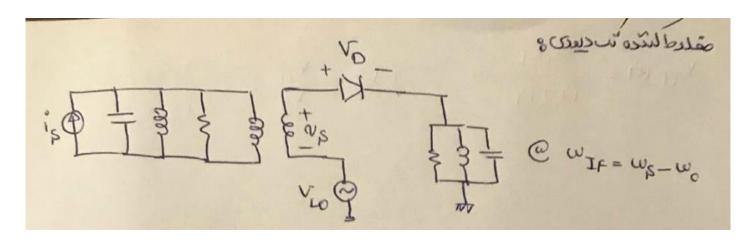
مدار های مخابراتی

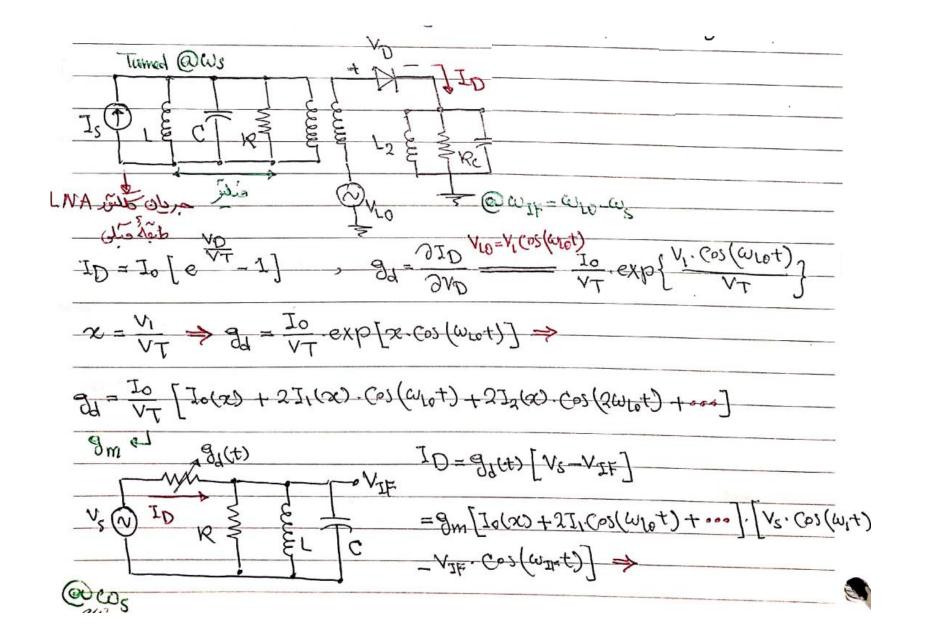
حل تمرین دکتر اسدی نسرین کریمی – مهدی یادگاری دانشگاه شهید بهشتی – آبان ماه ۱۴۰۰

مخلوط كننده تك ديودي

- ✔ تحقق میکسر بدون وجود عنصر غیر خطی میسر نیست.
- ✔ ساده ترین عنصر غیرخطی از بین ادوات نیمه هادی دیود است.



- ✓ دو ورودی: سیگنال اسیلاتور محلی + سیگنال RF ای که از منبع Is گرفته می شود.
- ✓ علت وجود فیلتر bandpass در ورودی: احیانا Aبک درصورت وجود هارمونیک ها، تنها ws در RF را عبور می دهد.
 - √ وجود ترانسفورماتور به دلیل ایزولاسیون بین سیگنال محلی ساز و RF. (بصورت مستقیم به هم متصل نیستند.)



$$ID = [g_{0} + 2g_{1} \cos(\omega_{0}t) + 2g_{1} \cos(2\omega_{0}t) + \cdots][V_{5} \cos(\omega_{1}t) - V_{1}_{5} \cos(\omega_{1}t)]$$

$$= g_{0} V_{5} \cdot \cos(\omega_{5}t) + 2g_{1}V_{5} \cdot \cos(\omega_{5}t) \cdot \cos(\omega_{1}t) - g_{0}V_{1}_{5} \cdot \cos(\omega_{1}t) - \omega_{5})t$$

$$-2g_{1}V_{1}_{5} \cdot \cos(\omega_{1}t) + \cos(\omega_{1}t) - \omega_{5}t + \cdots \Rightarrow$$

