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Teach	er:		



YEAR 10 COMMON TEST

TERM 2, MAY 2012

MATHEMATICS

Time Allowed: 75 Minutes

Directions to candidates

- Attempt all questions and show <u>all</u> required working.
- Part A Non Calculator 15 minutes (answer sheet provided)
- PARTS B, C, D, E and F allow 60 minutes (answers in spaces provided).
- Approximate marks are shown alongside each question.

Part A	PART B	PART C	Part D -	PARTE	PART F
Non- Calculator	Simultaneous Equations	Consumer Arithmetic	Trigonometry	Quadratic Equations	Graphs Co-ord Geometry
15	/10	/14	/13	/14	/11
				TOTAL	77

SIMULTANEOUS EQUATIONS

/00
/ 10

1	Galanda Cili	Marks
1.	Solve the following simultaneous equations for x and y	2
	2x - y = 1	
	x - y = 3	- Participation
2.	Solve the following simultaneous equations for x and y	2
	2x-y=3	
	x = y - 4	
3.	Show algebraically, the following 3 lines are concurrent (ie pass through the	3
	same point)	
	x + y = 1	
	x - 2y = 2	
	and $2x - y = 3$	1
4.	A purse contains 34 coins. All coins are either 10 cent or 5 cent.	
	The total value of the coins is \$2.85.	
	Let x be the number of 10 cent coins.	
	Let y be the number of 5 cent coins.	
	i) Form 2 simultaneous equations in terms of x and y.	
	ii) Solve these to find the number of 10 cent and 5 cent coins.	2
	and the manifer of 10 cent and 5 cent coms.	

CONSUMER ARITHMETIC

		Marks
1.	Haydn earns \$428 per week and has to pay a Medicare levy of 1.5% only on	2
	earnings in excess of \$14 200pa. What must he pay as his levy at the end of	
	the financial year?	
2.	Parker Read Estate earns commission of 3% on the first \$50 000, $2\frac{1}{2}$ % on the	2
	next \$150 000 and $1\frac{1}{4}\%$ on the balance of all real estate sales.	
	a) What is its commission on the sale of a house for \$275 000?	
	b) What does the owner receive?	
	o) what does the owner receive?	
3.	If Tanya is asked to work on Thursday nights or weekends she is paid	2
	overtime rates at time and a half. If she works 10 hours at normal rate of	
	\$15.80 per hour, 3 hours on Thursday night and 4 hours on Sunday, what will	
	her pay be?	
4.	Find the amount to which an investment of \$2000 will grow if invested at	2
	6%pa for 3 years compounded monthly.	3
5.	The Taxation Department agrees to allow Joe Smith to depreciate (decrease)	
	the value of his truck by 17% each year for taxations purposes. When new it	۷
	was worth \$22 000. By how much has it depreciated after 2 years?	
İ	mas it depreciated after 2 years?	

6.	The two graphs below show the effects of more frequent repayments on a 4
	loan of \$100 000 at 9.25%pa.
	Loan information for monthly repayments for 30 years
	Balance \$100 000
	\$75 000
	A.
	\$50 000
	\$25 000
	4 8 12 16 20 24 28 Years
	Amount financed: \$100000 Current variable rate: 9.25% p.a.
	Repayment: \$822 per month
	Loan information for formightly repayment for 21 years 6 months
	Balance \$100 000
	\$75,000
	В.
	\$50 000
	\$25 000
	'4 8 12 16 20 24 28 Years
	Amount financed: \$100 000 Current variable rate: 9.25% n.a.
	Amount financed: \$100000 Current variable rate: 9.25% p.a. Repayment: \$411 per fortnight (assume 2 fortnights Per month)
	per month)
	a) Calculate the total repayments made for each loan:
	Loan A: Loan B:
	b) Write 2 benefits of paying off the loan fortnightly rather than monthly.
	i):
	ii):

TRIGONOMETRY

Total Marks:

