

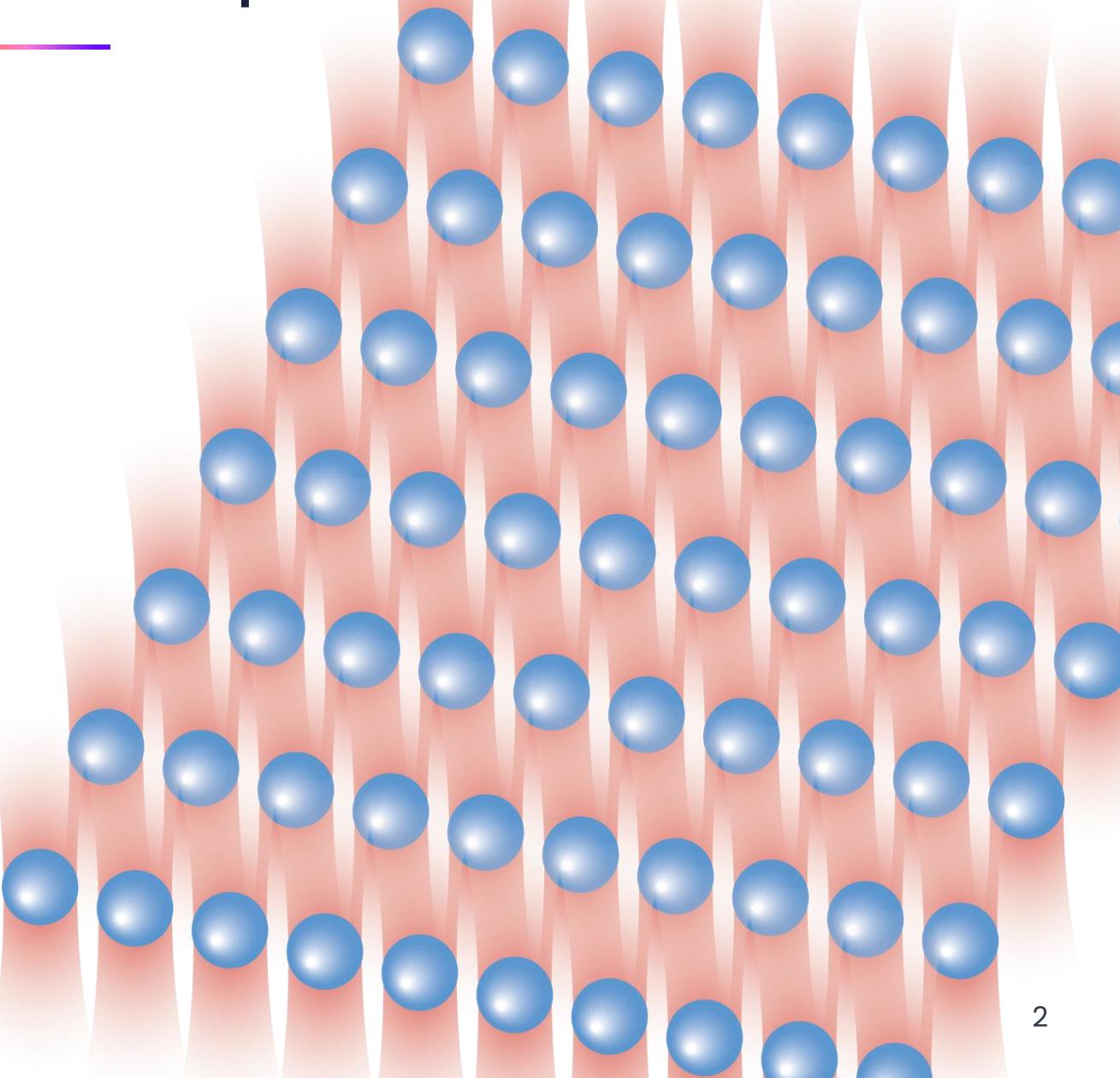


# Introduction: **Gate-based quantum computing with neutral-atoms**

# Neutral-atom quantum processor

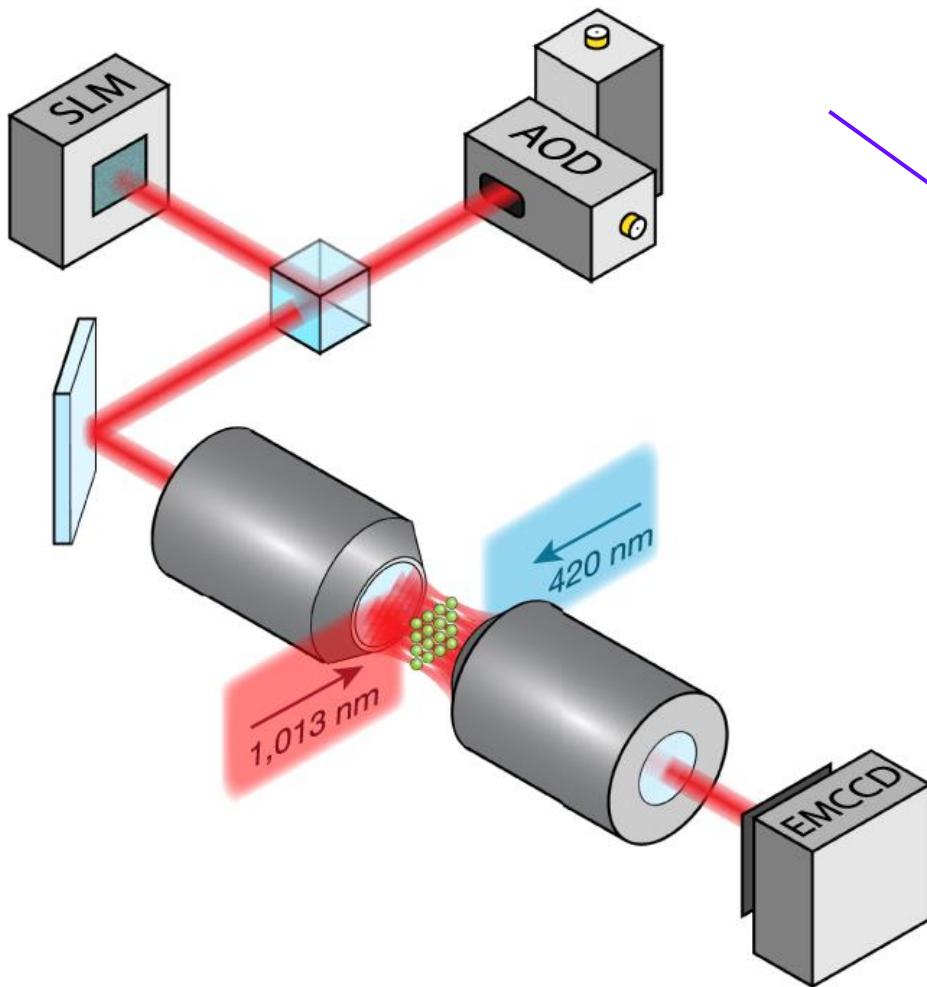
---

- Atoms (qubits) trapped on laser tweezers
- Densely packed qubits
- Efficient qubit control
- Flexible problem encoding
- New ways to think quantum computing!



# Hardware elements overview

---

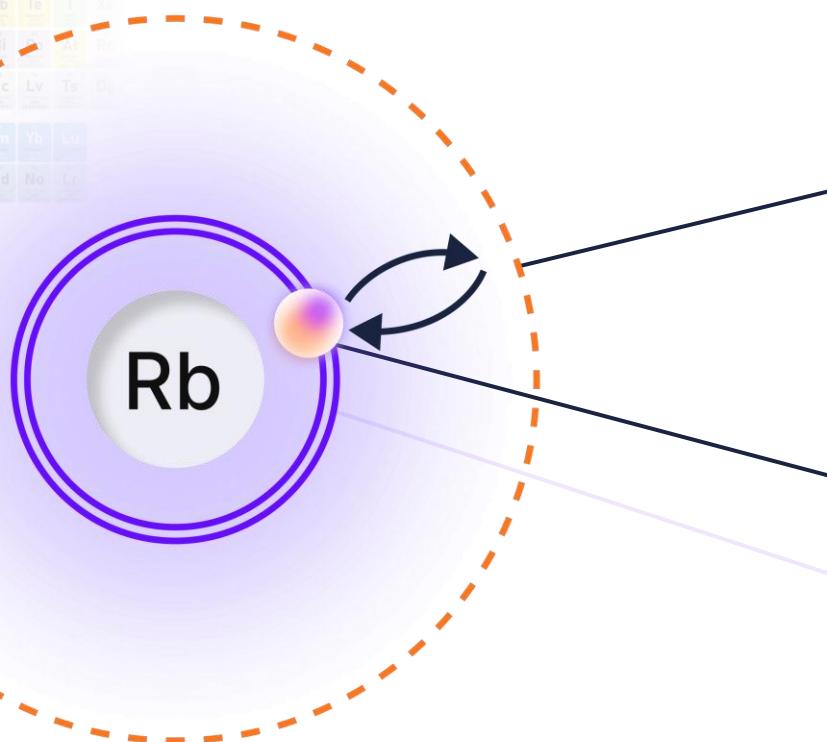
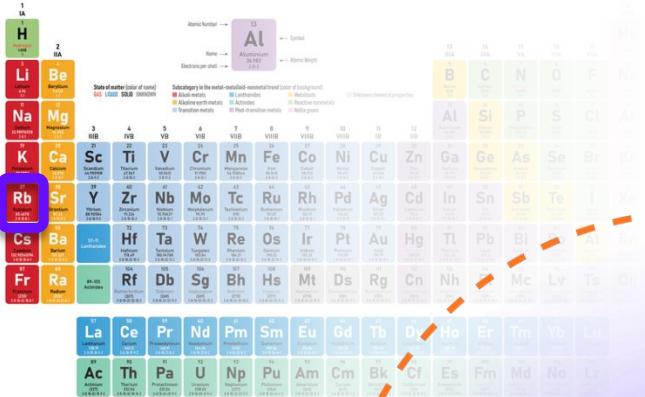


