

Practice: More on Assembly Programming

Call and return sequence

1. Stack Frames

- The block of information stored on the stack to implement a subroutine call and return
- A subroutine foo gets two arguments in R0 and R1 from the caller and returns the result in R0
 - $\text{foo}(a, b) = \text{bar}(a^b)$
 - foo calls bar
- A subroutine bar gets one argument in R0 from the caller and returns the result in R0
 - $\text{bar}(a) = \text{inc}(a \times a)$
 - bar calls inc
- A subroutine inc gets one argument in R0 from the caller and returns the result in R0
 - $\text{inc}(a) = a + 1$

1. Stack Frames (contd.)

```
@=====
```

```
@ inc(x)
```

```
@=====
```

```
inc:  ADD  R0, R0, #1    @ Increment R0, R0 contains the  
                                @   return value  
      MOV  PC, LR        @ Return to the caller
```

1. Stack Frames (contd.)

```
@=====
@ bar(x)
@=====
bar:  SUB    SP, SP, #4    @ Decrement SP by 4
      STR    LR, [SP]     @ Save LR on the stack
@=====
      MUL    R1, R0, R0
      MOV    R0, R1       @ The argument for inc is in R0
      BL     inc          @ Call inc. When returning from
                          @   inc, R0 contains the result
@=====
      LDR    LR, [SP]     @ Restore LR from the stack
      ADD    SP, SP, #4   @ Increment SP by 4
      MOV    PC, LR       @ Return to the caller
```

1. Stack Frames (contd.)

```
@=====
@ foo(x, y)
@=====
foo: SUB  SP, SP, #4 @ Decrement SP by 4
     STR  R5, [SP]  @ Save R5 on the stack
     SUB  SP, SP, #4 @ Decrement SP by 4
     STR  R6, [SP]  @ Save R6 on the stack
     SUB  SP, SP, #4 @ Decrement SP by 4
     STR  LR, [SP]  @ Save LR on the stack

@=====
     MOV  R5, #1
L1:  CMP  R1, #0
     BEQ  DONE
     MUL  R6, R5, R0
     MOV  R5, R6
     SUB  R1, R1, #1
     B    L1
DONE: MOV  R0, R5      @ The argument for bar is in R0
     BL   bar          @ Call bar. When returning from
                       @ bar, R0 contains the result

@=====
     LDR  LR, [SP]    @ Restore LR from the stack
     ADD  SP, SP, #4  @ Increment SP by 4
     LDR  R6, [SP]    @ Restore R6 from the stack
     ADD  SP, SP, #4  @ Increment SP by 4
     LDR  R5, [SP]    @ Restore R5 from the stack
     ADD  SP, SP, #4  @ Increment SP by 4
     MOV  PC, LR      @ Return to the caller
```

2. Printing a Character or an Integer

■ printInt

- Before you call printInt, you need to set up r0 and r1.
 - r0 - the screen address map to which the integer is printed
 - r1 - the integer

■ On return, r0 contains (addr + the number of characters printed).

- The next address on the screen for printing

■ printCh

- Before you call printCh, you need to set up r0 and r1
 - r0 - the screen map to which the character is printed
 - r1 - the character in ascii
- On return, r0 contains (addr + 1)

2. Printing a Character or an Integer (contd.)

- Subroutine **asciiStr2Int**
 - Converts a null-terminated string to an integer
 - “3456” → 3456
 - When called, r0 contains the address of the null-terminated string
 - On return r0 contains the converted integer

2. Printing a Character or an Integer (contd.)

```
@=====
@  asciiStr2Int
@=====
asciiStr2Int:
    ldr  r12, r0                @ R12 contains the address
                                @   of the string
    eor  r0, r0, r0            @ Set r0 to 0
    mov  r10, #10              @ Set r10 to 10
    ldrb r11, [r12]            @ Load the 1st digit to r11
LOOP:
    cmp  r11, #0               @ Does r11 contains '\0' (NULL)?
    beq  DONE                 @ If so, done
    mul  r1, r0, r10           @
    sub  r11, r11, #0x30       @ Get the value of the digit,
                                @   '0' is 0x30 in ASCII
    add  r0, r1, r11           @
    add  r12, r12, #1          @
    ldrb r11, [r12]           @ Get the next digit
    b    LOOP                 @
DONE:
    mov  pc, lr               @
```

