# ADVANCED ENCRYPTION STANDARD (AES)

A TERM PROJECT

Submitted by

# ARNAB DAS (CRS2109) SUTIRTHA GHOSH (CRS2114)

Under the supervision of

Prof. Subhamoy Maitra, ISI Kolkata



#### CRYPTOLOGY AND SECURITY

INDIAN STATISTICAL INSTITUTE 203 B.T Road, Kolkata 700108

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Place: Kolkata

Arnab Das

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Sutirtha Ghosh

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#### INTRODUCTION

### 1.1 History of AES

In 1997 NIST called for proposals for a new Advanced Encryption Standard (AES). Unlike the DES development, the selection of the algorithm for AES was an open process administered by NIST. In three subsequent AES evaluation rounds, NIST and the international scientific community discussed the advantages and disadvantages of the submitted ciphers and narrowed down the number of potential candidates. In 2001, NIST declared the block cipher Rijndael as the new AES and published it as a final standard (FIPS PUB 197). Rijndael was designed by two young Belgian cryptographers.

The invitation for submitting suitable algorithms and the subsequent evaluation of the successor of DES was a public process. A compact chronology of the AES selection process is given here:

- The need for a new block cipher was announced on January 2, 1997, by NIST.
- A formal call for AES was announced on September 12, 1997.
- Fifteen candidate algorithms were submitted by researchers from several countries by August 20, 1998.
- On August 9, 1999, five finalist algorithms were announced.
- On October 2, 2000, NIST announced that it had chosen Rijndael as the AES.
- On November 26, 2001, AES was formally approved as a US federal standard.

It is expected that AES will be the dominant symmetric-key algorithm for many commercial applications for the next few decades. It is also remarkable that in 2003 the US National Security Agency (NSA) announced that it allows AES to encrypt classified documents up to the level SECRET for all key lengths, and up to the TOP SECRET level for key lengths of either 192 or 256 bits. Prior to that date, only non-public algorithms had been used for the encryption of classified documents.[?]

#### Internal Structure of AES

### 2.1 Key length of AES

The AES cipher is almost identical to the block cipher Rijndael. The Rijndael block and key size vary between 128, 192 and 256 bits. However, the AES standard only calls for a block size of 128 bits. The number of internal rounds of the cipher is a function of the key length according to Table 1.1

Table 2.1: key length and round table

key length	# of rounds
128 bit	10
192 bit	12
256	14

# 2.2 Layers of AES

AES consists of so-called layers. Each layer manipulates all 128 bits of the data path. There are only three different types of layers. Each round, with the exception of the first, consists of all three layers as shown in Fig. 2.1: the plaintext is denoted as x, the ciphertext as y and the number of rounds as nr. Moreover, the last round nr does not make use of the *MixColumn* transformation, which makes the encryption and decryption scheme symmetric.

This is a brief description of layers:

**Key Addition Layer** A 128-bit round key, or subkey, which has been derived from the main key in the key schedule, is XORed to the state.

Byte Substitution Layer(S-Box)Each element of the state is nonlinearly transformed using lookup tables with special mathematical properties. This introduces confusion to the data, i.e., it assures that changes in individual state bits propagate quickly across the data path.

**Diffusion layer** It provides diffusion over all state bits. It consists of two sublayers, both of which perform linear operations:

- The *ShiftRows* layer permutes the data on a byte level.
- ullet The MixColumn layer is a matrix operation which combines (mixes) blocks of four bytes.

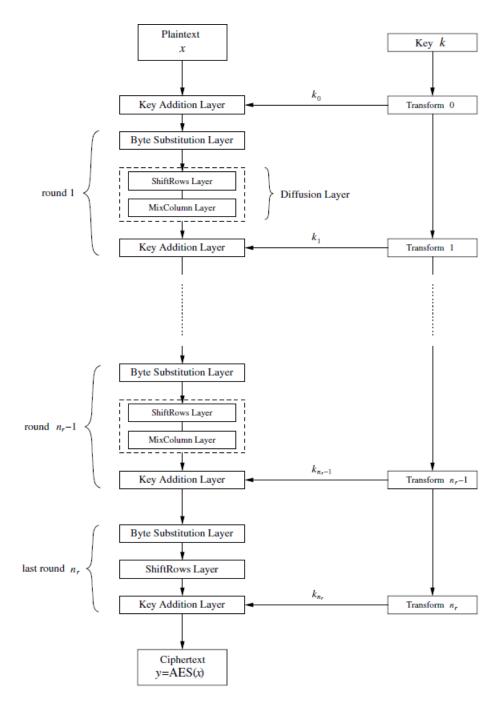


Figure 2.1: AES encryption block diagram

### **AES Encrypton**

# 3.1 Single Round AES

In AES size of input block size is 128 bits and it is divided into 16 bytes  $A_0, A_1, ..., A_{15}$  16 \* 8 = 128 bits and that input is fed byte-wise in S-Box as in Fig 3.1. In order to understand how the data moves through AES, we first imagine that the state A (i.e., the 128-bit data path) consisting of 16 bytes  $A_0, A_1, ..., A_{15}$  is arranged in a four-by-four byte matrix:

$$\begin{bmatrix} A_0 & A_4 & A_8 & A_{12} \\ A_1 & A_5 & A_9 & A_{13} \\ A_2 & A_6 & A_{10} & A_{14} \\ A_3 & A_7 & A_{11} & A_{15} \end{bmatrix}$$

AES operates on elements, columns or rows of the current state matrix. Similarly, the key bytes are arranged into a matrix with four rows and four (128-bit key), six (192-bit key) or eight (256-bit key) columns.

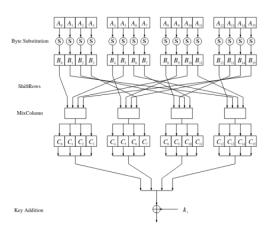


Figure 3.1: AES round function for rounds  $1, 2, ..., n_r - 1$ 

#### 3.1.1 Byte Substitution Layer

The first layer in each round is the *Byte Substitution layer*. In the layer, each state byte  $A_i$  is replaced, i.e., substituted, by another byte  $B_i$ :  $S(A_i) = B_i$ .

Each S-Box in AES is identical and in software implementations the S-Box is usually realized as a 256-by-8 bit lookup table with fixed entries, as given in Figure 3.2

		ν															
		0	1	2	3	4	5	6	7	8	9	Α	В	C	D	E	F
	0	63	7C	77	7B	F2	6B	6F	C5	30	01	67	2B	FΕ	D7	AB	76
	1	CA	82	C9	7D	FA	59	47	F0	AD	D4	A2	AF	9C	A4	72	C0
	2	B7	FD	93	26	36	3F	F7	CC	34	A5	E5	F1	71	D8	31	15
	3	04	C7	23	C3	18	96	05	9A	07	12	80	E2	EB	27	B2	75
	4	09	83	2C	1A	1B	6E	5A	A0	52	3B	D6	B3	29	E3	2F	84
	5	53	D1	00	ED	20	FC	B1	5B	6A	CB	BE	39	4A	4C	58	CF
	6	D0	EF	AA	FB	43	4D	33	85	45	F9	02	7F	50	3C	9F	A8
	7	51	A3	40	8F	92	9D	38	F5	BC	<b>B6</b>	DA	21	10	FF	F3	D2
$\boldsymbol{x}$	8	CD	0C	13	EC	5F	97	44	17	C4	A7	7E	3D	64	5D	19	73
	9	60	81	4F	DC	22	2A	90	88	46	EE	<b>B8</b>	14	DE	5E	0B	DB
	Α	E0	32	3A	0A	49	06	24	5C	C2	D3	AC	62	91	95	E4	79
	В	E7	C8	37	6D	8D	D5	4E	A9	6C	56	F4	EA	65	7A	AE	08
	C	BA	78	25	2E	1C	A6	B4	C6	E8	DD	74	1F	4B	BD	8B	8A
	D	70	3E	B5	66	48	03	F6	0E	61	35	57	B9	86	C1	1D	9E
	Е	E1	F8	98	11	69	D9	8E	94	9B	1E	87	E9	CE	55	28	DF
	F	8C	A1	89	0D	BF	E6	42	68	41	99	2D	0F	B0	54	BB	16

Figure 3.2: AES S-Box: Substitution values in hexadecimal notation for input byte (xy)

As an example if our 8 bits input is  $(11000011)_2$  we will divide into two 4-bits number and convert it into hexadecimal number.  $S(11000011)_2 = S(C2)_{hex} = (25)_{hex} = (00100101)_2$ . Row wise we will check at C and column wise at 2.