Gemini class



# Rubidium qubit inner works

Periodic Table of the Elements



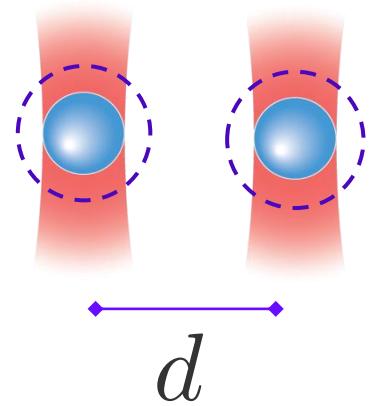
$|r\rangle$   
 $|0\rangle$   
 $|1\rangle$

Entanglement through high-energy level

Strong geometrically controlled interactions  
 $V \sim d^{-6}$

Rydberg state

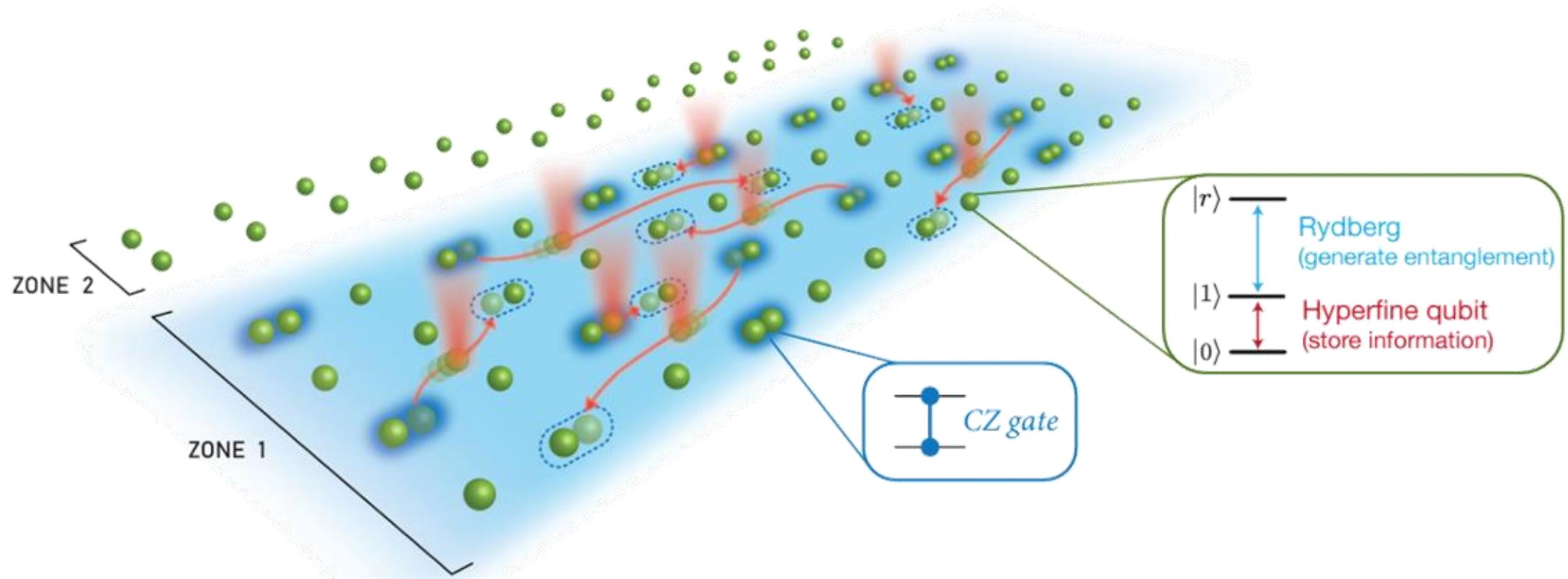
Hyperfine states  
Long coherence times  
High stability, flexibility



Information storage in low-energy levels

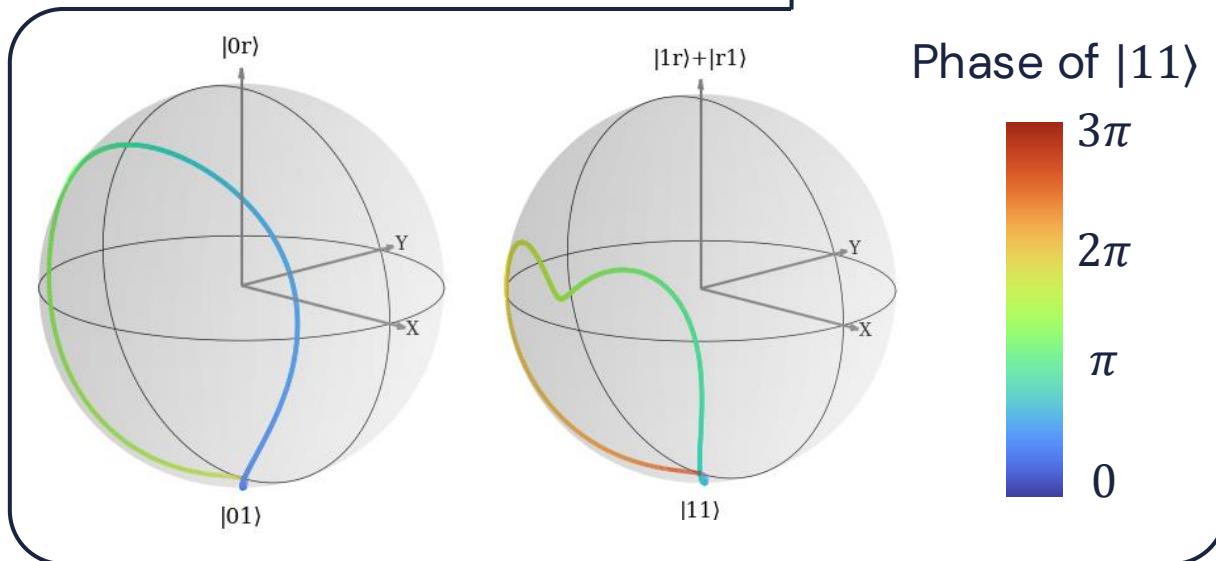
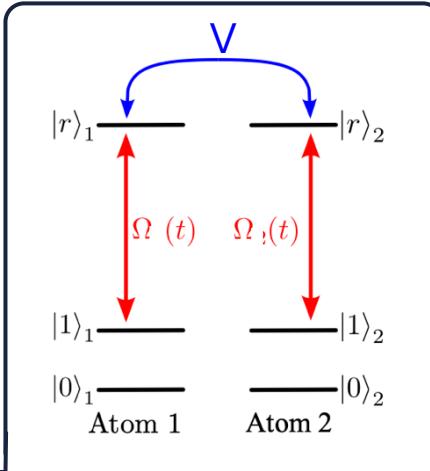
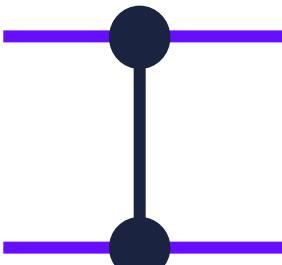
# Basic architecture: mid-circuit reconfigurability