13

-		Marks
1.	If $\sin \sigma = \frac{1}{3}$ find the exact value of $\tan \sigma$.	1
2.	Find x correct to 2 decimal places. 20m 15° x	2
3.	Find σ correct to nearest degree.	2
4.	Find the exact value of x 20m	2
5.	The top of a lighthouse is 40m above sea level. The base of the lighthouse is	
	at sea level. The angle of depression of a ship at sea is 25° as seen from the top of the lighthouse.	
	i) Indicate on the diagram below the angle of depression.	1
	lighthouse	

	ii) How far is the ship from the base of the lighthouse (to nearest m)?	2
6.	A ship travels 60km on a bearing of N54°E. i) Draw a suitable diagram to show this information.	
		1
	ii) Hence find how far the ship is then north of its starting point? (To nearest km.)	2

QUADRATIC EQUATIONS

Marks:	14

<u> </u>		Marks
1.	Solve:	
	a) $4x^2 - 25 = 0$	1
	b) $2t^2 - 3t + 1 = 0$	2
	c) $3(x-1)^2 = 12$	2
ļ		
2.	Solve, $x^2 - 2x - 1 = 0$, by completing the square. Leave your answer in surd	2
	form.	
3.	Solve, $3x^2 - 2x - 4 = 0$ and write your answer(s) correct to 2 decimal places.	2
	, and the same factors are the same factors are the same factors are the same factors are the same factors and the same factors are the	
4.	Explain why $3x^2 + 7x + 5 = 0$ has no real solutions.	1
	The state of the s	1
5.	$\frac{2}{x^2-1}$	
٥.	Solve $\frac{2}{3x+4} = \frac{2x-1}{5}$	2
		,
6.	The sum of a number, x, and its reciprocal is $2\frac{1}{6}$. Form a quadratic equation	2
	in terms of ∞ . Hence, find all possible values for x .	

1.

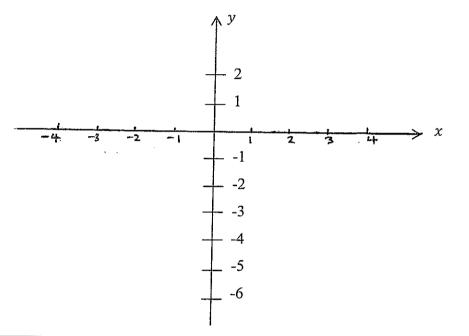
CO-ORD GEOMETRY/GRAPHS

/
/ 11

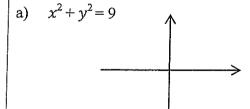
Total Marks:

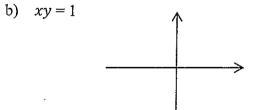
Marks

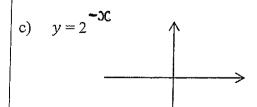
- For the parabola y = (x 1) (x + 3) find i) the x intercepts
 - ii) the y intercepts _____
 - iii) the vertex _____
 - iv) hence sketch the parabola showing all the above information

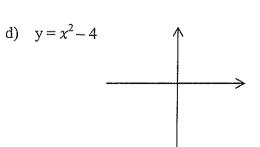


2. Make a neat sketch of the following curves. Indicate if the curve cuts either the x or y axes and find these points.











Name:	***************************************	
Teacher:		



YEAR 10 COMMON TEST TERM 2, MAY 2012 MATHEMATICS

PART A:	Non-Calculator	
TIME ALLOWED:	: 15 Minutes	
Instructions:	Remove this front page	and place answers in spaces provided.
-		
Q1:	Q5:	Q10:
Q2:	Q6:	Q11:
Q3:	Q7:	Q12:
Q4 i)	Q8:	Q13:
O4 ii)	Ω_{0}	014.



1

A letter is chosen from the word ALGEBRA at random. What is the probability that the letter chosen is A?

2.

For an item originally priced at P, its value A, after n years of depreciation at r% p.a.