Analysis of S-Box: An AES S-Box can be viewed as a two-step mathematical transformation (Fig. 3.3).

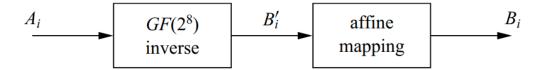


Figure 3.3: The two operations within the AES S-Box which computes the function  $B_i = S(A_i)$ 

The first part of the substitution is a Galois field inversion, the mathematics. For each input element  $A_i$ , the inverse is computed:  $B_i' = A_i^{-1}$  where both  $A_i$  and  $B_i'$  are considered elements in the field  $GF(2^8)$  with the fixed irreducible polynomial  $P(x) = x^8 + x^4 + x^3 + x + 1$ . In our example,  $A_i = (11000010)_2$ , corresponding polynomial is  $A_i(x) = x^7 + x^6 + x$  and since  $B_i' = A_i^{-1}$  so  $B_i'(x) = x^5 + x^3 + x^2 + x + 1 = A_i^{-1}$  as  $A_i(x) \cdot B_i' = 1 \mod P(x)$  in  $GF(2^8)$ .

In the second part of the substitution, each byte  $B'_i$  is multiplied by a constant bit-matrix followed by the addition of a constant 8-bit vector. The operation is described by:

We now apply the  $B'_i$  bit vector as input to the affine transformation. Note that the least significant bit (lsb)  $b_0$  of  $B'_i$  is at the rightmost position. After applying the affine transformation we have  $B_i = (00100101)_2 = (25)_{hex}$  which is exactly as  $(25)_{hex}$  given in fig 3.2.

#### 3.1.2 Diffusion layer

In AES, the Diffusion layer consists of two sublayers, the ShiftRows transformation and the MixColumn transformation. We recall that diffusion is the spreading of the influence of individual bits over the entire state.

#### ShiftRows Sublayer

If the input of the ShiftRows sublayer is given as a state matrix  $B = (B_0, B_1, ...., B_15)$ :

$$\begin{bmatrix} B_0 & B_4 & B_8 & B_{12} \\ B_1 & B_5 & B_9 & B_{13} \\ B_2 & B_6 & B_{10} & B_{14} \\ B_3 & B_7 & B_{11} & B_{15} \end{bmatrix}$$

the output is the new state:

$$\begin{bmatrix} B_0 & B_4 & B_8 & B_{12} \\ B_5 & B_9 & B_{13} & b1 \\ B_{10} & B_{14} & B_2 & B_6 \\ B_{15} & B_3 & B_7 & B_{11} \end{bmatrix}$$

MixColumn Sublayer The MixColumn step is a linear transformation which mixes each column of the state matrix. Since every input byte influences four output bytes, the MixColumn operation is the major diffusion element in AES. The combination of the ShiftRows and MixColumn layer makes it possible that after only three rounds every byte of the state matrix depends on all 16 plaintext bytes. In the following, we denote the 16-byte input state by B and the 16-byte output state by C:

$$MixColumn(B) = C.$$
 (3.1)

$$\begin{bmatrix} C_0 \\ C_1 \\ C_2 \\ C_3 \end{bmatrix} = \begin{bmatrix} 02 & 03 & 01 & 01 \\ 01 & 02 & 03 & 01 \\ 01 & 01 & 02 & 03 \\ 02 & 01 & 01 & 03 \end{bmatrix} \begin{bmatrix} B_0 \\ B_5 \\ B_{10} \\ B_{15} \end{bmatrix}]$$

The second column of output bytes (C4,C5,C6,C7) is computed by multiplying the four input bytes (B4, B9, B14, B3) by the same constant matrix, and so on. Figure 4.3 shows which input bytes are used in each of the four MixColumn operations. Here 01 means the element 1 of the Galois field and 02 means to the polynomial x;03 means to the polynomial x+1.

#### 3.1.3 Key Schedule

The key schedule takes the original input key (of length 128, 192 or 256 bit) and derives the subkeys used in AES. Note that an XOR addition of a subkey is used both at the input and output of AES. This process is sometimes referred to as key whitening. The number of subkeys is equal to the number of rounds plus one, due to the key needed for key whitening in the first key addition layer, cf. Fig. 3.4. Thus, for the key length of 128 bits, the number of rounds is  $n_r = 10$ , and there are 11 subkeys, each of 128 bits. The AES with a 192-bit key requires 13 subkeys of length 128 bits, and AES with a 256-bit key has 15 subkeys. The AES subkeys are computed recursively, i.e., in order to derive subkey  $k_i$ , subkey  $k_i$ 1 must be known, etc.

The AES key schedule is word-oriented, where 1 word = 32 bits. Subkeys are stored in a key expansion array W that consists of words. There are different key schedules for the three different AES key sizes of 128, 192 and 256 bit, which are all fairly similar. We introduce the three key schedules in the following.

#### Key Schedule for 128-Bit Key AES

The ll subkeys are stored in a key expansion array with the elements W[0],...,W[43]. The subkeys are computed as depicted in Fig. 4.5. The elements  $K_0, ..., K_{15}$  denote the bytes of the original AES key. First, we note that the first subkey k0 is the original AES key, i.e., the key is copied into the first four elements of the key array W. The other array elements are computed as follows. As can be seen in the figure, the leftmost word of a subkey W[4i], where i = 1,...,10, is computed as:

$$W[4i] = W[4(i-1)] + g(W[4i-1])$$
(3.2)

Here g() is a nonlinear function with a four-byte input and output. The remaining three words of a subkey are computed recursively as:

$$W[4i+j] = W[4i+j-1] + W[4(i-1)+j]$$
(3.3)

where i = 1,...,10 and j = 1,2,3. The function g() rotates its four input bytes, performs a byte-wise S-Box substitution, and adds a round coefficient RC to it. The round coefficient is an element of the Galois field GF(28), i.e, an 8-bit value. It is only added to the leftmost

byte in the function g(). The round coefficients vary from round to round according to the following rule:

$$RC[1] = x^0 = (00000001)_2,$$
 (3.4)

$$RC[2] = x^1 = (00000010)_2,$$
 (3.5)

$$RC[3] = x^2 = (00000100)_2,$$
 (3.6)

$$(3.7)$$

$$. (3.8)$$

$$(3.9)$$

$$RC[10] = x^9 = (00110110)_2$$
 (3.10)

The function g() has two purposes. First, it adds nonlinearity to the key schedule. Second, it removes symmetry in AES. Both properties are necessary to thwart certain block cipher attacks.

