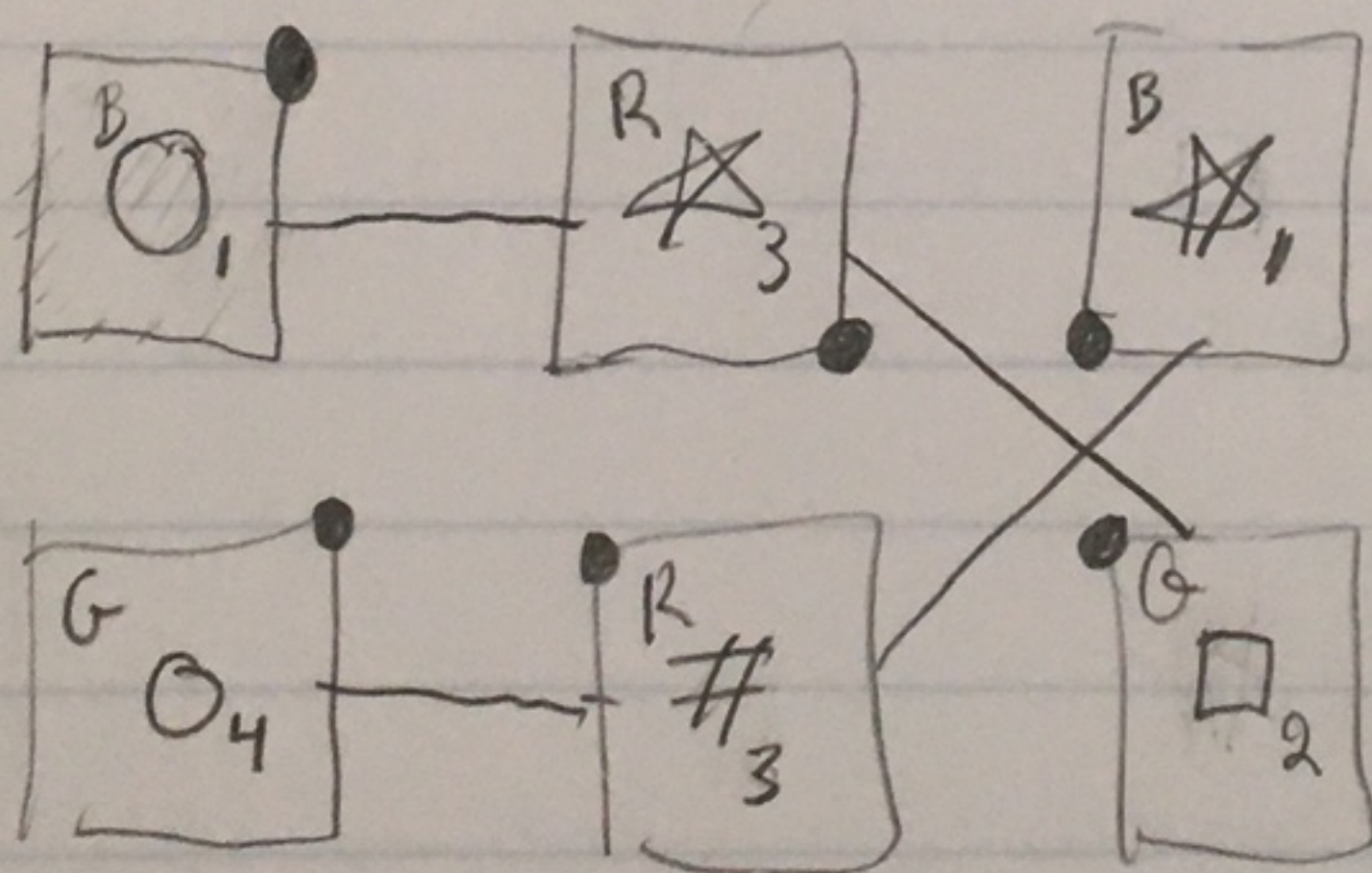
- ① K-Dimensional Matching: Given a graph and a set of possible matches, M is a subset of those matches!

$M \subseteq \{1, \dots, v\}^k$ where $v > 0$ and $k = \#$ of dimensions.

Is there a perfect match such that $|M| = v$?

- ② Set Game: Given a set of cards with 4 properties each, is there a perfect match of all cards such that no match shares more than one property?

Example:



Where the "properties" are = ① middle shape, ② Color Value $\{G, R, B\}$, ③ Number Value, ④ Corner location of •

Therefore, a perfect matching would be as shown in the connections, such that no matching of cards shares any properties.

We can write this as $C \subseteq \{a_1, \dots, a_v\}^4$ where 4 is the number of properties.

Therefore, if k -property set is satisfied
(a perfect match is found) a perfect
set is also found for the cards
in set.