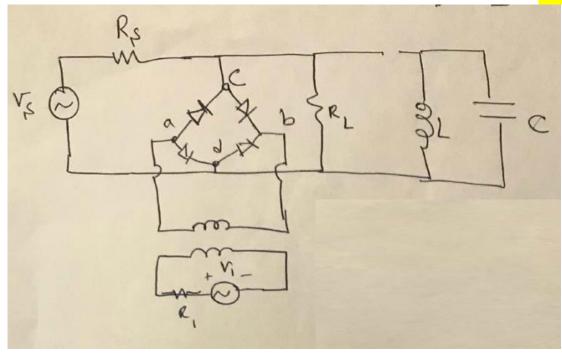
$$ID = g_{1}V_{5} \cdot \cos(\omega_{1}t) - g_{0}V_{1}_{5} \cdot \cos(\omega_{1}t) - \omega_{5}t \Rightarrow$$

$$V_{1}_{5}(t) = [g_{1}V_{5} \cdot R_{1} - g_{0}V_{1}_{5}(t) \cdot R_{1}] \cdot (\cos(\omega_{1}t) - \omega_{5})t \Rightarrow$$

$$V_{1}_{5}(t) = [g_{1}V_{5} \cdot R_{1} - g_{0}V_{1}_{5}(t) \cdot R_{1}] \cdot (\cos(\omega_{1}t) - \omega_{5})t \Rightarrow$$

$$V_{1}_{5}(t) = [g_{1}V_{5} \cdot R_{1} - g_{0}V_{1}_{5}(t) \cdot R_{1}] \cdot (\cos(\omega_{1}t) + \cos(\omega_{1}t) + \cos$$

مخلوط كننده متوازن ديودي



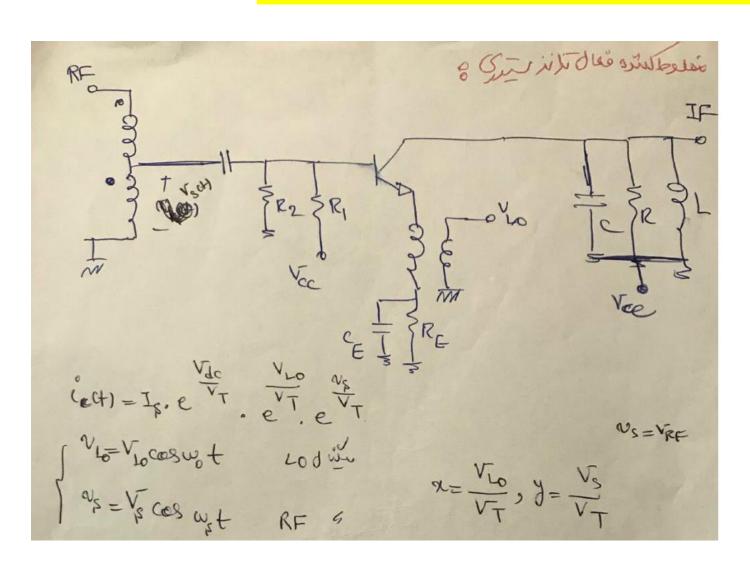
a>b : Diode ON a<b : Diode OFF

$$8 (48+1) = \frac{1}{2} + \sum_{n=1}^{\infty} \frac{s_{in} \frac{n\pi}{2}}{\frac{n\pi}{2}} (\omega s_{nw} t)$$

$$- v_{o} = \frac{R_{L}}{R_{L} + R_{S}} \cdot s_{ch} \cdot v_{s} \cos w_{s} t$$

$$- v_{o} = \frac{R_{L}}{R_{L} + R_{S}} \cdot v_{s} \cos w_{s} t \times \sqrt{\frac{1}{2} + \frac{2}{\pi} \cos w_{o} t - \frac{2}{3\pi} \cos s w_{o} t + \cdots}$$

مخلوط كننده فعال ترانزيستوري



$$(e)_{z} = I_{s} \cdot e^{\frac{V_{dc}}{V_{T}}} \left[I_{(N)} 2 \sum_{n=1}^{\infty} I_{n(N)} \cos nw_{s} + J \cdot \left[I_{s}(y) + 2 \sum_{m=1}^{\infty} I_{n(y)} \cos nw_{s} + J \right] \right]$$

$$(e)_{c}(t) = I_{s} \cdot e^{\frac{V_{dc}}{V_{T}}} \cdot I_{o}(y) \cdot I_{o}(y) \left[1 + 2 \sum_{n=1}^{\infty} \frac{I_{n(y)}}{I_{o}(y)} \cos nw_{s} + J \right]$$

$$I_{de} \quad \left[1 + 2 \sum_{m=1}^{\infty} \frac{I_{n(y)}}{I_{o}(y)} \cos nw_{s} + J \right]$$

$$(e)_{e}(t) = I_{dc} \left[1 + 4 \frac{I_{1}(x)}{I_{o}(x)} \frac{I_{1}(y)}{I_{o}(y)} \cos nw_{s} + \cos nw_{s} + J \right]$$

$$(e)_{e}(t) = I_{dc} \left[1 + 4 \frac{I_{1}(x)}{I_{o}(x)} \frac{I_{1}(y)}{I_{o}(y)} \cos nw_{s} + \cos nw_{s} + J \right]$$

