

Decibel

This article is about the unit of level. For other uses, see [Decibel \(disambiguation\)](#).

The **decibel** (**dB**) is a **logarithmic unit** used to express the ratio between two values of a physical quantity, often **power** or **intensity**. One of these quantities is often a reference value, and in this case the decibel can be used to express the absolute level of the physical quantity, as in the case of **sound pressure**. The number of decibels is ten times the **logarithm to base 10** of the ratio of two power quantities,^[1] or of the ratio of the **squares** of two **field amplitude** quantities. One decibel is one tenth of one **bel**, named in honor of **Alexander Graham Bell**. The bel is seldom used without the *deci*- prefix.

The definition of the decibel is based on the measurement of power in **telephony** of the early 20th century in the **Bell System** in the United States. Today, the unit is used for a wide variety of measurements in science and engineering, most prominently in **acoustics**, **electronics**, and **control theory**. In electronics, the **gains** of amplifiers, **attenuation** of signals, and **signal-to-noise ratios** are often expressed in decibels. The decibel confers a number of advantages, such as the ability to conveniently represent very large or small numbers, and the ability to carry out multiplication of ratios by simple addition and subtraction.

A change in power by a factor of 10 corresponds to a 10 dB change in **level**. A change in power by a factor of two approximately corresponds to a **3 dB change**. A change in voltage by a factor of 10 results in a change in power by a factor of 100 and corresponds to a 20 dB change. A change in voltage ratio by a factor of two approximately corresponds to a 6 dB change.

The decibel symbol is often qualified with a suffix that indicates which reference quantity has been used or some other property of the quantity being measured. For example, **dBm** indicates a reference level of one **milliwatt**, while **dBu** is referenced to approximately 0.775 **volts RMS**.^[2]

In the **International System of Quantities**, the decibel is defined as a unit of **level** or of level difference, equal to one-tenth of a bel. The bel is then defined in terms of the **neper**, an alternative unit of level of root-power quantities, applicable when the **natural logarithm** (base **e**) is used to define the level.^[3]

1 History

The decibel originates from methods used to quantify signal losses in telephone circuits. These losses were originally measured in units of *Miles of Standard Cable* (MSC), where 1 MSC corresponded to the loss of power over a 1 **mile** (approximately 1.6 km) length of standard **telephone cable** at a frequency of 5000 **radians** per second (795.8 Hz), and roughly matched the smallest attenuation detectable to the average listener. Standard telephone cable was defined as “a cable having uniformly distributed resistance of 88 ohms per loop mile and uniformly distributed **shunt capacitance** of .054 microfarad per mile” (approximately 19 gauge).^[4]

The *transmission unit* (TU) was devised by engineers of the **Bell Telephone Laboratories** in the 1920s to replace the MSC. 1 TU was defined as ten times the base-10 logarithm of the ratio of measured power to a reference power level.^[5] The definitions were conveniently chosen such that 1 TU approximately equaled 1 MSC (specifically, 1.056 TU = 1 MSC). In 1928, the Bell system renamed the TU the decibel,^[6] being one tenth of a newly defined unit for the base-10 logarithm of the power ratio. It was named the *bel*, in honor of their founder and telecommunications pioneer **Alexander Graham Bell**.^[7] The bel is seldom used, as the decibel was the proposed working unit.^[8]

The naming and early definition of the decibel is described in the **NBS Standard's Yearbook** of 1931:^[9]

Since the earliest days of the telephone, the need for a unit in which to measure the transmission efficiency of telephone facilities has been recognized. The introduction of cable in 1896 afforded a stable basis for a convenient unit and the “mile of standard” cable came into general use shortly thereafter. This unit was employed up to 1923 when a new unit was adopted as being more suitable for modern telephone work. The new transmission unit is widely used among the foreign telephone organizations and recently it was termed the “decibel” at the suggestion of the International Advisory Committee on Long Distance Telephony.

