

# CSC 209 Review 9 Solution

September 2, 2020

1. a) 0

## Notes

- a) is 0 because  $(i \gg 1 + j \gg 1 = i \gg 10 \gg 1 = 0)$
- **Bitwise Shift Operators**
  - has lower precedence than arithmetic operators

## Example:

$i \ll 2 + 1$  means  $i \ll (2+1)$  and not  $(i \ll 2) + 1$

- $\ll$  : Left Shift
- $\gg$  : Right Shift
- *Tip*: Always shift only on unsigned numbers for portability

## Example

```
unsigned short i, j;

i = 13;          /* i is now 13 (binary 0000000000001101) */
j = i << 2;       /* j is now 52 (binary 0000000000110100) */
j = i >> 2;       /* j is now 3 (binary 0000000000000011) */
```

As these examples show, neither operator modifies its operands. To modify a variable by shifting its bits, we'd use the compound assignment operators  $\ll=$  and  $\gg=$ :

```
i = 13;          /* i is now 13 (binary 0000000000001101) */
i <<= 2;         /* i is now 52 (binary 0000000000110100) */
i >>= 2;         /* i is now 13 (binary 0000000000001101) */
```

Shifts to left

Shifts to right

- $\gg=$  /  $\ll=$  : Are bitwise shift equivalent of  $+=$

b) 0

## Notes

- `i` is 1111111111111111
- `i` is 0000000000000000
- so `i & i = 0`
- `~`: Bitwise complement (NOT)

a	$\sim a$
0	1
1	0

**Example:**

```

1      0   1   1   1   //<- this is 7
2      -----
3      1   0   0   0   //<- this is 8
4
5      so, ~ 7 = 8

```

- `&`: Bitwise *and*

a	b	a & b
0	0	0
0	1	0
1	0	0
1	1	1

**Example:**

```

1      0   1   1   1   //<- this is 7
2      0   1   0   0   //<- this is 4
3      -----
4      0   1   0   0   //<- this is 4
5
6      so, 7 & 4 = 4

```

- `^`: Bitwise *exclusive or*
- `|`: Bitwise *inclusive or*

c) 1

**Notes**

- `i` is 1111111111111110
- `j` is 0000000000000000
- `i & j` is 0000000000000000 or 1
- `i & j ^ k` is 1

- $\wedge$ : Bitwise XOR

a	b	$a \wedge b$
0	0	0
0	1	1
1	0	1
1	1	0

### Example:

```

1      0   1   1   1   //<- this is 7
2      0   1   0   0   //<- this is 4
3      -----
4      0   0   1   1   //<- this is 3
5
6      so, 7 ^ 4 = 3
7

```

d) 0

### Example

- i is 0000000000000111
- j is 0000000000001000
- $i \wedge j$  is 0000000000000000 or 0
- k is 0000000000001001
- $i \wedge j \& k$  is 0000000000000000 or 0

### Correct Solution

15

### Notes

- There is a precedence to the order of operations

Highest:	$\sim$
	$\&$
	$\wedge$
Lowest:	$ $

- e) • toggling from 0 to 1

```
i = 0x0000;
i |= 0x0001;
```

or

```
i |= 1 << 0; where i = 0x0000;
```

- toggling from 1 to 0

```
i = 0x0001;
i &= ~0x0001;
```

or

```
i &= ~(1 << 0); where i = 0x0001;
```

### Correct Solution

- toggling from 0 to 1 of 4th bit

```
i = 0x0010;
i ^= 0x0000;
```

or

```
i ^= 1 << 4; where i = 0x0000;
```

- toggling from 1 to 0 of 4th bit

```
i = 0x0010;
i ^= 0x0010;
```

or

```
i ^= (1 << 4); where i = 0x0010;
```

### Notes

- Toggling can be done using bitwise XOR
- **Setting a bit**
  - Is done using `|` or bitwise OR

```
i = 0x0000;          /* i is now 0000000000000000 */
i |= 0x0010;         /* i is now 0000000000010000 */
```

- The idiom of above is `i |= 1 << j`

- **Clearing a bit**

- Is done using `|` or bitwise AND

```
i = 0x00ff;          /* i is now 0000000011111111 */
i &= ~0x0010;        /* i is now 0000000011101111 */
```

- The idiom of above is `i &= ~(i << j)`

2. It swaps the elements between x and y.

### Notes

- Preprocessor performs operations of statements in order from left to right

```

1           2           3
#define M(x,y) ((x)^(y) , (y)^(x) , (x)^(y) )