(A)
$$A = -P \left(1 + \frac{r}{100} \right)^n$$

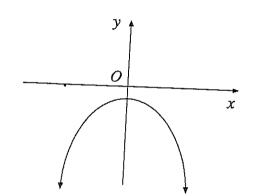
(C) $A = P \left(1 - \frac{r}{100} \right)^n$

(B)
$$A = -P \left(\frac{1+r}{100}\right)^n$$

$$(C) \quad A = P \left(1 - \frac{r}{100} \right)^n$$

$$(D) \quad A = P \left(\frac{1-r}{100}\right)^n$$

3.



The parabola shown could have the equation

(A)
$$y = -x^2 - 3$$

(B)
$$y = -x^2 + 3$$

(C)
$$y = x^2 - 3$$

(D)
$$y = x^2 + 3$$

i) How many 2 digit numbers can be formed from the digits 1,2,3,4, and 5 if repetition is not allowed.

ii)

What is the probability that a number chosen at random from the 2 digit numbers above, is greater than 40?

Solve for x: $2x^2 - 5x - 1 = 0$.

$$(A) \quad x = \frac{5 \pm \sqrt{17}}{4}$$

(B)
$$x = \frac{-5 \pm \sqrt{17}}{4}$$

(C)
$$x = \frac{5 \pm \sqrt{33}}{4}$$

(A)
$$x = \frac{5 \pm \sqrt{17}}{4}$$
 (B) $x = \frac{-5 \pm \sqrt{17}}{4}$ (C) $x = \frac{5 \pm \sqrt{33}}{4}$ (D) $x = \frac{-5 \pm \sqrt{33}}{4}$

6

Magazines \$4 each Comics \$3 each

Sarah bought x magazines and y comics at the above prices.

She bought nine more magazines than comics, and spent \$120 altogether.

Which pair of simultaneous equations could be solved to find how many of each she

(A)
$$4x + 3y = 120$$
$$x - y = 9$$

(B)
$$4x + 3y = 120$$

 $y - x = 9$

(C)
$$\frac{x}{4} + \frac{y}{3} = 120$$

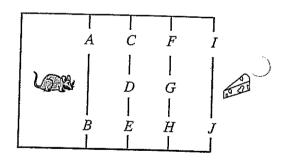
 $x - y = 9$

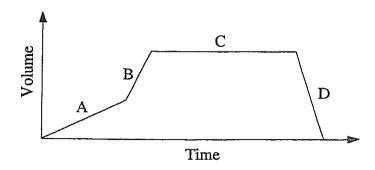
(D)
$$\frac{x}{4} + \frac{y}{3} = 120$$

 $y - x = 9$

7

How many choices has the rat in moving through the 4 walls to get to the cheese?

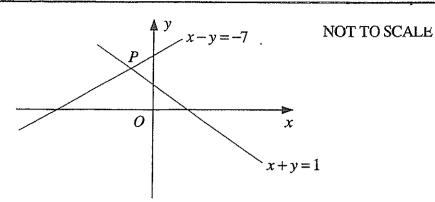




The graph shows the volume of water in a tank at any given time.

Which section of the graph shows the time when the volume is INCREASING most rapidly?

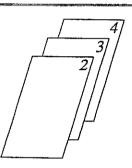
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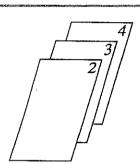


Which of the following are the coordinates of P?

- (A) (-4, 3)
- (B) (-3, -4)
- (C) (-3, 4)
- (D) (-2, 3)

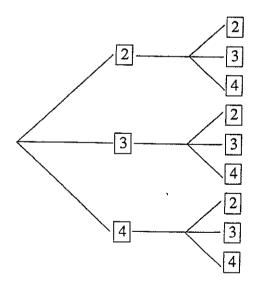
10





A card is chosen at random from each of the above piles.

The tree diagram below shows the possible outcomes.



If the numbers on the two cards chosen are added together, what is the probability that the total is even?

