



Alleviating Semantics Distortion in Unsupervised Low-Level Image-to-Image Translation via Structure Consistency Constraint

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2024.03.11

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Introduction

- Image-to-image translation, (or domain mapping)
 - aims to translate an image in the source domain X properly to the target domain Y
- However, since paired data are often unavailable or expensive to obtain,
 - => Unsupervised I2I translation has attracted intense attention in recent years

• Finding G_{xy} such that the translated images and target domain images have similar distributions

$$P_{\text{GXY}(X)} \approx P_{\text{Y}}$$

• Due to an infinite number of functions that can satisfy the adversarial loss,

GAN alone could learn a function far away from the true one.

=> various constraints are placed.

(ex. CycleGAN, DistanceGAN, GcGAN, DRIT++, MUNIT ..)

Introduction

However, in most unpaired datasets, not only style but also the underlying semantic distributions differ across source and target datasets

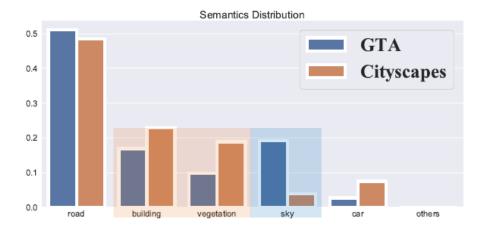
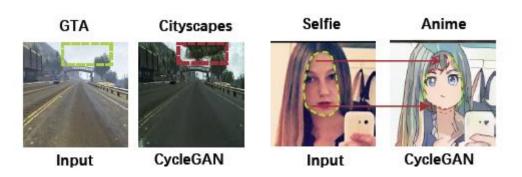


Figure 1. Class distributions in GTA and Cityscapes. We can see that the ratio of the sky in GTA is significantly higher than it in Cityscapes, and thus the distribution matching based method has to translate the sky to vegetation/building to align the distributions.



- resulting in a semantic mismatch between input and translated images: semantics distortion problem.
- In low-level I2I, the difference between domains arises from the low-level information e.g., resolution, illumination, color rather than geometry variation, while the structure (e.g.the shapes of objects) in images is most invariant across the source and target domains, i.e., the semantics of an image is highly related to its structure (shape of objects).

- As we know, geometric structures in an images are often outlined by colors.
- Hope to preserve the geometry structure during translation
- = expect the color translation to be consistent between the input and output images.
- Ex) green leaf (summer) -> yellow leaf (autumn):
- easy to identify it as leaf. (would be way harder to identify, if leaf color is changed to random color) motivation

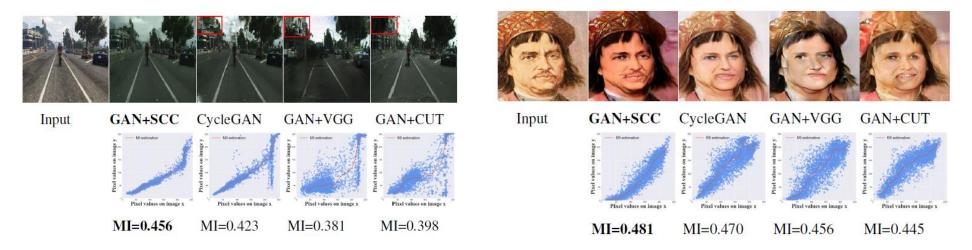


Figure 3. Unsupervised image translation examples on GTA \rightarrow Cityscapes. Portrait \rightarrow Photo. The top row is the translated results by each method. The bottom row is the scatter plot of the pixel values in the input image x and its corresponding pixel value in the translated image \hat{y} , which shows the non-linear dependency of pixel values in two images. Obviously, the stronger the dependency between pixel values in the input image (X-axis) and the translated images (Y-axis), the better the geometry structure of the input image is maintained. MI stands for the mutual information estimated by our rSMI method. Specifically, the VGG refers to the Contextual loss [39] of VGG features.