The decibel may be defined by the statement that two amounts of power differ by 1 decibel when they are in the ratio of $10^{0.1}$ and any two amounts of power differ by N decibels when they are in the ratio of $10^{N(0.1)}$. The

number of transmission units expressing the ratio of any two powers is therefore ten times the common logarithm of that ratio. This method of designating the gain or loss of power in telephone circuits permits direct addition or subtraction of the units expressing the efficiency of different parts of the circuit...

1.1 Standards

In April 2003, the **International Committee for Weights and Measures** (CIPM) considered a recommendation for the decibel's inclusion in the **International System of Units** (SI), but decided not to adopt the decibel as an SI unit.^[10] However, the decibel is recognized by other international bodies such as the **International Electrotechnical Commission** (IEC) and **International Organization for Standardization** (ISO).^[11] The IEC permits the use of the decibel with field quantities as well as power and this recommendation is followed by many national standards bodies, such as **NIST**, which justifies the use of the decibel for voltage ratios.^[12] The term *field quantity* is deprecated by ISO, which favors *root-power*. In spite of their widespread use, *suffixes* (such as in **dBA** or **dBV**) are not recognized by the IEC or ISO.

2 Definition

The ISO Standard **80000-3:2006** defines the following quantities. The decibel (dB) is one tenth of the bel (B): 1 B = 10 dB. The bel is $(1/2) \ln(10)$ **neper** (Np): 1 B = $(1/2) \ln(10)$ Np = $\ln(\sqrt{10})$ Np. The neper is the change in the **level** of a field quantity when the field quantity changes by a factor of e , that is 1 Np = $\ln(e) = 1$ (thereby relating all of the units as nondimensional natural log of field-quantity ratios, 1 dB = 0.11513..., 1 B = 1.1513...). Finally, the level of a quantity is the logarithm of the ratio of the value of that quantity to a reference value of the same quantity.

Therefore, the bel represents the logarithm of a ratio between two power quantities of 10:1, or the logarithm of a ratio between two field quantities of $\sqrt{10}$:1.^[13]

Two signals that differ by one decibel have a power ratio of $10^{1/10}$ which is approximately 1.25892, and an amplitude (field) ratio of $10^{1/20}$ (1.12202).^{[14][15]}

Although permissible, the bel is rarely used with other SI unit *prefixes* than *deci*. It is preferred to use *hundredths of a decibel* rather than *millibels*.^[16]

The method of calculation of a ratio in decibels depends on whether the measured property is a *power quantity* or a *field quantity*; see **Field, power, and root-power quantities** for details.

2.1 Power quantities

When referring to measurements of *power* quantities, a ratio can be expressed in decibels by evaluating ten times the **base-10 logarithm** of the ratio of the measured quantity to the reference level. Thus, the ratio of P (measured power) to P_0 (reference power) is represented by LP , that ratio expressed in decibels,^[17] which is calculated using the formula:

$$LP = \frac{1}{2} \ln\left(\frac{P}{P_0}\right) = 10 \log_{10}\left(\frac{P}{P_0}\right) \text{ dB}.$$

The base-10 logarithm of the ratio of the two power levels is the number of bels. The number of decibels is ten times the number of bels (equivalently, a decibel is one-tenth of a bel). P and P_0 must measure the same type of quantity, and have the same units before calculating the ratio. If $P = P_0$ in the above equation, then $LP = 0$. If P is greater than P_0 then LP is positive; if P is less than P_0 then LP is negative.

Rearranging the above equation gives the following formula for P in terms of P_0 and LP :

$$P = 10^{\frac{LP}{10}} P_0.$$

2.2 Field quantities

When referring to measurements of field quantities, it is usual to consider the ratio of the squares of F (measured field) and F_0 (reference field). This is because in most applications power is proportional to the square of field, and it is desirable for the two decibel formulations to give the same result in such typical cases. Thus, the following definition is used:

$$LF = \ln\left(\frac{F}{F_0}\right) = 10 \log_{10}\left(\frac{F^2}{F_0^2}\right) \text{ dB} = 20 \log_{10}\left(\frac{F}{F_0}\right) \text{ dB}.$$

The formula may be rearranged to give

$$F = 10^{\frac{LF}{20}} F_0.$$

Similarly, in **electrical circuits**, dissipated power is typically proportional to the square of **voltage** or **current** when the **impedance** is held constant. Taking voltage as an example, this leads to the equation:

$$G_{\text{dB}} = 20 \log_{10}\left(\frac{V}{V_0}\right) \text{ dB},$$

where V is the voltage being measured, V_0 is a specified reference voltage, and G_{dB} is the power gain expressed in decibels. A similar formula holds for current.

