

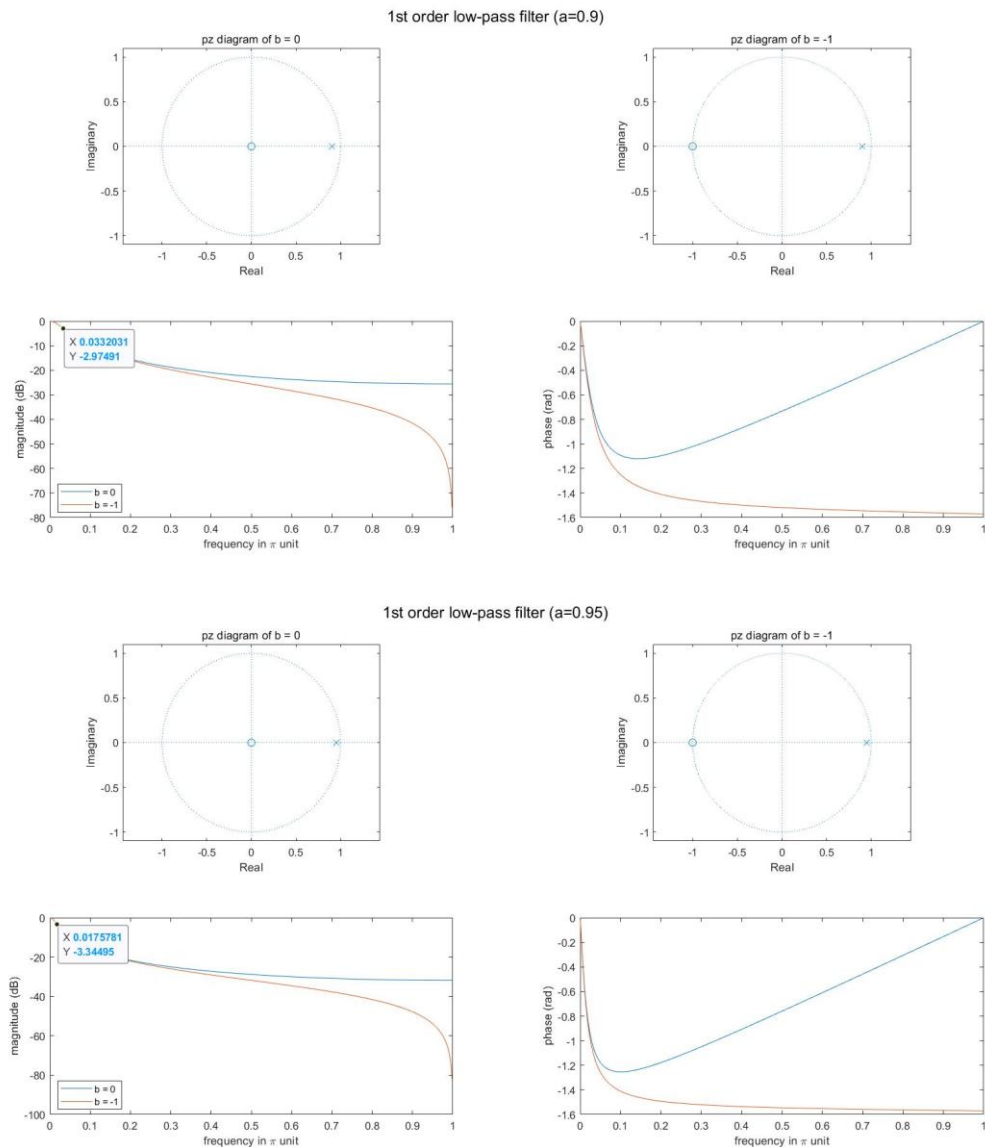
DSP2 Week 5 experiment Report

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*All source codes are attached.