- To alleviate semantics distortion problem in low-level I2I translation...
- **promote the structure consistency** of the source and translated images because the image structure is highly related to its semantics in this task.
 - -> Our work is the first to explore such constraints for unsupervised image-to-image translation

$$x_i \in \mathcal{X}$$

$$V^{x_i}$$

$$V^{\hat{y}_i}$$

$$\hat{y}_i = G_{XY}(x_i)$$
 Pardom variables for rivels in x_i as

$$\{v_j^{x_i}\}_{j=1}^M \xrightarrow{\text{Sampled from}} P_{V^{x_i}}$$

$$\{v_j^{\hat{y}_i}\}_{j=1}^M \xrightarrow{\text{Sampled from}} P_{V^{\hat{y}_i}}$$

Random variables for pixels in x_i and \hat{y}_i

* M is the number of pixels of the image

$$MI(V^{x_i}, V^{\hat{y}_i}) = \mathbb{E}_{(v^{x_i}, v^{\hat{y}_i}) \sim P_{(V^{x_i}, V^{\hat{y}_i})}} \left(\log \frac{P_{(V^{x_i}, V^{\hat{y}_i})}}{P_{V^{x_i}} \otimes P_{V^{\hat{y}_i}}} \right)$$
Product of marginal distributions

Because V^{x_i} and $V^{\hat{y}_i}$ are low-dimensional, a straightforward way to estimate (1) is to estimate the distributions P based on the **histogram of the images**.

Mutual information can be calculated

(= how dependent one random

variable is to the other)

(= how different the pixel values of input

image is from the generated image)

- How to use the MI in this task with efficient backpropagation?
- Proposing extension version of SMI (squared loss MI)

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Mutual information estimation reveals global associations between stimuli and biological processes

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from The Seventh Asia Pacific Bioinformatics Conference (APBC 2009) Beijing, China. 13–16 January 2009

Published: 30 January 2009

BMC Bioinformatics 2009, 10(Suppl 1):S52 doi:10.1186/1471-2105-10-S1-

This article is available from: http://www.biomedcentral.com/1471-2105/10

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Density-Difference Estimation

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$$P_{V^{x_i}} \otimes P_{V^{\hat{y}_i}}$$
 as S_i $P_{(V^{x_i}, V^{\hat{y}_i})}$ as Q_i

$$SMI(V^{x_{i}}, V^{\hat{y}_{i}}) = D_{PE}(P_{V^{x_{i}}} \otimes P_{V^{\hat{y}_{i}}} || P_{(V^{x_{i}}, V^{\hat{y}_{i}})})$$

$$= D_{PE}(S_{i} || Q_{i})$$

$$= \mathbb{E}_{Q_{i}}[(\frac{S_{i}}{Q_{i}} - 1)^{2}].$$
(2)

* Representing SMI using Pearson divergence.

$$D_{\mathrm{Pearson}}(P\|Q) = \sum_{x} \frac{(P(x) - Q(x))^2}{P(x)}$$

is unbounded, so SMI value can be infinity. \rightarrow Cause instability in the backpropagation

• How to use the MI in this task with efficient backpropagation?

$$P_{V^{x_i}} \otimes P_{V^{\hat{y}_i}}$$
 as S_i $P_{(V^{x_i},V^{\hat{y}_i})}$ as Q_i

$$SMI(V^{x_{i}}, V^{\hat{y}_{i}}) = D_{PE}(P_{V^{x_{i}}} \otimes P_{V^{\hat{y}_{i}}} || P_{(V^{x_{i}}, V^{\hat{y}_{i}})})$$

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(2)

* Representing SMI using Pearson divergence.

$$D_{ ext{Pearson}}(P\|Q) = \sum_x rac{(P(x) - Q(x))^2}{P(x)}$$

→ $\frac{S_i}{Q_i}$ is unbounded, so SMI value can be infinity. → Cause numeric instability in the backpropagation

(Stable backpropagation)

$$rSMI(V^{x_i}, V^{\hat{y}_i}) = D_{rPE}(P_{V^{x_i}} \otimes P_{V^{\hat{y}_i}} || P_{(V^{x_i}, V^{\hat{y}_i})})$$

$$= \mathbb{E}_{\beta S_i + (1-\beta)Q_i} \left[\left(\frac{S_i}{\beta S_i + (1-\beta)Q_i} - 1 \right)^2 \right]$$
(4)

(relative Pearson Divergence)

$$D_{rPE}(S_i \mid\mid Q_i) = D_{PE}(S_i \mid\mid \beta S_i + (1 - \beta)Q_i).$$

$$\beta \in (0, 1)$$

$$Q_i \longrightarrow \beta S_i + (1 - \beta)Q_i$$
(3)

= Keeping the density ratio bounded to $[0, \frac{1}{\beta}]$

• How to use the MI in this task with efficient backpropagation?

$$rSMI(V^{x_i}, V^{\hat{y}_i}) = D_{rPE}(P_{V^{x_i}} \otimes P_{V^{\hat{y}_i}} || P_{(V^{x_i}, V^{\hat{y}_i})}) \label{eq:resolvent}$$
 (to estimate the rSMI, linear combination of kernel functions was used)