---



# Native gates

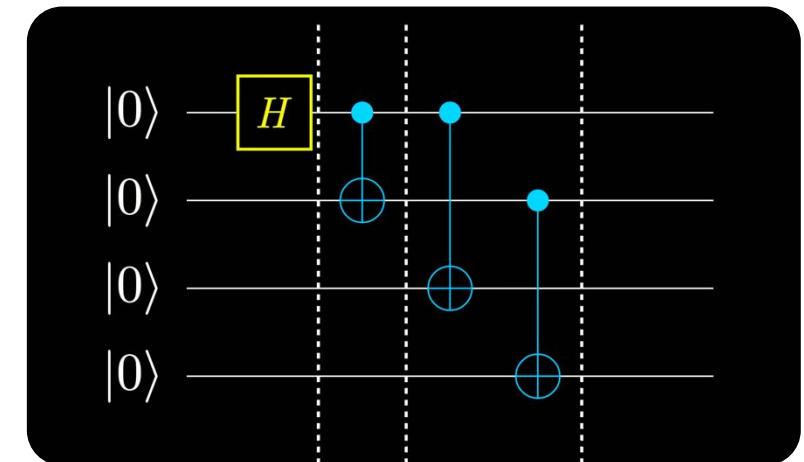
## Controlled-Z gates



## Arbitrary 1-qubit rotations ( $Z * XY$ -plane rotations)

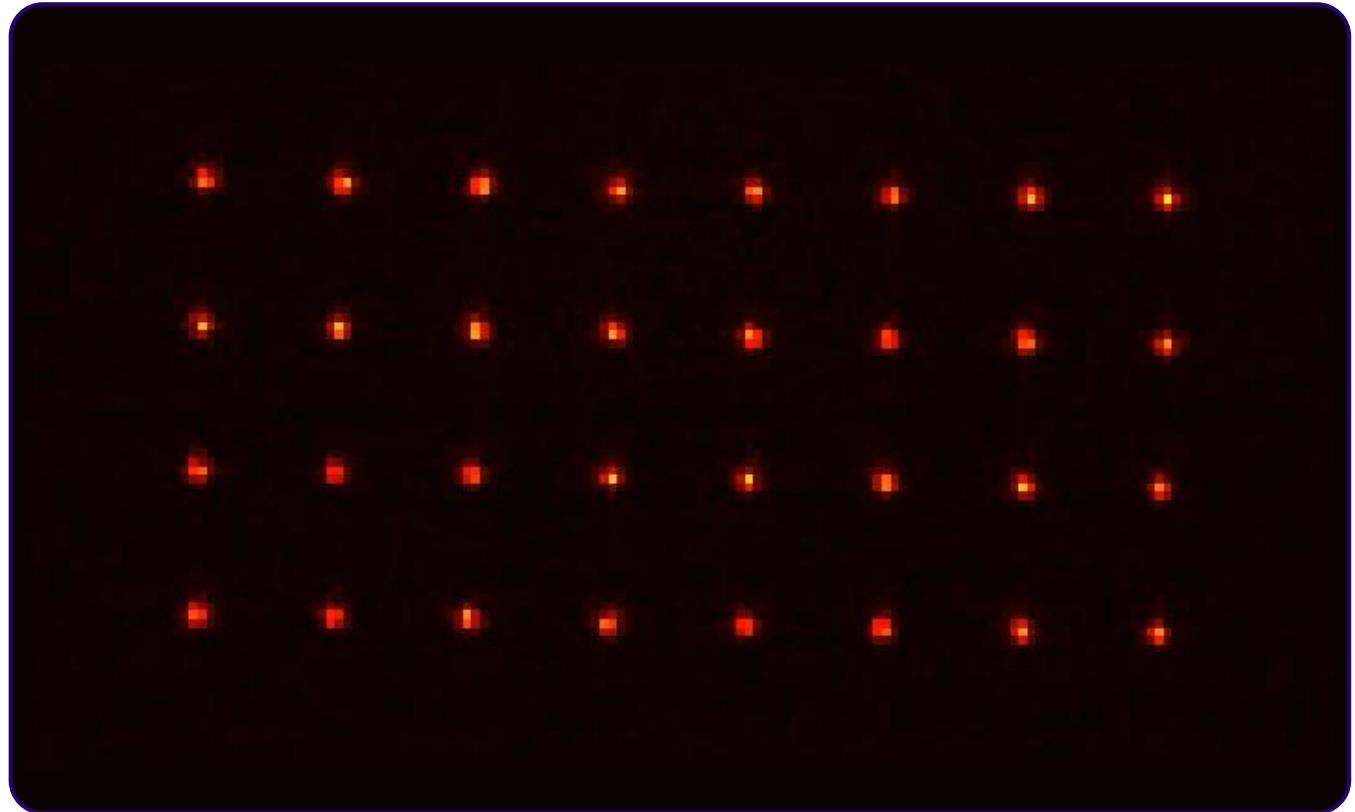
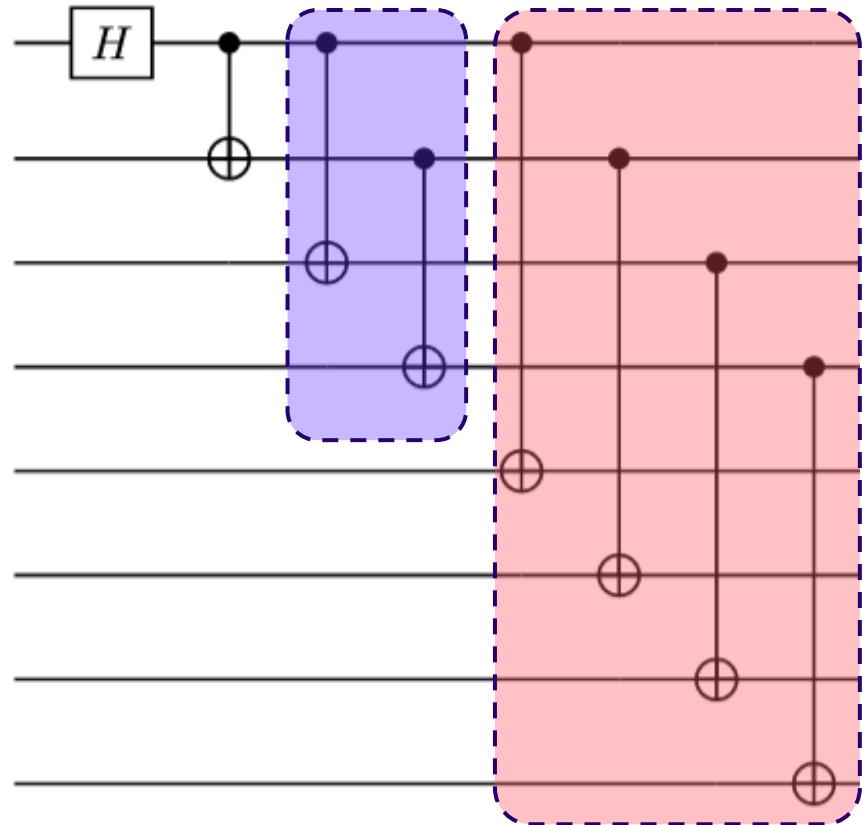


## Hardware-native compilation (GHZ prep.)

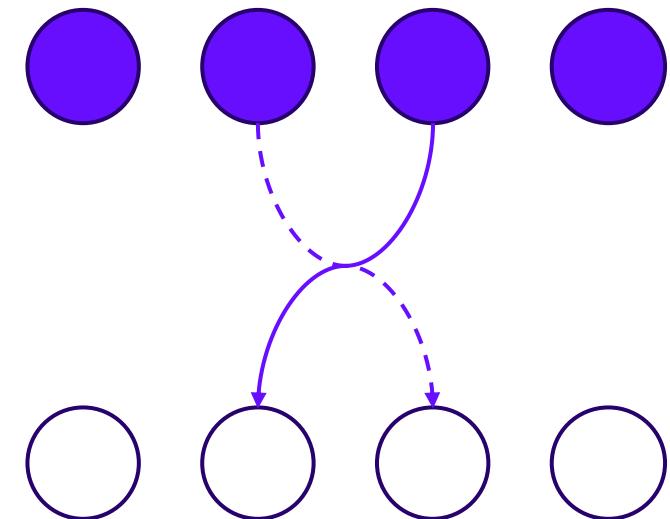
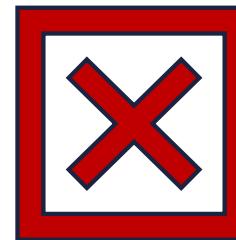
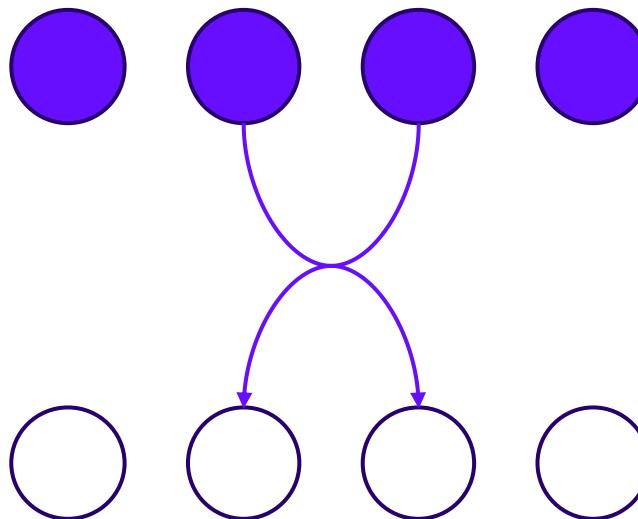
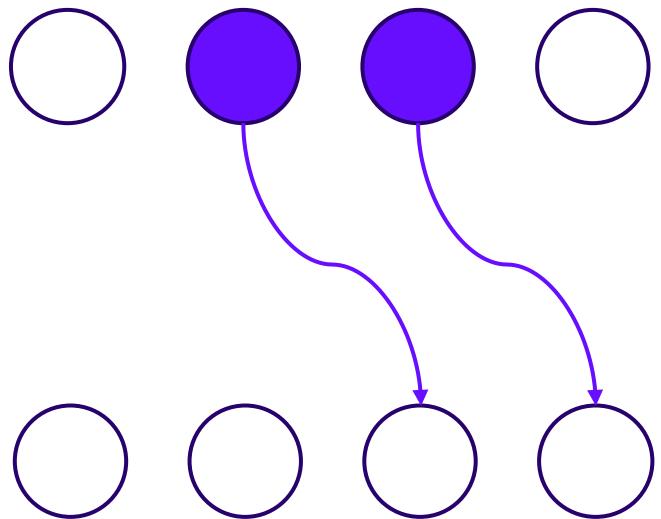


# Entangling and logic through reconfiguration

---



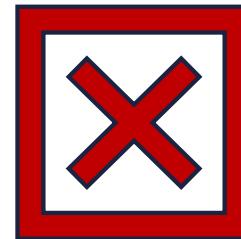
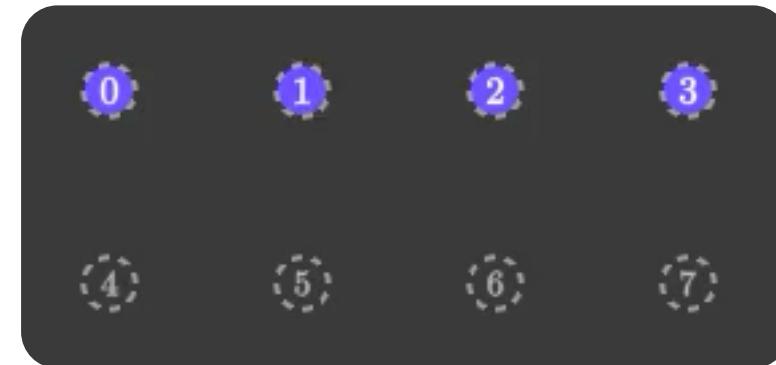
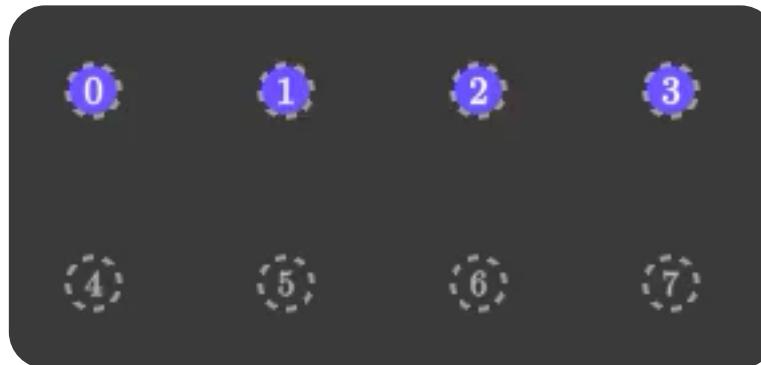
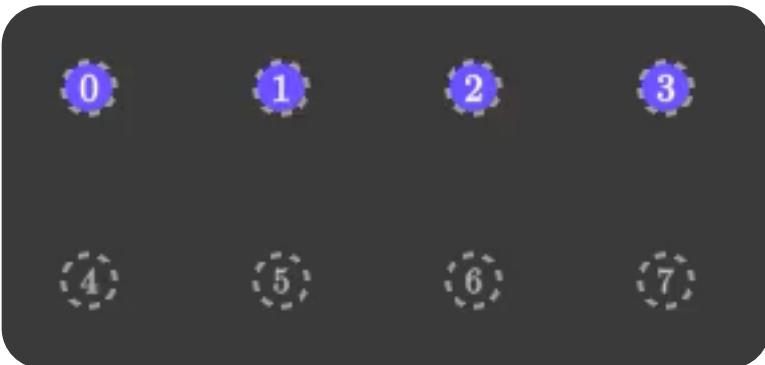
# Atom shuttling rules #1 – crossing conflict



