Compute performance metrics for the given Y and Y_score without sklearn

In [1]:

```
import numpy as np
import pandas as pd
# other than these two you should not import any other packages
```

A. Compute performance metrics for the given data 5_a.csv

Note 1: in this data you can see number of positive points >> number of negatives points

Note 2: use pandas or numpy to read the data from 5 a.csv

Note 3: you need to derive the class labels from given score

\$y^{pred}= \text{[0 if y_score < 0.5 else 1]}\$</pre>

- 1. Compute Confusion Matrix
- 2. Compute F1 Score
- 3. Compute AUC Score, you need to compute different thresholds and for each threshold compute tetpr, fpr and then use numpy.trapz(tpr_array, fpr_array) https://stackoverflow.com/q/53603376/4084039, https://stackoverflow.com/a/39678975/4084039 Note: it should be numpy.trapz(tpr array, fpr array) not numpy.trapz(fpr array, tpr array)
- 4. Compute Accuracy Score

In [2]:

```
# write your code here
data = pd.read_csv('5_a.csv')
print(data.shape)
data.head(3)
```

(10100, 2)

Out[2]:

	у	proba
0	1.0	0.637387
1	1.0	0.635165
2	1.0	0.766586

In [3]:

```
data['y_pred'] = (data.proba>=0.5).map({True:1,False:0})
print(data['y_pred'].value_counts())
data.head(3)
```

```
1 10100
```

Name: y_pred, dtype: int64

	у	proba	y_pred
0	1.0	0.637387	1
1	1.0	0.635165	1
2	1.0	0.766586	1

In [4]:

```
# 1. Confusion Matrix calculation
tn = ((data['y']==0) & (data['y_pred']==0)).sum()
fn = ((data['y']==1) & (data['y_pred']==0)).sum()
fp = ((data['y']==0) & (data['y_pred']==1)).sum()
tp = ((data['y']==1) & (data['y_pred']==1)).sum()

confusion_matrix = np.array([[tn,fn],[fp,tp]])
print(confusion_matrix)

[[ 0     0]
     [ 100 10000]]
```

In [5]:

```
# 2. F1-Score calcuation
precision = tp/(tp+fp)
recall = tp/(tp+fn)
f1_score = 2*(precision*recall/(precision+recall))
print(f1_score)
```

0.9950248756218906

In [6]:

```
# 4. Accuracy score calculation
accuracy_score = (tn+tp)/(tn+fn+fp+tp)
print(accuracy_score)
```

0.9900990099009901

In [7]:

```
def calc_auc(y_true, y_score):
    desc_score_indices = np.argsort(y_score)[::-1]
    y_score = y_score[desc_score_indices]
    y_true = y_true[desc_score_indices]

    distinct_indices = np.where(np.diff(y_score))[0]
    end = np.array([y_true.size - 1])
    threshold_indices = np.hstack((distinct_indices, end))

    thresholds = y_score[threshold_indices]
    tps = np.cumsum(y_true)[threshold_indices]

    fps = (1 + threshold_indices) - tps

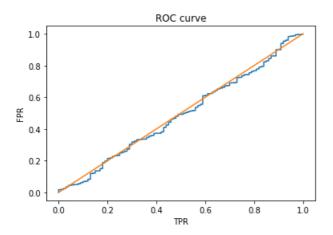
    return(tps, fps, thresholds)
```

In [9]:

```
import matplotlib.pyplot as plt
tps, fps, thresholds = calc_auc(np.array(data['y']),np.array(data['proba']))
tpr = np.hstack((0,tps/tps[-1]))
fpr = np.hstack((0,fps/fps[-1]))
```

```
auc_score = np.trapz(tpr,fpr)
print(auc_score)
plt.plot(fpr, tpr)
plt.plot((0.0,1.0),(0.0,1.0))
plt.xlabel('TPR')
plt.ylabel('FPR')
plt.title('ROC curve')
plt.show()
```

