- 1 . do "/var/folders/9c/8kt\_75q92qv2p6wzt\_p0h8tr0000gn/T//SD12469.000000"
- 2 . \* STATA code for linear regression on section 5: Reduced Form Analysis
- 3.
- 4 . \* condition: set working directory prior to import data
- 5.
- 6 . \* use full dataset for overtime item regressions
- 7 . clear
- 8 . import excel "2\_processed\_full\_dataset.xlsx", sheet("Full\_Dataset") firstrow
   (22 vars, 1,851 obs)
- 9.
- 10 . \* regression on final price ~ overtime items
- 11 . reg winning\_bid is\_overtime\_item, r

Linear regression	Number of obs	=	1,851
	F(1, 1849)	=	116.87
	Prob > F	=	0.0000
	R-squared	=	0.0615
	Root MSE	=	13754

winning_bid	Coefficient	Robust std. err.	t	P> t	[95% conf.	interval]
is_overtime_i~m	7038.173	651.0468	10.81	0.000	5761.309	8315.038
_cons	6846.905	286.0532	23.94	0.000	6285.883	7407.926

- 12 .
- 13 . \* use sampled dataset for overtime policy analysis
- 14 . clear
- 16 .
- 17 . \* regression on final price ~ overtime length
- 18 . reg winning\_bid overtime\_length, r

Linear regression	Number of obs	=	667
	F(1, 665)	=	41.69
	Prob > F	=	0.0000
	R-squared	=	0.1297
	Root MSE	=	16329

		Robust			
winning_bid	Coefficient	std. err.	t	P> t	[95% conf. interval]

overtime_length	11.40141	1.765699	6.46	0.000	7.934396	14.86843
over time_tength					, , , , , , , , , , , , , , , , , , , ,	=
_cons	8806.246	707.3081	12.45	0.000	7417.42	10195.07

- 19 .
- 20 . \* regression on final price ~ overtime bids
- 21 . reg winning\_bid overtime\_bids, r

Linear regression	Number of obs	=	667
	F(1, 665)	=	24.61
	Prob > F	=	0.0000
	R-squared	=	0.1418
	Root MSE	=	16215

winning_bid	Coefficient	Robust std. err.	t	P> t	[95% conf.	interval]
overtime_bids	1212.18	244.3421	4.96	0.000	732.4046	1691.955
_cons	7023.728	1182.8	5.94	0.000	4701.256	9346.199

- 22 .
- 23 . \* check non-overtime data removed
- 24 . generate subset = (is\_overtime\_item == 1)
- 25 . keep if subset==1
   (0 observations deleted)
- 26 .
- 27 . \* overtime duration dummy variables
- 28 . gen overtime\_60 = overtime\_rule==60 if !missing(overtime\_rule)
- 29 . gen overtime\_120 = overtime\_rule==120 if !missing(overtime\_rule)
- 30 . gen overtime\_180 = overtime\_rule==180 if !missing(overtime\_rule)
- 31 . gen overtime\_300 = overtime\_rule==300 if !missing(overtime\_rule)
- 32 .
- 33 . \* overtime duration groups
- 34 . gen overtime\_less\_180 = overtime\_rule <= 120 if !missing(overtime\_rule)</pre>
- 35 . gen overtime\_over\_180 = overtime\_rule > 120 if !missing(overtime\_rule)
- 36 .
- 37 . \* regression for Final Price  $\sim$  Item Value + Overtime Effect + Confounding Factor > s
- 38 .
- 39 . \* setup 1 size moderated
- 40 . reg winning\_bid overtime\_120 overtime\_180 overtime\_300, r

	Linear regress	sion			Number of F(3, 663) Prob > F R-squared Root MSE		= = = =	667 8.77 0.0000 0.0291 17273
	winning_bid	Coefficient	Robust std. err.	t	P> t	[95%	conf.	interval]
	overtime_120 overtime_180 overtime_300 _cons	1316.349 6750.427 5507.272 9825.114	1666.049 1721.528 1353.919 735.3624	0.79 3.92 4.07 13.36	0.430 - 0.000 0.000 0.000	-1955 3370 2848 8381	. 124 . 787	4587.717 10130.73 8165.757 11269.03
1	<pre>. reg winning_</pre>	_bid overtime_	.180 overtim	e_300, r				
	Linear regress	sion			Number of F(2, 664)	obs	=	667 13.03
					Prob > F R-squared Root MSE		= =	0.0000 0.0288
	winning_bid	Coefficient	Robust std. err.	t	Prob > F R-squared		= = =	0.0000 0.0288
	winning_bid overtime_180 overtime_300 _cons	Coefficient 6542.849 5299.694 10032.69		t 3.87 4.03 15.13	Prob > F R-squared Root MSE		conf. .943	0.0000 0.0288 17263
2	overtime_180 overtime_300 _cons	6542.849 5299.694	std. err. 1690.773 1315.239 662.9195	3.87 4.03 15.13	Prob > F R-squared Root MSE P> t  0.000 0.000	[95% 3222. 2717.	conf. .943	0.0000 0.0288 17263 interval] 9862.755 7882.223

 $winning\_bid$ 

\_cons

 $overtime\_ov{\sim}180$ 

Coefficient std. err.

