

INTERMEDIATE CODE REPRESENTATIONS

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- Syntax Tree
- Postfix notation
- Three Address Code
- DAG- Directed Acyclic Graph.

Parse Tree

Grammar

$E \rightarrow E + T$

$E \rightarrow E - T$

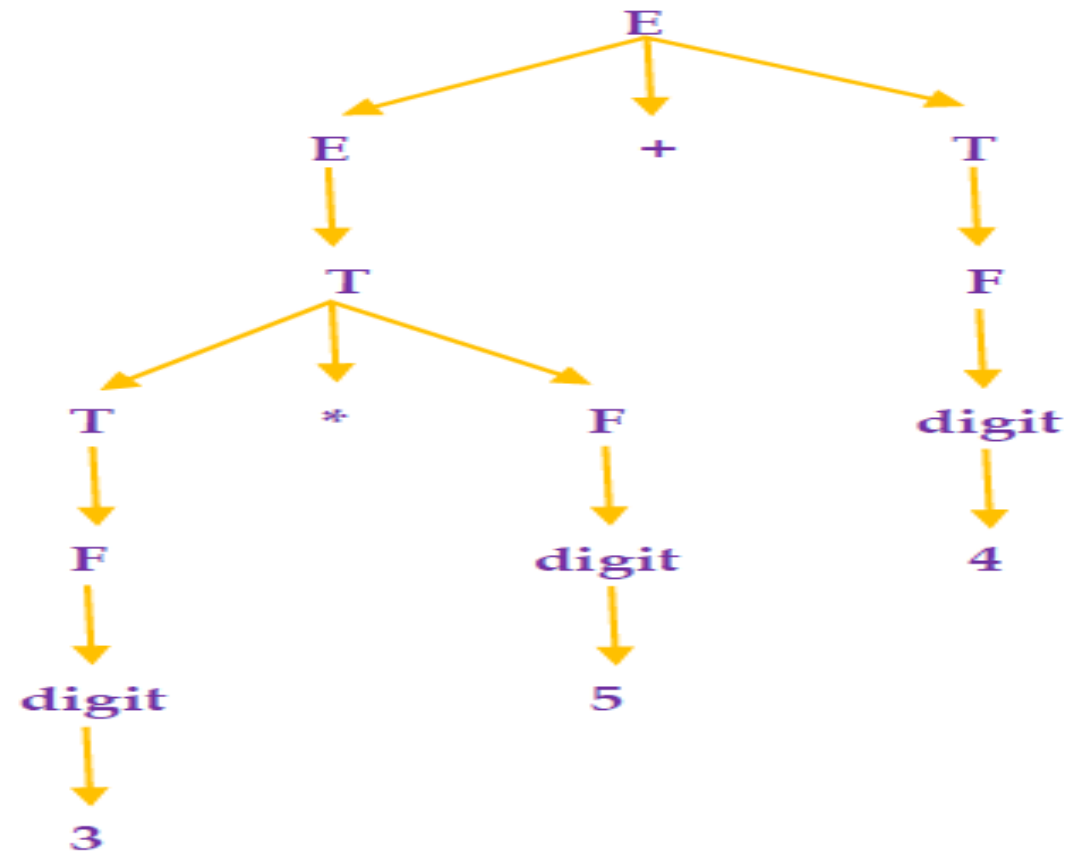
$E \rightarrow T$

$T \rightarrow T * F$

$T \rightarrow F$

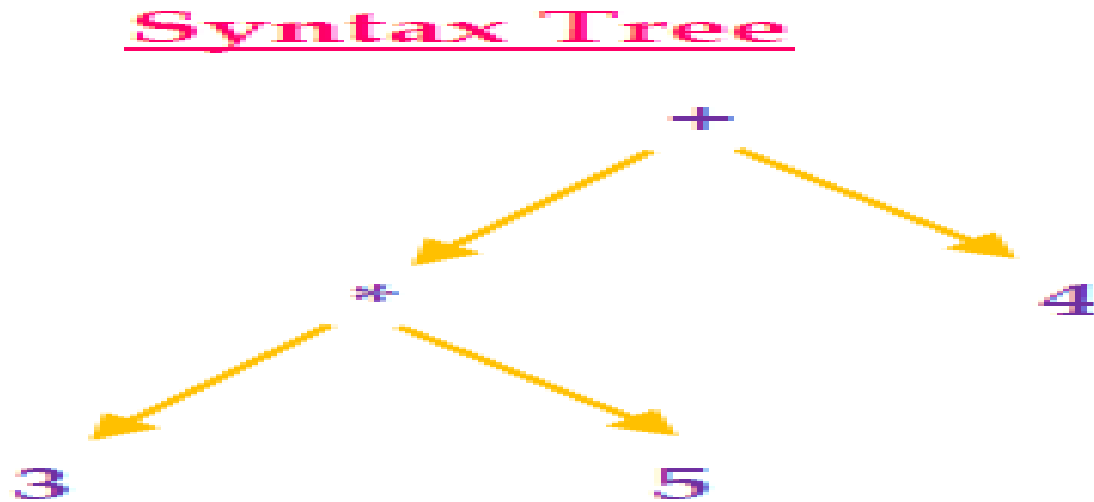
$F \rightarrow \text{digit}$

Parse Tree



Syntax Tree Or Abstract Syntax Tree(AST)