# Atom shuttling rules #1 – crossing conflict

“atoms cannot collide”

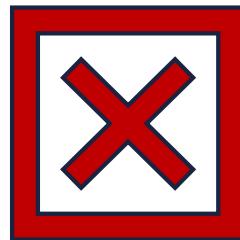
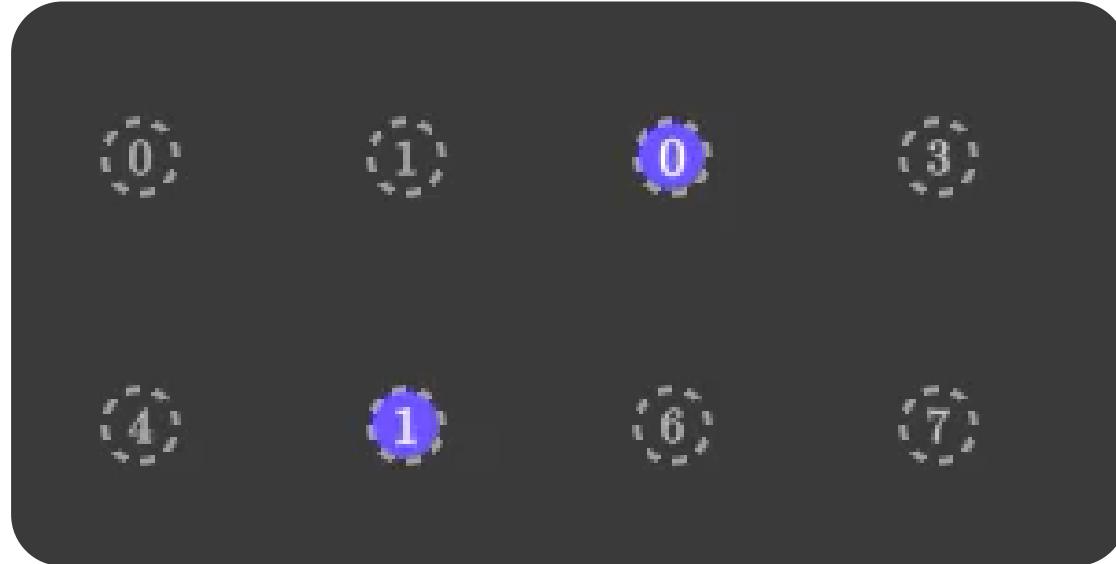
“atoms cannot change order in a single move”



Activity: why these rules?

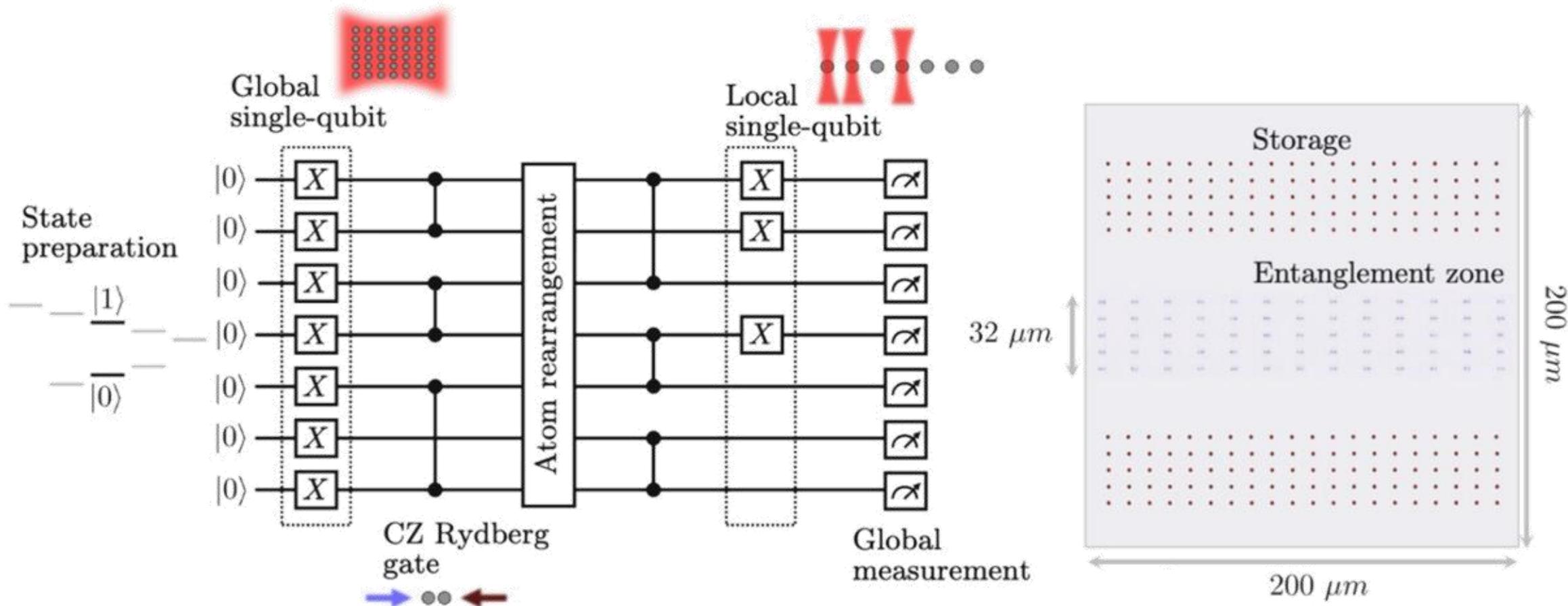
## Atom shuttling rules #2 – “many-to-one” conflict (bonus)