```

New value of x → New value of y, using x from 1 → New value of x, using y from 2, x from 1

3. `#define MK_COLOR(r,g,b) (long) ( (b | (g << 8)) | (b | (r << 16)))`

### Rough Work

1. store b in bit 0

`b`

2. store g in bit 8

`b | g << 8`

3. store r in bit 16

`b | r << 16`

### Correct Solution

```
#define MK_COLOR(r,g,b) (long) ((r | (g << 8)) | (r | (b << 16)))
```

Notes

- First Byte is furthest from 0x and first byte is closest to 0x



4.    • GET\_RED

```
#define GET_RED(c) (long) (c & 0x007)
```

- GET\_GREEN

```
#define GET_GREEN(c) (long) ((c >> 8) & 0x007)
```

- GET\_BLUE

```
#define GET_BLUE(c) (long) ((c >> 16) & 0x007)
```

Notes

- 0x0007 in binary is 0x00000000000001111
- `c >> 4` shifts `c` to right by 4 bits and return overlapping value between `c >> 4` and 0x00000000000001111 (0x007)
- Test code is below

```
1  #include <stdio.h>
2  #include <stdlib.h>
3
4  #define MK_COLOR(r,g,b) (long) ( (r | (g << 8)) | (r | (b << 16)) )
5  #define GET_RED(c) (long) (c & 0x007)
6  #define GET_GREEN(c) (long) ((c >> 8) & 0x007)
7  #define GET_BLUE(c) (long) ((c >> 16) & 0x007)
8
9  int main() {
10     long i, r = 4, g = 5, b = 6, r2, g2, b2;
11
12     i = MK_COLOR(r,g,b);
```

```

13
14     r2 = GET_RED(i);
15     g2 = GET_GREEN(i);
16     b2 = GET_BLUE(i);
17
18     printf("%ld\n", i);
19     printf("%ld\n", r2);
20     printf("%ld\n", g2);
21     printf("%ld\n", b2);
22
23     return 0;
24 }

```

5. a)

```

1 unsigned short swap_bytes(unsigned short i) {
2     unsigned short j, k;
3
4     j = i & 0x007; // extract first byte
5
6     i = i >> 4;
7     k = i & 0x007; // extract second byte
8
9     i = i >> 4; // shift down later two bytes
10
11     i |= j << 8; // add first byte to position of fourth byte
12     i |= k << 12; // add second byte to position of third byte
13
14 }

```

b)

```

1 unsigned short swap_bytes(unsigned short i) {
2
3     i = i >> 8 | i << 8;
4
5     return i;
6 }

```

## Rough Works

1. Extract first two bytes

```

j = i & 0x0007
i = i >> 4
k = i & 0x0007

```

2. Shift later two bytes down

```

i = i >> 4

```

3. Add first two bytes to last two bytes

```
i |= j << 8;
i |= k << 12;
```

```
6.1 unsigned int rotate_left(unsigned int i, int n) {
2     return i >> 28 | i << n;
3 }
4
5 unsigned int rotate_right(unsigned int i, int n) {
6     return i << 28 | i >> n;
7 }
```

7. a) Is a binary with  $n$  many 1s from the first bit

b) Extracts last  $n$  bits in  $i$

### Correct Solution

a) Is a binary with  $n$  many 1s from the first bit

b) Extracts last  $n$  bits **starting from position  $m$**  in  $i$

```
8. a) unsigned int count_ones(unsigned char *ch)
2     {
3         unsigned char *p;
4         unsigned int count;
5
6         for (p = ch; *p != '\0'; p++){
7             if (*p == '1') {
8                 count++;
9             }
10        }
11
12        return count;
13    }
```

```
b) unsigned int count_ones(unsigned char ch)
2     {
3         int sum = 0;
4
5         sum += (i >> 0) & 1;
6         sum += (i >> 1) & 1;
7         sum += (i >> 2) & 1;
8         sum += (i >> 3) & 1;
9         sum += (i >> 4) & 1;
10        sum += (i >> 5) & 1;
11        sum += (i >> 6) & 1;
```



```

12     sum += (i >> 7) & 1;
13     return count;
14 }

```

### Notes

- Unsigned char goes from 0 (00000000) to 255 (11111111)
- I am having trouble how to convert from loop to without loop :'. I need help
- Example

100010101 - Here there are 4 1s.

```

91 unsigned int reverse_bits (unsigned int n)
92 {
93     int m = 15, p = 0;
94     unsigned int byte_left_end, byte_right_end, res = 0;
95
96     while (m > p) {
97         byte_left_end = n >> m & 1;
98         byte_right_end = n >> p & 1;
99
100        res |= byte_left_end << (15 - m) | byte_right_end << (15 - p
101    );
102
103        m--;
104        p++;
105    }
106    return res;
107 }

```

### Rough Work

- Start at  $n = 15, m = 0$
- Swap bit at  $n$  with  $m$
- Repeat until  $m > n$

### Notes

- unsigned int has 4 bytes or (0x0000) or (0000000000000000, 16 bits)

10. The precedence of  $\&$ ,  $\wedge$ , and  $\_$  is lower than the precedence of the relational and equality operators.