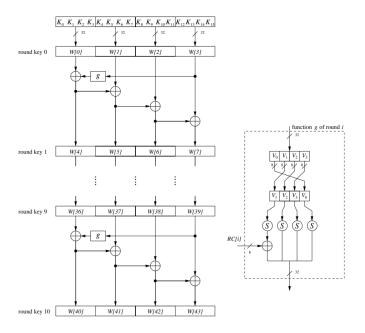


Figure 3.4: Key Schedule for 128-Bit Key AES

# Key Schedule for 192-Bit Key AES $\,$

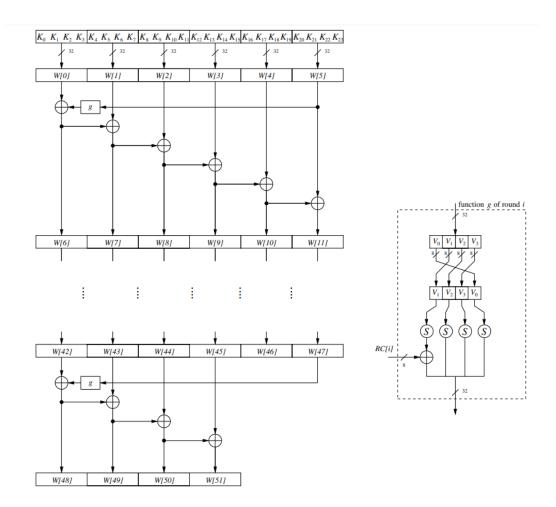


Figure 3.5: AES key shedule for 192-bit key size

# Key Schedule for 256-Bit Key AES

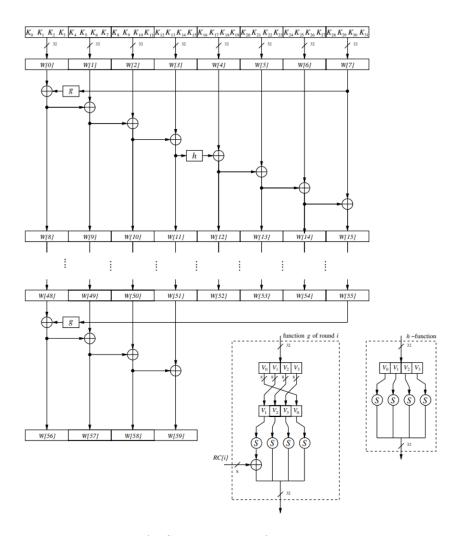


Figure 3.6: AES key shedule for 256-bit key size

#### **DECRYPTION**

A block diagram of the decryption function is shown in Fig. 4.8.

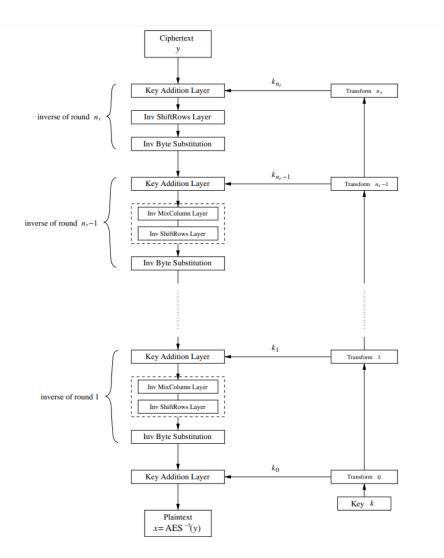


Figure 4.1: AES decryption block diagram

Since the last encryption round does not perform the MixColum operation, the first decryption round also does not contain the corresponding inverse layer. All other decryption rounds, however, contain all AES layers. In the following, we discuss the inverse layers of the general AES decryption round (Fig. 4.9). Since the XOR operation is its own inverse, the key addition layer in the decryption mode is the same as in the encryption mode: it

consists of a row of plain XOR gates.

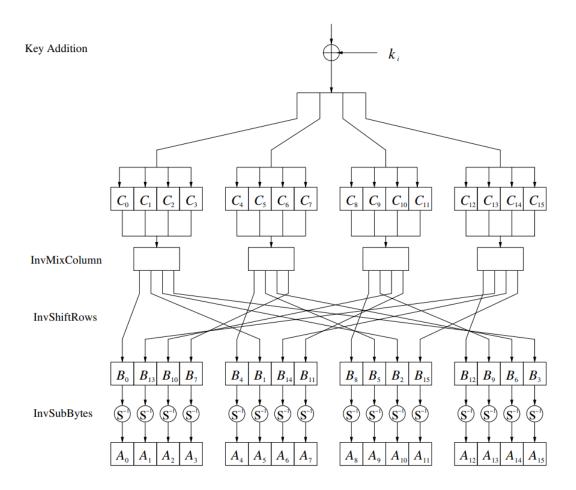


Figure 4.2: AES decryption round function  $1, 2, ..., n_r - 1$ 

# 4.1 Inverse Mix Column Sublayer

The input is a 4-byte column of the State C which is multiplied by the inverse  $4\times4$  matrix. The matrix contains constant entries. Multiplication and addition of the coefficients is done in GF(28).

$$\begin{bmatrix} \begin{bmatrix} B_0 \\ B_1 \\ B_2 \\ B_3 \end{bmatrix} = \begin{bmatrix} 0E & 0B & 0D & 09 \\ 09 & 0E & 0B & 0D \\ 0D & 09 & 0E & 0B \\ 0B & 0D & 09 & 0E \end{bmatrix} \begin{bmatrix} C_0 \\ C_1 \\ C_2 \\ C_3 \end{bmatrix}]$$

The second column of output bytes  $(B_4, B_5, B_6, B_7)$  is computed by multiplying the four input bytes  $(C_4, C_5, C_6, C_7)$  by the same constant matrix, and so on.

# 4.2 Inverse ShiftRows Sublayer

In order to reverse the ShiftRows operation of the encryption algorithm, we must shift the rows of the state matrix in the opposite direction. The first row is not changed by the inverse ShiftRows transformation. If the input of the ShiftRows sublayer is given as a state matrix  $B = (B_0, B_1, ..., B_{15})$ :

$$\begin{bmatrix} B_0 & B_4 & B_8 & B_{12} \\ B1 & B_5 & B_9 & B_{13} \\ B_2 & B_6 & B_{10} & B_{14} \\ B_3 & B_7 & B_{11} & B_{15} \end{bmatrix}$$

