

Worksheet 3 Review 2

Hyungmo Gu

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Question 1

- a. $Correct(my_prog) \wedge Python(my_prog)$
- b. $\forall x \in P, \neg Correct(x) \Rightarrow Python(x)$

Correct Solution:

$\exists x \in P, \neg Correct(x) \wedge Python(x)$

- c. $\forall x \in P, Python(x) \Rightarrow \neg Correct(x)$
- d. $\forall x \in P, \neg Correct(x) \Rightarrow Python(x)$
- e. There is a program that is written in *Python* and is *Correct*
- f. All programs are not written in *Python* and is *Correct*
- g. There is a program that is *Correct* and not written in *Python*
- h. All programs that are correct is not written in *Python*, and all programs that are *Correct* is not written in *Python*.

Question 2

- a. Either all programs that are written in *Python* is *Correct*, or all programs that are written in *Python* are not *Correct*
- b. $(\exists x \in P, Python(x) \wedge Correct(x)) \Rightarrow (\forall x \in P, Python(x) \wedge Correct(x))$
- c. The difference is that in statement 1, each divisibility claims can be validated with different natural numbers where as in statement 2, the two claims must be validated with a single natural number.

The statement 1 is true, where as statement 2 is false (consider counter example of $x = 7$)

Question 3

- a. $Odd(n) : \forall n \in \mathbb{Z}, \exists k \in \mathbb{Z}, n + 1 = 2k$
- b. $\forall m, n \in \mathbb{Z}, Odd(m) \wedge Odd(n) \Rightarrow Odd(mn)$

Question 4

Question 5