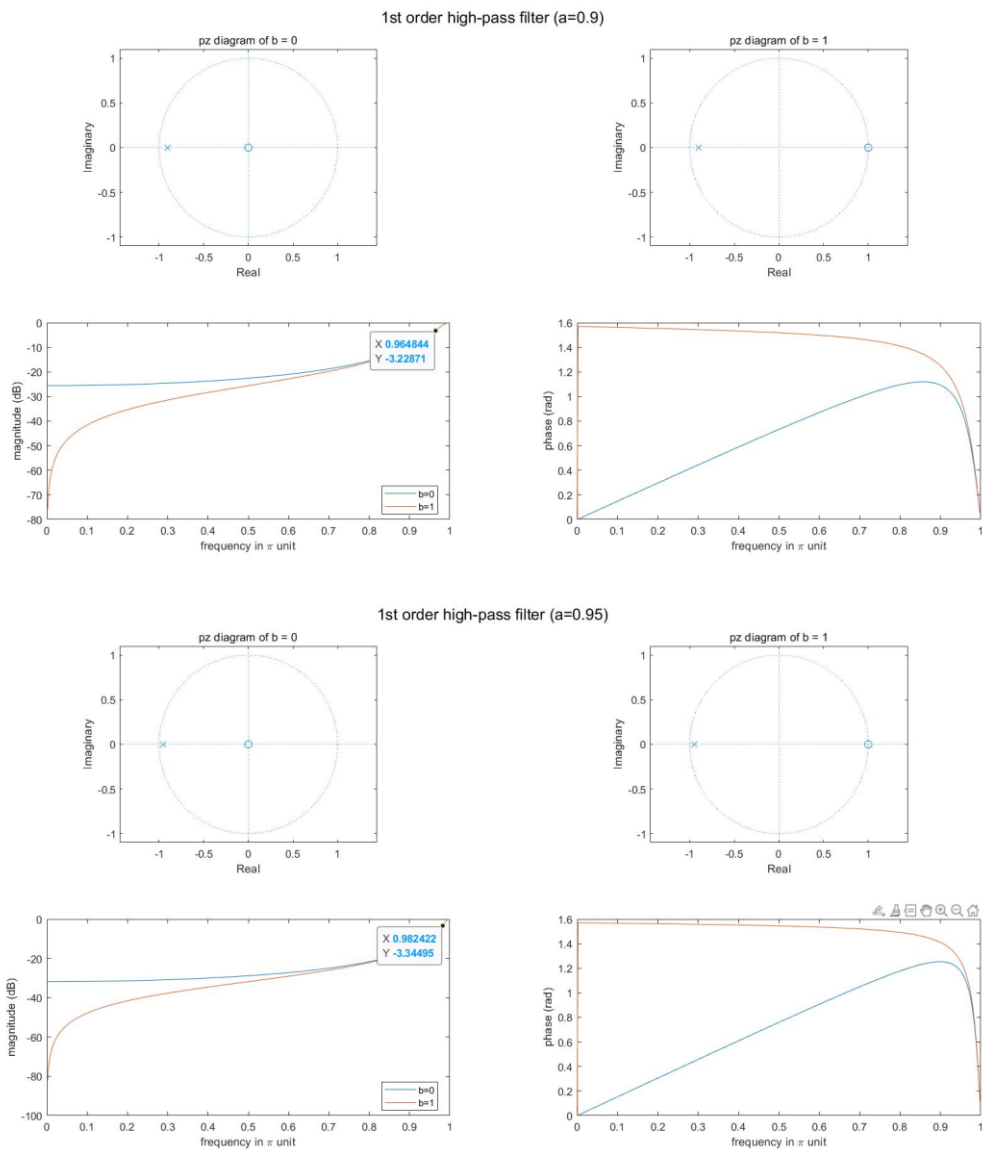
EXERCISE 1

1. 1st order low-pass filter



- Gain: $G1 = (1-a/\exp(j*0)) / (1-b(1)/\exp(j*0))$;
=> G is the number in which H becomes 1 when 0 is put in the ω .
- Because these are the low-pass filter, they have high magnitude and rapid phase change around 0 frequency. When comparing $a=0.9$ and $a=0.95$, the more a gets closer to 1, the more sharpen the graphs become. The cut-off frequency of $a=0.95$ is way closer to 0 than that of $a=0.9$.
- When the zero is on the high frequency region ($b=-1$), the high frequency components are more attenuated than when the zero is on the origin.