### 4.3 Inverse Byte Substitution Layer

		y															
		0	1	2	3	4	5	6	7	8	9	A	В	C	D	E	F
	0	52	09	6A	D5	30	36	A5	38	BF	40	A3	9E	81	F3	D7	FB
	1	7C	E3	39	82	9B	2F	FF	87	34	8E	43	44	C4	DE	E9	CB
	2	54	7B	94	32	A6	C2	23	3D	EE	4C	95	0B	42	FA	C3	4E
	3	08	2E	<b>A</b> 1	66	28	D9	24	B2	76	5B	A2	49	6D	8B	D1	25
	4	72	F8	F6	64	86	68	98	16	D4	A4	5C	CC	5D	65	<b>B6</b>	92
	5	6C	70	48	50	FD	ED	B9	DA	5E	15	46	57	A7	8D	9D	84
	6	90	D8	AB	00	8 <b>C</b>	BC	D3	0A	F7	E4	58	05	<b>B8</b>	<b>B</b> 3	45	06
	7	D0	2C	1E	8F	CA	3F	0F	02	<b>C</b> 1	AF	BD	03	01	13	8A	6B
$\boldsymbol{\mathcal{X}}$	8	3A	91	11	41	4F	67		EA	97	F2	CF	CE	F0	<b>B4</b>	E6	73
	9	96	AC	74	22	E7	AD	35	85	E2	F9	37	E8	1 <b>C</b>	75	DF	6E
	A	47	F1	1 <b>A</b>	71	1D	29	C5	89	6F	B7	62	0E	AA	18	BE	1B
	В	FC	56	3E	4B	<b>C</b> 6	D2	79	20	9A	DB	$\mathbf{C}0$	FE	78	CD	5A	F4
	C	1F	DD	A8	33	88	07	<b>C</b> 7	31	<b>B</b> 1	12	10	59	27	80	EC	5F
	D	60	51	7F	A9	19	B5	4A	0D	2D	E5	7A	9F	93	<b>C</b> 9	9C	EF
	E	A0	E0	3B			2A					BB	3C	83	53	99	61
	F	17	2B	04	7E	BA	77	D6	26	E1	69	14	63	55	21	0C	7D

Figure 4.3: Inverse AES S-Box

# 4.4 Decryption Key Schedule

Since decryption round one needs the last subkey, the second decryption round needs the second-to-last subkey and so on, we need the subkey in reversed order as shown in Fig. 4.8. In practice this is mainly achieved by computing the entire key schedule first and storing all 11, 13 or 15 subkeys, depending on the number orrounds AES is using (which in turn depends on the three key lengths supported by AES). This precomputation adds usually a small latency to the decryption operation relative to encryption.