The term *root-power quantity* is introduced by ISO Standard 80000-1:2009 as a substitute of *field quantity*. The term *field quantity* is deprecated by that standard.

2.3 Conversions

Main article: [Power level units](#)

Since logarithm differences measured in these units are used to represent power ratios and field ratios, the values of the ratios represented by each unit are also included in the table.

2.4 Examples

All of these examples yield dimensionless answers in dB because they are relative ratios expressed in decibels. The unit dBW is often used to denote a ratio for which the reference is 1 W, and similarly dBm for a 1 mW reference point.

- Calculating the ratio of 1 kW (one kilowatt, or 1000 watts) to 1 W in decibels yields:

$$G_{\text{dB}} = 10 \log_{10} \left(\frac{1000 \text{ W}}{1 \text{ W}} \right) = 30.$$

- The ratio of $\sqrt{1000} \text{ V} \approx 31.62 \text{ V}$ to 1 V in decibels is

$$G_{\text{dB}} = 20 \log_{10} \left(\frac{31.62 \text{ V}}{1 \text{ V}} \right) = 30.$$

$(31.62 \text{ V}/1 \text{ V})^2 \approx 1 \text{ kW}/1 \text{ W}$, illustrating the consequence from the definitions above that G_{dB} has the same value, 30 dB, regardless of whether it is obtained from powers or from amplitudes, provided that in the specific system being considered power ratios are equal to amplitude ratios squared.

- The ratio of 1 mW (one milliwatt) to 10 W in decibels is obtained with the formula

$$G_{\text{dB}} = 10 \log_{10} \left(\frac{0.001 \text{ W}}{10 \text{ W}} \right) = -40.$$

- The power ratio corresponding to a 3 dB change in level is given by

$$G = 10^{\frac{3}{10}} \times 1 = 1.99526... \approx 2.$$

A change in power ratio by a factor of 10 is a change of 10 dB. A change in power ratio by a factor of two is approximately a **change of 3 dB**. More precisely, the factor is $10^{3/10}$, or 1.9953, about 0.24% different from exactly 2. Similarly, an increase of 3 dB implies an increase in voltage by a factor of approximately $\sqrt{2}$, or about 1.41, an increase of 6 dB corresponds to approximately four times the power and twice the voltage, and so on. In exact terms the power ratio is $10^{6/10}$, or about 3.9811, a relative error of about 0.5%.

3 Properties

The decibel has the following properties:

- The **logarithmic scale** nature of the decibel means that a very large range of ratios can be represented by a convenient number, in a similar manner to **scientific notation**. This allows one to clearly visualize huge changes of some quantity. See **Bode plot** and **semi-log plot**. For example, 120 dB SPL may be clearer than “a trillion times more intense than the threshold of hearing”, or easier to interpret than “20 pascals of sound pressure”.
- Level values in decibels can be added instead of multiplying the underlying power values, which means that the overall gain of a multi-component system, such as a series of **amplifier** stages, can be calculated by summing the gains in decibels of the individual components, rather than multiply the amplification factors; that is, $\log(A \times B \times C) = \log(A) + \log(B) + \log(C)$. Practically, this means that, armed only with the knowledge that 1 dB is approximately 26% power gain, 3 dB is approximately 2× power gain, and 10 dB is 10× power gain, it is possible to determine the power ratio of a system from the gain in dB with only simple addition and multiplication. For example:

A system consists of 3 amplifiers in series, with gains (ratio of power out to in) of 10 dB, 8 dB, and 7 dB respectively, for a total gain of 25 dB. Broken into combinations of 10, 3, and 1 dB, this is:

$$25 \text{ dB} = 10 \text{ dB} + 10 \text{ dB} + 3 \text{ dB} + 1 \text{ dB} + 1 \text{ dB}$$

With an input of 1 watt, the output is approximately

$$1 \text{ W} \times 10 \times 10 \times 2 \times 1.26 \times 1.26 = \sim 317.5 \text{ W}$$

Calculated exactly, the output is $1 \text{ W} \times 10^{25/10} = 316.2 \text{ W}$. The approximate value has an error of only +0.4% with respect to the actual value which is negligible given the precision of the values

supplied and the accuracy of most measurement instrumentation.

