Job No:05

Job Name: Write a program for Traveling Salesman Problem

<u>Theory:</u> The travelling salesman problem is a graph computational problem. The goal is to find the shortest possible route (Hamiltonian cycle) that visits all the cities exactly once and returns to the starting city, using the distances between cities as weights on the edges of the graph

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Code:
```

```
def tsp(graph):
    num nodes = len(graph)
   visited = [False] * num_nodes
    visited[0] = True # Starting node
   min_cost = float("inf")
   optimal path = []
   def dfs(current_node, path, cost, count):
        nonlocal min_cost, optimal_path
      if count == num_nodes and graph[current_node][0] != 0:
            cost += graph[current_node][0]
           if cost < min cost:</pre>
               min cost = cost
               optimal_path = path[:] # Make a copy of the path
               optimal path.append(1)
           return
       for next_node in range(num_nodes):
            if not visited[next node] and graph[current node][next node] != 0:
               visited[next node] = True
               path.append(next node + 1)
               dfs(next node,path,cost + graph[current node][next node],count+1)
               path.pop() # Remove the node from the path
               visited[next node] = False
    dfs(0, [1], 0, 1) # Start with node 1, cost 0, and count 1
 return min cost, optimal path
graph = [
    [0, 10, 15, 20],
    [5, 0, 25, 10],
    [15, 30, 0, 5],
    [15, 10, 20, 0],
result = tsp(graph)
print("Minimum cost:", result[0])
print("Optimal path:", " -> ".join(map(str, result[1])))
Input/Output:
  Minimum cost: 35
  Optimal path: 1 -> 3 -> 4 -> 2 -> 1
```

Job No:06

Job Name: Write a program for Uniform Cost Search

<u>Theory:</u> Uniform Cost Search (UCS) is an uninformed search algorithm to find the lowest-cost path from a starting node to a goal node in a weighted graph. It explores the search space based solely on the information available in the graph, without using domain-specific knowledge. UCS guarantees the optimal solution in terms of the minimum cost but may be less efficient compared to informed search algorithms in certain scenarios.

Code:

```
def uniform_cost_search(tree, goal_node):
    priority queue = []
    priority_queue.append({"node": tree, "path": [], "cost": 0})
    while priority_queue:
        min cost index = ∅
        for i in range(1, len(priority queue)):
            if priority_queue[i]["cost"] <</pre>
priority queue[min cost index]["cost"]:
                min_cost_index = i
       current = priority_queue.pop(min_cost_index)
        node, path, cost = current["node"], current["path"], current["cost"]
        if node["value"] == goal node:
            return {"cost": cost, "path": path + [node["value"]]}
      for child in node["children"]:
            cost to child = child["cost"]
            total_cost = cost + cost_to_child
            priority_queue.append(
                {
                    "node": child,
                    "path": path + [node["value"]],
                    "cost": total cost,
                }
            )
    return None # Goal not reachable
tree = {
    "value": "A",
    "cost": 0,
    "children": [
        {
```

```
"value": "B",
            "cost": 2,
            "children": [
                {
                    "value": "D",
                    "cost": 6,
                    "children": [],
                },
                    "value": "E",
                    "cost": 4,
                    "children": [],
                },
            ],
        },
        {
            "value": "C",
            "cost": 3,
            "children": [
                {
                    "value": "F",
                    "cost": 4,
                    "children": [],
                },
            ],
       },
   ],
}
goal_node = "E"
result = uniform_cost_search(tree, goal_node)
if result is not None:
    print("Shortest Path:", " -> ".join(result["path"]))
   print("Total Cost:", result["cost"])
else:
    print("Goal not reachable.")
Input/Output:
Shortest Path: A -> B -> E
 Total Cost: 6
```