As a result, the expression will first evaluate

`(SHIFT_BIT | CTRL_BIT | ALT_BIT) == 0`

first.

The work around is to put parenthesis around `key_code & (SHIFT_BIT | CTRL_BIT | ALT_BIT)`.

11. The function tries to insert `low_byte` to `high_byte` after shifting `high_byte` by 8 bits to left.

It doesn't work because `+` sign takes precedence over `<<`.

To fix this issue, a parenthesis is required around `high_byte << 8`.

12. It reduces the value of `n` by 1, then uses bitwise operator (`&`) to extract the common bits between `n` and `n-1`.

### Correct Solution

```
13 struct float {
14     unsigned int sign: 1;
15     unsigned int exponent: 8;
16     unsigned int : 0;
17     unsigned int fraction: 23;
18 }
```

### Correct Solution

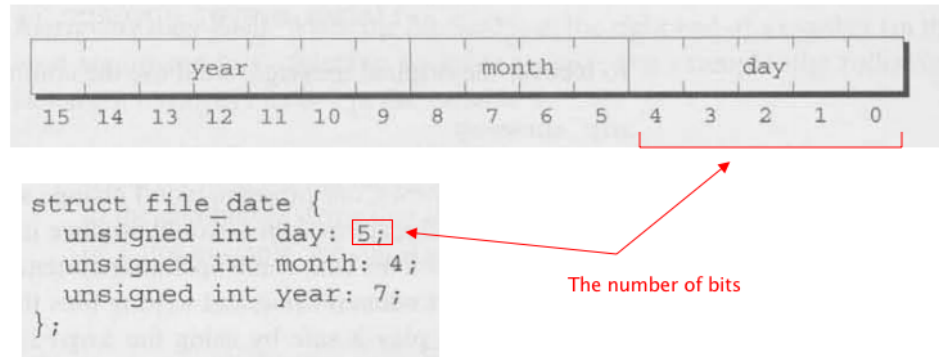
```
1 struct float {
2     unsigned int fraction: 23;
3     unsigned int exponent: 8;
4     unsigned int sign: 1;
5 }
```

## Notes

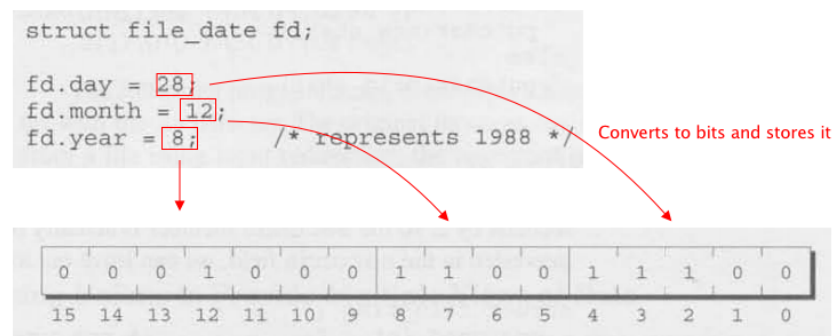
### • Bit-Fields in Structures

- Bit-fields are tricky and potentially confusing

### Example



- Type of bit-field must be either `int`, `unsigned int`, `signed int`
  - \* `int` is ambiguous
  - \* Author suggests to declare all bit-fields to be either `unsigned int` or `signed int`
- Assignment of bit-field in structure

