Logic Simulation Test

& ML AI Opponent Development

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Objective

- To understand how balanced the game logic is for each player.
- Discover variables that can tip the ratio in targeted directions.
- Possibility for logic to be trained into a model for AI opponent/difficulty.

Approach

- 1. Configure the core logic into a headless client to allow looping of the game mechanics.
- 2. Construct a defined framework that allows easy manipulation of variables
- 3. Introduce a new variable each testing phase until desired results are achieved.
- 4. Capture and plot results.
- 5. Examine results and determine if expenditure of testing is required.

Environment Setup

- Language:
 - Python
 - Modules:
 - Pygame, Random, Enum, Time
- IDE:
 - PyCharm
- Database:
 - MS Excel
- Learning Resource:
 - GPT3.5/4, Coding Discord, Google Search, YouTube (IBM Data Analyst from Australia)

Core Game Logic

Please refer to blindeye rules rev2 for a more in-depth explanation of the game mechanics.

https://github.com/iMlearnDinG/Python-Training/blob/main/blindeye RULES rev2.pdf

Variables (Static)

- Rank
- Suit

Win Condition

- Player with the shortest count to the dealer rank wins
- If rank proximity is a tie, we use a static suit value to determine the winner.
- If rank proximity and suit value are both tied, a pair of dice is rolled for each player. The highest scoring dice roll determines the winner.

```
rank diff1 = min(abs(player1 card.rank
dealer card.rank)))
dealer card.rank), abs(13 - abs(player2 card.rank -
player2 card.suit.value:
```

Tie Determination

- Dice Roll
- Value Comparison (Higher Wins)

```
player1 dice = roll dice()
player2 dice = roll dice()
```

Development

Main Instance

Class definitions

- . Cards .
- Rank
- Suit

- def __init__(self, rank, suit):
 self.rank = rank
 self.suit = suit

 def __str__(self):
 return f"{self.rank} {self.suit.name}"
- . Deck .
- Shuffle
- Deal
- Discard

```
class Deck:
    def __init__(self):
        self.cards = [Card(rank, suit) for rank in
range(1, 14) for suit in Suit]
        self.discard_pile = []

def shuffle(self):
        random.seed(time.time())
        random.shuffle(self.cards)

def deal(self):
        if not self.cards:
            self.cards, self.discard_pile =
self.discard_pile, self.cards
            self.shuffle()
        return self.cards.pop()

def discard(self, card):
        self.discard_pile.append(card)
```

- . Player/Dealer
 - Hand
 - Score Track

```
class Player:
    def __init__(self, name):
        self.name = name
        self.score = 0
        self.hand = []

    def add_point(self):
        self.score += 1
```

. Assets .

Implementation @ later date

```
class Assets:
    def __init__(self):
        pass

def draw(self):
        pass
```

- . Score
- Score Add
- Score Update
- Score Display

```
class Score:
    def __init__(self):
        self.players = {"player1": 0, "player2": 0}

def update_score(self, player):
        self.players[player] += 1

def get_score(self, player):
    return self.players[player]
```

Function definitions

. Proximity .

```
def rank_proximity(player_card, dealer_card):
    return abs(player_card.rank - dealer_card.rank) % 13

def suit_proximity(player_card, dealer_card):
    return abs(player_card.suit.value -
dealer_card.suit.value)
```

Comparison .

```
def compare_cards(player1_card, player2_card,
dealer_card):
    rank_diff1 = min(abs(player1_card.rank -
    dealer_card.rank), abs(13 - abs(player1_card.rank -
    dealer_card.rank)))
    rank_diff2 = min(abs(player2_card.rank -
    dealer_card.rank), abs(13 - abs(player2_card.rank -
    dealer_card.rank)))

if rank_diff1 < rank_diff2:
    return "player1"
    elif rank_diff1 > rank_diff2:
        return "player2"
    else:
        if player1_card.suit.value >
    player2_card.suit.value:
        return "player1"
    elif player1_card.suit.value <
player2_card.suit.value:
        return "player2"
    else:
        return "player2"
    else:
        return "player2"
    else:
        return "tie"</pre>
```

. Print Info

```
def print_cards(players, dealer):
    print("Player 1 cards:")
    for card in players[0].hand:
        print(card)
    print("\nPlayer 2 cards:")
    for card in players[1].hand:
        print(card)
    print("\nDealer cards:")
    for card in dealer.hand:
        print(card)
```