11

If $(3x + P)^2 = 9x^2 - Mx + 16$ (where *M* is positive),

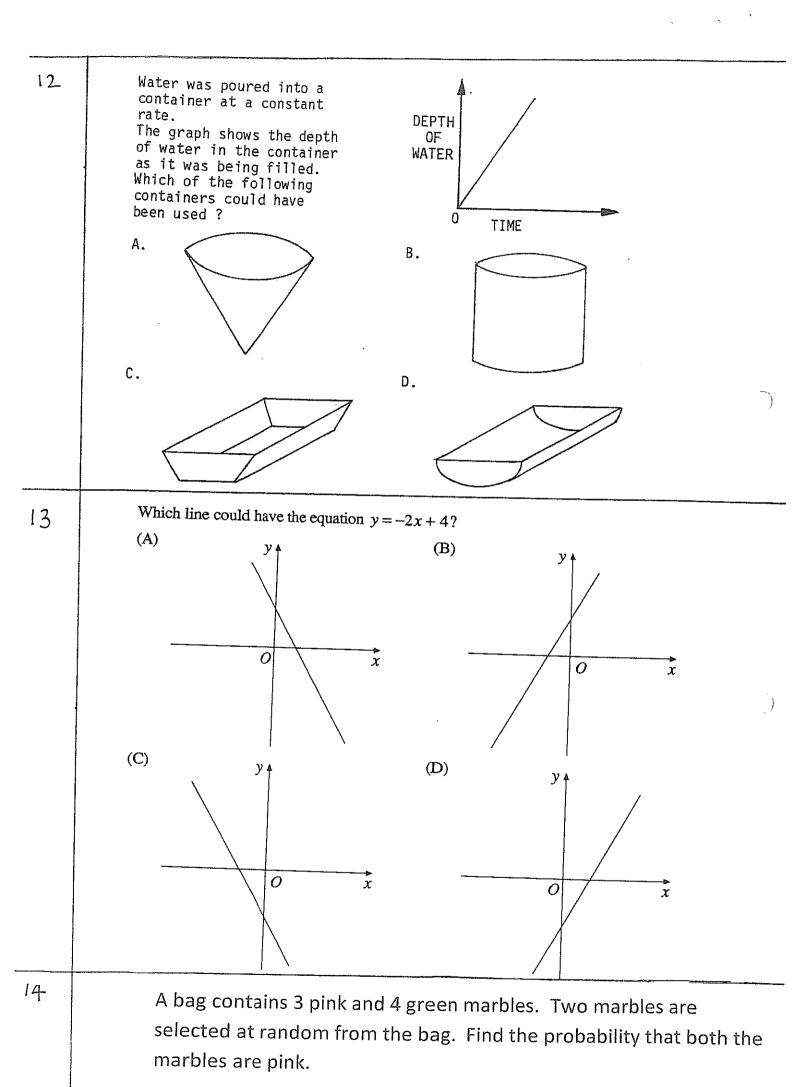
then

(A)
$$P = -4$$
 and $M = 12$

(B)
$$P = -4$$
 and $M = 24$

(C)
$$P = 4$$
 and $M = 12$

(D)
$$P = 4$$
 and $M = 24$



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Teacher:					



YEAR 10 COMMON TEST TERM 2, MAY 2012 MATHEMATICS

PART A

Non-Calculator

TIME ALLOWED: 15 Minutes

INSTRUCTIONS: Remove this front page and place answers in spaces provided.

Q1: $\frac{2}{7}$ Q5: C Q10: $\frac{5}{9}$ Q2 C Q6: A Q11: B Q3: A Q7: B Q12: B Q4 i) C Q8: C Q9: C Q14 C

iii) Show	ii) Find	i) Wh	The	·Ω
Show that OC bisects AB. Sub mid pt to get.	Find the equation of OC. $y = \frac{2}{3}$	What are the co-ordinates of the mid-point of AB?	C(3,2) 0 The diagram shows A(4,7) B(5,-1) and C(3,2).	NOT TO SCALE
1 truc	1		→ x B(5,-1)	A(4,7)

μ.