---

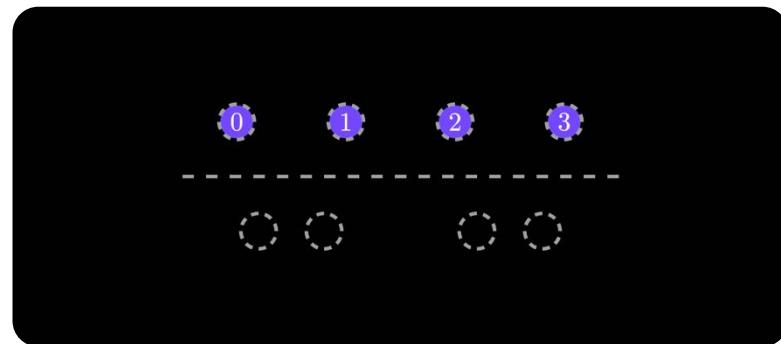
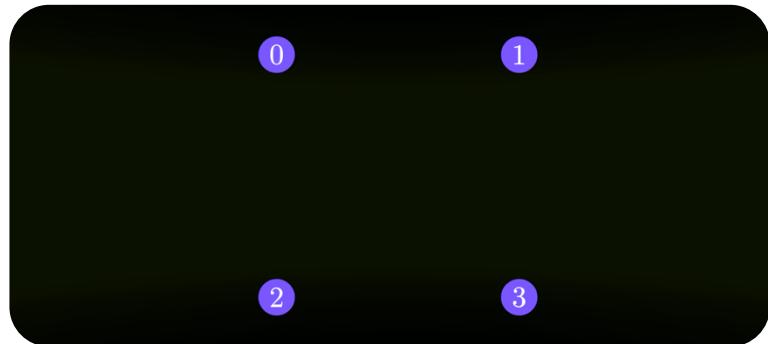
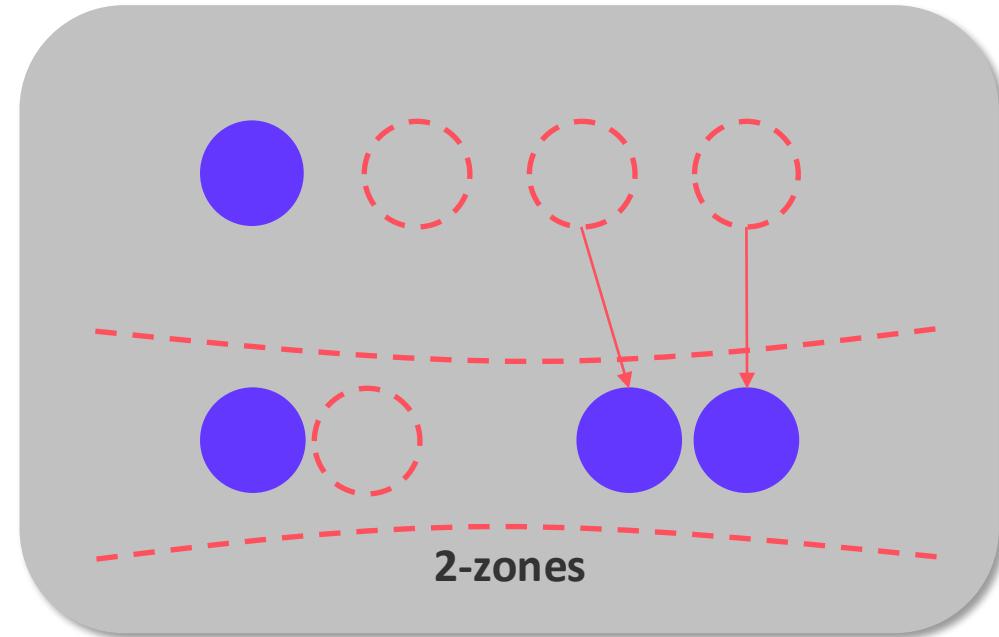
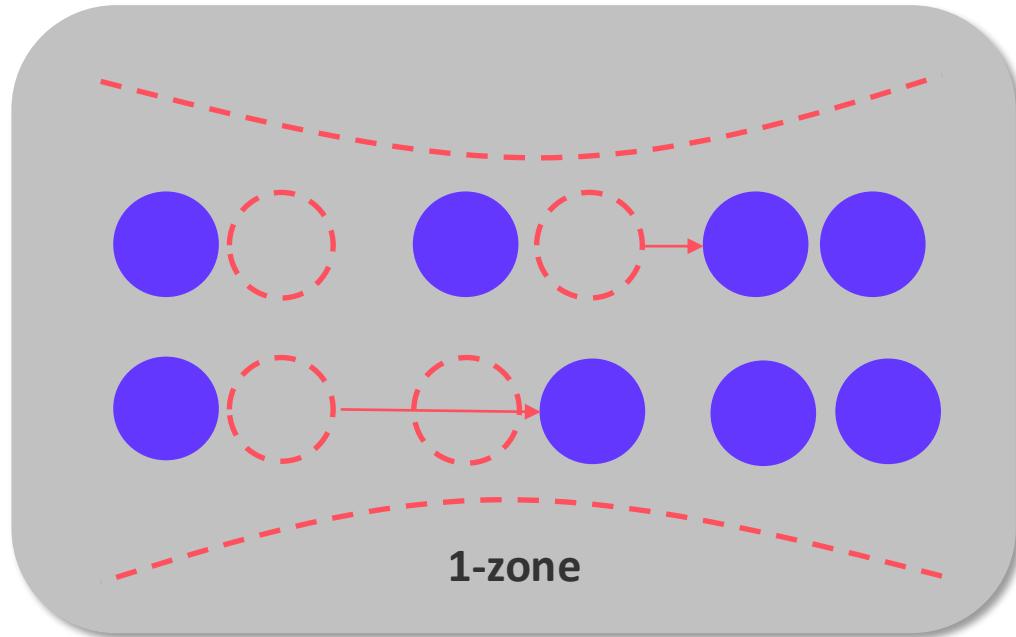
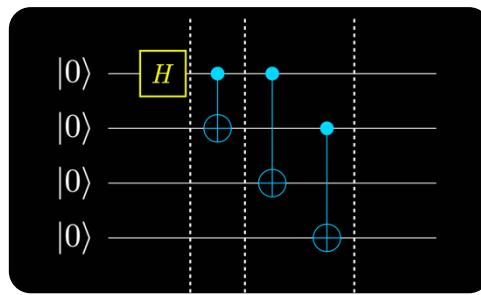