1207.817

662.4209

6005.268

10032.69

P>|t|

0.000

0.000

t

4.97

15.15

[95% conf. interval]

8376.863

11333.38

3633.674

8732.004

<sup>43 .</sup> 

<sup>44 .</sup> \* setup 2-5 - expert score method

### 45 . reg winning\_bid overtime\_120 overtime\_180 overtime\_300 expert\_1\_score, r

winning_bid	Coefficient	Robust std. err.	t	P> t	[95% conf.	interval]
overtime_120	-754.5577	1542.214	-0.49	0.625	-3782.778	2273.663
overtime_180	6161.702	1626.949	3.79	0.000	2967.099	9356.305
overtime_300	6962.73	1314.618	5.30	0.000	4381.408	9544.053
expert_1_score	2158.657	362.1643	5.96	0.000	1447.528	2869.786
_cons	2629.59	1271.06	2.07	0.039	133.7944	5125.386

#### 46 . reg winning\_bid overtime\_180 overtime\_300 expert\_1\_score, r

winning_bid	Coefficient	Robust std. err.	t	P> t	[95% conf.	interval]
overtime_180	6281.476	1611.094	3.90	0.000	3118.016	9444.937
overtime_300	7076.374	1296.027	5.46	0.000	4531.562	9621.186
expert_1_score	2152.184	358.8831	6.00	0.000	1447.499	2856.868
_cons	2533.16	1279.647	1.98	0.048	20.51198	5045.809

# 47 . reg winning\_bid overtime\_over\_180 expert\_1\_score, r

Linear regression Number of obs = 667 F(2, 664) = 23.34 Prob > F = 0.0000 R-squared = 0.1163Root MSE = 16467

winning_bid	Coefficient	Robust std. err.	t	P> t	[95% conf.	interval]
overtime_ov~180	6619.734	1186.217	5.58	0.000	4290.546	8948.923
expert_1_score	2133.153	361.5641	5.90	0.000	1423.207	2843.1
_cons	2599.474	1291.163	2.01	0.044	64.21982	5134.728

49 . reg winning\_bid overtime\_120 overtime\_180 overtime\_300 expert\_2\_score, r

Linear regression	Number of obs	=	667
	F(4, 662)	=	11.79
	Prob > F	=	0.0000
	R-squared	=	0.1155
	Root MSE	=	16499

winning_bid	Coefficient	Robust std. err.	t	P> t	[95% conf.	interval]
overtime_120	-1774.245	1878.004	-0.94	0.345	-5461.807	1913.318
overtime_180	3329.715	1500.613	2.22	0.027	383.1794	6276.25
overtime_300	2938.133	1354.135	2.17	0.030	279.216	5597.05
expert_2_score	2607.634	480.4525	5.43	0.000	1664.24	3551.028
cons	3311.983	1270.762	2.61	0.009	816.7727	5807.192

50 . reg winning\_bid overtime\_180 overtime\_300 expert\_2\_score, r

Linear regression	Number of obs	=	667
	F(3, 663)	=	15.62
	Prob > F	=	0.0000
	R-squared	=	0.1150
	Root MSE	=	16492

winning_bid	Coefficient	Robust std. err.	t	P> t	[95% conf.	interval]
overtime_180	3640.47	1480.915	2.46	0.014	732.6217	6548.319
overtime_300	3239.898	1301.393	2.49	0.013	684.5491	5795.246
expert_2_score	2580.102	472.271	5.46	0.000	1652.775	3507.429
cons	3106.111	1304.465	2.38	0.018	544.7299	5667.491

51 . reg winning\_bid overtime\_over\_180 expert\_2\_score, r

Linear regression	Number of obs	=	667
	F(2, 664)	=	20.85
	Prob > F	=	0.0000
	R-squared	=	0.1149
	Root MSE	=	16480

		Robust			
winning_bid	Coefficient	std. err.	t	P> t	[95% conf. interval]

overtime_ov~180	3462.396	1080.398	3.20	0.001	1340.988	5583.804
expert_2_score	2585.036	478.026	5.41	0.000	1646.411	3523.661
_cons	3092.864	1319.906	2.34	0.019	501.1715	5684.557

53 . reg winning\_bid overtime\_120 overtime\_180 overtime\_300 expert\_3\_score, r