. Print Info

```
def roll_dice():
    return random.randint(1, 6)
```

Main Initialization

```
def main():
 pygame.init()
 assets = Assets()
 players = [Player("player1"), Player("player2")]
 dealer = Player("dealer")
 score = Score()
 # Initialize and deal cards for the first game
 deck = Deck()
 deck.shuffle()
 for _ in range(5):
   for player in players:
     player.hand.append(deck.deal())
   dealer.hand.append(deck.deal())
 print_cards(players, dealer)
 playing = True
 while playing:
   assets.draw()
   for i in range(5):
     player1_card = players[0].hand[i]
     player2_card = players[1].hand[i]
     dealer_card = dealer.hand[i]
     winner = compare_cards(player1_card, player2_card, dealer_card)
     if winner == "player1":
        score.update_score("player1")
     elif winner == "player2":
       score.update_score("player2")
        print("Tie! Rolling dice...")
```

Output

First Output

Player 1 cards: 1 Diamonds

- 10 Clubs
- 13 Clubs
- 11 Spades
- 7 Spades

Player 2 cards:

- 12 Diamonds
 - 4 Spades
 - 3 Clubs
 - 12 Hearts
- 9 Diamonds

Dealer cards:

- 9 Spades
- 2 Spades
- 9 Clubs
- 7 Clubs
- 10 Diamonds

Current scores:

- Player 1: 2
- Player 2: 3

Output /w Tie

Player 1 cards:

- 10 Spades
- 3 Spades
- 9 Clubs
- 4 Hearts
- 8 Hearts

Player 2 cards:

- 5 Spades
- 7 Clubs
- 12 Hearts
- 13 Clubs
- 1 Hearts

Dealer cards:

- 11 Hearts
 - 4 Clubs
- 7 Diamonds
- 8 Diamonds
- 11 Diamonds

Tie! Rolling dice...

- Player 1 rolled a 4
- Player 2 rolled a 6

First output shows promising results. The player scores align with the implemented logic. A complete turn with no errors has been achieved.

Testing

We will now test the logic to retrieve the following statistics:

- Baseline Win Ratio
- Win acceleration
- Score Distribution
- Variable Outcomes
- Outcome Manipulation

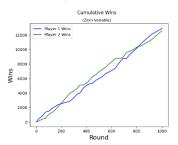
Baseline / Balance

Player 1- & 2- Win Condition Totals.

3 Cycle Ratios to determine dataset accuracy.

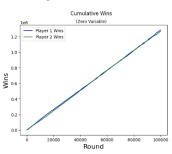
Zero game variables appended.

Cycle Count: 1,000



Total scores: Player 1 - 12930 (50.80%), Player 2 - 12519 (49.18%), Ties - 6 (0.02%)

Cycle Count: 100,000



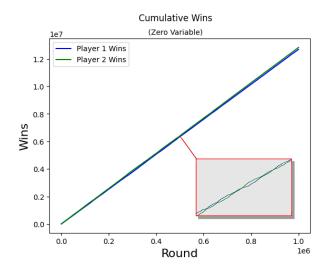
Total scores: Player 1 - 1282819 (50.02%), Player 2 - 1268242 (49.45%), Ties - 13649 (0.53%)

 1×10^6 provides a thoroughly accurate baseline for preliminary results, with each player having almost a 50/50 chance of winning.

Also observed is the geometric form the graph lines take; it almost resembles DNA strands... interesting!

More research into this by-result is warranted.