0.48829900000000004

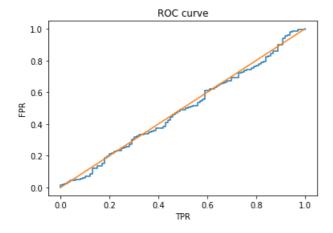


In [10]:

```
#Comparison with sklearn
from sklearn import metrics
fpr, tpr, thresholds = metrics.roc_curve(data['y'], data['proba'])
auc_score = metrics.roc_auc_score(data['y'], data['proba'])
print(auc_score)

plt.plot(fpr, tpr)
plt.plot((0.0,1.0),(0.0,1.0))
plt.xlabel('TPR')
plt.ylabel('FPR')
plt.title('ROC curve')
plt.show()
```

0.48829900000000004



B. Compute performance metrics for the given data **5_b.csv**

Note 1: in this data you can see number of positive points << number of negatives points

Note 2: use pandas or numpy to read the data from ${\bf 5_b.csv}$

Note 3: you need to derive the class labels from given score

$y^{pred} = \text{text}[0 \text{ if } y \text{ score} < 0.5 \text{ else } 1]}$

- 1. Compute Confusion Matrix
- 2. Compute F1 Score
- 3. Compute AUC Score, you need to compute different thresholds and for each threshold compute tetpr,fpr and then use numpy.trapz(tpr_array, fpr_array) https://stackoverflow.com/q/53603376/4084039, https://stackoverflow.com/a/39678975/4084039
- 4. Compute Accuracy Score

In [11]:

```
# write your code here
data = pd.read_csv('5_b.csv')
print(data.shape)
data.head(3)
```

(10100, 2)

Out[11]:

	у	proba
0	0.0	0.281035
1	0.0	0.465152
2	0.0	0.352793

In [12]:

```
data['y_pred'] = (data.proba>=0.5).map({True:1,False:0})
print(data['y_pred'].value_counts())
data.head(3)
```

0 9806

294

Name: y_pred, dtype: int64

Out[12]:

	у	proba	y_pred
0	0.0	0.281035	0
1	0.0	0.465152	0
2	0.0	0.352793	0

In [13]:

```
# 1. Confusion Matrix calculation
tn = ((data['y']==0) & (data['y_pred']==0)).sum()
fn = ((data['y']==1) & (data['y_pred']==0)).sum()
fp = ((data['y']==0) & (data['y_pred']==1)).sum()
tp = ((data['y']==1) & (data['y_pred']==1)).sum()
confusion_matrix = np.array([[tn,fn],[fp,tp]])
print(confusion_matrix)
```

```
[[9761 45]
[ 239 55]]
```

In [14]:

```
# 2. F1-Score calcuation
precision = tp/(tp+fp)
recall = tp/(tp+fn)
f1_score = 2*(precision*recall/(precision+recall))
print(f1_score)
```

0.2791878172588833

In [15]:

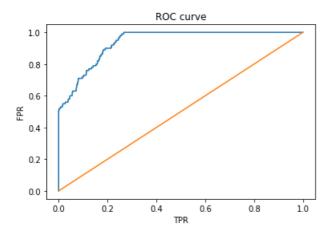
```
# 4. Accuracy score calculation
accuracy_score = (tn+tp)/(tn+fn+fp+tp)
print(accuracy_score)
```

0.9718811881188119

In [16]:

```
tps,fps,threshold = calc_auc(np.array(data['y']),np.array(data['proba']))
fpr = np.hstack((0,fps/fps[-1]))
tpr = np.hstack((0,tps/tps[-1]))
auc_score = np.trapz(tpr,fpr)
print(auc_score)
plt.plot(fpr, tpr)
plt.plot((0.0,1.0),(0.0,1.0))
plt.xlabel('TPR')
plt.ylabel('FPR')
plt.title('ROC curve')
plt.show()
```

0.9377570000000001



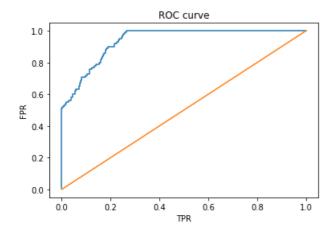
In [17]:

```
#Comparison with sklearn
fpr, tpr, thresholds = metrics.roc_curve(data['y'], data['proba'])
auc_score = metrics.roc_auc_score(data['y'], data['proba'])
print(auc_score)

plt.plot(fpr, tpr)
plt.plot((0.0,1.0), (0.0,1.0))
plt.xlabel('TPR')
plt.vlabel('FPR')
```

```
plt.title('ROC curve')
plt.show()
```