Linear regression

Number of obs = 667 F(4, 662) = 10.23 Prob > F = 0.0000 R-squared = 0.0999 Root MSE = 16644

winning_bid	Coefficient	Robust std. err.	t	P> t	[95% conf.	interval]
overtime_120	-912.1399	1701.731	-0.54	0.592	-4253.58	2429.3
overtime_180	5247.531	1576.128	3.33	0.001	2152.719	8342.343
overtime_300	4700.039	1306.661	3.60	0.000	2134.34	7265.738
expert_3_score	3611.19	803.3483	4.50	0.000	2033.772	5188.608
cons	-365.3673	2230.163	-0.16	0.870	-4744.412	4013.677

54 . reg winning\_bid overtime\_180 overtime\_300 expert\_3\_score, r

Linear regression

Number of obs = 667 F(3, 663) = 13.52 Prob > F = 0.0000 R-squared = 0.0998 Root MSE = 16633

winning_bid	Coefficient	Robust std. err.	t	P> t	[95% conf.	interval]
overtime_180	5396.909	1561.426	3.46	0.001	2330.973	8462.844
overtime_300	4846.069	1270.642	3.81	0.000	2351.101	7341.037
expert_3_score	3593.816	793.5714	4.53	0.000	2035.6	5152.032
_cons	-458.4852	2267.187	-0.20	0.840	-4910.217	3993.246

55 . reg winning\_bid overtime\_over\_180 expert\_3\_score, r

 $\hbox{\tt Linear regression}$ 

Number of obs = 667 F(2, 664) = 18.49 Prob > F = 0.0000 R-squared = 0.0996 Root MSE = 16622

\_\_\_\_\_

winning_bid	Coefficient	Robust std. err.	t	P> t	[95% conf.	interval]
overtime_ov~180	5156.483	1114.153	4.63	0.000	2968.796	7344.171
expert_3_score	3603.258	799.6604	4.51	0.000	2033.091	5173.426
_cons	-486.0507	2285.876	-0.21	0.832	-4974.466	4002.365

57 . reg winning\_bid overtime\_120 overtime\_180 overtime\_300 expert\_4\_score, r

Linear regression

Number of obs = 667 F(4, 662) = 11.45 Prob > F = 0.0000 R-squared = 0.1496 Root MSE = 16178

winning_bid	Coefficient	Robust std. err.	t	P> t	[95% conf.	interval]
overtime_120	-4786.106	1935.306	-2.47	0.014	-8586.184	-986.0274
overtime_180	3876.832	1453.002	2.67	0.008	1023.783	6729.88
overtime_300	4919.574	1294.435	3.80	0.000	2377.882	7461.266
expert_4_score	3401.238	611.4538	5.56	0.000	2200.615	4601.861
cons	3069.23	1400.866	2.19	0.029	318.5542	5819.907

58 . reg winning\_bid overtime\_180 overtime\_300 expert\_4\_score, r

Linear regression

Number of obs = 667F(3, 663) = 15.29Prob > F = 0.0000R-squared = 0.1459Root MSE = 16201

winning_bid	Coefficient	Robust std. err.	t	P> t	[95% conf.	interval]
overtime_180	4706.188	1460.746	3.22	0.001	1837.942	7574.435
overtime_300	5659.68	1269.907	4.46	0.000	3166.155	8153.204
expert_4_score	3268.439	583.9373	5.60	0.000	2121.85	4415.029
cons	2615.849	1459.032	1.79	0.073	-249.0314	5480.729

59 . reg winning\_bid overtime\_over\_180 expert\_4\_score, r

 $\hbox{\tt Linear regression}$ 

Number of obs = 667 F(2, 664) = 20.40 Prob > F = 0.0000 R-squared = 0.1455

winning_bid	Coefficient	Robust std. err.	t	P> t	[95% conf.	interval]
overtime_ov~180	5126.132	1088.301	4.71	0.000	2989.206	7263.058
expert_4_score	3240.342	589.7949	5.49	0.000	2082.254	4398.43
_cons	2679.609	1470.171	1.82	0.069	-207.1362	5566.354

- 60 .
- 61 . \* setup 6 normal bid intensity method
- 62 . reg winning\_bid overtime\_120 overtime\_180 overtime\_300 normal\_bid\_intensity, r

Linear regression	Number of obs	=	665
	F(4, 660)	=	12.97
	Prob > F	=	0.0000

R-squared = 0.1035Root MSE = 16382

winning_bid	Coefficient	Robust std. err.	t	P> t	[95% conf.	interval]
overtime_120	711.5223	1593.884	0.45	0.655	-2418.173	3841.217
overtime_180	5588.916	1541.886	3.62	0.000	2561.323	8616.509
overtime_300	7629.415	1323.363	5.77	0.000	5030.907	10227.92
normal_bid_in~y	4354.105	756.7279	5.75	0.000	2868.22	5839.989
_cons	-587.9144	1817.079	-0.32	0.746	-4155.866	2980.037