# Systems overview

---

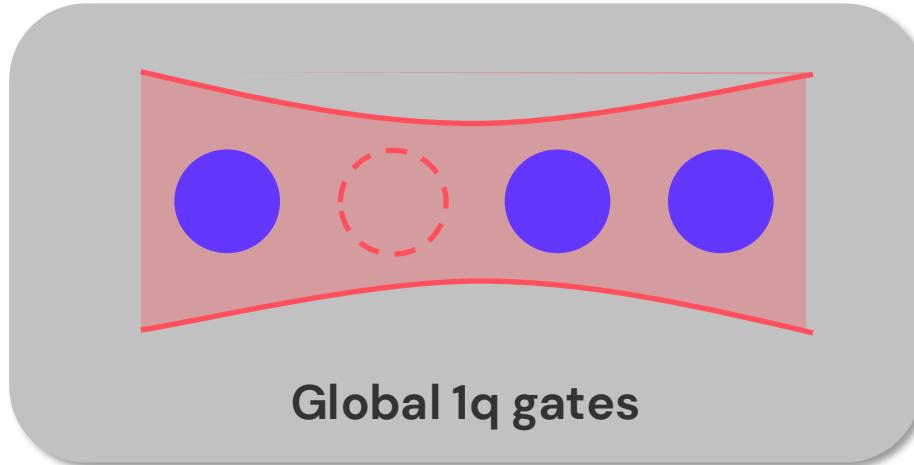


# Zoned architectures

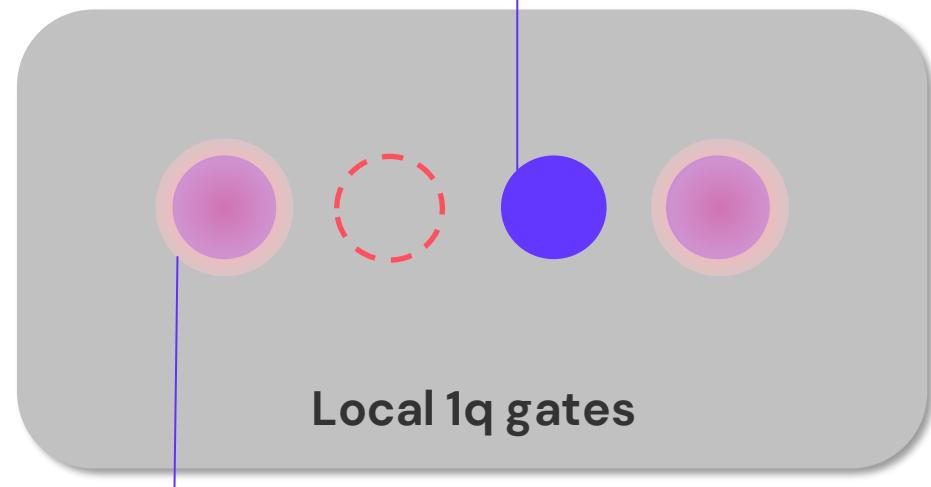


# Error channels – single qubit operations

---



Error budget  $\sim 10^{-5}$



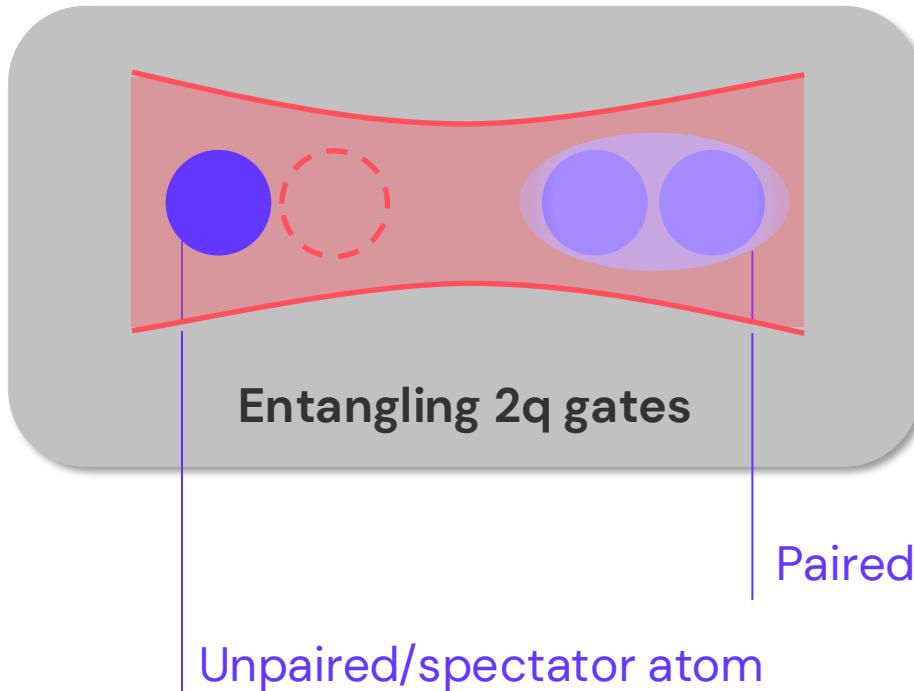
Error budget  $\sim 10^{-4}$

Unaddressed atom

Addressed atom

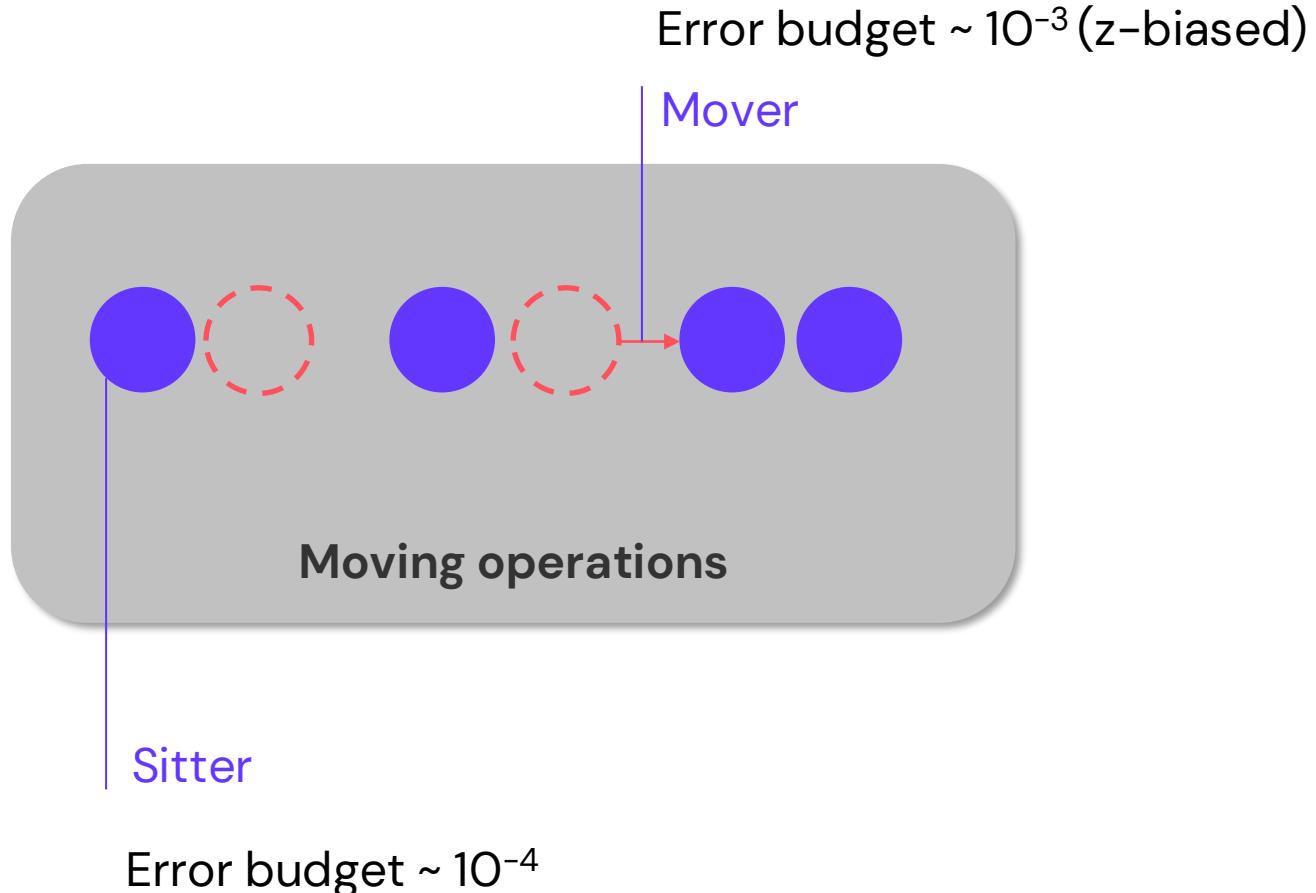
# Error channels – two-qubit operations

---



# Error channels – shuttling

---



# Noise hierarchy



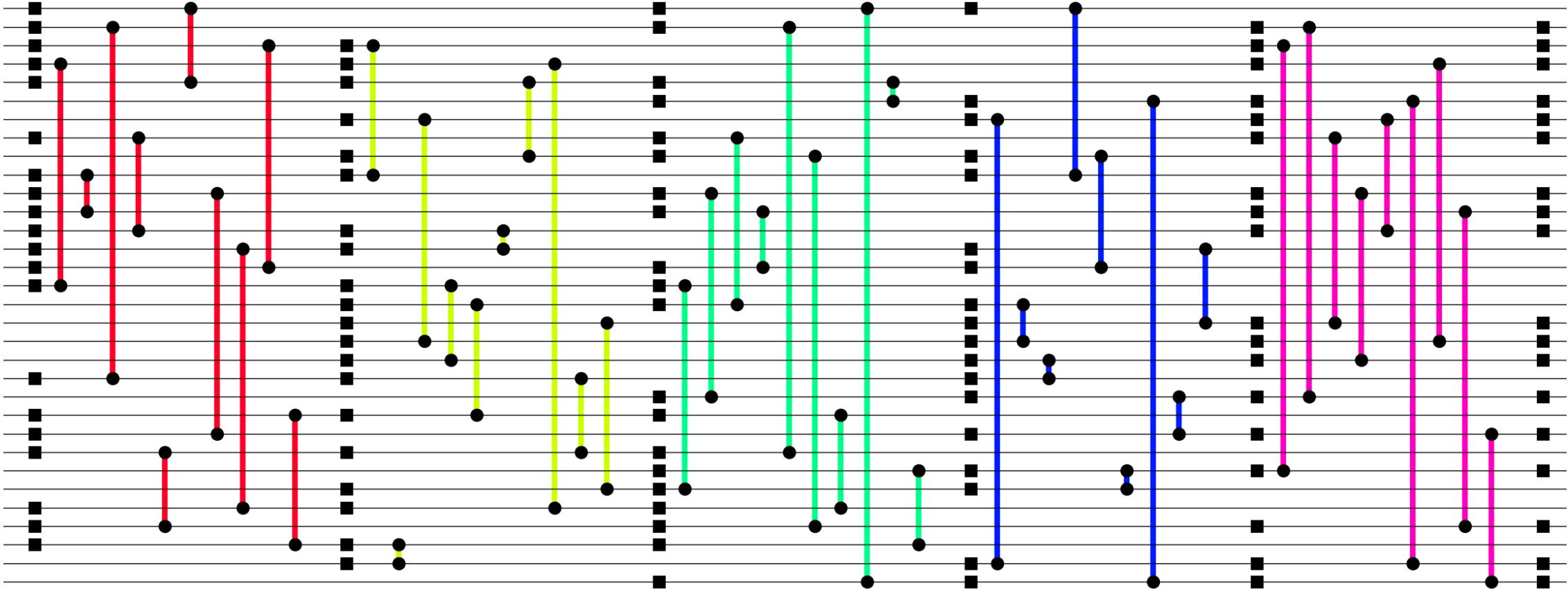
$$E_{CZ} \gtrsim E_{mover} \sim E_{unpaired} > E_{sitter} \sim E_{1-qubit,local} > E_{1-qubit,global}$$



Z-biased

# Program design goals

---



# Programming tools hierarchy

---

Bloqade

Bloqade

Analog

Analog  
Hamiltonian  
Simulation



QuEra  
Analog mode  
Hardware (Aquila)

Bloqade

Circuit

Cirq suite

Noise modeling

Squin

Circuit synthesis



Bloqade

Shuttle

Atom shuttle  
move scheduling



built with:



Kirin

Compiler toolchain

# Bloqade

## Programming pipeline

### Squin: Bloqade's circuit composition dialect

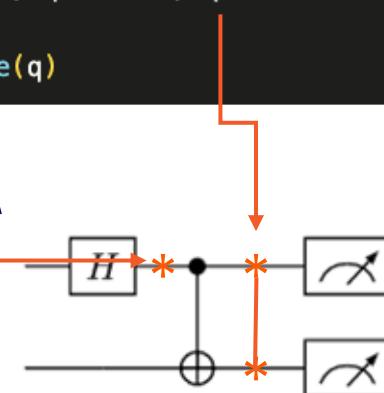
→ Kernel for automatic compiler interpretation

```
@squin.kernel
def noisy_linear_ghz(n: int, p_single: float, p_paired: float):
    q = squin.qalloc(n)

    squin.h(q[0])
    squin.depolarize(p_single, q[0])

    for i in range(1, n):
        squin.cx(q[i - 1], q[i])
        squin.depolarize2(p_paired, q[i - 1], q[i])
            parallel ops
    return squin.broadcast.measure(q)
```

Noise insertion



Cirq utils for automatic annotation from heuristic hardware-inspired noise models

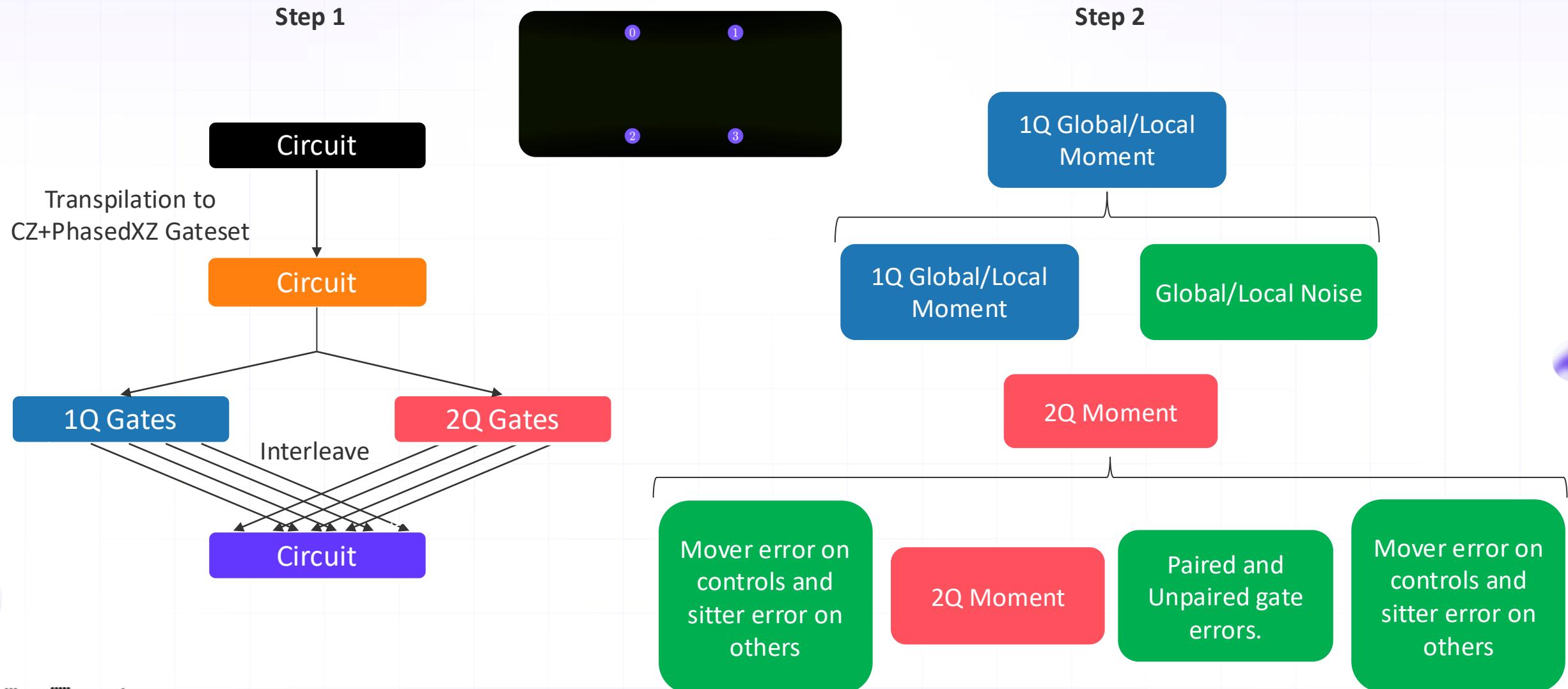
```
noise_model = noise.g
└── GeminiTwoZoneNoiseModel
└── GeminiOneZoneNoiseModel
└── GeminiOneZoneNoiseModelABC
└── GeminiOneZoneNoiseModelConflictGraphMoves
└── GeminiOneZoneNoiseModelCorrelated
{} conflict_graph
└── OneZoneConflictGraph
```

```
noise_model = noise.GeminiOneZoneNoiseModel()
noisy_ghz_circuit_3 = noise.transform_circuit(ghz_circuit_3, model=noise_model)
print(noisy_ghz_circuit_3)
✓ 0.0s
0: —PhXZ(a=0.5,x=0.5,z=0)—A(0.00041,0.00041,0.000411)—A(0.000806,0.000806,0.000806)
1: —PhXZ(a=0.5,x=0.5,z=0)—A(0.00041,0.00041,0.000411)—A(0.000307,0.000307,0.000307)
2: —
```

