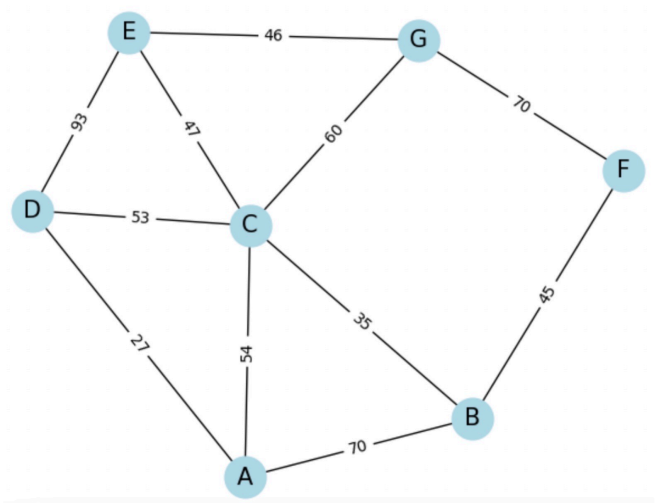


# Hilde Younce



Node-City	Heuristics (H(n))
A - Washington DC	97
B - Culpeper, VA	71
C - Fredericksburg, VA	46
D - Waldorf, MD	80
E - Tappahannock, VA	41
F - Charlottesville, VA	66
G - Richmond	0

1) Djisktra algorithm : A → G

Node:	Distance:	Parent:
A	0	
B	∞	
C	∞	
D	∞	
E	∞	
F	∞	
G	∞	

visited = []

unvisited = [A, B, C, D, E, F, G]

current = A

Node:	Distance:	Parent:
A	0	
B	70	A
C	54	A
D	27	A
E	∞	
F	∞	
G	∞	

visited = [A]

unvisited = [B, C, D, E, F, G]

⇒ current = D

Node:	Distance:	Parent:
A	0	
B	70	A
C	54	A
D	27	A
E	$27 + 93 = 120$	D
F	$\infty$	
G	$\infty$	

visited = [A, D]

unvisited = [B, C, E, F, G]

⇒ current = C

Node:	Distance:	Parent:
A	0	
B	70	A
C	54	A
D	27	A
E	$54 + 47 = 101$	C
F	$\infty$	
G	$54 + 60 = 114$	C

visited = [A, C, D]

unvisited = [B, E, F, G]

⇒ current = B

Node:	Distance:	Parent:
A	0	
B	70	A
C	54	A
D	27	A
E	101	C
F	$70 + 45 = 115$	B
G	114	C

visited = [A, B, C, D]

unvisited = [E, F, G]

⇒ current = E

Node:	Distance:	Parent:
A	0	
B	70	A
C	54	A
D	27	A
E	101	C
F	115	B
G	114	C

visited = [A, B, C, D, E]

unvisited = [F, G]

$\Rightarrow \text{current} = G$

therefore, the shortest path from  $A \rightarrow G$  is

$A \rightarrow C \rightarrow G$  OR  $D.C \rightarrow \text{Fredericksburg} \rightarrow \text{Richmond}$

2) A\* Algorithm:

Node:	$g(n)$ :	$h(n)$ :	$f(n)$ :
A	0	97	
B	$\infty$	71	
C	$\infty$	46	
D	$\infty$	90	
E	$\infty$	41	
F	$\infty$	64	
G	$\infty$	0	

visited = []

unvisited = [A, B, C, D, E, F, G]

$\Rightarrow \text{current} = A$

Node:	$g(n)$ :	$h(n)$ :	$f(n)$ :
A	0	97	97
B	70	71	141
C	54	46	100
D	27	90	107
E	$\infty$	41	
F	$\infty$	64	
G	$\infty$	0	

visited = [A]

unvisited = [B, C, D, E, F, G]

$\Rightarrow \text{current} = C$

Node:	$g(n)$ :	$h(n)$ :	$f(n)$ :
A	0	97	97
B	70	71	141
C	54	46	100
D	27	90	107
E	$54 + 47$	41	142
F	$\infty$	64	
G	$54 + 60$	0	114

visited = [A, C]

unvisited = [B, D, E, F, G]

$\Rightarrow \text{current} = D$

Node:	$g(n)$ :	$h(n)$ :	$f(n)$ :
A	0	97	97
B	70	71	141
C	54	46	100
D	27	80	107
E	101	41	142
F	$\infty$	64	
G	114	0	114

visited = [A, C, D]

unvisited = [B, E, F, G]

$\Rightarrow$  current = G

So, the shortest path from A  $\rightarrow$  G is A  $\rightarrow$  C  $\rightarrow$  G