## STATISTICAL RETHINKING WINTER 2024 HOMEWORK, WEEK 1

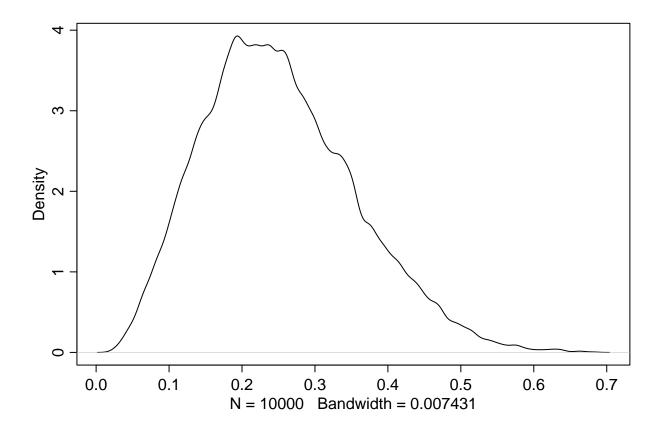
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## Problem 1

Suppose the globe tossing data (Lecture 2, Chapter 2) had turned out to be 3 water and 11 land. Construct the posterior distribution.

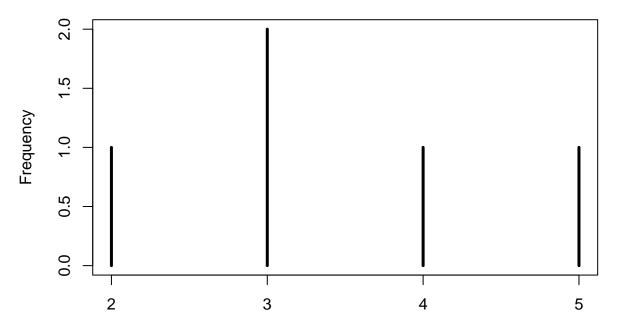
```
n_water <- 3
n_land <- 11
n <- n_water + n_land</pre>
## define grid
p_grid \leftarrow seq(from = 0, to = 1, length.out = 500)
# define prior
prior <- rep(1,500)</pre>
# compute likelihood at each value in grid
likelihood <- dbinom(n_water, size = n , prob = p_grid)</pre>
# compute product of likelihood and prior
unstd.posterior <- likelihood * prior</pre>
# standardize the posterior
posterior <- unstd.posterior / sum(unstd.posterior)</pre>
# sampling method
samples <- sample(p_grid, prob = posterior, size = 1e4, replace = T)</pre>
# plot
dens(samples)
```



## Problem 2

Using the posterior distribution from 1, compute the posterior predictive distribution for the next 5 tosses of the same globe. I recommend you use the sampling method.

```
# number of water in the next 5 tosses
set.seed(111)
w <- rbinom(5, size = n, prob = samples)
simplehist(w, xlab = 'number of water in the next 5 tosses')</pre>
```



number of water in the next 5 tosses