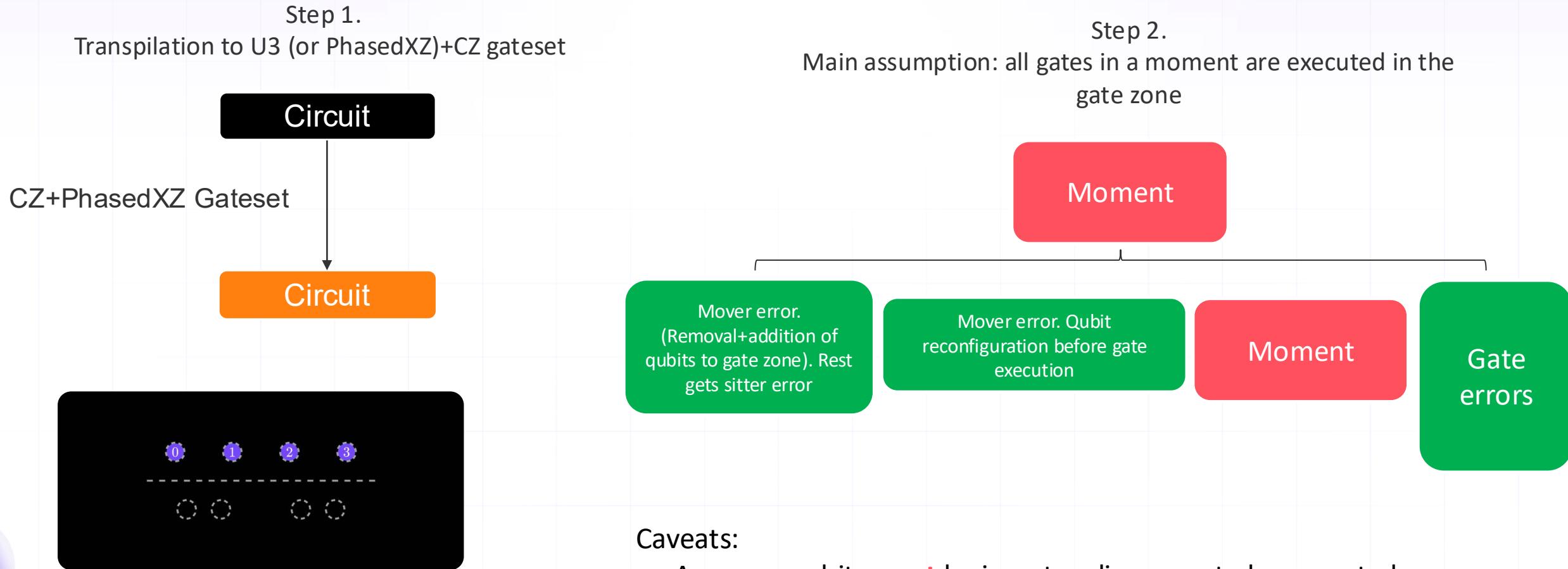
- Atom moving composition
- Simulation (Pyqrack, Stim, **Tsim**)

- Noisy circuit analysis
- Quantum hardware

# Heuristic noise model - one-zone logic



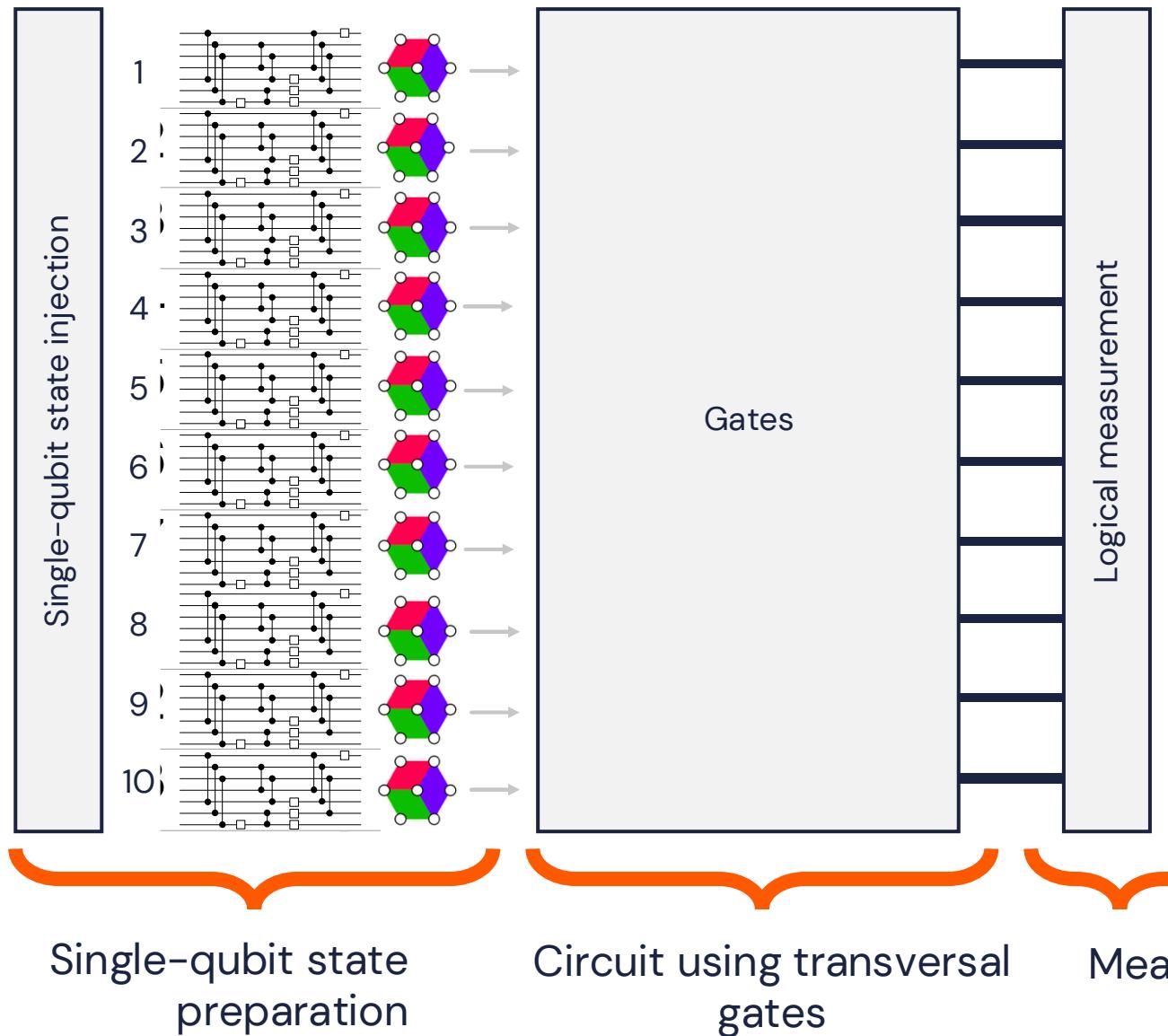
# Heuristic noise model – two-zone logic



Caveats:

- Assumes qubits **must** be in entangling zone to be operated on
- Gates in a moment are performed **together**