 $\phi \in \mathbb{R}^m$ is the kernel function

 $\alpha \in \mathbb{R}^m$ Parameter vector to solve

* m is the number of kernels

$$= \mathbb{E}_{\beta S_i + (1-\beta)Q_i} \left[\left(\frac{S_i}{\beta S_i + (1-\beta)Q_i} - 1 \right)^2 \right] \xrightarrow{\text{rSMI}} \widehat{rSMI}(V^{x_i}, V^{\hat{y}_i}) = 2\hat{\alpha}^T \hat{h} - \hat{\alpha}^T \hat{H} \hat{\alpha} - 1. \tag{7}$$

• Resource friendly → efficient backpropagation

$$\mathcal{L}_{SCC} = \frac{1}{N} \sum_{i=1}^{N} \widehat{rSMI}(V^{x_i}, V^{G_{XY}(x_i)}), \tag{8} \longrightarrow \bigoplus_{G_{XY}} \bigoplus_{D_Y} \mathcal{L}_{G_{XY}}$$

(8)
$$\longrightarrow \underset{G_{XY}}{\min \max} \mathcal{L}_{GAN+SCC}(G_{XY}, D_Y)$$

$$= \mathcal{L}_{GAN}(G_{XY}, D_Y) - \lambda_{SCC} \mathcal{L}_{SCC}(G_{XY}),$$
 (9)

• Can be used in various image to image translation frameworks, e.g., CycleGAN and CUT

- Digits Translation
- Segmentation in Cityscapes
- Maps
- Simulation to Real (GTA to Real, Real to Anime)

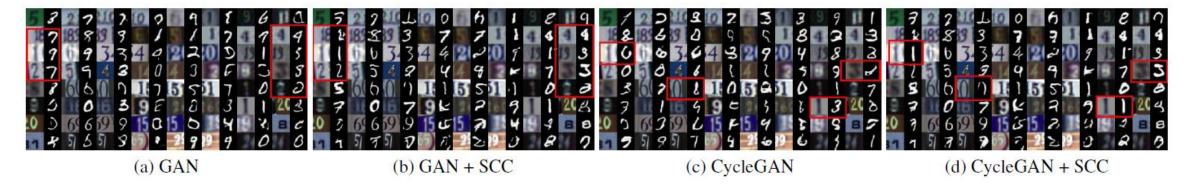


Figure 5. Qualitative comparisons on SVHN \rightarrow MNIST. From Figure (a) and (b), we can see that the GAN method has no collapse solution by combining with our SCC. Also, the semantics distortion problem in CycleGAN is alleviated after incorporating with SCC.

Table 1. Classification accuracy for digits experiments.

•	S:SVHN
•	M: MNIST

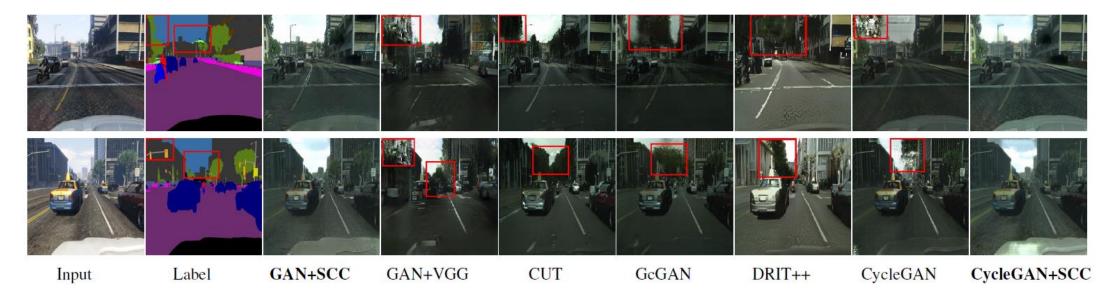
•	M-M	MNIST-M
•	141-141	TATT A TO T - TAT