4 Advantages and disadvantages

4.1 Advantages

- According to Mitschke,^[18] “The advantage of using a logarithmic measure is that in a transmission chain, there are many elements concatenated, and each has its own gain or attenuation. To obtain the total, addition of decibel values is much more convenient than multiplication of the individual factors.”
- The human perception of the intensity of, for example, sound or light, is more nearly linearly related to the logarithm of intensity than to the intensity itself, per the **Weber–Fechner law**, so the dB scale can be useful to describe perceptual levels or level differences. If we did not use logarithmic values to describe audio levels, the numerical changes would be so vast and large it would make them near impossible to understand and work with.^{[19][20][21][22][23][24]}

4.2 Disadvantages

According to several articles published in *Electrical Engineering*^[25] and the *Journal of the Acoustical Society of America*,^{[26][27][28]} the decibel suffers from the following disadvantages:

- The decibel creates confusion.
- The logarithmic form obscures reasoning.
- Decibels are more related to the era of **slide rules** than that of modern digital processing.
- Decibels are cumbersome and difficult to interpret.
- Representing the equivalent of zero watts is not possible, causing problems in conversions.

Hickling concludes “Decibels are a useless affectation, which is impeding the development of noise control as an engineering discipline”.^[27]

Another disadvantage is that quantities in decibels are not necessarily **additive**,^{[29][30]} thus being “of unacceptable form for use in **dimensional analysis**”.^[31]

For the same reason that decibels excel at multiplicative operations (e.g., antenna gain), they are awkward when dealing with additive operations. Peters (2013, p. 13)^[32] provides several examples:

- “if two machines each individually produce a [sound pressure] level of, say, 90 dB at a certain point, then

when both are operating together we should expect the combined sound pressure level to increase to 93 dB, but certainly not to 180 dB!”

- “suppose that the noise from a machine is measured (including the contribution of background noise) and found to be 87 dBA but when the machine is switched off the background noise alone is measured as 83 dBA. ... the machine noise [level (alone)] may be obtained by 'subtracting' the 83 dBA background noise from the combined level of 87 dBA; i.e., 84.8 dBA.”
- “in order to find a representative value of the sound level in a room a number of measurements are taken at different positions within the room, and an average value is calculated. (...) Compare the logarithmic and arithmetic averages of ... 70 dB and 90 dB: **logarithmic average** = 87 dB; **arithmetic average** = 80 dB.”

5 Uses

5.1 Acoustics

The decibel is commonly used in **acoustics** as a unit of **sound pressure level**, for a reference pressure of 20 micropascals in air^[33] and 1 micropascal in water. The reference pressure in air is set at the typical threshold of perception of an average human and there are **common comparisons used to illustrate different levels of sound pressure**. Sound pressure is a field quantity, therefore the field version of the unit definition is used:

$$L_p = 20 \log_{10} \left(\frac{p_{\text{rms}}}{p_{\text{ref}}} \right) \text{ dB},$$

where p_{ref} is the standard reference sound pressure of 20 **micropascals** in air or 1 micropascal in water.

The human ear has a large **dynamic range** in audio reception. The ratio of the sound intensity that causes permanent damage during short exposure to the quietest sound that the ear can hear is greater than or equal to 1 trillion (10^{12}).^[34] Such large measurement ranges are conveniently expressed in **logarithmic scale**: the base-10 logarithm of 10^{12} is 12, which is expressed as a sound pressure level of 120 dB re 20 micropascals. Since the human ear is not equally sensitive to all sound frequencies, noise levels at maximum human sensitivity, somewhere between 2 and 4 kHz, are factored more heavily into some measurements using **frequency weighting**. (See also **Stevens' power law**.)