63 . reg winning\_bid overtime\_180 overtime\_300 normal\_bid\_intensity, r

Linear regression	Number of obs	=	665
	F(3, 661)	=	17.06
	Prob > F	=	0.0000

R-squared = **0.1034** Root MSE = **16371** 

winning_bid	Coefficient	Robust std. err.	t	P> t	[95% conf.	interval]
overtime_180	5473.88	1526.63	3.59	0.000	2476.251	8471.509
overtime_300	7520.009	1305.572	5.76	0.000	4956.44	10083.58
normal_bid_in~y	4361.666	755.1137	5.78	0.000	2878.956	5844.377
_cons	-492.979	1817.695	-0.27	0.786	-4062.132	3076.174

Linear regression

Number of obs 665 F(2, 662) = 21.23 Prob > F = 0.0000 R-squared = 0.1014 Root MSE = 16376

winning_bid	Coefficient	Robust std. err.	t	P> t	[95% conf.	interval]
overtime_ov~180 normal_bid_in~y _cons	6355.201	1134.291	5.60	0.000	4127.958	8582.443
	4169.024	763.0058	5.46	0.000	2670.821	5667.227
	-42.06878	1840.132	-0.02	0.982	-3655.268	3571.13

65 .

66 . \* following subgroup regressions use combined expert valuation scores

68 \* \* subgroup - price >= cny 5000

69 . keep if final\_price\_over\_5000==1

(194 observations deleted)

70 .

71 . reg winning\_bid overtime\_120 overtime\_180 overtime\_300 expert\_valuation\_score, r

Linear regression

Number of obs 473 F(4, 468) = 8.26 Prob > F = 0.0000 = R-squared 0.1456 Root MSE = 17827

winning_bid	Coefficient	Robust std. err.	t	P> t	[95% conf.	interval]
overtime_120	-4294.895	2122.122	-2.02	0.044	-8464.962	-124.8292
overtime_180	5827.381	2060.365	2.83	0.005	1778.67	9876.092
overtime_300	4338.927	1576.615	2.75	0.006	1240.806	7437.049
expert_valuat~e	4242.104	872.1667	4.86	0.000	2528.257	5955.952
cons	837.8276	2730.957	0.31	0.759	-4528.628	6204.283

72 . reg winning\_bid overtime\_180 overtime\_300 expert\_valuation\_score, r

Linear regression

Number of obs 473 = F(3, 469) = 10.83 Prob > F = 0.0000 = R-squared 0.1429 Root MSE 17836

winning_bid	Coefficient	std. err.	t	P> t	[95% conf.	interval]
overtime_180	6692.71	2026.396	3.30	0.001	2710.77	10674.65
overtime_300	5143.197	1530.464	3.36	0.001	2135.782	8150.612
expert_valuat~e	4154.964	859.2482	4.84	0.000	2466.512	5843.417
_cons	293.6251	2792.526	0.11	0.916	-5193.785	5781.036

73 . reg winning\_bid overtime\_over\_180 expert\_valuation\_score, r

Linear regression	Number of obs	=	473
	F(2, 470)	=	15.90
	Prob > F	=	0.0000
	R-squared	=	0.1419
	Root MSE	=	17828

winning_bid	Coefficient	Robust std. err.	t	P> t	[95% conf.	interval]
overtime_ov~180 expert_valuat~e _cons	5953.68	1433.769	4.15	0.000	3136.289	8771.07
	4228.028	867.7924	4.87	0.000	2522.795	5933.261
	55.72871	2825.6	0.02	0.984	-5496.643	5608.1

74 .

75 . reg winning\_bid overtime\_120 overtime\_180 overtime\_300 normal\_bid\_intensity, r

Linear regression	Number of obs	=	471
	F(4, 466)	=	6.74
	Prob > F	=	0.0000
	R-squared	=	0.0718
	Root MSE	=	18320

winning_bid	Coefficient	Robust std. err.	t	P> t	[95% conf.	interval]
overtime_120	-307.4271	1943.751	-0.16	0.874	-4127.029	3512.175
overtime_180	7975.313	2149.924	3.71	0.000	3750.568	12200.06
overtime_300	6276.554	1684.961	3.73	0.000	2965.492	9587.616
normal_bid_in~y	3110.099	855.8537	3.63	0.000	1428.289	4791.91
_cons	5327.394	2381.825	2.24	0.026	646.9477	10007.84

76 . reg winning\_bid overtime\_180 overtime\_300 normal\_bid\_intensity, r

Linear regression	Number of obs	=	471
	F(3, 467)	=	8.98
	Prob > F	=	0.0000
	R-squared	=	0.0718
	Root MSE	=	18300

winning_bid	Coefficient	Robust std. err.	t	P> t	[95% conf.	interval]
overtime_180	8035.279	2107.763	3.81	0.000	3893.405	12177.15
overtime_300	6335.508	1629.547	3.89	0.000	3133.355	9537.66
normal_bid_in~y	3108.932	854.8034	3.64	0.000	1429.194	4788.669
_cons	5270.807	2343.812	2.25	0.025	665.0822	9876.531

77 . reg winning\_bid overtime\_over\_180 normal\_bid\_intensity, r

Linear regression	Number of obs	=	471
	F(2, 468)	=	13.00
	Prob > F	=	0.0000
	R-squared	=	0.0706
	Root MSE	=	18292

winning_bid	Coefficient	Robust std. err.	t	P> t	[95% conf.	interval]
overtime_ov~180 normal_bid_in~y _cons	7255.576	1512.199	4.80	0.000	4284.036	10227.12
	3286.834	871.9406	3.77	0.000	1573.431	5000.237
	4808.578	2386.853	2.01	0.045	118.3023	9498.853

78 .