#### **AES IMPLEMENTATION**

```
#include <stdio.h>
  2#include <stdlib.h>
  3#include <string.h>
  5#include "aes.h"
  7// substitute box
  8// \text{ size } 16 \times 16
  9 \operatorname{const} \operatorname{unsigned} \operatorname{int} \operatorname{sBox}[16][16] = \{
0\,\mathrm{xfe}\;,\;\;0\,\mathrm{xd7}\;,\;\;0\,\mathrm{xab}\;,\;\;0\,\mathrm{x76}\;\;\}\;,
                 0x9c, 0xa4, 0x72, 0xc0 },
                 \{ \text{ 0xb7}, \text{ 0xfd}, \text{ 0x93}, \text{ 0x26}, \text{ 0x36}, \text{ 0x3f}, \text{ 0xf7}, \text{ 0xcc}, \text{ 0x34}, \text{ 0xa5}, \text{ 0xe5}, \text{ 0xf1} \}
                       0x71, 0xd8, 0x31, 0x15,
                 0 \text{ xeb}, 0 \text{ x} 27, 0 \text{ xb} 2, 0 \text{ x} 75  },
                 0x29, 0xe3, 0x2f, 0x84},
                 \{ 0x53, 0xd1, 0x00, 0xed, 0x20, 0xfc, 0xb1, 0x5b, 0x6a, 0xcb, 0xbe, 0x39 \}
                       0x4a, 0x4c, 0x58, 0xcf \},
                 \{ 0xd0, 0xef, 0xaa, 0xfb, 0x43, 0x4d, 0x33, 0x85, 0x45, 0xf9, 0x02, 0x7f \}
                        0x50, 0x3c, 0x9f, 0xa8 },
                 \{0x51, 0xa3, 0x40, 0x8f, 0x92, 0x9d, 0x38, 0xf5, 0xbc, 0xb6, 0xda, 0x21\}
                        0x10, 0xff, 0xf3, 0xd2 },
                  \{ \ 0 \times cd \ , \ 0 \times 0c \ , \ 0 \times 13 \ , \ 0 \times ec \ , \ 0 \times 5f \ , \ 0 \times 97 \ , \ 0 \times 44 \ , \ 0 \times 17 \ , \ 0 \times c4 \ , \ 0 \times a7 \ , \ 0 \times 7e \ , \ 0 \times 3d \ , \ 0 \times 7e \ , 
                        0x64, 0x5d, 0x19, 0x73 },
                 \{0x60, 0x81, 0x4f, 0xdc, 0x22, 0x2a, 0x90, 0x88, 0x46, 0xee, 0xb8, 0x14\}
                        0xde, 0x5e, 0x0b, 0xdb,
                 \{ 0xe0, 0x32, 0x3a, 0x0a, 0x49, 0x06, 0x24, 0x5c, 0xc2, 0xd3, 0xac, 0x62 \}
                        0x91, 0x95, 0xe4, 0x79 },
                 \{ 0xe7, 0xc8, 0x37, 0x6d, 0x8d, 0xd5, 0x4e, 0xa9, 0x6c, 0x56, 0xf4, 0xea \}
                       0x65, 0x7a, 0xae, 0x08,
                  \{ \ 0xba \ , \ 0x78 \ , \ 0x25 \ , \ 0x2e \ , \ 0x1c \ , \ 0xa6 \ , \ 0xb4 \ , \ 0xc6 \ , \ 0xe8 \ , \ 0xdd \ , \ 0x74 \ , \ 0x1f \ , \ 0x8f \ , \ 0x8f \ , \ 0xdd \ , \ 0x8f \ , \ 0x8f
                       0x4b, 0xbd, 0x8b, 0x8a},
                 0x86, 0xc1, 0x1d, 0x9e,
                 \{ 0xe1, 0xf8, 0x98, 0x11, 0x69, 0xd9, 0x8e, 0x94, 0x9b, 0x1e, 0x87, 0xe9 \}
                       0xce, 0x55, 0x28, 0xdf},
                 \{0x8c, 0xa1, 0x89, 0x0d, 0xbf, 0xe6, 0x42, 0x68, 0x41, 0x99, 0x2d, 0x0f\}
                      0xb0, 0x54, 0xbb, 0x16
         };
26
28 // reverse substitute box
```

```
_{29}// \text{ size } 16 \times 16
30 const unsigned int rsBox[16][16] = {
           \{0x52,0x09,0x6a,0xd5,0x30,0x36,0xa5,0x38,0xbf,0x40,0xa3,0x9e\}
                0x81, 0xf3, 0xd7, 0xfb,
           0xc4, 0xde, 0xe9, 0xcb,
           33
               0x42, 0xfa, 0xc3, 0x4e,
           \{ 0x08, 0x2e, 0xa1, 0x66, 0x28, 0xd9, 0x24, 0xb2, 0x76, 0x5b, 0xa2, 0x49, 0x68, 0x69, 0x
                0x6d, 0x8b, 0xd1, 0x25 },
           \{0x72, 0xf8, 0xf6, 0x64, 0x86, 0x86, 0x98, 0x16, 0xd4, 0xa4, 0x5c, 0xcc\}
                0x5d, 0x65, 0xb6, 0x92 },
           \{0x6c, 0x70, 0x48, 0x50, 0xfd, 0xed, 0xb9, 0xda, 0x5e, 0x15, 0x46, 0x57\}
                0xa7, 0x8d, 0x9d, 0x84},
           37
                0xb8, 0xb3, 0x45, 0x06,
           0x01, 0x13, 0x8a, 0x6b,
           39
                0xf0, 0xb4, 0xe6, 0x73 },
               0x96, 0xac, 0x74, 0x22, 0xe7, 0xad, 0x35, 0x85, 0xe2, 0xf9, 0x37, 0xe8
               0x1c, 0x75, 0xdf, 0x6e,
           41
                0xaa, 0x18, 0xbe, 0x1b,
           \{ 0xfc, 0x56, 0x3e, 0x4b, 0xc6, 0xd2, 0x79, 0x20, 0x9a, 0xdb, 0xc0, 0xfe \}
                0x78, 0xcd, 0x5a, 0xf4},
           \{0x1f, 0xdd, 0xa8, 0x33, 0x88, 0x07, 0xc7, 0x31, 0xb1, 0x12, 0x10, 0x59\}
                0x27, 0x80, 0xec, 0x5f},
           0x93, 0xc9, 0x9c, 0xef },
           \{ 0xa0, 0xe0, 0x3b, 0x4d, 0xee, 0x2a, 0xf5, 0xb0, 0xc8, 0xeb, 0xbb, 0x3c \}
45
                0x83, 0x53, 0x99, 0x61 },
           \{ 0x17, 0x2b, 0x04, 0x7e, 0xba, 0x77, 0xd6, 0x26, 0xe1, 0x69, 0x14, 0x63 \}
            , 0x55, 0x21, 0x0c, 0x7d }
            };
47
49 // round constants to find round keys
\frac{1}{100} const unsigned int rCon[11] = { 0x8d, 0x01, 0x02, 0x04, 0x08, 0x10, 0x20, 0x2
            x40, 0x80, 0x1b, 0x36 };
52// GF(2^8) multiplication constants to do mix columns
53 const unsigned int mCon[BLOCK_SIZE][BLOCK_SIZE] = {
           \{ 0x02, 0x03, 0x01, 0x01 \},
              0x01, 0x02, 0x03, 0x01
           \{ 0x01, 0x01, 0x02, 0x03 \}
56
           \{ 0x03, 0x01, 0x01, 0x02 \}
57
58
           };
60// GF(2<sup>8</sup>) multiplication constants to reverse mix columns
61 const unsigned int rmCon[BLOCK_SIZE][BLOCK_SIZE] = {
           \{ 0x0e, 0x0b, 0x0d, 0x09 \},
              0x09, 0x0e, 0x0b, 0x0d
63
              0x0d, 0x09, 0x0e, 0x0b},
64
           \{ 0x0b, 0x0d, 0x09, 0x0e \}
65
66
68// this function produces all round keys
69 void key_schedule (unsigned int w[], unsigned int key[][BLOCK_SIZE]) {
```

```
70 unsigned int row, column; // row and column for lookup
71 unsigned int temp[4]; // temporary holds the results
                    // counters for the loops and used as array "pointers"
72 int i, j, k;
73
   // the first round key is the given key
74
   // we store it to the first 4 words
76 // w0 w1 w2 w3 || w[0] ... w[15]
   printf("Round keys:\n");
     for (i = 0; i < BLOCK\_SIZE; i++){
      printf("w[\%d] = ", i);
       for (j = 0; j < BLOCK\_SIZE; j++){
80
       w[(i * 4) + j] = key[j][i];
81
        printf("\%x", w[(i * 4) + j]);
83
    printf("\t");
84
85
87 // all other round keys are found from the previous round keys
   // start for 4, because we calculated the 4 words before
   // 4 is the block size and 10 is the number of rounds
     for (i = 4; i < (4 * (10 + 1)); i++){
    // k is "pointer" to find wi-1
91
    k = (i - 1) * 4;
92
    // \text{ temp} = \text{w-1}
        temp[0] = w[k + 0];
        temp[1] = w[k + 1];
95
        temp[2] = w[k + 2];
96
        temp[3] = w[k + 3];
97
98
        \inf(i \% 4 = 0){
99
           // rot_word function
100
            k = temp[0];
            temp[0] = temp[1];
102
            temp[1] = temp[2];
103
            temp[2] = temp[3];
104
            temp[3] = k;
105
106
     // sub_word function
     for (j = 0; j < 4; j++){
108
      get2Bytes(temp[j], &row, &column);
      temp[j] = sub\_byte(row, column);
112
     // \text{ temp} = \text{sub\_word}(\text{rot\_word}(\text{temp})) \text{ XOR } \text{RCi}/4
           temp[0] = temp[0] ^ rCon[i/4];
114
115
116
    // j is "pointer" to find wi
       j = i * 4;
118
       // k is "pointer" to find wi-4
119
    k = (i - 4) * 4;
120
121
    // wi = wi-4 XOR temp
       w[j + 0] = w[k + 0] \hat{temp}[0];
123
       w[j + 1] = w[k + 1] \hat{temp}[1];
124
       w[j + 2] = w[k + 2] \hat{temp}[2];
       w[j + 3] = w[k + 3] \hat{temp}[3];
126
127
```

```
128
^{129} // print round keys 1 - 10
   // round key 0(given key) printed before
   for (i = 4; i < 44; i++)
    for (j = 0; j < 4; j++)\{
printf("%x", w[(i * 4) + j]);
134
    }
   printf("\n\n");
138
140 return;
141 }
_{143}// this function do result = a XOR b
144 void add_roundkey(unsigned int result[][BLOCK_SIZE], unsigned int a[][
     BLOCK_SIZE], unsigned int b[][BLOCK_SIZE]){
int i, j; // counters for the loops