0.9377570000000001



C. Compute the best threshold (similarly to ROC curve computation) of probability which gives lowest values of metric **A** for the given data **5_c.csv**

you will be predicting label of a data points like this: \$y^{pred}= \text{[0 if y_score < threshold else 1]}\$

\$ A = 500 \times \text{number of false negative} + 100 \times \text{numebr of false positive}\$

Note 1: in this data you can see number of negative points > number of positive points

Note 2: use pandas or numpy to read the data from 5 c.csv

In [18]:

```
data = pd.read_csv('5_c.csv')
print(data.shape)
data.head(3)
```

(2852, 2)

Out[18]:

	у	prob
0	0	0.458521
1	0	0.505037
2	0	0.418652

In [19]:

```
data['y_pred'] = (data.prob>=0.5).map({True:1,False:0})
print(data['y_pred'].value_counts())
data.head(3)
```

0 2099 1 753

Name: y_pred, dtype: int64

Out[19]:

у	prob	y_pred
,	p. 0.2	J_P

0	ŷ	0.45 β521 5	9_pred
1	0	0.505037	1
2	0	0.418652	0

In [20]:

```
tn = ((data['y']==0)&(data['y_pred']==0)).sum()
fn = ((data['y']==1)&(data['y_pred']==0)).sum()
fp = ((data['y']==0)&(data['y_pred']==1)).sum()
tp = ((data['y']==1)&(data['y_pred']==1)).sum()

confusion_matrix = np.array([[tn,fn],[fp,tp]])
A = 500*fn+100*fp
print(confusion_matrix)
print('A = ',A)
[[1637 462]
[ 168 585]]
A = 247800
```

In [21]:

```
def calc_A(y_true, y_score):
   min A = 1000000
    desc_score_indices = np.argsort(y_score)[::-1]
    y_score = y_score[desc_score_indices]
    y true = y true[desc score indices]
    distinct_indices = np.where(np.diff(y_score))[0]
    end = np.array([y true.size - 1])
    threshold_indices = np.hstack((distinct_indices, end))
    thresholds = y_score[threshold_indices]
    for threshold in thresholds:
        tn = ((y true==0) & (y score<threshold)).sum()</pre>
        fn = ((y true==1) & (y score<threshold)).sum()</pre>
        fp = ((y_true==0) & (y_score>=threshold)).sum()
        tp = ((y_true==1) & (y_score>=threshold)).sum()
        A = 500*fn + 100*fp
        if A<min_A:</pre>
            min A = A
            min_threshold = threshold
    return (min_threshold)
```

In [22]:

```
threshold = calc_A(np.array(data['y']),np.array(data['prob']))
print('Required Threshold = ',threshold)
```

Required Threshold = 0.2300390278970873

- ${\tt D.}$ Compute performance metrics(for regression) for the given data ${\tt 5_d.csv}$
 - Note 2: use pandas or numpy to read the data from ${\bf 5_d.csv}$
 - Note 1: $5_d.csv$ will having two columns Y and predicted_Y both are real valued features
- 1. Compute Mean Square Error
- 2. Compute MAPE: https://www.youtube.com/watch?v=ly6ztgIkUxk
- 3. Compute R^2 error: https://en.wikipedia.org/wiki/Coefficient of determination#Definition

In [23]:

```
data = pd.read_csv('5_d.csv')
print(data.shape)
data.head(3)
```

(157200, 2)

Out[23]:

	у	pred
0	101.0	100.0
1	120.0	100.0
2	131.0	113.0

In [24]:

```
#Mean Square Error Calculation
mse = ((data['y']-data['pred'])**2).sum()
print('Mean Square Error: ',mse/data.shape[0])
```

Mean Square Error: 177.16569974554707

In [25]:

```
#Mean absolute percentage error calculation
mape = abs(data['y']-data['pred']).sum()/data['y'].sum()
print('Mean Absolute Percentage Error: ',mape)
```

Mean Absolute Percentage Error: 0.1291202994009687

In [26]:

```
#R2-Score calculation
SS_tot = ((data['y']-data['y'].mean())**2).sum()
SS_res = ((data['y']-data['pred'])**2).sum()
R2_Score = 1 - (SS_res/SS_tot)
print('R2-Score = ',R2_Score)
```

R2-Score = 0.9563582786990937