79  $\cdot$  \* subgroup - price >= cny 10000

80 . keep if final\_price\_over\_10000==1
 (208 observations deleted)

81 .

82 . reg winning\_bid overtime\_120 overtime\_180 overtime\_300 expert\_valuation\_score, r

Linear regression	Number of obs	=	265
	F(4, 260)	=	4.96
	Prob > F	=	0.0007
	R-squared	=	0.1602
	Root MSF	=	20513

winning_bid	Coefficient	Robust std. err.	t	P> t	[95% conf.	interval]
overtime_120	-2474.122	2854.451	-0.87	0.387	-8094.908	3146.663
overtime_180	9811.761	3248.44	3.02	0.003	3415.16	16208.36
overtime_300	4157.494	2440.818	1.70	0.090	-648.7945	8963.782
expert_valuat~e	4849.218	1287.959	3.77	0.000	2313.06	7385.377
_cons	4035.121	4772.767	0.85	0.399	-5363.078	13433.32

# 83 . reg winning\_bid overtime\_180 overtime\_300 expert\_valuation\_score, r

Linear regression	Number of obs	=	265
	F(3, 261)	=	6.62
	Prob > F	=	0.0003
	R-squared	=	0.1597
	Root MSE	=	20479

winning_bid	Coefficient	Robust std. err.	t	P> t	[95% conf.	interval]
overtime_180	10230.06	3152.501	3.25	0.001	4022.49	16437.63
overtime_300	4557.241	2327.879	1.96	0.051	-26.57314	9141.055
expert_valuat~e	4822.006	1275.763	3.78	0.000	2309.908	7334.104
cons	3723.592	4818.066	0.77	0.440	-5763.637	13210.82

## 84 . reg winning\_bid overtime\_over\_180 expert\_valuation\_score, r

Linear regression Numb	per of obs =	265
F(2,	262) =	9.48
Prob	) > F =	0.0001
R-sc	quared =	0.1485
Root	MSE =	20575

winning_bid	Coefficient	Robust std. err.	t	P> t	[95% conf.	interval]
overtime_ov~180	7472.019	2283.756	3.27	0.001	2975.168	11968.87
expert_valuat~e	5103.151	1299.847	3.93	0.000	2543.675	7662.627
_cons	2681.915	4915.084	0.55	0.586	-6996.18	12360.01

85 .

86 . reg winning\_bid overtime\_120 overtime\_180 overtime\_300 normal\_bid\_intensity, r

Linear regression	Number of obs	=	264
	F(4, 259)	=	3.65
	Prob > F	=	0.0065
	R-squared	=	0.0675
	Root MSE	=	21295

winning_bid	Coefficient	Robust std. err.	t	P> t	[95% conf.	interval]
overtime_120	1079.713	3222.808	0.34	0.738	-5266.529	7425.955
overtime_180 overtime_300	11502.55 4505.314	3287.483 2358.705	3.50 1.91	0.001 0.057	5028.95 -139.3671	17976.15 9149.995

	normal_bid_in~y _cons	1977.343 15111.63	1211.843 3541.843	1.63 4.27	0.104 0.000	-408.9758 8137.158	4363.663 22086.11
87	. reg winning_bio	d overtime_180	overtime_300	normal	l_bid_int	ensity, r	
	Linear regression	1		F ( Pr R-	umber of (3, 260) rob > F -squared bot MSE	obs = = = = = = =	264 4.83 0.0027 0.0674 21255
	winning_bid	Coefficient	Robust std. err.	t	P> t	[95% conf.	interval]
	overtime_180 overtime_300 normal_bid_in~y _cons	11315.87 4328.452 1987.232 15267.01	3232.557 2294.196 1208.07 3522.803	3.50 1.89 1.64 4.33	0.001 0.060 0.101 0.000	4950.543 -189.117 -391.6145 8330.153	17681.19 8846.022 4366.078 22203.87
88	. reg winning_bio	d overtime_ove	r_180 normal	_bid_int	tensity,	r	
	Linear regression	1		F ( Pr R-	umber of (2, 261) rob > F -squared bot MSE	obs = = = = = = = = = = = = = = = = = = =	264 6.83 0.0013 0.0513 21396
	Linear regression  winning_bid	Coefficient	Robust std. err.	F ( Pr R-	(2, 261) rob > F -squared	= = =	6.83 0.0013 0.0513 21396
				F ( Pr R- Rc	(2, 261) rob > F -squared pot MSE	= = = =	6.83 0.0013 0.0513 21396
91 92	winning_bid  overtime_ov~180 normal_bid_in~y     _cons  . * subgroup - pr . keep if final_p (139 observations)	7913.521 2782.01 13104 rice >= cny 20 orice_over_200 s deleted)	2217.988 1227.512 3573.114	t 3.57 2.27 3.67	(2, 261) rob > F -squared bot MSE  P> t  0.000 0.024 0.000	= = = = = [95% conf. 3546.093 364.9229 6068.198	6.83 0.0013 0.0513 21396 interval] 12280.95 5199.097 20139.8