   for (i = 0; i < BLOCK\_SIZE; i++)
    for(j = 0; j < BLOCK\_SIZE; j++)
148
     result[i][j] = a[i][j] \hat{b}[i][j];
151 return;
152 }
153
154// this function lookup in sBox table and return the new value
155 unsigned int sub_byte (unsigned int row, unsigned int column) {
156 return sBox [row] [column];
157 }
158
159 // this function shifts the rows to the left
160 // each row is shifted differently
void shift_rows(unsigned int state[][BLOCK_SIZE]){
unsigned int temp; // temporary variables to do the shifts
164 // first row is not shifted
165
166 // second row is shifted left 1 time
  temp = state[1][0];
state [1][0] = state[1][1];
   state[1][1] = state[1][2];
   state[1][2] = state[1][3];
   state[1][3] = temp;
171
173 // third row is shifted left 2 times
_{174} \text{ temp} = \text{state} [2][0];
   state[2][0] = state[2][2];
   state[2][2] = temp;
177
   temp = state[2][1];
   state[2][1] = state[2][3];
   state[2][3] = temp;
180
182 // fourth row is shifted left 3 times
183 \text{ temp} = \text{state} [3][0];
state [3][0] = state[3][3];
```

```
state [3][3] = state[3][2];
state [3][2] = state[3][1];
state [3][1] = \text{temp};
189 return;
190
191
192 // this function mix the columns
193 // state column multiplied with mCon row
_{194}// instead of normal multiplication here we do GF(2^8) multiply
195// and instead of addition here we do XOR operation
196 void mix_columns (unsigned int result [] [BLOCK_SIZE], unsigned int state [] [
     BLOCK_SIZE]) {
   unsigned int sum = 0; // we hold the sum here
   int i, j, k; // counters for the loops
198
199
      for (i = 0; i < BLOCK\_SIZE; i++){
       for (j = 0; j < BLOCK\_SIZE; j++){
201
            for (k = 0; k < BLOCK\_SIZE; k++){
202
                sum = gfMul(state[k][i], mCon[j][k]);
204
               result[j][i] = sum;
205
               sum = 0;
206
          }
209
210 return;
211
213 // this function encrypts the plaintext
214 void encryption (unsigned int state [] [BLOCK_SIZE], unsigned int w[]) {
unsigned int roundKey[BLOCK_SIZE][BLOCK_SIZE]; // round key
unsigned int table [BLOCK_SIZE] [BLOCK_SIZE]; // temp array to hold results
217
   unsigned int row, column; // row and column for sub_bytes lookup
   int i, j, k;
                  // counters for the loops
220
   // round 0
221
     // 1. add_roundkey
222
     getRoundKey(w, roundKey, 0);
     add_roundkey(state, state, roundKey);
224
225
   printf("add_roundkey:\n");
   printArray(state);
228
     // round 1-9
229
     // 1. sub_bytes
     // 2. shift_rows
     // 3. mix_columns
232
     // 4. add_roundkey
233
     for (k = 1; k < 10; k++)
    for (i = 0; i < BLOCK\_SIZE; i++){
235
     for (j = 0; j < BLOCK\_SIZE; j++){
236
      get2Bytes(state[i][j], &row, &column);
237
      state[i][j] = sub\_byte(row, column);
238
239
240
   printf("sub_bytes:\n");
241
```

```
printArray(state);
242
243
    shift_rows(state);
244
245
    printf("shift_rows:\n");
    printArray(state);
247
248
    mix_columns(table, state);
249
250
    printf("mix_columns:\n");
251
    printArray(table);
252
253
    getRoundKey(w, roundKey, k);
        add_roundkey(state, table, roundKey);
255
256
        printf("add_roundkey:\n");
257
        printArray(state);
259
260
   // round 10
261
   // 1. sub_bytes
   // 2. shift_rows
263
   // 3. add_roundkey
     for (i = 0; i < BLOCK\_SIZE; i++){
    for (j = 0; j < BLOCK\_SIZE; j++)
     get2Bytes(state[i][j], &row, &column);
267
     state[i][j] = sub_byte(row, column);
268
269
270
271
   printf("sub_bytes:\n");
272
   printArray(state);
274
   shift_rows(state);
275
276
   printf("shift_rows:\n");
   printArray(state);
278
279
   getRoundKey(w, roundKey, 10);
280
      add_roundkey(state, state, roundKey);
282
   printf("add_roundkey:\n");
283
   printArray(state);
284
286 return;
287
289 // this function lookup in rsBox table and return the new value
290 unsigned int inv_sub_byte (unsigned int row, unsigned int column) {
291 return rsBox [row] [column];
292
294// this function shifts the rows to the right
295 // each row is shifted differently
296 void inv_shift_rows (unsigned int state [] [BLOCK_SIZE]) {
297 unsigned int temp; // temporary variable to do the shifts
299 // first row is not shifted
```

```
300
   // second row is shifted right 1 time
   temp = state[1][3];
   state[1][3] = state[1][2];
   state[1][2] = state[1][1];
   state[1][1] = state[1][0];
   state[1][0] = temp;
306
307
   // third row is shifted right 2 times
   temp = state[2][0];
   state[2][0] = state[2][2];
   state[2][2] = temp;
_{313} temp = state [2][1];
   state[2][1] = state[2][3];
314
state [2][3] = \text{temp};
317 // fourth row is shifted right 3 times
_{318} \text{ temp} = \text{state} [3][0];
state [3][0] = state[3][1];
   state[3][1] = state[3][2];
   state[3][2] = state[3][3];
321
state[3][3] = temp;
324 return;
325 }
326
327 void inv_mix_columns (unsigned int result [][BLOCK_SIZE], unsigned int state
      [][BLOCK_SIZE]) {
   unsigned int sum = 0; // we hold the sum here
                 // counters for the loops
   int i, j, k;
   unsigned int temp; // temporary variable to hold the results
331
      for (i = 0; i < BLOCK\_SIZE; i++){
332
           for(j = 0; j < BLOCK\_SIZE; j++){
333
               for (k = 0; k < BLOCK\_SIZE; k++){
                switch (rmCon[j][k]) {
335
                 // x = state[k][i]
336
337
                 case 9:
                  temp = gfMul(state[k][i], 2); // x * 2
                  temp = gfMul(temp, 2); // (x * 2) * 2
339
                                             // ((x * 2) * 2) * 2
                  temp = gfMul(temp ,2);
340
                  temp \hat{} = state[k][i]; // (((x * 2) * 2) * 2) + x = x * 9
341
         break;
343
                 case 11:
344
                  temp = gfMul(state[k][i], 2); // x * 2
345
                  temp = gfMul(temp, 2); // (x * 2) * 2
                  temp \hat{ } = state[k][i]; //((x * 2) * 2) + x
347
                  temp = gfMul(temp, 2); // (((x * 2) * 2) + x) * 2
348
                  temp \hat{ } = \text{state}[k][i]; //((((x * 2) * 2) + x) * 2) + x = x
      * 11
                  break;
350
351
                 case 13:
352
                  temp = gfMul(state[k][i], 2); // x * 2
                  temp \hat{ } = state[k][i]; // (x * 2) + x
354
                  temp = gfMul(temp, 2); // ((x * 2) + x) * 2
355
```

```
temp = gfMul(temp, 2); // (((x * 2) + x) * 2) * 2
356
                   temp \hat{ } = \text{state}[k][i]; //((((x * 2) + x) * 2) * 2) + x = x
357
      * 13
                   break;
358
                  case 14:
                   temp = gfMul(state[k][i], 2); // x * 2
361
                   temp \hat{ } = state[k][i]; // (x * 2) + x
362
                   temp = gfMul(temp, 2); // ((x * 2) + x) * 2
                   temp \hat{k} = \text{state}[k][i]; //(((x * 2) + x) * 2) + x
temp = gfMul(temp, 2); // ((((x * 2) + x) * 2) + x) * 2 =
364
365
      x * 14
                   break;
367
                 sum \hat{}= temp;
368
369
                result[j][i] = sum;
               sum = 0;
371
375 return;
376 }
378 // this function encrypts the plaintext
379 void decryption (unsigned int state [][BLOCK_SIZE], unsigned int w[]) {
unsigned int roundKey[BLOCK_SIZE][BLOCK_SIZE]; // round key
