## CSC148 Worksheet 7 Solution

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## Question 1

- Noticed that there are 11 students in total.
- Students should be grouped by year as closest as possible.

#### Notes:

- 형모 해낼 뚜 있쬬!
- 형모 화이팅!

# Question 2

Name	Year	College	
Priya	3	Victoria	
Alain	2	New	Group 1
Zoe	3	Woodsworth	
 Francesco	3	Victoria	
Mohammed	4	Woodsworth	
Xiaoyuan	5	New	Group 2
Rohit	2	New	
 Yimin	3	Trinity	
Grace	5	Woodsworth	
Claire	1	Woodsworth	Group 3
Kai	1	Woodsworth	

## Question 3

• First, we need to find the group as homogenous as possible in terms of year students are in.

The definition tells us group needs to be in 4, and the following table tell us there are  $4 \ 3^{rd}$  year students.

Student Year	Number of Students
1	2
2	2
3	4
4	1
5	2

It follows from these facts that the group of  $3^{rd}$  year students best satisfy this criterion.

Next, we need to find the group as not homogenous as possible in terms of year students are in.

The same table tells us with 2  $5^{th}$  year students, 1  $4^{th}$  year students and 1  $3^{rd}$  year student, a group spanning 3 years can be created.

Since we know there can't be a group spanning 4 years, we can conclude the group of 3 years (2  $5^{th}$  year students, 1  $4^{th}$  year students and 1  $3^{rd}$  year student) best satisfy this criterion.

### Question 4

• We will calculate the group score based on the code below. The code is also included in worksheet\_7\_q4\_solution.py

```
def get_group_score(group):
    """Evaluates the group score

    Precondition: len(group) == 4
    """
    n = 4

    max_year = get_max_year(group)
    min_year = get_min_year(group)
    similarity_list = []

    i = 0

    while i < 4:
        j = 0
        while j < 4:</pre>
```

```
# find the scaled distance
17
                   scaled_distance = 0
18
                   if max_year != min_year:
19
                        scaled_distance = abs(group[i]['year'] - group[j][
20
      'year']) / float(max_year - min_year)
21
                   # find the similarity
22
                   similarity = 1 - scaled_distance
23
24
                   # add to list
25
                   similarity_list.append(similarity)
26
27
28
                   j += 1
               i += 1
29
           # find the average
31
           average = float(sum(similarity_list))/len(similarity_list)
32
           return average.as_integer_ratio()
33
34
      def get_max_year(group):
35
           """returns max value of year in group"""
36
37
           max_value = -1
38
39
           for student in group:
40
               max_value = max(student['year'], max_value)
41
42
           return max_value
43
44
45
      def get_min_year(group):
           """returns min value of year in group"""
46
47
           min_value = 100 # this is impossible value
48
49
           for student in group:
50
               min_value = min(student['year'], min_value)
51
           return min_value
53
55
      if __name__ == '__main__':
56
           group_1 = [{'name': 'Primya', 'year': 3},
57
          {'name': 'Zoe', 'year': 3},
58
           {'name': 'Francesco', 'year': 3},
59
           {'name': 'Yimin', 'year': 3}]
60
61
           group_2 = [{'name': 'Primya', 'year': 5},
62
          {'name': 'Zoe', 'year': 5},
63
           {'name': 'Francesco', 'year': 4},
           {'name': 'Yimin', 'year': 3}]
65
66
67
68
           score_1 = get_group_score(group_1)
          print(score_1)
```

For the most homogeneous group, the group score is 1.

For the least homogeneous group, the group score is  $\frac{9}{16}$ .