winning_bid	Coefficient	Robust std. err.	t	P> t	[95% conf.	interval]
overtime_120	-6800.408	4276.884	-1.59	0.114	-15267.63	1666.811
overtime_180	12900.91	5199.883	2.48	0.014	2606.37	23195.45
overtime_300	8191.605	4043.618	2.03	0.045	186.1973	16197.01
expert_valuat~e	5860.709	2158.539	2.72	0.008	1587.312	10134.11
_cons	9419.334	9028.132	1.04	0.299	-8454.234	27292.9

94 . reg winning\_bid overtime\_180 overtime\_300 expert\_valuation\_score, r

Linear regression

Number of obs = 126 F(3, 122) = 4.24 Prob > F = 0.0069 R-squared = 0.1748 Root MSE = 23246

winning_bid	Coefficient	Robust std. err.	t	P> t	[95% conf.	interval]
overtime_180	14134.79	4971.868	2.84	0.005	4292.479	23977.1
overtime_300	9351.449	3825.766	2.44	0.016	1777.964	16924.93
expert_valuat~e	5750.073	2115.259	2.72	0.008	1562.706	9937.44
_cons	8653.099	9170.95	0.94	0.347	-9501.712	26807.91

95 . reg winning\_bid overtime\_over\_180 expert\_valuation\_score, r

Linear regression

winning_bid	Coefficient	Robust std. err.	t	P> t	[95% conf.	interval]
overtime_ov~180 expert_valuat~e _cons	12201.75	3910.123	3.12	0.002	4461.903	19941.6
	5989.999	2128.728	2.81	0.006	1776.311	10203.69
	7633.415	9242.915	0.83	0.410	-10662.37	25929.2

96 .

97 . reg winning\_bid overtime\_120 overtime\_180 overtime\_300 normal\_bid\_intensity, r

Linear regression

Number of obs = 125F(4, 120) = 3.69

Prob > F = 0.0072 R-squared = 0.0708 Root MSE = 24457

winning_bid	Coefficient	Robust std. err.	t	P> t	[95% conf.	interval]
overtime_120	932.5587	2476.056	0.38	0.707	-3969.859	5834.976
overtime_180	15251.63	4883.961	3.12	0.002	5581.726	24921.53
overtime_300	7839.422	3363.657	2.33	0.021	1179.616	14499.23
normal_bid_in~y	1163.38	2023.885	0.57	0.566	-2843.772	5170.532
_cons	27927.37	5684.227	4.91	0.000	16673	39181.75

98 . reg winning\_bid overtime\_180 overtime\_300 normal\_bid\_intensity, r

Linear regression

Number of obs = 125 F(3, 121) = 4.69 Prob > F = 0.0039 R-squared = 0.0708 Root MSE = 24356

winning_bid	Coefficient	Robust std. err.	t	P> t	[95% conf.	interval]
overtime_180	15073.69	4735.702	3.18	0.002	5698.122	24449.26
overtime_300	7666.391	3192.991	2.40	0.018	1345.023	13987.76
normal_bid_in~y	1168.063	2014.537	0.58	0.563	-2820.243	5156.37
_cons	28089.56	5628.05	4.99	0.000	16947.35	39231.76

99 . reg winning\_bid overtime\_over\_180 normal\_bid\_intensity, r

 $\hbox{Linear regression}$ 

Number of obs = 125F(2, 122) = 6.85Prob > F = 0.0015R-squared = 0.0568Root MSE = 24438

winning_bid	Coefficient	Robust std. err.	t	P> t	[95% conf.	interval]
overtime_ov~180 normal_bid_in~y _cons	11762.87	3183.893	3.69	0.000	5460.034	18065.7
	2102.352	2036.163	1.03	0.304	-1928.436	6133.14
	25561.64	5681.383	4.50	0.000	14314.77	36808.5

100 .