   unsigned int table [BLOCK_SIZE] [BLOCK_SIZE]; // temp array to hold results
   unsigned int row, column; // row and column for sub_bytes lookup
383
   int i, j, k, i1, i2; // counters for the loops
384
   // round 0
   // 1. add_roundkey
   // 2. inv_shift_rows
   // 3. inv_sub_bytes
   getRoundKey(w, roundKey, 10);
       add_roundkey(state, state, roundKey);
391
392
   printf("\nadd_roundkey:\n");
   printArray(state);
394
395
   inv_shift_rows(state);
396
397
   printf("inv_shift_rows:\n");
398
   printArray(state);
399
400
     for (i = 0; i < BLOCK\_SIZE; i++){
    for (j = 0; j < BLOCK\_SIZE; j++){
402
     get2Bytes(state[i][j], &row, &column);
403
     state[i][j] = inv_sub_byte(row, column);
404
405
406
407
   printf("inv_sub_bytes:\n");
   printArray(state);
^{411} // round 1–9
```

```
// 1. add_roundkey
412
     // 2. inv_mix_columns
     // 3. inv_shift_rows
414
     // 4. inv_sub_bytes
415
     for (k = 9; k > 0; k--)
416
      getRoundKey(w, roundKey, k);
       add_roundkey(state, state, roundKey);
418
419
       printf("add_roundkey:\n");
       printArray(state);
421
422
       inv_mix_columns(table, state);
423
    printf("inv_mix_columns:\n");
425
    printArray(table);
426
427
       for(i1 = 0; i1 < BLOCK_SIZE; i1++){
        for (i2 = 0; i2 < BLOCK_SIZE; i2++){
429
          state[i1][i2] = table[i1][i2];
430
431
432
433
       inv_shift_rows(state);
434
435
    printf("inv_shift_rows:\n");
    printArray(state);
437
438
    for (i = 0; i < BLOCK\_SIZE; i++){
439
     for (j = 0; j < BLOCK\_SIZE; j++){
      get2Bytes(state[i][j], &row, &column);
441
      state[i][j] = inv_sub_byte(row, column);
442
444
445
    printf("inv_sub_bytes:\n");
446
    printArray(state);
447
448
449
   // round 10
450
     // 1. add_roundkey
     getRoundKey(w, roundKey, 0);
452
     add_roundkey(state, state, roundKey);
453
   printf("add_roundkey:\n");
   printArray(state);
456
457
458 return;
460
461// this function converts hexadecimal character to integer
462 int hexCharToDec(char hex){
   if (hex >= 48 && hex <= 57) { // ascii code for character 1-9
    return (hex - '0'); // as it happens, the ascii value of the characters
     1-9 is greater than the value of '0'
   else
    switch (hex) {
     case 'a':
                  // a hexadecimal is a number 10 to decimal. Similar for the
467
      rest
```

```
468
        return 10;
469
       case 'b':
470
        return 11;
471
       case 'c':
        return 12;
474
475
       case 'd':
476
        return 13;
478
      case 'e':
479
        return 14;
481
      case 'f':
482
        return 15;
483
484
485
486 }
487
488 // this function returns the integer value of the 2 bytes hex input
\frac{1}{489} // input: xy || row = x and column = y
490 void get2Bytes (unsigned int a, unsigned int *row, unsigned int *column) {
491 // we need 2 bytes for the hexadecimal value and 1 more for '\0' character
    unsigned char temp[3];
    // convert the number to string
494
    sprintf(temp, "%x", a);
495
496
    if (strlen (temp) == 1) { // if number is smaller than 15, c saving 1 digit
497
       instead 2 digits
            // e.g. (14) dec = (0x0e) hex | C saving only e instead of 0e
     // add the '\0' character to 2nd position, because we need 1 slot for the
499
        hexadecimal number
     temp[1] = ' \setminus 0';
500
     // find the row for the lookup
502
     *row = 0; // row will be 0, because number will have form like this: 0x0
503
     //\operatorname{printf}("(\%c) \operatorname{hex} = (\%d) \operatorname{dec} \n", \operatorname{temp}[0], *\operatorname{row});
504
505
     // find the column for the lookup
506
     *column = hexCharToDec(temp[0]);
507
     //\operatorname{printf}("(\%c)\operatorname{hex} = (\%d)\operatorname{dec} "", \operatorname{temp}[1], *\operatorname{column});
509
    }else{
     // add the '\0' character to 3rd position, because we need 2 slots for
510
       the hexadecimal number
     temp[2] = ' \setminus 0';
512
     // find the row for the lookup
513
     *row = hexCharToDec(temp[0]);
     //\operatorname{printf}("(\%c) \operatorname{hex} = (\%d) \operatorname{dec} \operatorname{n"}, \operatorname{temp}[0], *\operatorname{row});
515
516
     // find the column for the lookup
517
     *column = hexCharToDec(temp[1]);
     //\operatorname{printf}("(\%c)\operatorname{hex} = (\%d)\operatorname{dec} "", \operatorname{temp}[1], *\operatorname{column});
    }
520
521
```

```
522 return;
523 }
524
525 // this function return the 16 bytes round key
526 void getRoundKey(unsigned int w[], unsigned int roundKey[][BLOCK_SIZE], int
      round){
   int i, j; // counters for the loops
527
528
   for (i = (round * 4); i < ((round * 4) + 4); i++){
    for(j = 0; j < 4; j++){
     roundKey[j][i - (round * 4)] = w[(i * 4) + j];
533
534
535 return;
536 }
_{538} // multiply two numbers in the GF(2^8)
_{539}// polynomial: x^8 + x^4 + x^3 + x + 1
540 // binary: 00011011 || hex: 0x1b
541 unsigned int gfMul(unsigned int a, unsigned int b) {
unsigned int r = 0; // result
unsigned int hi_bit_set; // high bit (leftmost)
   int i; // counter for the loop
545
   for (i = 0; i < 8; i++)
546
       if (b & 1)
547
           r = a;
       hi_bit_set = (a \& 0x80);
       a <<= 1;
551
    if (hi_bit_set)
          a = 0x1b; // x^8 + x^4 + x^3 + x + 1
553
       b >>= 1;
554
555 }
556
   // if result legnth is more than 8 bits
557
   if(r > 255 \&\& r < 512)
   return r - 256;
   if (r > 511)
561
   return r - 512;
562
564 // if result is max 8 bits
565 return r;
566 }
568 // this function converts string to unsigned int array 4x4
569 void convertStringToBlock(char string[BYTES+1], unsigned int block[][
     BLOCK_SIZE]) {
int i, j; // counters for the loops
for (i = 0; i < BLOCK\_SIZE; i++)
   for(j = 0; j < BLOCK\_SIZE; j++){
    block[j][i] = string[BLOCK\_SIZE * i + j];
    }
576 }
577
```

```
578 return;
579 }
580
581// this function converts unsigned int array 4x4 to string
582 void convertBlockToString(unsigned int block[][BLOCK_SIZE], char string[
     BYTES+1) {
   int i, j; // counters for the loops
583
584
   for (i = 0; i < BLOCK\_SIZE; i++){
   for (j = 0; j < BLOCK\_SIZE; j++){
     string[BLOCK\_SIZE * i + j] = block[j][i];
587
588
589
590
591 return;
592
593
594 // this function prints the array
595 void printArray (unsigned int array [] [BLOCK_SIZE]) {
_{596} int i, j; // counters for the loops
597
   for (i = 0; i < BLOCK\_SIZE; i++){
598
    for (j = 0; j < BLOCK\_SIZE; j++){
     printf("%x\t", array[i][j]);
    printf("\n");
602
603
   printf("\n");
604
606 return;
607
609 /* Run the encryption and decryption
610 * Plaintext: Two One Nine Two = (54 77 6F 20 4F 6E 65 20 4E 69 6E 65 20
     54 77 6F) hex
             Thats my Kung Fu = (54 \ 68 \ 61 \ 74 \ 73 \ 20 \ 6D \ 79 \ 20 \ 4B \ 75 \ 6E \ 67 \ 20 \ 46
611 * Key:
      75) hex
* we decrypting the output of encryption
613 */
614 void test() {
unsigned int state [BLOCK_SIZE] [BLOCK_SIZE] = { // input
   \{ 0x54, 0x4f, 0x4e, 0x20 \},
      0x77, 0x6e, 0x69, 0x54},
      0x6f, 0x65, 0x6e, 0x77
      0x20, 0x20, 0x65, 0x6f
619
620
621
   unsigned int key [BLOCK_SIZE] [BLOCK_SIZE] = { // encryption key
    \{ 0x54, 0x73, 0x20, 0x67 \},
623
    \{ 0x68, 0x20, 0x4b, 0x20 \},
624
      0x61, 0x6d, 0x75, 0x46 },
      0x74, 0x79, 0x6e, 0x75
626
627
628
