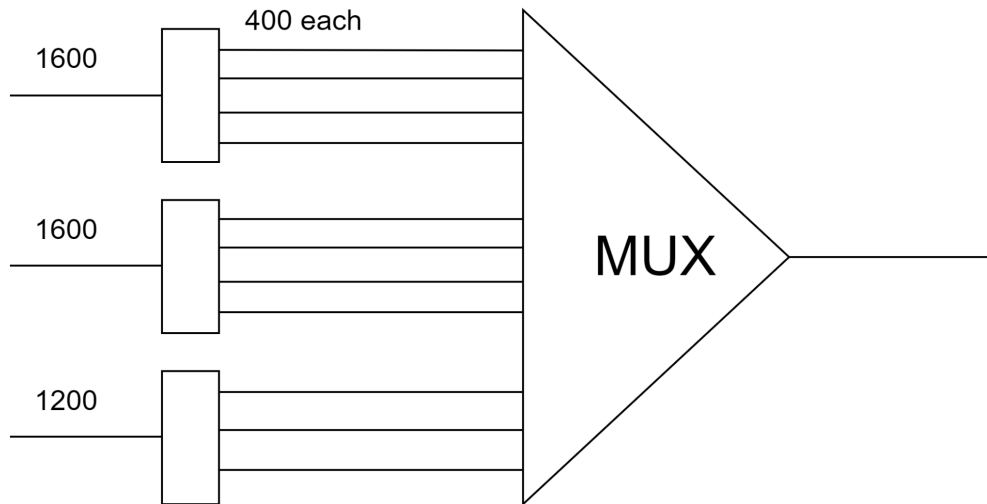


ASSIGNMENT-3

Q1

$1600 \text{ kbps} = 400 \text{ kbps} * 4 \text{ channels}$

$1200 \text{ kbps} = 400 \text{ kbps} * 3 \text{ channels}$



Q2

Number of channels = 10

Bitrate of each channel = 280 kbps = 280000 bps

Unit = 5 bit

Sync bit = 1 bit

- Frame duration = Input slot duration = $5/280000 \text{ s}$
Frame rate = $1/\text{Frame duration} = 280000/5 = 56000 \text{ fps}$
- Input slot duration = $5/280000 \text{ s}$
- Output data rate = Frame size * Frame rate = $(5*10+1)*56000 = 2856000 \text{ bps}$
- For output bit duration, we need input bit duration
Input bit duration = $1/280000$
Output bit duration = Input bit duration / no of channels = $(1/280000)/10 \text{ s}$
- Frame size = 51 bits

Q3

Number of channels = 5

Bitrate of each channel = $(6000*300*8)/60 = 240000 \text{ bps}$

Unit = 2 chars = 16 bits

Sync bit = 1 bit

- Input data rate = 240000 bps
- Input bit duration = $1/240000 \text{ s}$
- Frame duration = Input slot duration = $16/240000$
Frame rate = $1/\text{frame duration} = 240000/16 = 15000 \text{ fps}$
- Frame size = $16*5+1 = 81 \text{ bits}$

- e. Output data rate = Frame size*Frame rate = $81 \times 15000 = 1215000$ bps
 f. Output bit duration = $(1/240000)/5$

ASSIGNMENT-4

Q1

Codeword is $x^{10} + x^9 + x^7 + x^6 + x^3 + x^2 + x$

$$\begin{array}{r}
 x^4 + x^2 + 1 \overline{) x^{10} + x^9 + x^7 + x^6} \\
 \underline{\oplus x^{10} + x^8 + x^6} \\
 x^9 + x^8 + x^7 \\
 \underline{\oplus x^9 + x^7 + x^5} \\
 x^8 + x^5 \\
 \underline{\oplus x^8 + x^6 + x^4} \\
 x^6 + x^5 + x^4 \\
 \underline{\oplus x^6 + x^4 + x^2} \\
 x^5 + x^2 \\
 \underline{\oplus x^5 + x^3 + x} \\
 x^3 + x^2 + x
 \end{array}$$

Dividend (Polynomial): $x^6 + x^5 + x^3 + x^2$
 Divided by: $x^4 + x^2 + 1$

Remainder is: $x^3 + x^2 + x$

Q2

Calculate Hamming distance of each pair (Ans: 7,3,4,6,5,5)

Minimum Hamming distance, $d_{\min} = 3$

Error detection, $d_{\min} = s+1 \therefore s = 2$

Error correction, $d_{\min} = 2t+1 \therefore t = 1$

Received codeword = 10101010

Calculate Hamming distance of each valid codeword with the received codeword

$$d(10101010, 11110000) = 4$$

$$d(10101010, 00001101) = 5$$

$$d(10101010, 10111010) = 1$$

$$d(10101010, 01110111) = 6$$

Hamming distance 1 means there is a single bit error. As we can correct upto 1 bit ($t=1$), we can retrieve the correct dataword from 10111010, which is 10

Q3

- a. Start of transmission = 2:00:00 PM

$$T_p = 10 \text{ mins}$$

$$T_{fr} = 2 \times T_p = 2 \times 10 = 20 \text{ minutes}$$

\therefore Time after completing transmission = 2:20:00 PM

- b. If transmission is stopped at even 2:19:59 PM, and the collided bit returns at 2:20:00, then the collision cannot be detected.

