$DeSantis_Matthew_HW_4$

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3.3.3

(a)

(b)

```
Amount= c(0,400,750,800,1150,1500)
Probability = c(0.49,0.168,0.252,0.0144,0.0432,0.0324)
expectedamt = sum(Amount*Probability)
varamt = sum((Amount**2)*Probability) - expectedamt**2
expectedamt
```

[1] 366

varamt

[1] 173922

3.3.7

```
(a) median = sqrt(2), \, IQR = Q3 - Q1 = sqrt(3) -1
```

(b)

```
PDF = function(x){
  return (x/2)
}
PDF.X = function(x){
  return ((x**2)/2)
}
PDF.X2 = function(x){
  return ((x**3)/2)
}
## true for x between 0 and 2
expectedtime = integrate(PDF.X,0,2)
vartime = integrate(PDF.X2,0,2)$value - (expectedtime$value)**2
expectedtime$value
```

[1] 1.333333

vartime

[1] 0.2222222

3.4.4 (a) expected value = 5 variance = 2.5 (b) dbinom(5,10,0.5) ## [1] 0.2460938 (c) pbinom(5,10,0.5) ## [1] 0.6230469 (d) Y represents the number of questions answered incorrectly (e)

pbinom(8,10,0.5)-pbinom(4,10,0.5)

3.4.13

(b)

 $Sample \ space = \{0,1,2,3\} \ PMF = dhyper(x, \, 3, \, 17, \, 5) \ or \ ((choose(3,x)*choose(17,20-x))/choose(20,5)) \ and \ analogous \ ((choose(3,x)*choose(17,20-x))/choose(20,5)) \ analogous \ ((choose(3,x)*choose(17$

(c)

```
dhyper(1, 3, 17, 5)
```

[1] 0.4605263

(d)

```
expectedfault = (5*3/20)
varfault = expectedfault*(1-3/20)*(15/19)
expectedfault
```

[1] 0.75

varfault

[1] 0.5032895

Additional Problem

MGF of X~U(0,1) = E(exp(tx)) = integral from 0 to 1 of exp(tx) = exp(tx)/t evaluated from 0 to 1 = $\exp(t)/t - 1/t = (\exp(t)-1)/t$ when t!=0. When t = 0, then MGF = E(exp(x*0)) = E(exp(0)) = 1