101 . \* reload sampled dataset

102 . clear

104 . gen overtime\_60 = overtime\_rule==60 if !missing(overtime\_rule)

105 . gen overtime\_120 = overtime\_rule==120 if !missing(overtime\_rule)

106 . gen overtime\_180 = overtime\_rule==180 if !missing(overtime\_rule)

107 . gen overtime\_300 = overtime\_rule==300 if !missing(overtime\_rule)

108 . gen overtime\_less\_180 = overtime\_rule <= 120 if !missing(overtime\_rule)</pre>

109 . gen overtime\_over\_180 = overtime\_rule > 120 if !missing(overtime\_rule)

110 .

111 . \* subgroup - expert selected items with by least one expert

112 . keep if expert\_selection\_score >= 1
 (497 observations deleted)

113 .

114 . reg winning\_bid overtime\_120 overtime\_180 overtime\_300 expert\_valuation\_score, r

winning_bid	Coefficient	Robust std. err.	t	P> t	[95% conf.	interval]
overtime_120	-6100.053	4023.072	-1.52	0.131	-14043.39	1843.283
overtime_180	4444.535	4438.967	1.00	0.318	-4319.964	13209.03
overtime_300	4373.889	4499.872	0.97	0.332	-4510.863	13258.64
expert_valuat~e	8000.54	2143.779	3.73	0.000	3767.764	12233.32
cons	-18402.5	10087.38	-1.82	0.070	-38319.49	1514.491

115 . reg winning\_bid overtime\_180 overtime\_300 expert\_valuation\_score, r

Linear regression	Number of obs	=	170
	F(3, 166)	=	5.88
	Prob > F	=	0.0008
	R-squared	=	0.1720
	Root MSE	=	23328

\_\_\_\_\_\_

winning_bid	Coefficient	Robust std. err.	t	P> t	[95% conf.	interval]
overtime_180	7252.399	3827.571	1.89	0.060	-304.5959	14809.39
overtime_300	7179.883	3849.616	1.87	0.064	-420.6358	14780.4
expert_valuat~e	7972.188	2139.415	3.73	0.000	3748.218	12196.16
_cons	-21075.98	9918.846	-2.12	0.035	-40659.33	-1492.63

116 . reg winning\_bid overtime\_over\_180 expert\_valuation\_score, r

winning_bid	Coefficient	Robust std. err.	t	P> t	[95% conf.	interval]
overtime_ov~180 expert_valuat~e _cons	7224.581	3121.034	2.31	0.022	1062.814	13386.35
	7972.703	2146.971	3.71	0.000	3734.001	12211.4
	-21078.38	9955.102	-2.12	0.036	-40732.45	-1424.317

117 .

Linear regression	Number of obs	=	169
	F(5, 163)	=	2.57
	Prob > F	=	0.0287
	R-squared	=	0.1444
	Root MSE	=	23376

winning_bid	Coefficient	Robust std. err.	t	P> t	[95% conf.	interval]
overtime_120	-4777.675	3481.454	-1.37	0.172	-11652.24	2096.889
overtime_180	5934.682	3439.641	1.73	0.086	-857.3185	12726.68
overtime_300	8152.107	4280.207	1.90	0.059	-299.6939	16603.91
expert_select~e	7951.198	4060.16	1.96	0.052	-66.09308	15968.49
normal_bid_in~y	3999.547	1927.67	2.07	0.040	193.1219	7805.971
_cons	-5303.22	8293.258	-0.64	0.523	-21679.29	11072.85

119 . reg winning\_bid overtime\_180 overtime\_300 expert\_selection\_score normal\_bid\_inte > nsity, r

Linear regression Number of obs = 169

F(4, 164)	=	3.14
Prob > F	=	0.0161
R-squared	=	0.1418
Root MSE	=	23340

winning_bid	Coefficient	Robust std. err.	t	P> t	[95% conf.	interval]
overtime_180	8183.259	3564.551	2.30	0.023	1144.93	15221.59
overtime_300	10457.25	4033.963	2.59	0.010	2492.047	18422.45
expert_select~e	7730.154	4026.138	1.92	0.057	-219.5954	15679.9
normal_bid_in~y	4067.412	1918.581	2.12	0.036	279.1074	7855.716
_cons	-7399.327	8543.482	-0.87	0.388	-24268.73	9470.074

120 . reg winning\_bid overtime\_over\_180 expert\_selection\_score normal\_bid\_intensity, r

Linear regression

Number of obs	=	169
F(3, 165)	=	3.70
Prob > F	=	0.0130
R-squared	=	0.1405
Root MSE	=	23287

winning_bid	Coefficient	Robust std. err.	t	P> t	[95% conf.	interval]
overtime_ov~180 expert_select~e normal_bid_in~y _cons	9014.567	2938.442	3.07	0.003	3212.773	14816.36
	7824.153	3914.666	2.00	0.047	94.85835	15553.45
	3841.556	1874.235	2.05	0.042	140.9805	7542.131
	-6943.982	8696.781	-0.80	0.426	-24115.3	10227.34