- syntax tree for $3 * 5 + 4$



POSTFIX NOTATION

1. If E is a variable, eg: 2 then the postfix notation for E is E or 2 itself.
2. If E is an expression of the form $E_1 \text{ op } E_2$ then postfix notation for E is $E_1 E_2 \text{ op}$
3. If E is an expression of the form $(E * F)$, then the postfix notation for E is the same as the postfix notation for EF^* .
4. For unary operation $-E$ the postfix is $E-$

Ex: postfix notation for $9 - (5 + 2)$ is $952+-$

Postfix notation of an infix expression can be obtained using stack

POSTFIX NOTATION

(A+B/C*(D+E)-F)			
Symbol	Stack	Postfix	
((//Push
A	(A	//Added to postfix expression
+	(+		//Push
B	(+	AB	//Added to postfix expression
/	(+/		> precedence than + so added to stack
C	(+/	ABC	//Added to postfix expression
*	(+*	ABC/	// = precedence remove / from stack
((+*(
D	(+*(ABC/D	//Added to postfix expression
+	(+*(+		//Push
E	(+*(+	ABC/DE	//Added to postfix expression
)	(+*	ABC/DE+	// closing bracket remove+
-	(-	ABC/DE+*+	// * have >precedence than -, -&+ equal precedence
F	(-	ABC/DE+*+F	//Added to postfix expression
)		ABC/DE+*+F-	// closing bracket remove -

THREE ADDRESS CODE

- ❑ Intermediate code can be represented by means of three address statements.
- ❑ Atmost three addresses are used to represent any three address statement & only one operator on the right hand side.
- ❑ $x = y * z$
- ❑ x, y, z are the 3 addresses used here, these operands can be names, constants or compiler generated temporaries.
- ❑ $t_2 = x + t_1$
- ❑ t_2, t_1 are compiler generated temporaries.

Implementation of Three Address Statements

□ QUADRUPLES

□ TRIPLES

Translate the following expression to quadruple triple and indirect triple

□Q: $a + b * c \mid e \wedge f + b * a$

□Three Address Code(1. () 2. \wedge 3. $*$, $/$ 4. $+$, $-$)from left to right.

1. $t1 = e \wedge f$

2. $t2 = b * c$

3. $t3 = t2 / t1$

4. $t4 = b * a$

5. $t5 = a + t3$

6. $t6 = t5 + t4$

QUADRUPLES

- ❑ A quadruple is a record structure with four fields, which are *op*, *arg1*, *arg2* and *result*.
- ❑ The three address statement $\mathbf{x} = \mathbf{y} * \mathbf{z}$ is represented by placing *y* in *arg1*, *z* in *arg2* and *x* in *result* and operator is ***.
- ❑ Uses large no: of temporary variables, each temporary variables has its entry in symbol table.

QUADRUPLES

Location	OP	arg1	arg2	Result
(0)	\wedge	e	f	t1
(1)	*	b	c	t2
(2)	/	t2	t1	t3
(3)	*	b	a	t4
(4)	+	a	t3	t5
(5)	+	t3	t4	t6

QUADRUPLES

❑ Advantages

1. direct access of the location for temporaries by means of symbol table.
2. statements can often move around which makes optimization easier, for example if we move a statement computing **x**, the statement using **x** requires no change.

❑ Disadvantages

1. Large amount memory wastage.

TRIPLES

- ❑ In triples representation, the use of temporary variables is avoided & instead reference to instructions are made.
- ❑ So three address statements can be represented by records with only three fields OP, arg1 & arg2.

Location	OP	Arg1	Arg2
(0)	^	e	f
(1)	*	b	c
(2)	/	(1)	(0)
(3)	*	b	a
(4)	+	a	(2)
(5)	+	(2)	(3)

TRIPLES

- Advantages
 1. No need to use temporary variable which saves memory as well as time.
- Disadvantages
 1. Triple representation is difficult to use for optimizing compilers, for statement shuffling cannot be done.

Q: Translate the following expression to quadruple triples and Postfix notation & syntax tree

- $a = b * -c + b * -c$
- TAC
- $t1 = \text{uniminus } c$
- $t2 = b * t1$
- $t3 = \text{uniminus } c$
- $t4 = b * t3$
- $t5 = t2 + t4$
- $a = t5$

Translate the following expression to quadruple triples and Postfix notation & syntax tree

- QUADRUPLES

Location	OP	Arg1	Arg2	Result
(0)	Unary minus	c		T1
(1)	*	b	T1	T2
(2)	Unary minus	c		T3
(3)	*	b	T3	T4
(4)	+	T2	T4	T5
(5)	=	T5		a

Translate the following expression to quadruple triples and Postfix notation & syntax tree

- TRIPLES

Location	OP	Arg1	Arg2
(0)	Unary minus	c	
(1)	*	b	(0)
(2)	Unary minus	c	
(3)	*	b	(2)
(4)	+	(1)	(3)
(5)	=	a	(4)