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PART E:

QUADRATIC EQUATIONS

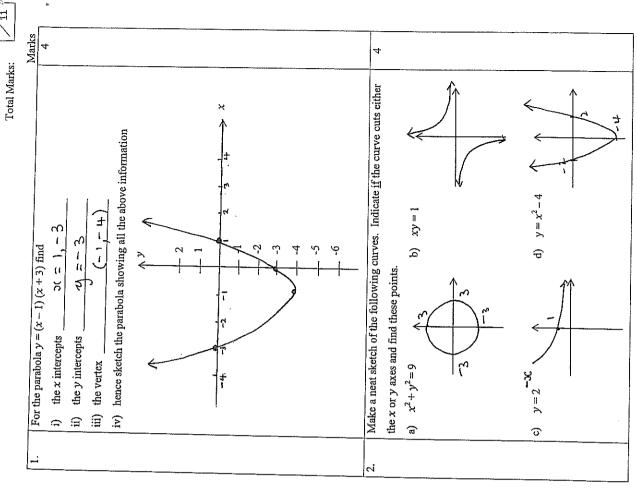
14	
Total Marks:	

S	-			1					<u></u>
Marks		- 7	2	2	2	-	2	2	
00.1.00	a) $4x^2 - 25 = 0$ $3x = \pm \frac{5}{2}$	1 [(c) 3(x-1) ² = 12 (3(-1) ² = 4 3(-1) = 12 (3(-1) ² = 4	he square. Leave	Solve, $3x^2 - 2x - 4 = 0$ and write your answer(s) correct to 2 decimal places. $x = 2 \pm \sqrt{52}$ $x = \sqrt{5} + \sqrt{5}$	Explain why $3x^2 + 7x + 5 = 0$ has no real solutions. $x = -7 \pm \sqrt{-11}$ b b b b	Solve $\frac{2}{3x+4} = \frac{2x-1}{5}$ 10 = (23x-1)(33x+4) $(63x-7)(x+2)=010 = (63x^2 + 5x - 4) x=7, -20 = (63x^2 + 5x - 1)$	The sum of a number, x , and its reciprocal is $2\frac{1}{6}$. Form a quadratic equation in terms of ∞ . Hence, find all possible values for x . $x + \frac{1}{3} = \frac{13}{6}$ $(3x - 2)(2x - 3) = 0$	622+6=13x 36=2 3 622-13x-6=0
-	•			2.		4,	5.	9	

PART F:

CO-ORD GEOMETRY/GRAPHS

/GRAPHS



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PART D:

79.

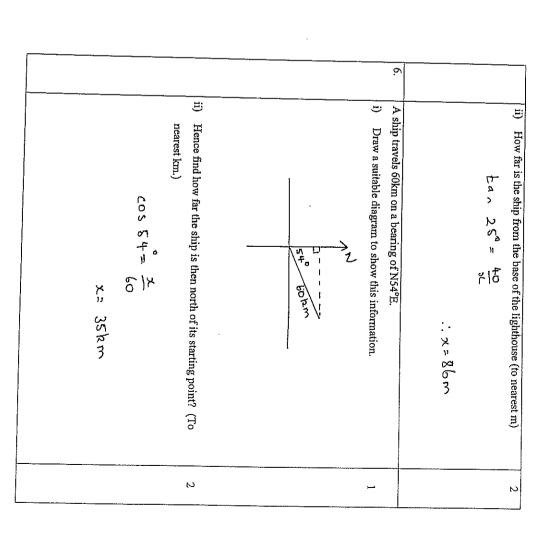
TRIGONOMETRY

Total Marks:

rks:

13

at sea level. The base of the lighthouse is at sea level. The base of the lighthouse is top of the lighthouse. i) Indicate on the diagram below the angle of depression.	4. $\frac{30^{\circ}}{30^{\circ}} \stackrel{\text{L}}{\text{Los }} \frac{30^{\circ}}{20} = \frac{3}{20} \qquad \text{s.} = 10^{\circ} \frac{3}{3}$	Find σ correct to nearest degree. 8m Find σ correct to nearest degree. $\delta = \frac{8}{5}$ $\delta = 58^{\circ}$	Find x correct to 2 decimal places. $\cos 15^{\circ} = \frac{3}{20}$ $3 = 19.32 \text{ m}$	If $\sin \sigma = \frac{1}{3}$ find the exact value of $\tan \sigma$. $\pm a \cdot 6 = \frac{1}{8}$
) made	2	2	2	1