Further information: **Examples of sound pressure**

5.2 Electronics

In electronics, the decibel is often used to express power or amplitude ratios (**gains**), in preference to **arithmetic** ratios or **percentages**. One advantage is that the total decibel gain of a series of components (such as **amplifiers** and **attenuators**) can be calculated simply by summing the decibel gains of the individual components. Similarly, in telecommunications, decibels denote signal gain or loss from a transmitter to a receiver through some medium (**free space**, **waveguide**, **coaxial cable**, **fiber optics**, etc.) using a **link budget**.

The decibel unit can also be combined with a suffix to create an absolute unit of electric power. For example, it can be combined with “m” for “milliwatt” to produce the “dBm”. Zero dBm is the level corresponding to one milliwatt, and 1 dBm is one decibel greater (about 1.259 mW).

In professional audio specifications, a popular unit is the dBu. The suffix *u* stands for *unloaded*, and was probably chosen to be similar to lowercase *v*, as dBv was the older name for the same unit. It was changed to avoid confusion with dBV. The dBu is a **root mean square** (RMS) measurement of voltage that uses as its reference approximately 0.775 VRMS. Chosen for historical reasons, the reference value is the voltage level which delivers 1 mW of power in a 600 ohm resistor, which used to be the standard reference impedance in telephone circuits.

5.3 Optics

In an **optical link**, if a known amount of **optical power**, in **dBm** (referenced to 1 mW), is launched into a **fiber**, and the losses, in dB (decibels), of each **electronic component** (e.g., connectors, splices, and lengths of fiber) are known, the overall link loss may be quickly calculated by addition and subtraction of decibel quantities.^[35]

In spectrometry and optics, the **blocking unit** used to measure **optical density** is equivalent to -1 B.

5.4 Video and digital imaging

In connection with video and digital **image sensors**, decibels generally represent ratios of video voltages or digitized light levels, using $20 \log$ of the ratio, even when the represented optical power is directly proportional to the voltage or level, not to its square, as in a **CCD imager** where response voltage is linear in intensity.^[36] Thus, a camera **signal-to-noise ratio** or **dynamic range** of 40 dB represents a power ratio of 100:1 between signal power and noise power, not 10,000:1.^[37] Sometimes the $20 \log$ ratio definition is applied to electron counts or photon counts directly, which are proportional to intensity without the need to consider whether the voltage response is linear.^[38]

However, as mentioned above, the $10 \log$ intensity convention prevails more generally in physical optics, including fiber optics, so the terminology can become murky between the conventions of digital photographic technology and physics. Most commonly, quantities called “dynamic range” or “signal-to-noise” (of the camera) would be specified in $20 \log$ dBs, but in related contexts (e.g. attenuation, gain, intensifier SNR, or rejection ratio) the term should be interpreted cautiously, as confusion of the two units can result in very large misunderstandings of the value.

Photographers also often use an alternative base-2 log unit, the **f-stop**, and in software contexts these image level ratios, particularly dynamic range, are often loosely referred to by the number of bits needed to represent the quantity, such that 60 dB (digital photographic) is roughly equal to 10 f-stops or 10 bits, since 10^3 is nearly equal to 2^{10} .

6 Suffixes and reference values

Suffixes are commonly attached to the basic dB unit in order to indicate the reference value against which the decibel measurement is taken. For example, dBm indicates power measurement relative to 1 milliwatt.

In cases such as this, where the numerical value of the reference is explicitly and exactly stated, the decibel measurement is called an “absolute” measurement, in the sense that the exact value of the measured quantity can be recovered using the formula given earlier. If the numerical value of the reference is not explicitly stated, as in the dB gain of an amplifier, then the decibel measurement is purely relative.