- 121 .
- 122 . \* reload sampled dataset
- 123 . clear
- 125 . gen overtime\_60 = overtime\_rule==60 if !missing(overtime\_rule)
- 126 . gen overtime\_120 = overtime\_rule==120 if !missing(overtime\_rule)
- 127 . gen overtime\_180 = overtime\_rule==180 if !missing(overtime\_rule)
- 128 . gen overtime\_300 = overtime\_rule==300 if !missing(overtime\_rule)
- 129 . gen overtime\_less\_180 = overtime\_rule <= 120 if !missing(overtime\_rule)</pre>

130 . gen overtime\_over\_180 = overtime\_rule > 120 if !missing(overtime\_rule)

131 .

132 . \* subgroup - item type = calligraphy

133 . keep if item\_type=="calligraphy"
 (509 observations deleted)

134 .

135 . reg winning\_bid overtime\_120 overtime\_180 overtime\_300 expert\_valuation\_score, r

Linear regression Number of obs 158 = F(4, 153) = 7.53 Prob > F = 0.0000 = R-squared 0.2201 Root MSE = 14203

winning_bid	Coefficient	Robust std. err.	t	P> t	[95% conf.	interval]
overtime_120	-850.1802	1955.962	-0.43	0.664	-4714.361	3014
overtime_180	9706.626	2413.345	4.02	0.000	4938.845	14474.41
overtime_300	9391.791	2988.747	3.14	0.002	3487.251	15296.33
expert_valuat~e	3245.692	849.5648	3.82	0.000	1567.3	4924.084
_cons	-1694.502	2541.526	-0.67	0.506	-6715.516	3326.512

136 . reg winning\_bid overtime\_180 overtime\_300 expert\_valuation\_score, r

R-squared = 0.2199Root MSE = 14159

winning_bid	Coefficient	Robust std. err.	t	P> t	[95% conf.	interval]
overtime_180	9943.259	2465.479	4.03	0.000	5072.735	14813.78
overtime_300	9604.801	3028.985	3.17	0.002	3621.078	15588.52
expert_valuat~e	3223.96	840.6637	3.84	0.000	1563.238	4884.681
_cons	-1848.57	2582.225	-0.72	0.475	-6949.724	3252.584

137 . reg winning\_bid overtime\_over\_180 expert\_valuation\_score, r

Linear regression 
Number of obs = 158 F(2, 155) = 14.70 Prob > F = 0.0000 R-squared = 0.2199 Root MSE = 14114

winning_bid	Coefficient	Robust std. err.	t	P> t	[95% conf.	interval]
overtime_ov~180	9812.447	1931.993	5.08	0.000	5996.013	13628.88
expert_valuat~e	3242.936	831.2101	3.90	0.000	1600.975	4884.898
_cons	-1907.7	2560.863	-0.74	0.457	-6966.397	3150.996

139 . reg winning\_bid overtime\_120 overtime\_180 overtime\_300 normal\_bid\_intensity, r

Linear regression	Number of obs	=	158
	F(4, 153)	=	9.19
	Prob > F	=	0.0000
	R-squared	=	0.1584
	Root MSE	=	14755

winning_bid	Coefficient	Robust std. err.	t	P> t	[95% conf.	interval]
overtime_120	1560.585	2098.628	0.74	0.458	-2585.444	5706.613
overtime_180	10734.67	2877	3.73	0.000	5050.9	16418.45
overtime_300	9419.88	3010.974	3.13	0.002	3471.428	15368.33
normal_bid_in~y	3213.247	892.5453	3.60	0.000	1449.943	4976.55
_cons	721.4532	2101.23	0.34	0.732	-3429.717	4872.623

140 . reg winning\_bid overtime\_180 overtime\_300 normal\_bid\_intensity, r

winning_bid	Coefficient	Robust std. err.	t	P> t	[95% conf.	interval]
overtime_180	10328.94	2848.725	3.63	0.000	4701.321	15956.56
overtime_300	9012.233	2986.121	3.02	0.003	3113.187	14911.28
normal_bid_in~y	3210.811	891.5995	3.60	0.000	1449.467	4972.156
_cons	1133.919	2092.685	0.54	0.589	-3000.155	5267.993

141 . reg winning\_bid overtime\_over\_180 normal\_bid\_intensity, r

Linear regression Number of obs = 158 F(2, 155) = 17.40

Prob > F = 0.0000 R-squared = 0.1567 Root MSE = 14674

winning_bid	Coefficient	Robust std. err.	t	P> t	[95% conf.	interval]
overtime_ov~180 normal_bid_in~y _cons	9802.569	2106.812	4.65	0.000	5640.799	13964.34
	3350.003	847.8401	3.95	0.000	1675.191	5024.816
	827.7234	1999.767	0.41	0.680	-3122.591	4778.038

142 . end of do-file

143 .