2. 1st order high-pass filter

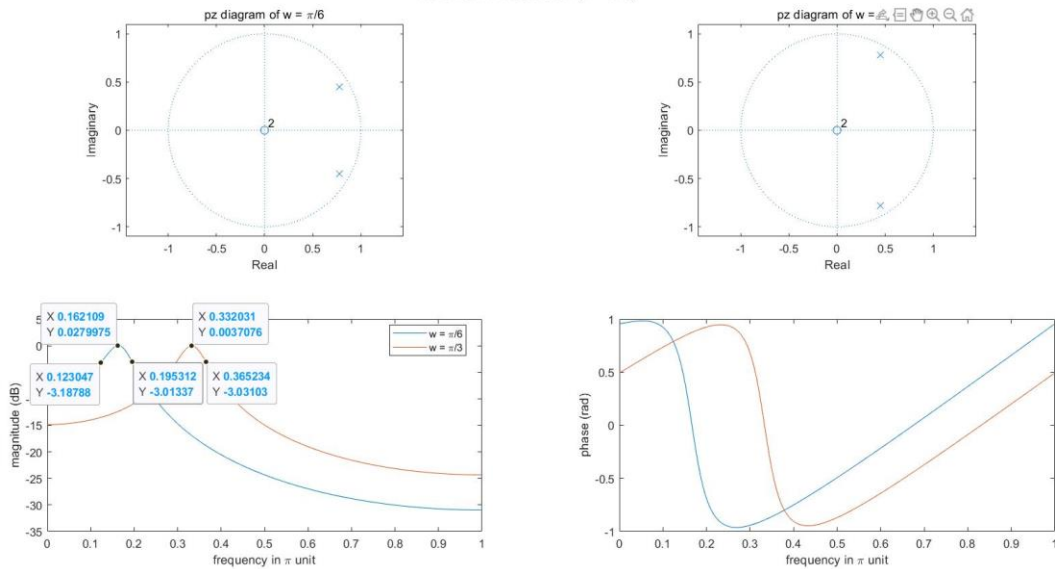


- Gain: $G1 = (1 - a/\exp(j\pi)) / (1 - b(1)/\exp(j\pi))$;
 $\Rightarrow G$ is the number in which H becomes 1 when π is put in the ω .
- Because these are the high-pass filter, they have high magnitude and rapid phase change around π . When comparing $a=0.9$ and $a=0.95$, the more a gets closer to 1, the more sharpen the graphs become. The cut-off frequency of $a=0.95$ is way closer to π than that of $a=0.9$.
- When the zero is on the low frequency region ($b=1$), the low frequency components are more attenuated than when the zero is on the origin.

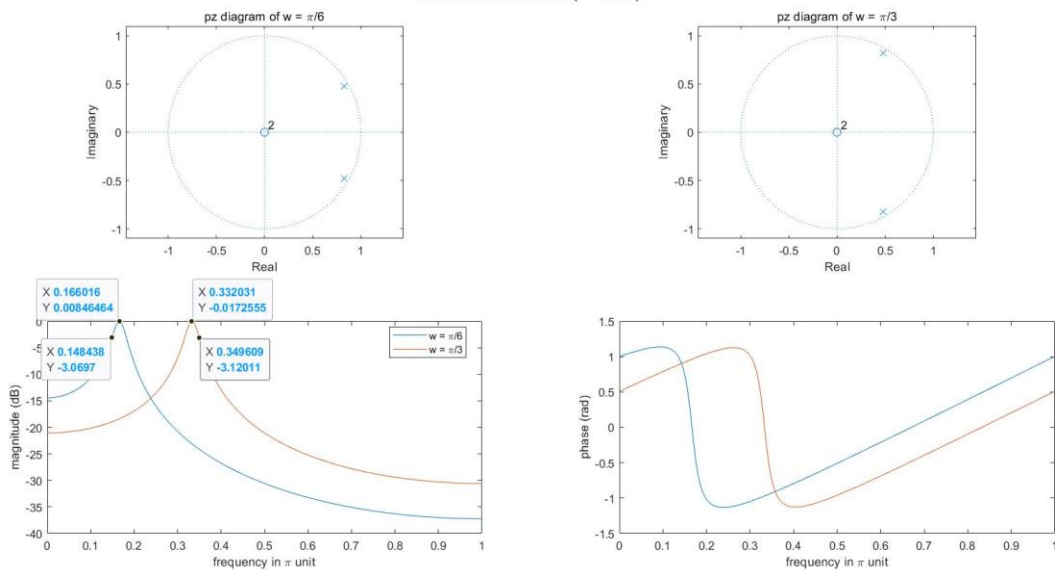
EXERCISE 2

1. Resonator

2st order : resonator (r = 0.9)



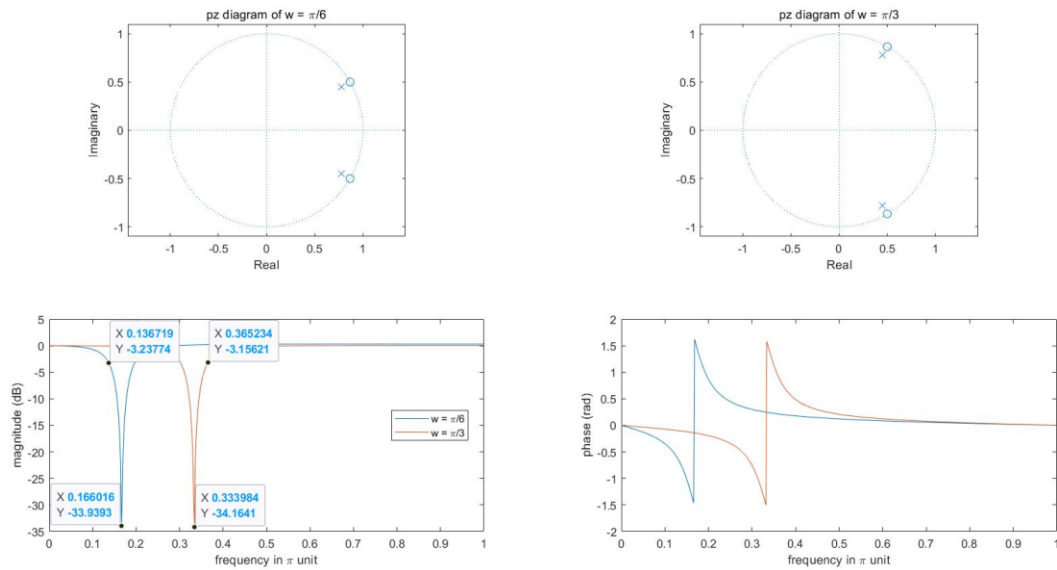
2st order : resonator (r = 0.95)



