CSC148 Worksheet 14 Solution

Hyungmo Gu

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Question 1

a.

| Operation | Running time |
|--|------------------|
| Insert at the front of the list | $\mathcal{O}(n)$ |
| Insert at the end of the list | $\mathcal{O}(1)$ |
| Look up the element at index i , where $0 \le i < n$ | $\mathcal{O}(n)$ |

Correct Solution:

| Operation | Running time |
|--|------------------|
| Insert at the front of the list | $\mathcal{O}(n)$ |
| Insert at the end of the list | $\mathcal{O}(1)$ |
| Look up the element at index i , where $0 \le i < n$ | $\mathcal{O}(1)$ |

b. The inserting of an element at position i requires n-i elements to be shifted to right.

Using this fact, we can write the Big-Oh expression for inserting an item at index i is $\mathcal{O}(n-i)$.

Question 2

a.

| Operation | Running time |
|---|------------------|
| Insert at the front of the linked list | $\mathcal{O}(1)$ |
| Insert at the end of the linked list | $\mathcal{O}(n)$ |
| Look up the element at index i, where $0 \le i < n$ | $\mathcal{O}(n)$ |

Correct Solution:

| Operation | Running time |
|---|------------------|
| Insert at the front of the linked list | $\mathcal{O}(1)$ |
| Insert at the end of the linked list | $\mathcal{O}(n)$ |
| Look up the element at index i, where $0 \le i < n$ | $\mathcal{O}(i)$ |

b. Without the traversal, the running time of inserting is $\mathcal{O}(1)$.

With the traversal, the running time of inserting is $\mathcal{O}(i)$.

Question 3

• Unlike linked lists that store node at different memory location, array-based lists store elements in memory immediately one after another.

Assuming it's easier for memory to find and perform operations on elements located right after another, I believe it's significantly faster for array-based lists to insert an element at position i.

Question 4

Question 5