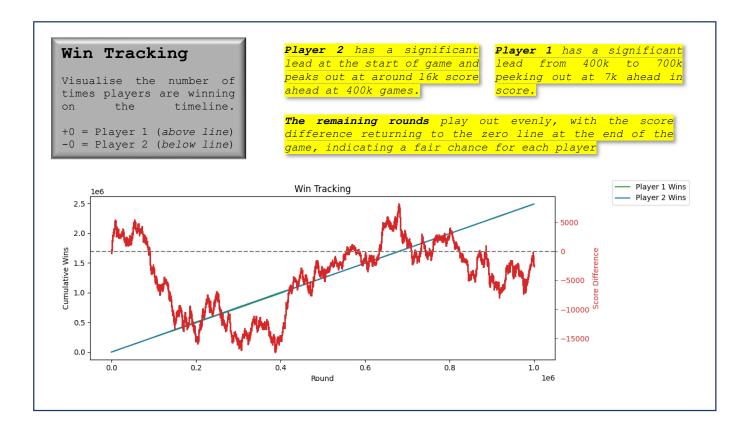
Cycle Count: 1,000,000

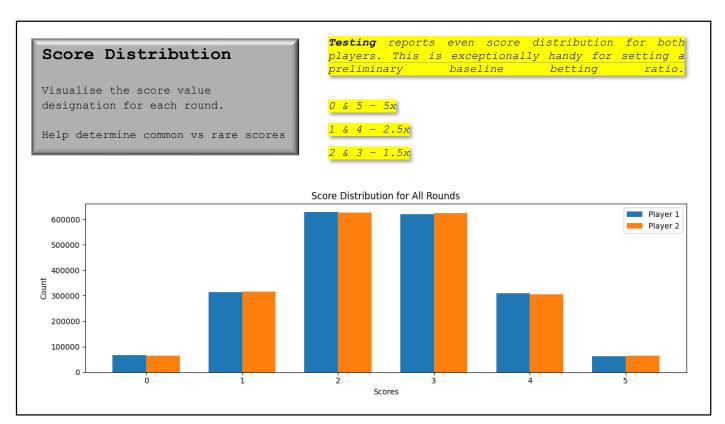


Total scores: Player 1 - 12681906 (49.48%), Player 2 - 12823843 (50.03%), Ties - 124036 (0.48%)

Testing

continued...





Outcome Manipulation

Bias penetration prevention and detection threshold.

100,000 Rounds x 8

Artificial Variables:

Player 1 - More odds of
receiving higher suit from
dealer. (Spades)

Player 2 - More Odds of
receiving lower rank suits from
dealer. (Clubs)

Manipulation Definition

```
def deal_biased_cards(deck,
  bias_factor=1):
    high_ranked_cards = [card for card
  in deck if card[1] > 6]
    low_ranked_cards = [card for card
  in deck if card[1] <= 6]
    num_high_ranked_cards = int(5 *
    bias_factor)
    num_low_ranked_cards = 5 -
    num_high_ranked_cards
    random.shuffle(high_ranked_cards)
    random.shuffle(low_ranked_cards)
    random.shuffle(low_ranked_cards)
    biased_hand_high =
    high_ranked_cards[:num_high_ranked_cards]
    biased_hand_low =
    low_ranked_cards[:num_low_ranked_cards]
    random.shuffle(biased_hand_high)
    random.shuffle(biased_hand_low)
    for card in biased_hand_low)
    for card in biased_hand_high +
    biased_hand_low
    deck.remove(card)
    return biased_hand_high +
    biased_hand_low</pre>
```

Manipulated Shuffle/Deal

```
# Shuffle deck and deal cards
    deck = [(f"{k} of {s}",
    card_values[k], suit_values[s])
    for k in card_values for s in
    suit_values for _ in
    range(int(k))]
        random.shuffle(deck)
        player1_cards =
    deal_biased_cards(deck,
    bias_factor=0.5) # You can
    adjust the bias_factor to
    increase or decrease the bias
        player2_cards =
    deal_biased_cards(deck,
    bias_factor=1 - 0.5) # Subtract
    the bias_factor from 1 to create
    an inverse bias for player 2
        dealer_cards = [deck.pop()
    for _ in range(5)]
```

Testing

continued...

Bias Testing Results

| 10% Bias: Player 1 - 194410 (38.88%), Player 2 - 302711 (60.54%), Ties - 2879 (0.58%) |
|----------------------------------------------------------------------------------------|
| |
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| |
| |
| 30% Bias: Player 1 - 220664 (44.13%), Player 2 - 274886 (54.98%), Ties - 4450 (0.89%) |
| |
| |
| |
| |
| 40% Bias: Player 1 - 233706 (46.74%), Player 2 - 261365 (52.27%), Ties - 4929 (0.99%) |
| 100 Sab. Hager 1 255.00 (101710), Hager 2 20200 (011270), 1200 1525 (01550) |
| |
| |
| |
| |
| 50% Bias: Player 1 - 247143 (49.43%), Player 2 - 246889 (49.38%), Ties - 5968 (1.19%) |
| |
| |
| |
| |
| 60% Bias: Player 1 - 260281 (52.06%), Player 2 - 234913 (46.98%), Ties - 4806 (0.96%) |
| |
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| |
| |
| 70% Bias: Flayer 1 - 274383 (54.88%), Flayer 2 - 221515 (44.30%), Ties - 4102 (0.82%) |
| |
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| |
| 80% Bias: Player 1 - 304389 (60.88%), Player 2 - 192837 (38.57%), Ties - 2774 (0.55%) |
| |
| |
| |
| |
| 100% Bias: Player 1 - 317370 (63.47%), Player 2 - 180682 (36.14%), Ties - 1948 (0.39%) |
| |
| |
| |
| |
| |

The results show that a bias penetration is possible with a code injection.

This could be due to the simple nature of the Random Algorithm being used.

A more advanced algorithm is warranted for testing to see if a reduction in baseline deviation is achieved.

Testing

continued...