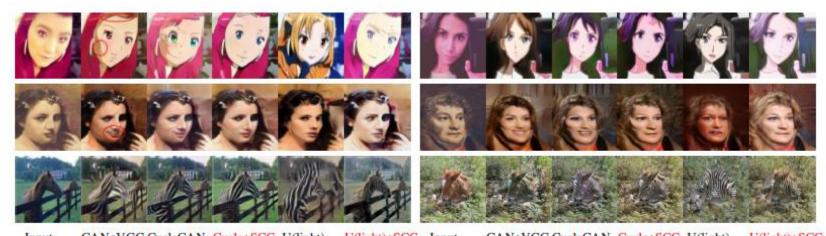
	Transl	ated Images as	Test set	Translated Images as Training set			
Method	$S \rightarrow M$	$M \rightarrow M-M$	$M-M \rightarrow M$	$S \rightarrow M$	$M \rightarrow M-M$	$M-M \rightarrow M$	
GAN alone	21.3±9.5	54.6±40.5	80.3±3.5	28.6 ± 10.8	45.7±31.2	95.5±0.4	
+ SCC	37.3 ± 1.2	96.3 ± 0.2	90.9 ± 0.5	47.9 ± 2.3	86.2 ± 1.9	96.0 ± 0.1	
CycleGAN	26.1 ± 8.1	95.3±0.4	84.7±2.5	31.6±5.6	83.8±3.0	95.9 ± 0.4	
+ SCC	38.0 ± 0.5	96.7 ± 0.1	91.5 ± 0.3	47.4 ± 2.0	87.7 ± 2.1	96.1 ± 0.2	
GcGAN-rot	32.5 ± 2.0	95.0 ± 0.6	85.9 ± 0.8	40.9 ± 6.5	84.6±2.8	96.0±0.1	
+ SCC	36.5 ± 1.3	96.4 ± 0.3	91.8 ± 1.0	47.5 ± 1.2	89.5 ± 0.6	96.1 ± 0.1	
GcGAN -vf	33.3 ± 4.2	95.2 ± 0.4	84.5 ± 1.5	31.6±5.6	83.8 ± 3.0	95.9 ± 0.4	
+ SCC	37.0 ± 0.8	96.6 ± 0.3	91.8 ± 0.8	49.5±4.9	87.8 ± 2.3	96.0 ± 0.1	
Cyc + rot + SCC	39.0 ± 0.5	96.5 ± 0.3	91.8 ± 1.0	50.5 ± 1.8	$89.8 {\pm} 0.5$	96.1 ± 0.1	
Cyc + vf + SCC	44.6±6.8	96.7 ± 0.3	92.0±0.8	51.3±5.4	89.0 ± 0.8	96.1±0.1	

 Most of methods had promising improvements in both accuracy and stability.

Table 2. Quantitative scores on GTA \rightarrow Citycapes, Citycapes parsing \rightarrow image and Photo \rightarrow Map. The scores with * are reproduced on a single GPU using the codes provided by the authors. More qualitative results are given at the Appendix A.7.2.

Methods	G'	$\Gamma A \rightarrow Cityca$	pes	Citycap	es parsing -	→ image		Photo \rightarrow Ma	ар
Methods	pixel acc ↑	class acc↑	mean IoU ↑	pixel acc↑	class acc↑	mean IoU↑	RMSE↓	$acc\%(\delta_1)\uparrow$	$acc\%(\delta_2)\uparrow$
CoGAN	\	\	\	0.40	0.10	0.06	\	\	\
BiGAN/ALI	\	\	\	0.19	0.06	0.02	\	\	\
SimGAN	\	\	\	0.20	0.10	0.04	\	\	\
DistanceGAN	\	\	\	0.53	0.19	0.11	\	\	\
GAN + VGG	0.216	0.098	0.041	0.551	0.199	0.133	34.38	28.1	48.8
DRIT++	0.423	0.138	0.071	\	\	\	32.12	29.8	52.1
GAN *	0.382	0.137	0.068	0.437	0.161	0.098	33.22	19.3	42.0
+ SCC	0.487	0.148	0.089	0.642	0.215	0.155	28.91	38.6	61.8
GcGAN-rot *	0.405	0.139	0.068	0.551	0.197	0.129	27.98	42.8	64.6
+ SCC	0.445	0.162	0.080	0.651	0.228	0.162	26.55	44.7	66.5
CycleGAN *	0.232	0.127	0.043	0.52	0.17	0.11	26.81	43.1	65.6
+ SCC	0.386	0.161	0.076	0.571	0.192	0.134	26.61	44.7	66.2
CUT *	0.546	0.165	0.095	0.695	0.259	0.178	28.48	40.1	61.2
+ SCC	0.572	0.185	0.11	0.699	0.263	0.182	27.34	39.2	60.5





Input GAN+VGG CycleGAN Cycle+SCC U(light) U(light)+SCC Input GAN+VGG CycleGAN Cycle+SCC U(light) U(light)+SCC Figure 7. Qualitative results on Selfie \rightarrow Anime, Portrait \rightarrow Photo, Horse \rightarrow Zebra datasets. More qualitative results are given in A.7.3. We can see that the no matter personal identification or horse shape is better preserved by the translation model empowered by our SCC.