# Quantum Error Correction 101



Universal gate set

**Clifford gates** – preserve Pauli group. (“Cheap”)  
Ex.: Paulis, Hadamard, CNOT

**Non-Clifford gates (magic)** – all the others. (“Expensive”)  
Ex.:  $\frac{\pi}{8}$  phase (T gate), Toffoli

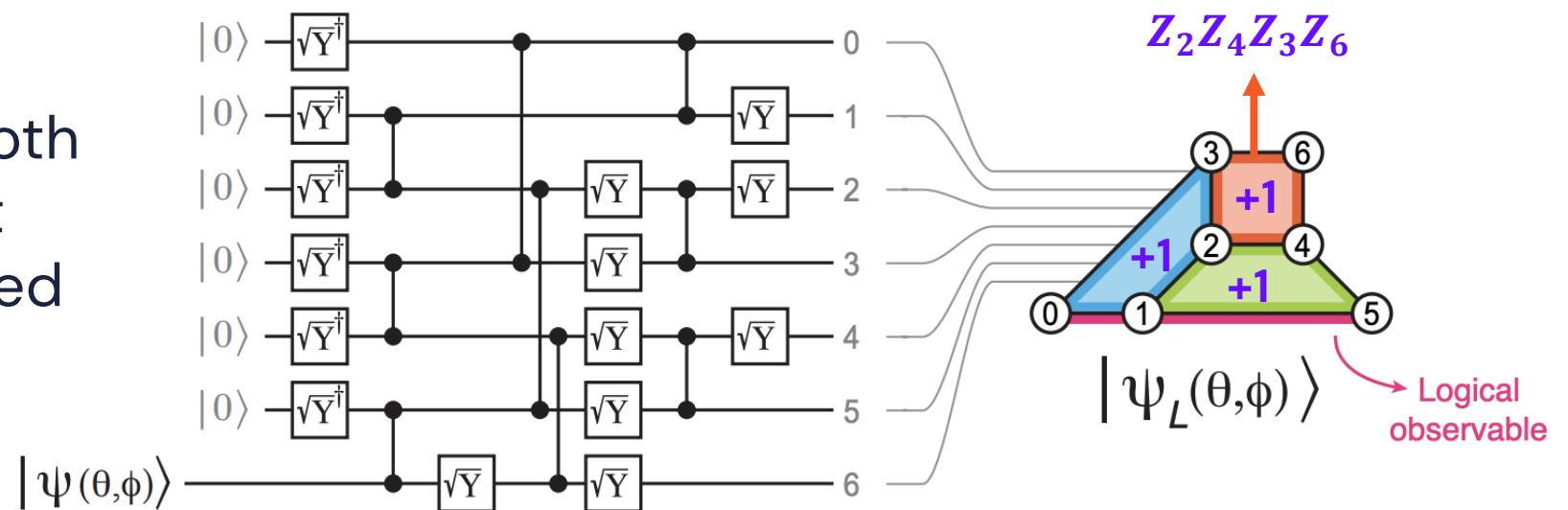
Caveat: cheap/expensive is code/basis-dependent!  
Examples above are stereotypical

# The d=3 color (Steane) code

**Error correction:** extract errors from  
**syndrome parity** measurements

**Color code:** syndromes are  
4-bit parity measurements.  
7 bits can correct 1 error.

**Quantum error  
correction:** correct both  
X and Z errors without  
destroying the encoded  
qubit.

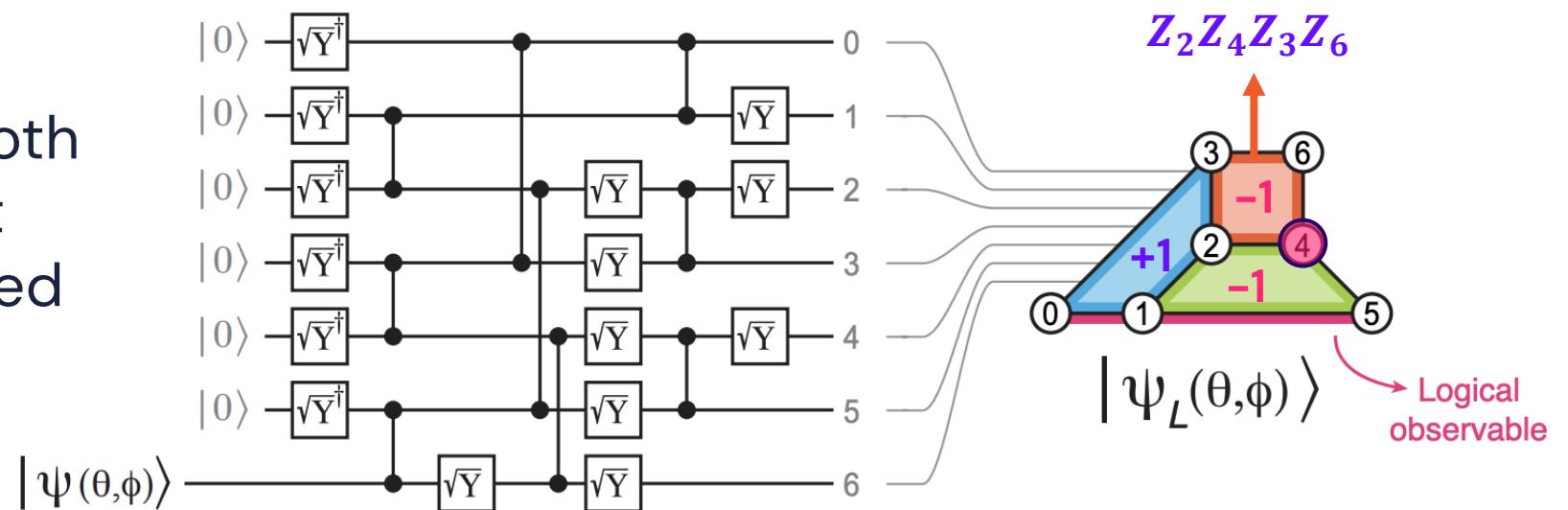


# The d=3 color (Steane) code

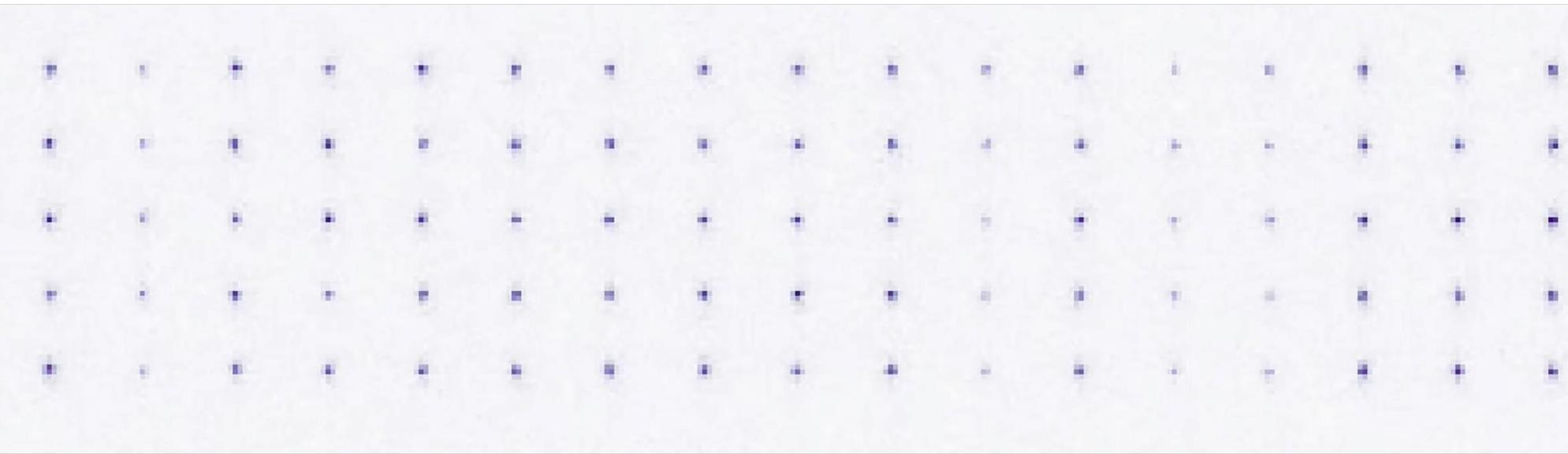
**Error correction:** extract errors from **syndrome parity** measurements

**Color code:** syndromes are 4-bit parity measurements.  
7 bits can correct 1 error.

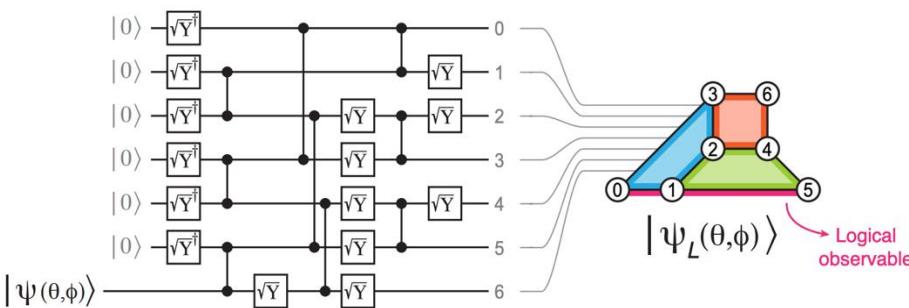
**Quantum error correction:** correct both X and Z errors without destroying the encoded qubit.



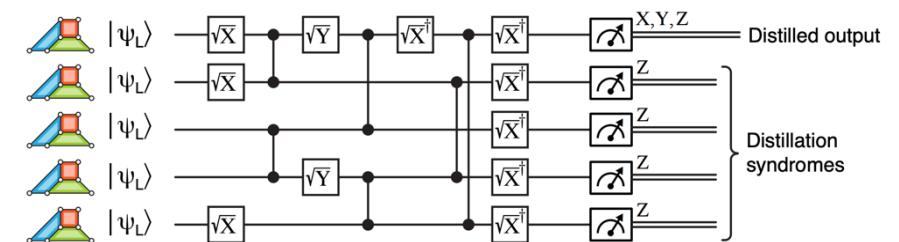
# Logical operations example



State prep: magic state injection



Algorithmic primitive: magic state distillation



# Get ready!

---

A new foe has appeared!

## **QuEra Technical Challenge – Noise, Geometry, and Fault Tolerance**

Explore how real-world hardware constraints, noise, and geometry shape the performance of quantum circuits, and discover how clever design choices can dramatically change outcomes on neutral-atom platforms.

## **QuEra Creators' Challenge – Visualizing Quantum Motion**

Turn quantum computation into motion, geometry, and story by crafting compelling visual narratives that reveal how algorithms and hardware interact inside a neutral-atom quantum computer.