2. Printing a Character or an Integer (contd.)

```
@=====
@ main
@=====
main:
    ldr    r0, addr_str      @ R0 contains the address
                             @   of the string
    bl     asciiStr2Int      @ Call asciiStr2Int
    mov    r1, r0            @ R1 contains the integer
    ldr    r0, addr_screen   @ R0 contains the location
                             @   on the screen
    bl     printInt          @ Call printInt
    b      halt              @
addr_str
    .word  0x9000
addr_screen
    .word  0xD0000
```

3. A Simple Calculator

- The null-terminated input string that contains an arithmetic expression in the RPN is stored in a memory location whose address is stored in the location labeled “input_str_addr”
- The numbers and operators are delimited by a space character (0x20 in ASCII)
 - A buffer is used to store a string that represents a number
 - This will be converted to an integer
- We want to know the value of the input expression
 - Use a user defined stack (not a call stack)
 - An empty descending stack
 - The stack bottom is located at “stack_bottom_addr”

3. A Simple Calculator (contd.)

```
@=====
@ Simple Calculator
@=====

    ldr    r5, stack_bottom_addr    @ R5 is a pointer to the top of the user stack
    ldr    r7, input_str_addr       @ R7 contains the address of the input string
    sub    r7, r7, #1

LOOP1:
    add    r7, r7, #1               @ Increment r7 by one
    ldrb   r6, [r7]                 @ Load the next char in r6
LOOP1_NUMBER:
    cmp    r6, #0                   @ Check if the char is '\0' (NULL)?
    beq    ALL_DONE                 @ If so, done!
    cmp    r6, #0x2b                 @ Check if the char is '+'
    beq    ADD                       @ If so, perform addition
    cmp    r6, #0x2d                 @ Check if the char is '-'
    beq    SUBTRACT                 @ If so, perform subtraction
    cmp    r6, #0x20                 @ Check if the char is a space (' ')
    beq    LOOP1                    @ If so, skip to the next char
```

3. A Simple Calculator (contd.)

NUMBER:	@ Otherwise, it is the first char of a number
ldr r8, =buffer	@ R8 contains the address of the buffer
LOOP2:	
strb r6, [r8]	@ Put the char in to the buffer
add r8, r8, #1	@ Increment the buffer pointer
add r7, r7, #1	@ The address of the next char
ldrb r6, [r7]	@ Load the next char in r6
cmp r6, #0x20	@ Check if the char is a space (' ')
beq CONVERT_STR_TO_INT:	@ If so, a complete string for a
	@ number is recognized
cmp r6, #0	@ Check if the char is '\0'
bne LOOP2	@ If not, we are in the middle of a number
CONVERT_STR_TO_INT:	@ Convert the string to an integer
mov r9, #0	
strb r9, [r8]	@ Put '\0' at the end of the buffer
ldr r0, =buffer	@ The first argument of atoi
bl atoi	@ Call atoi
sub r5, r5, #4	@ Decrement the user stack pointer by four
str r0, [r5]	@ Push the integer onto the user stack
b LOOP1_NUMBER	

3. A Simple Calculator (contd.)

```
ADD:
    ldr    r4, [r5]           @ Pop the second operand of +
    add    r5, r5, #4         @ Increment the user stack pointer by four
    ldr    r3, [r5]           @ Pop the first operand of +
    add    r3, r3, r4         @ Perform addition
    str    r3, [r5]           @ Push the result on to the user stack
    b      LOOP1

SUBTRACT:
    ldr    r4, [r5]           @ Pop the second operand of -
    add    r5, r5, #4         @ Increment the user stack pointer by four
    ldr    r3, [r5]           @ Pop the first operand of -
    sub    r3, r3, r4         @ Perform subtraction
    str    r3, [r5]           @ Push the result on to the user stack
    b      LOOP1

ALL_DONE:
    ldr    r0, screen_addr    @ The first argument of printInt
    ldr    r1, [r5]           @ The second argument of printInt
    bl     printInt           @ Call printInt
    b      halt
```

3. A Simple Calculator (contd.)

```
screen_addr:
    .word 0xD0000
input_str_addr:
    .word 0x9000
stack_bottom_addr:
    .word 0xa000
buffer:
    .byte 0,0,0,0,0,0,0,0,0,0,0,0,0,0,0
```