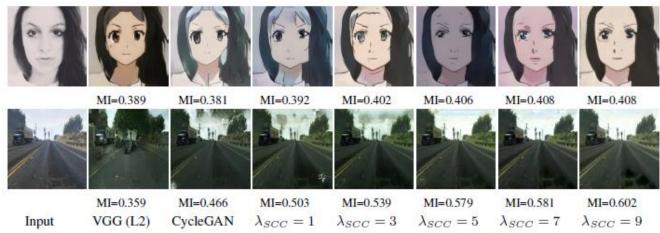


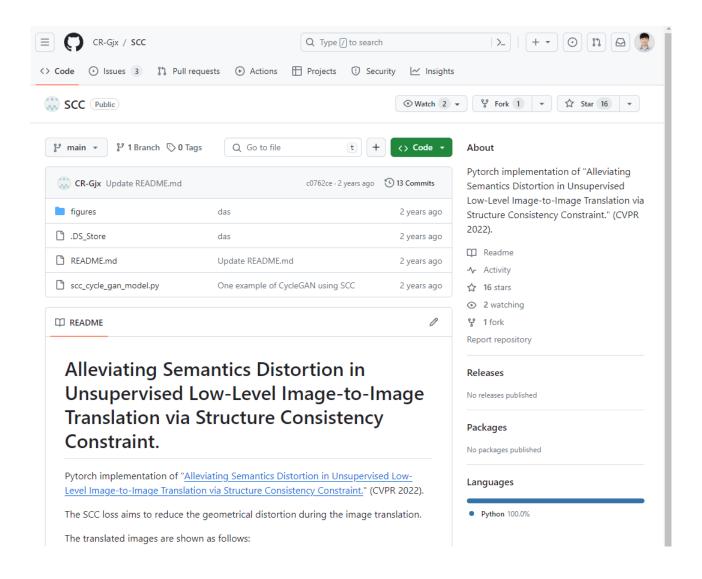
Figure 8. Sensitivity analysis examples on Selfie \rightarrow Anime and GTA \rightarrow Cityscapes. Obviously, the semantics distortion problem in CycleGAN is alleviated after incorporating with our SCC.

Table 4. The segmentation scores for different λ_{SCC} of the model CycleGAN + SCC in the datasets GTA2cityscapes.

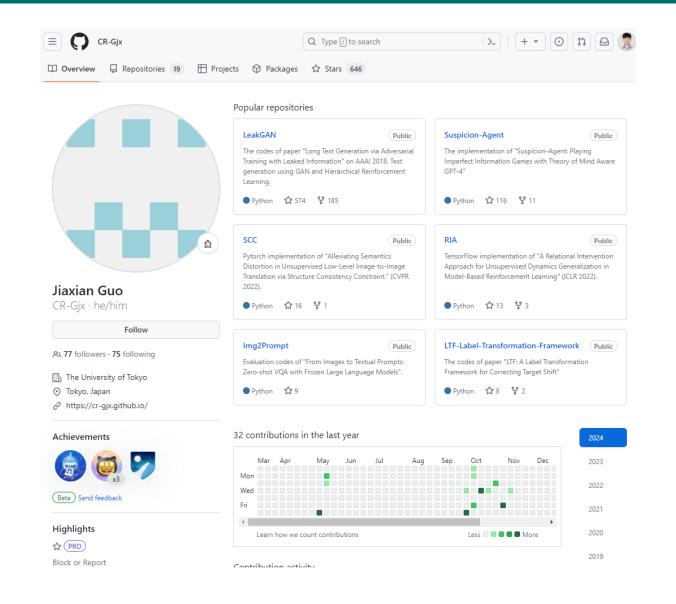
λ_{SCC}	0	1	3	5	7	9
pixel acc ↑	0.232	0.292	0.322	0.360	0.382	0.386
class acc ↑	0.127	0.136	0.143	0.160	0.160	0.161
mean IoU↑	0.0432	0.055	0.059	0.070	0.075	0.076

conclusion

- Proposed structure consistency constraint(SCC) to improve structure consistency in pixel wise level for unsupervised image to image translation
- Evaluation was done in wide range of applications
- Demonstrates that SCC can achieve high-quality translation by keeping the geometry of the original domain.



github







Thank you

