

# IMA Optics

## OL02. Laser Beam Characteristics

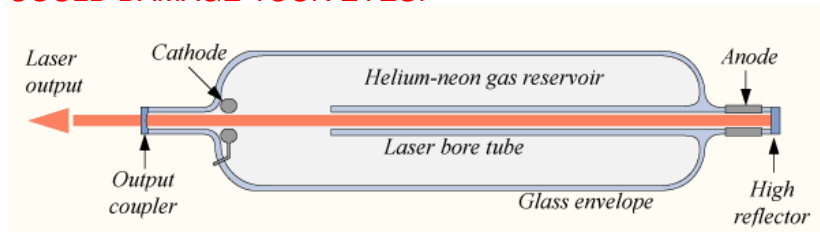
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# Laser Beam

You will be using a Helium-Neon (HeNe) gas laser for this experiment.

This gas laser has an output of 633nm (red) and power 2mW

**CAUTION: NEVER LOOK DIRECTLY INTO THE BEAM: IT COULD DAMAGE YOUR EYES!**



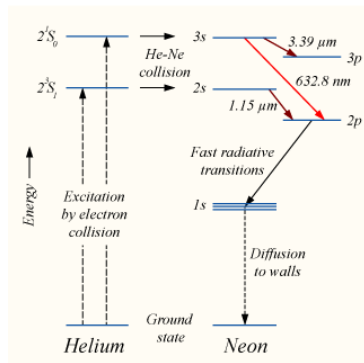
# Laser Basics

- 1 Production of coherent light: a quantum process
- 2 Amplification: a “resonant cavity” for light: mirrors
- 3 Gain: appropriate lasing medium that makes up for cavity losses

# 1. Production of coherent light

## Stimulated emission (Einstein)

- 1 Energetic electrons collide with He atoms on GS and excite them
- 2 Collision between He and Ne atoms causes energy transfer to Ne from He.
- 3 So Ne atoms are excited, with more atoms in the excited state than in the GS: **Population inversion**.



# 1. Production of coherent light

- ③ Ne atom decaying to GS produces a photon that stimulates emission of more photons of same wavelength, phase, polarization and direction (COHERENT)
- ④ Gain in the medium is proportional to the population inversion and to the Einstein A coefficient (related to the lifetime of the excited state)

## 2. Amplification

### Resonant Optical Cavity

- 1 Parallel mirrors on opposite ends of the lasing material:  
light reflects back and forth, in each pass it stimulates  
more emission: gain
- 2 Form of the wavefront: determined by superposition  
conditions
- 3 Solution of the 3-d wave equation in a cylindrical box
- 4 The waves that fit into such a cavity: Hermite functions  
modulated by a Gaussian.  
00 mode: just Gaussian

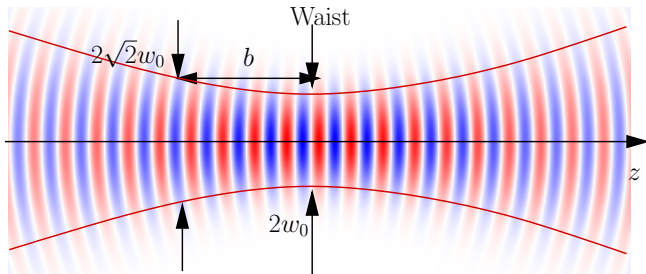
# Gaussian Beams

If axis of cavity is  $z$ , the propagation direction and  $\rho^2 = x^2 + y^2$ ,  
Electric field amplitude

$$E(\rho, z) = U_0 e^{-\rho^2/w^2(z)}$$
$$\text{where } U_0 = i \frac{E_0 w(0)}{b w(z)} e^{i(kz - \omega t)} e^{i\alpha} e^{ik\rho^2/2R(z)}$$

- $w^2(z) = 2 \frac{z^2 + b^2}{kb}$ ,  $w(z)$  is the beam diameter at  $z$ : **Spot Size**,
- $b = \pi w(0)^2/\lambda$ : a parameter dependent on the cavity geometry
- $R = (z^2 + b^2)/z$ : radius of the wavefront.

# Gaussian Beam

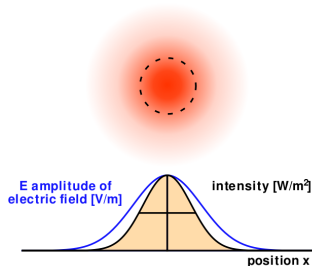


- tends to focus to a spot of least diameter  $w(0)$  at the waist
- The divergence can be understood as due to diffraction.



# Gaussian Beam

- Intensity reduces as  $w(z)^{-1}$  as beam spreads
- Angular spread from the waist is  $\Theta \approx \lambda/w(0)$
- Spherical wavefront: “fit” inside a cavity with spherical end mirrors, so the beam is returned along itself and gets amplified



# Report Template

- Aim
  - intensity profile
  - spot size
  - beam divergence
- Apparatus
- Setup (procedure followed, for each property)
- Observations: Tabulate (for each separately, after setup)
- Calculations, including error analysis
- Result, in bold, for each property. Quote error bars for each result.
- Precautions
- Discussion