#### Correct Solution:

We will calculate the group score using the code below. The code is also included in  $worksheet\_7\_q4\_solution.py$ 

```
def get_similarity_list(group):
     """Evaluates the list of similarities""" # <- Correct solution
     similarity_list = []
     i = 0
     while i < len(group): # <- correct solution</pre>
         j = i + 1 \# \leftarrow correct solution
         while j < len(group): # <- correct solution</pre>
             # find the scaled distance
             scaled_distance = abs(group[i]['year'] - group[j]['year
',]) / 5.0 # <- correct solution
              # find the similarity
              similarity = 1 - scaled_distance
              # add to list
              similarity_list.append(similarity)
             j += 1
         i += 1
     return similarity_list
if __name__ == '__main__':
    # Correct Solution
     group_1 = [{'name': 'Primya', 'year': 3},
{'name': 'Alain', 'year': 2},
     {'name': 'Zoe', 'year': 3},
     {'name': 'Francesco', 'year': 3}]
     # Correct Solution
     group_2 = [{'name': 'Mohammed', 'year': 4},
```

```
{'name': 'Xiaoyuan', 'year': 5},
{'name': 'Rohit', 'year': 2},
{'name': 'Yimin', 'year': 3}]
# Correct Solution
group_3 = [{'name': 'Grace', 'year': 5},
{'name': 'Claire', 'year': 1},
{'name': 'Kai', 'year': 1}]
# Correct Solution
list_1 = get_similarity_list(group_1)
print(list_1)
# Correct Solution
list_2 = get_similarity_list(group_2)
print(list_2)
# Correct Solution
list_3 = get_similarity_list(group_3)
print(list_3)
```

We will calculate the score of each group in parts.

### Part 1 (Score of Group 1):

We need to calculate the score of group 1.

The problem tells us the group score is

Group Score = 
$$\frac{\sum \text{similarities}}{\# \text{ of elements in list of similarities}}$$
(1)

and the above program tells us that the list of similarities are

$$[0.8, 1.0, 1.0, 0.8, 0.8, 1.0] (2)$$

Then, using these facts, we can conclude that

Group Score = 
$$\frac{0.8 + 1.0 + 1.0 + 0.8 + 0.8 + 1.0}{6}$$

$$= \frac{\frac{4}{5} + 1 + 1 + \frac{4}{5} + \frac{4}{5} + 1}{6}$$

$$= \frac{\frac{4}{5} + \frac{5}{5} + \frac{5}{5} + \frac{4}{5} + \frac{4}{5} + \frac{5}{5}}{6}$$

$$= \frac{\frac{27}{4}}{6}$$

$$= \frac{27}{30}$$

$$= \frac{9}{10}$$
(8)

### Part 2 (Score of Group 2):

We need to calculate the score of group 2.

The problem tells us the group score is

Group Score = 
$$\frac{\sum \text{similarities}}{\text{# of elements in list of similarities}}$$
(9)

and the above program tells us that the list of similarities are

$$[0.8, 0.6, 0.8, 0.4, 0.6, 0.8] (10)$$

Then, we can conclude that the value of group score is

$$\frac{0.8 + 0.6 + 0.8 + 0.4 + 0.6 + 0.8}{6} = \frac{\frac{4}{5} + \frac{3}{5} + \frac{4}{5} + \frac{2}{5} + \frac{3}{5} + \frac{4}{5}}{6} \qquad (11)$$

$$= \frac{\frac{20}{5}}{6} \qquad (12)$$

$$= \frac{20}{30} \qquad (13)$$

$$= \frac{2}{3} \qquad (14)$$

### Part 3 (Score of Group 3):

We need to calculate the score of group 3.

The problem tells us the group score is

Group Score = 
$$\frac{\sum \text{ similarities}}{\text{# of elements in list of similarities}}$$
 (15)

and the above program tells us that the list of similarities are

$$[0.2, 0.2, 1.0] \tag{16}$$

Then, we can conclude that the value of group score is

$$\frac{0.2 + 0.2 + 1.0}{3} = \frac{\frac{1}{5} + \frac{1}{5} + \frac{5}{5}}{3}$$

$$= \frac{\frac{7}{5}}{3}$$

$$= \frac{7}{15}$$
(17)
(18)

$$=\frac{\frac{7}{5}}{3}\tag{18}$$

$$=\frac{7}{15}\tag{19}$$

#### Notes:

- Realized that 'group' in question means 'group 1', 'group 2' and 'group 3' in question 2:(.
- Question 5
- Question 6
- Question 7
- Question 8
- Question 9
- Question 10