

Group Members

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Part 05 Write for the RaggedArrayList.

Output

testing routine for RaggedArrayList

insertion order: qwertyuiopasdfghjklzxcvbnmaeiou

The number of comparison to build the RaggedArrayList = 169

TEST: after adds - data structure dump

[0] -> [a][a][b][c][][][]

[1] -> [d][e][e][f][][][]

[2] -> [g][h][i][i][j][][][]

[3] -> [k][l][m][n][][][]

[4] -> [o][o][p][q][][][]

[5] -> [r][s][t][u][u][v][][]

[6] -> [w][x][y][z][][][]

[7] -> null

STATS:

list size N = 31

square root of N = 5.568

level 1 array 7 of 8 used.

level 2 array sizes: min = 4 used, avg = 4.4 used, max = 6 used

Successful search: min cmps = 4, avg cmps = 8.7, max cmps 14

TEST: contains("c") ->true

TEST: contains("7") ->false

TEST: toArray

[a][a][b][c][d][e][e][f][g][h][i][i][j][k][l][m][n][o][o][p][q][r][s][t][u][u][v][w][x][y][z]

TEST: iterator

[a][a][b][c][d][e][e][f][g][h][i][i][j][k][l][m][n][o][o][p][q][r][s][t][u][u][v][w][x][y][z]

TEST: sublist(e,o)

[0] -> [e][e][][]

[1] -> [f][g][][]

[2] -> [h][i][][]

[3] -> [j][j][k][l][m][n][][]

[4] -> null

[5] -> null

[6] -> null

[7] -> null

The worst-case times for each operation on a RaggedArrayList with N item:

1.contains():

This method has to part where the first one the findfront method should search for the specified item and return its location which is done in $O(N)$. After is check if the item at that location contains the target, this comparison could be done in constant time but since we consider one that dominants contain() has a complexity if $O(N)$

2.Iterating through the whole list:

The worst-case for iteration through the entire list will be $O(N)$ complexity. This is because iterating through the entire list involves accessing each element once and there are N elements.

3. toArray():

The toArray() method checks the array size which is done in a constant time, and later transverse the list using the iterator n times. This operation happens in linear time $O(N)$. Therefore, the dominant factor in the worst-case time complexity is the iteration through the list, making the overall complexity $O(N)$.

4. subList():

The subList(E fromElement, E toElement) method has a worst-case time complexity of $O(N)$, Because This complexity arises from the method's findFront() & findEnd() which efficiently locate the starting and ending positions of the sublist in $O(N)$ time and add the element.