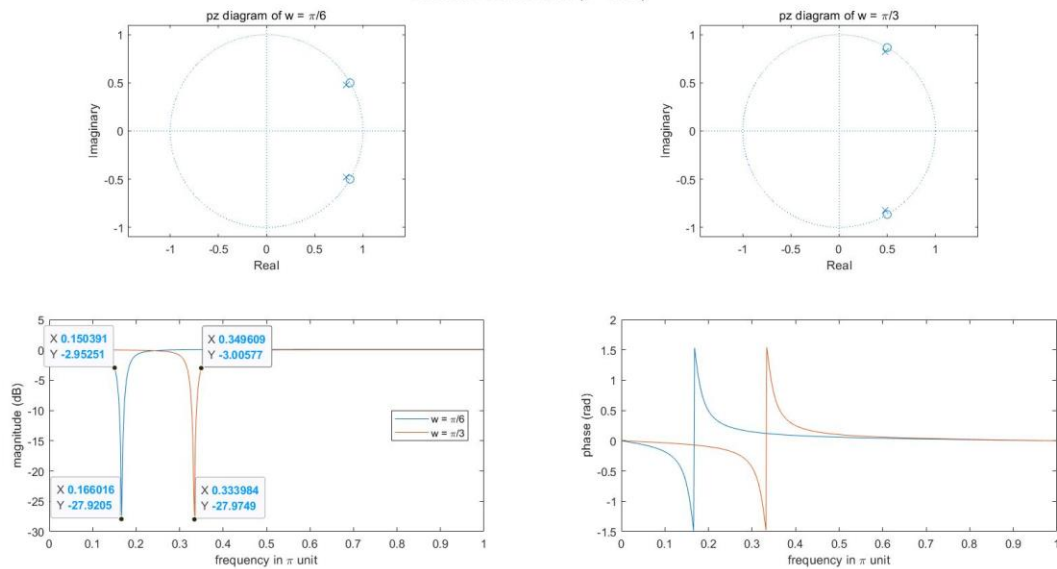
- Gain: $G1 = 1 - 2r \cos(w_0)/z + (r^2)/(z^2)$;
 $\Rightarrow G$ is the number in which H becomes 1 when the frequency is the frequency of interest. ($w_0 = \pi/6$ or $\pi/3$)
- Because these are the band-pass filter, they have high magnitude and rapid phase change around interested frequencies, $\pi/6$ and $\pi/3$. When comparing $a=0.9$ and $a=0.95$, the more a gets closer to 1, the more sharpen the graphs become. The cut-off frequency of $a=0.95$ is way closer to the peak frequency than that of $a=0.9$.
- $\pi/6$ is $1/6 (=0.1666\dots)$ in π unit, which is similar to the x data of the peak of $w=\pi/6$. Also, $\pi/3$ is $1/3 (=0.33\dots)$ in π unit, which is similar to the x data of the peak of $w=\pi/3$.

2. Notch filter

2st order : notch filter (r = 0.9)



2st order : notch filter (r = 0.95)



- Gain: $G1 = 1 - 2r \cos(0)/z + (r^2)/(z^2)$;
=> G is the number in which H becomes 1 when the frequency is 0.
- Because these are the band-stop filter, they have extremely low magnitude and rapid phase change around interested frequencies, $\pi/6$ and $\pi/3$. When comparing $a=0.9$ and $a=0.95$, the more a gets closer to 1, the more sharpen the graphs become. The cut-off frequency of $a=0.95$ is way closer to the peak frequency than that of $a=0.9$.
- $\pi/6$ is $1/6(=0.16666\dots)$ in π unit, which is similar to the x data of the peak of $w=\pi/6$. Also, $\pi/3$ is $1/3(=0.333\dots)$ in π unit, which is similar to the x data of the peak of $w=\pi/3$.