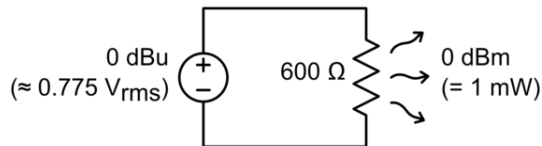
The SI does not permit attaching qualifiers to units, whether as suffix or prefix, other than standard **SI prefixes**. Therefore, even though the decibel is accepted for use alongside **SI units**, the practice of attaching a suffix to the basic dB unit, forming compound units such as dBm, dBu, dBA, etc., is not.^[12] The proper way, according to the **IEC 60027-3**,^[11] is either as L_x (re x_{ref}) or as L_x/x_{ref} , where x is the quantity symbol and x_{ref} is the value of the reference quantity, e.g., LE (re $1 \mu\text{V/m}$) = $LE/(1 \mu\text{V/m})$ for the **electric field strength** E relative to $1 \mu\text{V/m}$ reference value.

Outside of documents adhering to SI units, the practice is very common as illustrated by the following examples. There is no general rule, with various discipline-specific practices. Sometimes the suffix is a unit symbol (“W”, “K”, “m”), sometimes it’s a transliteration of a unit symbol (“uV” instead of μV for micro volt), sometimes it’s an acronym for the units name (“sm” for m^2 , “m” for mW), other times it’s a mnemonic for the type of quantity being calculated (“i” for antenna gain w.r.t. an isotropic antenna, “ λ ” for anything normalized by the EM wavelength), or otherwise a general attribute or iden-

tifier about the nature of the quantity (“A” for **A-weighted** sound pressure level). The suffix is often connected with a dash (dB-Hz), with a space (dB HL), with no intervening character (dBm), or enclosed in parentheses, dB(sm).

6.1 Voltage

Since the decibel is defined with respect to power, not amplitude, conversions of voltage ratios to decibels must square the amplitude, or use the factor of 20 instead of 10, as discussed above.



A schematic showing the relationship between *dBu* (the voltage source) and *dBm* (the power dissipated as heat by the 600 Ω resistor)

dBV

dB(V_{RMS}) – voltage relative to 1 volt, regardless of impedance.^[2]

dBu or dBv

RMS voltage relative to $\sqrt{0.6} \text{ V} \approx 0.7746 \text{ V} \approx -2.218 \text{ dBV}$.^[2] Originally dBv, it was changed to **dBu** to avoid confusion with dBV.^[39] The “v” comes from “volt”, while “u” comes from “unloaded”. **dBu** can be used regardless of impedance, but is derived from a 600 Ω load dissipating 0 dBm (1 mW). The reference voltage comes from the computation $V = \sqrt{600 \Omega \cdot 0.001 \text{ W}}$.

In **professional audio**, equipment may be calibrated to indicate a “0” on the **VU meters** some finite time after a signal has been applied at an amplitude of +4 dBu. Consumer equipment will more often use a much lower “nominal” signal level of −10 dBV.^[40] Therefore, many devices offer dual voltage operation (with different gain or “trim” settings) for interoperability reasons. A switch or adjustment that covers at least the range between +4 dBu and −10 dBV is common in professional equipment.

dBmV

dB(mV_{RMS}) – voltage relative to 1 millivolt across 75 Ω.^[41] Widely used in cable television networks, where the nominal strength of a single TV signal at the receiver terminals is about

0 dBmV. Cable TV uses 75 Ω coaxial cable, so 0 dBmV corresponds to −78.75 dBW (−48.75 dBm) or ~13 nW.

dBμV or dBuV

dB(μV_{RMS}) – voltage relative to 1 microvolt. Widely used in television and aerial amplifier specifications. 60 dBμV = 0 dBmV.