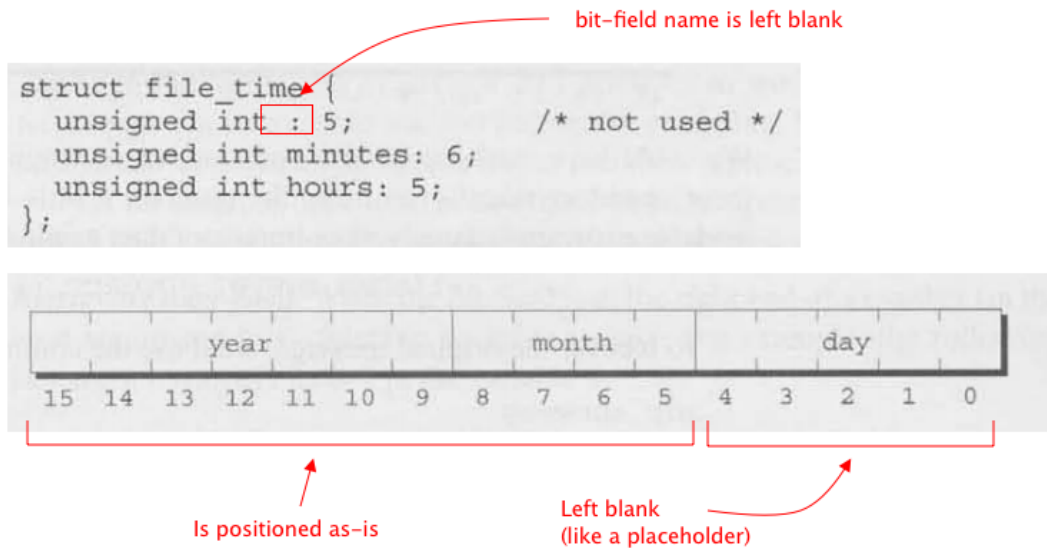


**WARNING** bit-fields don't have addresses

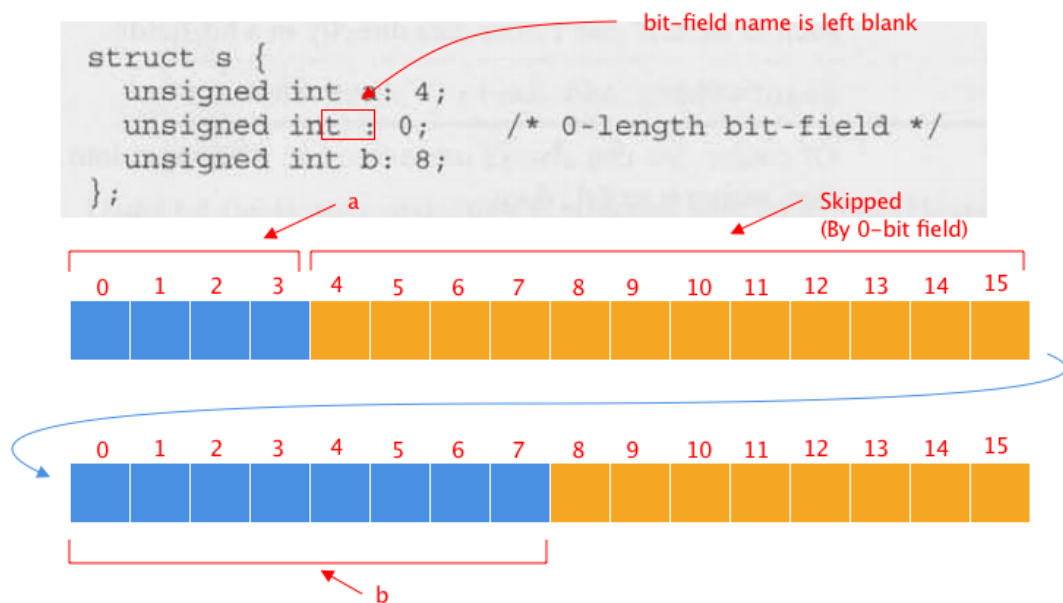
- \* C **doesn't** allow address operator `&` to a bit field

### • How Bit-Fields Are Stored

- C allows to omit the name of bit-field.
- Bit-field without name acts as a padding



- 0 bit-field padding cause the next field to be aligned on the next container boundary
- 0 bit-field must be unnamed



14. a) Some compilers print -1 instead of 1 because it's value of sign is set at different value.  
 b) To avoid the problem, use **unsigned int** instead of **int** in **struct**.

### Correct Solution

- a) Some compilers print -1 instead of 1 because it's value of sign is set at different value.

- b) To avoid the problem, use `unsigned int` instead of `int` in `struct`. This will allow flag to have value 0 and 1.

Another way is by adding an extra member `sign` of size 1 to `struct`. This will allow flag to have value -1, 0 and 1.

```
1 struct float {  
2     int sign: 1;  
3     int flag: 1;  
4 }
```

## 15. Notes

- Other Low Level Technique