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$$(f)_{e}(t) = I_{dc} \left[1 + 4 \frac{I_{1}(x)}{I_{o}(x)} \frac{I_{1}(y)}{I_{o}(y)} \cos nw_{s} + \cos nw_{s} + J \right]$$

$$(f)_{e}(t) = I_{dc} \left[1 + 4 \frac{I_{1}(x)}{I_{o}(x)} \frac{I_{1}(y)}{I_{o}(y)} \cos nw_{s} + \cos nw_{s} + J \right]$$

$$(f)_{e}(t) = I_{dc} \left[1 + 4 \frac{I_{1}(x)}{I_{o}(x)} \frac{I_{1}(y)}{I_{o}(y)} \cos nw_{s} + \cos nw_{s} + J \right]$$

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$$(f)_{e}(t) = I_{dc} \left[1 + 4 \frac{I_{1}(x)}{I_{0}(x)} \frac{I_{1}(x)}{I_{0}(x)} \cos nw_{$$

$$I_{dc} = I_{S} \cdot e^{\frac{V_{dc}}{V_{T}}} \cdot I_{c}(y) \cdot I_{c}(x)$$

$$I_{RF} = 2 I_{dc} \frac{I_{l}(y)}{I_{c}(y)} \stackrel{\sim}{=} y I_{dc} = g_{m} v_{RF} \quad , y = \frac{V_{RF}}{V_{T}} \quad , g_{m} = \frac{I_{dc}}{V_{T}}$$

$$I_{LO} = 2 I_{dc} \frac{I_{l}(y)}{I_{c}(x)} = V_{LO} \cdot g_{m} \cdot \frac{2I_{l}(y)}{xI_{c}(x)} \quad , \quad x = \frac{V_{LO}}{V_{T}} \quad , g_{m} = \frac{I_{dc}}{V_{T}}$$

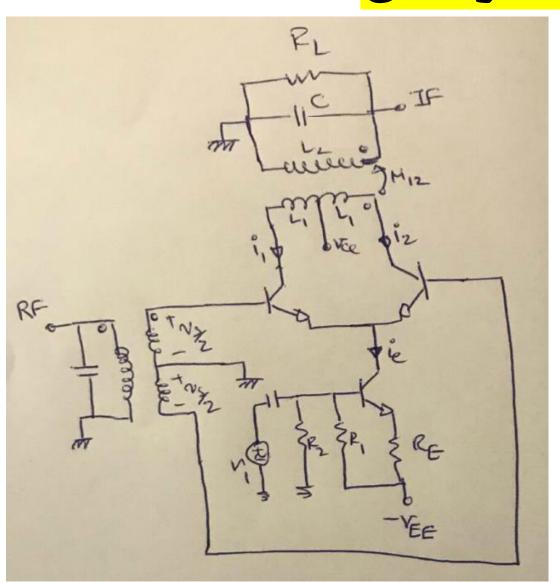
$$I_{T} = 2 I_{dc} \frac{I_{l}(x)}{I_{c}(x)} \cdot \frac{I_{l}(y)}{I_{c}(y)} \stackrel{\sim}{\simeq} y I_{dc} \frac{I_{l}(y)}{I_{c}(y)}$$

$$g_{c} = \frac{I_{LF}}{V_{RF}} = y I_{dc} \cdot \frac{I_{l}(y)}{I_{c}(y)} \cdot \frac{1}{V_{RF}} = \frac{V_{RF}}{V_{T}} \cdot \frac{1}{J_{c}(y)} \cdot \frac{1}{V_{RF}}$$

$$P_{C} = g_{m} \cdot \frac{I_{l}(y)}{I_{c}(y)}$$

$$P_{C} = g_{m} \cdot \frac{I_{l}(y)}{I_{c}(y)} \cdot \frac{1}{V_{RF}} \cdot R_{L} \cdot cos (w_{S} - w_{O}) + \frac{1}{V_{C}} \cdot \frac{1}{V_{C}}$$

مخلوط كننده ديفرانسيل



$$i_{e} = I_{e_0} + C_1 v_1 \cos w_0 t \quad , \quad I_{e_0} \cong \frac{V_{e_0} - V_{e_0}}{R_{e_0}}$$

$$C_1 = \frac{1}{R_{e_0} + \frac{1}{3}i_n} \quad - b C_1 \cong \frac{1}{R_{e_0}}$$

$$i_{out} = i_1 - i_2 = i_e t gh(\frac{x}{2})$$

$$i_{out} = (I_{e_0} + C_1 V_1 \cos w_0 t)(a_1(x) \cos w_0 t + c u_3(x))\cos 3w_0 t + \dots)$$

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