   // we have 10 round, so we need 40 words in array plus 4 for the given key
630 // each word have 4 bytes, so we need 44 * 4 = 176
unsigned int w[176]; // all round keys
632
```

```
633 /************************
   // print the plaintext and key
635
   printf("Plaintext:\n");
   printArray(state);
   printf("Key: \n");
639
   printArray(key);
640
641
   // we calculate all round keys 1-10
642
   key_schedule(w, key);
643
644
   encryption (state, w);
646
   // print the result (ciphertext)
647
   printf("\nCiphertext:\n");
   printArray(state);
650
   printf("\n\n---
                            651
652
   decryption (state, w);
653
654
   // print the result (plaintext)
655
   printf("\nPlaintext:\n");
   printArray(state);
658
659 return;
660 }
661 // AES.H
662#ifndef AES_H
663#define AES_H
_{665}// AES 128 bit = 16 bytes
666#define BYTES 16
668 // block size is 128 bits = 16 bytes
669 // so we need 4x4 blocks
670#define BLOCK_SIZE 4
672 // aes functions prototypes
void key_schedule(unsigned int [], unsigned int [][BLOCK_SIZE]);
ord void add_roundkey(unsigned int [][BLOCK_SIZE], unsigned int [][BLOCK_SIZE],
      unsigned int [][BLOCK_SIZE]);
676 unsigned int sub_byte (unsigned int, unsigned int);
677 void shift_rows (unsigned int [][BLOCK_SIZE]);
678 void mix_columns (unsigned int [][BLOCK_SIZE], unsigned int [][BLOCK_SIZE]);
679 void encryption (unsigned int [][BLOCK_SIZE], unsigned int []);
681 unsigned int inv_sub_byte(unsigned int, unsigned int);
682 void inv_shift_rows (unsigned int [][BLOCK_SIZE]);
683 void inv_mix_columns (unsigned int [][BLOCK_SIZE], unsigned int [][
     BLOCK_SIZE | );
684 void decryption (unsigned int [][BLOCK_SIZE], unsigned int []);
686 // secondary functions
687 int hexCharToDec(char);
688 void get2Bytes (unsigned int, unsigned int *, unsigned int *);
```

```
689 void getRoundKey(unsigned int [], unsigned int [][BLOCK_SIZE], int);
690 unsigned int gfMul(unsigned int, unsigned int);
691 void convertStringToBlock(char [], unsigned int [][BLOCK_SIZE]);
692 void convertBlockToString(unsigned int [][BLOCK_SIZE], char []);
694 void printArray(unsigned int [][BLOCK_SIZE]);
696 void test();
698#endif //AES_H
699
700
                    MAIN.C
     702#include <stdio.h>
704#include "read.c"
705#include "aes.c"
706
707 int main() {
708 // last extra byte is for '\0' character
709 unsigned char plainText [BYTES+1]; // plaintext
710 unsigned char cipherText [BYTES+1]; // ciphertext
unsigned char key [BYTES+1]; // encryption key
712 unsigned char output [BYTES+1]; // string to prints the results
713
int answer; // user answer
unsigned int state4x4 [BLOCK_SIZE] [BLOCK_SIZE]; // input
   unsigned int key4x4 [BLOCK_SIZE] [BLOCK_SIZE]; // encryption or decryption
719 // we have 10 round, so we need 40 words in array plus 4 for the given key
720 // each word have 4 bytes, so we need 44 * 4 = 176
unsigned int w[176]; // all round keys
722
   // print the menu to user and read the answer
723
                                  -\nline 1. Encryption \n2. Decryption \n3. Encrypt
   printf ("-
     and Decrypt\n4. Run example\n-
                                                         ----\n");
   do{}
    printf("Choose action: ");
726
    scanf("%d", &answer);
727
728
   \} while (answer < 1 \mid | answer > 4);
729
730
   switch (answer) {
731
    case 1:
732
     // read the plaintext
     printf("Text: ");
734
     readInput(plainText);
735
     // read the key
737
     printf("Key: ");
738
     readInput(key);
739
740
     // convert plaintext and key to 4x4 blocks
741
     convertStringToBlock(plainText, state4x4);
742
     convertStringToBlock(key, key4x4);
743
```

```
744
     // we calculate all round keys 1-10
745
     key_schedule(w, key4x4);
746
747
     // encrypt the plaintext
748
     encryption(state4x4, w);
750
     // print the output to user as string
751
     convertBlockToString(state4x4, output);
752
     output [BYTES] = ' \setminus 0';
753
     printf("Ciphertext: %s", output);
754
     break;
755
    case 2:
757
     // read the ciphertext
758
     printf("Text: ");
759
     readInput(cipherText);
760
761
     // read the key
762
     printf("Key: ");
763
     readInput(key);
765
     // convert ciphertext and key to 4x4 blocks
766
     convertStringToBlock(cipherText, state4x4);
767
     convertStringToBlock(key, key4x4);
769
     // we calculate all round keys 1-10
770
     key_schedule(w, key4x4);
771
772
     // decrypt the ciphertext
773
     decryption (state4x4, w);
774
775
     // print the output to user as string
776
777
     convertBlockToString(state4x4, output);
     output [BYTES] = ' \setminus 0';
778
     printf("Plaintext: %s", output);
779
     break;
780
781
    case 3:
782
     // read the plaintext
     printf("Text: ");
784
     readInput(plainText);
785
786
     // read the key
     printf("Key: ");
788
     readInput(key);
789
790
     // convert plaintext and key to 4x4 blocks
     convertStringToBlock(plainText, state4x4);
792
     convertStringToBlock(key, key4x4);
793
794
     // we calculate all round keys 1-10
795
      key_schedule(w, key4x4);
796
797
     printf("\nENCRYPTION\n");
798
     // encrypt the plaintext
     encryption(state4x4, w);
800
801
```

```
// print the output to user as string
802
     convertBlockToString(state4x4, output);
803
     output [BYTES] = ' \setminus 0';
804
     printf("Ciphertext: %s\n", output);
805
     printf("END OF ENCRYPTION\n");
     printf("\n\nDECRYPTION\n");
808
     // decrypt the ciphertext
809
     decryption (state4x4, w);
810
811
     // print the output to user as string
812
     convertBlockToString(state4x4, output);
813
     output [BYTES] = ' \setminus 0';
     printf("Plaintext: %s\n", output);
815
     printf("END OF DECRYPTION\n");
816
     break:
817
818
    case 4:
819
     test();
820
     break;
821
822
823
824 return 0;
825 }
826 /////// READ. C
827#include <stdio.h>
828#include <string.h>
830#include "aes.h"
832 void readInput(char []);
834 // this function reads the user input
void readInput(char input[BYTES+1]){
unsigned short int sizeCheck; // temporary saving the length of given
     input
837
   do{
838
    // read the input
    gets(input);
840
841
    // clear the input buffer
842
843
    fflush (stdin);
844
    // save the length of input
845
    sizeCheck = strlen(input);
847 } while (sizeCheck != BYTES);
848
849 return;
850 }
```

#### CONCLUSION

- AES is a modern block cipher which supports three key lengths of 128, 192 and 256 bit. It provides excellent long-term security against brute-force attacks.
- AES has been studied intensively since the late 1990s and no attacks have been found that are better than brute-force.
- AES is not based on Feistel networks. Its basic operations use Galois field arithmetic and provide strong diffusion and confusion.
- AES is part of numerous open standards such as IPsec or TLS, in addition to being the mandatory encryption algorithm for US government applications. It seems likely that the cipher will be the dominant encryption algorithm for many years to come.
- AES is efficient in software and hardware.

# Bibliography

- [1] Christof Paar, Jan Pelzl., "Understanding Cryptography A Textbook for Students and Practitioners", Springer Berlin Heidelberg
- $[2]\ https://en.wikipedia.org/wiki/AdvancedEncryptionStandard$