6.2 Acoustics

Probably the most common usage of “decibels” in reference to sound level is dB SPL, **sound pressure level** referenced to the nominal threshold of human hearing:^[42] The measures of pressure (a field quantity) use the factor of 20, and the measures of power (e.g. dB SIL and dB SWL) use the factor of 10.

dB SPL

dB SPL (sound pressure level) – for sound in air and other gases, relative to 20 micropascals (μPa) = $2 \times 10^{-5} \text{ Pa}$, approximately the quietest sound a human can hear. For **sound in water** and other liquids, a reference pressure of 1 μPa is used.^[43]

An RMS sound pressure of one pascal corresponds to a level of 94 dB SPL.

dB SIL

dB sound intensity level – relative to 10^{-12} W/m^2 , which is roughly the **threshold of human hearing** in air.

dB SWL

dB sound power level – relative to 10^{-12} W .

dB(A), dB(B), and dB(C)

These symbols are often used to denote the use of different **weighting filters**, used to approximate the human ear’s **response** to sound, although the measurement is still in dB (SPL). These measurements usually refer to noise and noisome effects on humans and animals, and are in widespread use in the industry with regard to noise control issues, regulations and environmental standards. Other variations that may be seen are dBA or dBA. According to ANSI standards, the preferred usage is to write $LA = x \text{ dB}$. Nevertheless, the units dBA and dB(A) are still commonly used as a shorthand for A-weighted measurements. Compare dBc, used in telecommunications.

dB HL or dB hearing level is used in **audiograms** as a measure of hearing loss. The reference level varies with frequency according to a **minimum audibility curve** as defined in ANSI and other standards, such that the resulting audiogram shows deviation from what is regarded as 'normal' hearing.

dB Q is sometimes used to denote weighted noise level, commonly using the **ITU-R 468 noise weighting**

6.3 Audio electronics

dBm

dB(mW) – power relative to 1 **milliwatt**. In audio and telephony, dBm is typically referenced relative to a 600 ohm impedance,^[44] while in radio frequency work dBm is typically referenced relative to a 50 ohm impedance.^[45]

dBFS

dB(full scale) – the **amplitude** of a signal compared with the maximum which a device can handle before **clipping** occurs. Full-scale may be defined as the power level of a full-scale **sinusoid** or alternatively a full-scale **square wave**. A signal measured with reference to a full-scale sine-wave will appear 3dB weaker when referenced to a full-scale square wave, thus: 0 dBFS(ref=fullscale sine wave) = -3 dBFS(ref=fullscale square wave).

dBTP

dB(true peak) - **peak amplitude** of a signal compared with the maximum which a device can handle before clipping occurs.^[46] In digital systems, 0 dBTP would equal the highest level (number) the processor is capable of representing. Measured values are always negative or zero, since they are less than or equal to full-scale.

6.4 Radar

dBZ

dB(Z) – decibel relative to $Z = 1 \text{ mm}^6 \text{ m}^{-3}$.^[47] energy of reflectivity (weather radar), related to the amount of transmitted power returned to the radar receiver. Values above 15–20 dBZ usually indicate falling precipitation.^[48]

dBsm

dB(m²) – decibel relative to one square meter: measure of the **radar cross section (RCS)** of a target. The power reflected by the target is proportional to its RCS. “Stealth” aircraft and insects have negative RCS measured in dBsm, large flat plates or non-stealthy aircraft have positive values.^[49]

6.5 Radio power, energy, and field strength

dBc dBc – relative to carrier—in **telecommunications**, this indicates the relative levels of noise or sideband power, compared with the carrier power. Compare dBc, used in acoustics.

dBJ dB(J) – energy relative to 1 **joule**. 1 joule = 1 watt second = 1 watt per hertz, so **power spectral density** can be expressed in dBJ.

dBm dB(mW) – power relative to 1 **milliwatt**. Traditionally associated with the telephone and broadcasting industry to express audio-power levels referenced to one milliwatt of power, normally with a 600 ohm load, which is a voltage level of 0.775 volts or 775 millivolts. This is still commonly used to express audio levels with professional audio equipment.

In the radio field, dBm is usually referenced to a 50 ohm load, with the resultant voltage being 0.224 volts.

dBμV/m or dBuV/m dB(μV/m) – **electric field strength** relative to 1 **microvolt** per meter. Often used to specify the signal strength from a **television broadcast** at a receiving site (the signal measured *at the antenna output* will be in dBμV).

dBf dB(fW) – power relative to 1 **femtowatt**.

dBW dB(W) – power relative to 1 **watt**.

dBk dB(kW) – power relative to 1 **kilowatt**.