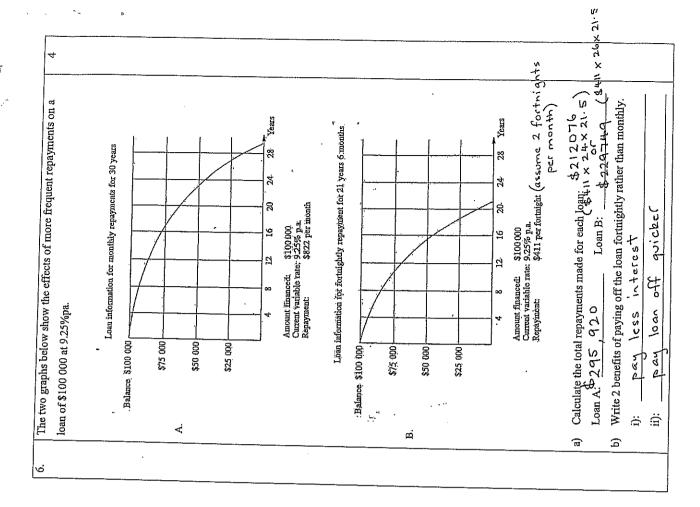
CONSUMER ARITHMETIC

Total Marks:

12

į	Haydn carns \$428 per week and has to pay a Medicare levy of 1.5% only on	Marks 2
	earnings in excess of \$14 200pa. What must he pay as his levy at the end of the financial year?	l
	\$120·84	
1	Parker Read Estate earns commission of 3% on the first \$50 000, $2\frac{1}{2}$ % on the	2
	next \$150 000 and $1\frac{1}{4}\%$ on the balance of all real estate sales.	·
	a) What is its commission on the sale of a house for \$275 000?	
	\$6187.50	
	b) What does the owner receive?	
	\$268,812.50	
1	If Tanya is asked to work on Thursday nights or weekends she is paid	2
	\$15.80 per hour, 3 hours on Thursday night and 4 hours on Sunday. what will	
	her pay be?	•
	\$323.90	
i	Find the amount to which an investment of \$2000 will grow if invested at	2
	6%pa for 3 years compounded monthly.	
	\$2393.36	
Ĩ	(ignore any rounding off)	
	The Taxation Department agrees to allow Joe Smith to depreciate (decrease)	2
	the value of his fruck by 17% each year for taxations purposes. When new it	
	was worth \$22 000. By how much has it depreciated after 2 years?	
	\$6844.20	
1		

(ignore any rounding off)



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YEAR 10 COMMON TEST

TERM 2, MAY 2012

MATHEMATICS

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		15		Calculator	Non-	FAKTA
	017	/10	Stronger	Fornations	Simultaneous	PARTB
	/14	14	Anumenc	Arithmet	0	PART C
	/13			Ingonometry Quadratic		PARTI
TOTAL	/14		Equations	Quadratic	7 170.7	Trave
ur n	/11/	Geometry	Co-ord	Graphs	LAKLY	בו ייינים

SIMULTANEOUS EQUATIONS

· · · · · · · · · · · · · · · · · · ·				4,		3.		
23 locent coins 11 Scent coins no marks if guess and check	10 sc + $5y = 285$ both ii) Solve these to find the number of 10 cent and 5 cent coins.	i) Form 2 simultaneous equations in terms of x and y. $3(+4) = 34$ $7 = 34$ $8 = 3$	The total value of the coins is \$2.85. Let x be the number of 10 cent coins. Let y be the number of 5 cent coins.	A purse contains 34 coins. All coins are either 10 cent or 5 cent.	y=2 -x=4 y=-	Show algebraically, the following 3 lines are <u>concurrent</u> (ie pass through the same point)	Solve the following simultaneous equations for x and y $2x-y=3$ $x=y-4$ $y=11$	3 11 00 N
ζ.	2	,				ω	2	~