4. Recursion vs. Iteration

- Iterative subroutine
 - Repetition of a sequence of instructions (using a loop)
- Recursive subroutine
 - The subroutine calls itself
- Any recursive function
 - Iteration + stack

4. Recursion vs. Iteration (contd.)

- Factorial function
 - An recursive definition

$$fact(n) = \begin{cases} 1 & \text{if } n = 0 \\ n \times fact(n-1) & \text{if } n > 0 \end{cases}$$

```
@=====
@ Fact (iterative version)
@=====
fact:
    mov    r1, #1
LOOP:
    cmp    r0, #0          @ Check if r0 is 0
    beq    DONE           @ If so, done
    mul    r1, r1, r0
    sub    r0, r0, #1      @ Decrement r0 by one
    b      LOOP
DONE:
    mov    r0, r1          @ The return value is in r0
    mov    pc, lr          @ Return to the caller
```

```
//=====
// Fact (iterative version)
//=====
int fact(int n)
{
    int m = 1, i;
    for (i = 1; i <= n; i++)
        m = m * i;

    return m;
}
```

4. Recursion vs. Iteration (contd.)

```
@=====
```

```
@ Fact (recursive version)
```

```
@=====
```

```
fact:
```

```
    sub    sp, sp, #4
    str    r4, [sp]
    sub    sp, sp, #4
    str    lr, [sp]
```

```
@=====
```

```
    cmp    r0, #0           @ Check if r0 (n) is 0
    beq    BASE             @ If so, done
    mov    r4, r0           @ R4 contains n
    sub    r0, r0, #1       @ R0 contains n-1
    bl     fact             @ Call fact(n-1)
    mul    r0, r4, r0       @ n * fact(n-1)
    b      DONE
```

```
BASE:
```

```
    mov    r0, #1           @ The return value 1 is in r0
```

```
@=====
```

```
DONE:
```

```
    ldr    lr, [sp]         @ Restore lr from the stack
    add    sp, sp, #4
    ldr    r4, [sp]         @ Restore r4 from the stack
    add    sp, sp, #4
    mov    pc, lr           @ Return to the caller
```

```
//=====
```

```
// Fact (recursive version)
```

```
//=====
```

```
int fact(int n)
```

```
{
```

```
    if (n == 0)
        return 1;
```

```
    else
```

```
        return n*fact(n-1);
```

```
}
```

$$fact(n) = \begin{cases} 1 & \text{if } n = 0 \\ n \times fact(n-1) & \text{if } n > 0 \end{cases}$$

A subroutine (function) is recursive if it calls itself either directly or indirectly

4. Recursion vs. Iteration (contd.)

- Fibonacci numbers are defined by

$$F(n) = \begin{cases} 0 & \text{if } n = 0 \\ 1 & \text{if } n = 1 \\ F(n-1) + F(n-2) & \text{if } n > 1 \end{cases}$$

- 0, 1, 1, 2, 3, 5, 8, 13, 21, 34, 55, ...
- Can you write an assembly subroutine and a C function that takes an integer n as an argument and returns the n^{th} Fibonacci number?
- Both iterative version and recursive version

4. Recursion vs. Iteration (contd.)

```
mov r0, #7
bl fibo
b halt

#####
@ Recursion @
#####

fibo:
@=====
    sub sp, sp, #4
    str r4, [sp]
    sub sp, sp, #4
    str r5, [sp]
    sub sp, sp, #4
    str lr, [sp]
@=====
    cmp r0, #1
    beq DONE
    cmp r0, #0
    beq DONE
    mov r4, r0
    sub r0, r4, #1
    bl fibo
    mov r5, r0
    sub r0, r4, #2
    bl fibo
    add r0, r5, r0
    b DONE

DONE:
@=====
    ldr lr, [sp]
    add sp, sp, #4
    ldr r5, [sp]
    add sp, sp, #4
    ldr r4, [sp]
    add sp, sp, #4
    mov pc, lr
@=====
```

Exercise

- Try to run all the example code
 - Stack frames – foo (including bar and inc)
 - Printing a character or an Integer – asciistr2Int
 - A Simple calculator – simpleCalc
 - Recursion vs. Iteration – factorial
 - Recursion vs. Iteration – fibonacci