6.6 Antenna measurements

dB_i

dB(isotropic) – the forward **gain** of an antenna compared with the hypothetical **isotropic antenna**, which uniformly distributes energy in all directions. **Linear polarization** of the EM field is assumed unless noted otherwise.

dB_d

dB(dipole) – the forward gain of an antenna compared with a half-wave dipole antenna. 0 dB_d = 2.15 dB_i

dBic

dB(isotropic circular) – the forward gain of an antenna compared to a **circularly polarized** isotropic antenna. There is no fixed conversion rule between dBic and dBi, as it depends on the receiving antenna and the field polarization.

dBq

dB(quarterwave) – the forward gain of an antenna compared to a quarter wavelength whip. Rarely used, except in some marketing material. 0 dBq = -0.85 dBi

dBsm

dB(m²) – decibel relative to one square meter: measure of the **antenna effective area**.^[50]

dBm⁻¹

dB(m⁻¹) – decibel relative to reciprocal of meter: measure of the **antenna factor**.

6.7 Other measurements**dB-Hz**

dB(Hz) – bandwidth relative to one hertz. E.g., 20 dB-Hz corresponds to a bandwidth of 100 Hz. Commonly used in **link budget** calculations. Also used in **carrier-to-noise-density ratio** (not to be confused with **carrier-to-noise ratio**, in dB).

dBov or dBO

dB(overload) – the **amplitude** of a signal (usually audio) compared with the maximum which a device can handle before **clipping** occurs. Similar to dBFS, but also applicable to analog systems.

dB

dB(relative) – simply a relative difference from something else, which is made apparent in context. The difference of a filter's response to nominal levels, for instance.

dBm

dB above **reference noise**. See also **dBmC**

dBmC

dBmC represents an audio level measurement, typically in a telephone circuit, relative to the **circuit noise level**, with the measurement of this level frequency-weighted by a standard C-message weighting filter. The C-message weighting filter was chiefly used in North America. The Psophometric filter is used for this purpose on international circuits. See **Psophometric weighting** to see a comparison of frequency response curves for the C-message weighting and Psophometric weighting filters.^[51]

dBK

dB(K) – decibels relative to **kelvin**: Used to express **noise temperature**.^[52]

dB/K

dB(K⁻¹) – decibels relative to **reciprocal of kelvin**^[53]—*not* decibels per kelvin: Used for the *G/T* factor, a figure of merit utilized in **satellite communications**, relating the **antenna gain** *G* to the receiver system noise equivalent temperature *T*.^{[54][55]}

7 Related units

mBm mB(mW) – power relative to 1 **milliwatt**, in millibels (one hundredth of a decibel). 100 mBm = 1 dBm. This unit is in the Wi-Fi drivers of the **Linux** kernel^[56] and the regulatory domain sections.^[57]

Np or cNp

Another closely related unit is the **neper** (Np) or centineper (cNp). Like the decibel, the neper is a unit of **level**.^[3] The linear approximation 1 cNp ≈ 1% for small percentage differences is widely used **finance**.

$$1 \text{ Np} = 20 \log_{10} e \text{ dB} \approx 8.685889638 \text{ dB}$$

8 Fractions

Attenuation constants, in fields such as **optical fiber** communication and **radio propagation** path loss, are often expressed as a **fraction** or ratio to distance of transmission. *dB/m* means decibels per meter, *dB/mi* is decibels per mile, for example. These quantities are to be manipulated obeying the rules of **dimensional analysis**, e.g., a 100-meter run with a 3.5 dB/km fiber yields a loss of 0.35 dB = 3.5 dB/km × 0.1 km.

9 See also

- Apparent magnitude
- Cent (music)
- dB drag racing
- Equal-loudness contour
- Noise (environmental)
- Phon
- Richter magnitude scale
- Signal noise
- Sone
- pH

10 Notes and references

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11 External links

- What is a decibel? With sound files and animations
- Conversion of sound level units: dBSPL or dBA to sound pressure p and sound intensity J
- OSHA Regulations on Occupational Noise Exposure

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