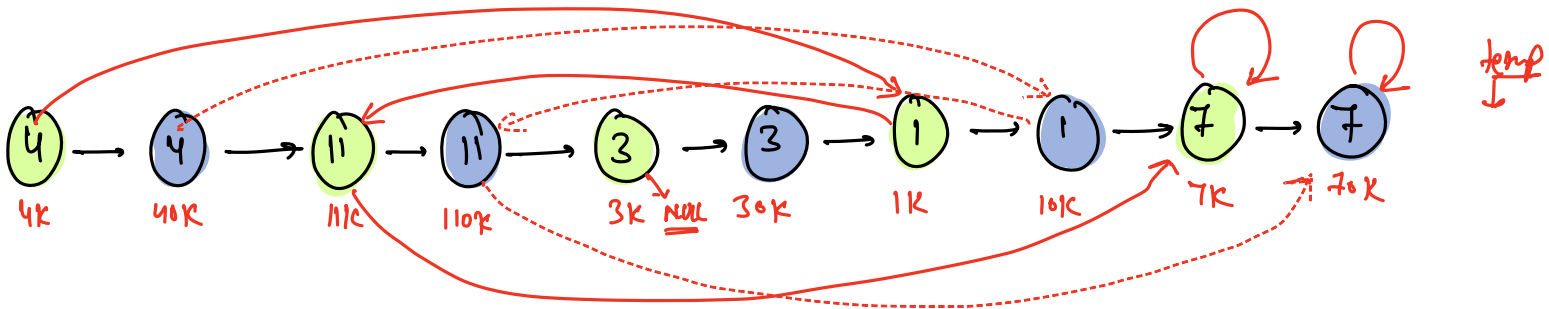
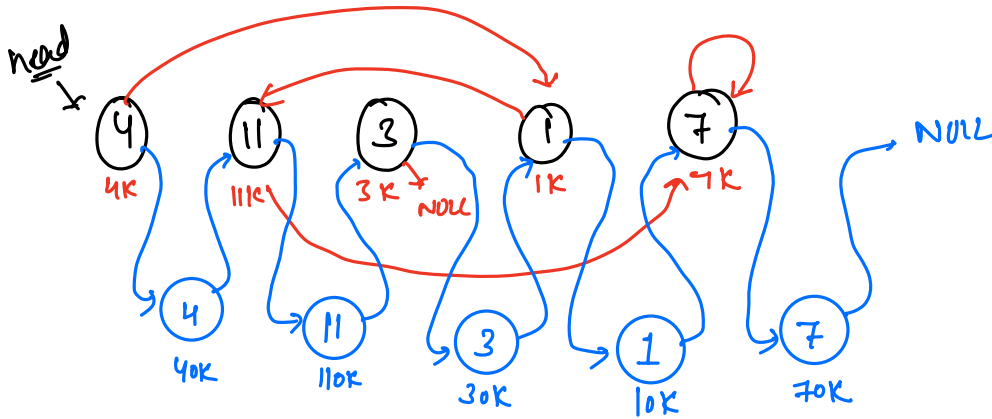


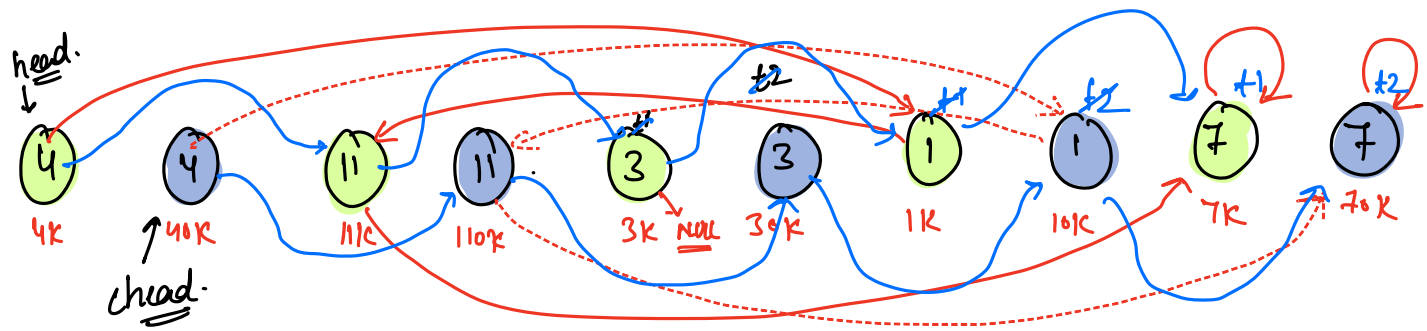
Clone Linked-List With Random Pointer



temp.next.random = temp.random.next;
clone

- ① Insert cloned nodes in the original linked-list.
- ② Set the random pointers of cloned-nodes.
- ③ Separate original and cloned linked-list.

separate?



$t1.next = t1.next.next;$

$t2.next = t2.next.next;$

$t1 = t1.next;$

$t2 = t2.next;$

code \rightarrow ① Insert cloned nodes in the original linked-list.

```
Node temp = head;
while (temp != NULL) {
    nn = new Node(temp.val);
    nn.next = temp.next;
    temp.next = nn;
    // move temp
    temp = temp.next.next;
}
```

② Set the random pointers of cloned-nodes.

```
temp = head;
while (temp != NULL) {
    if (temp.random == NULL) { temp.next.random = NULL; }
    else { temp.next.random = temp.random.next; }
    temp = temp.next.next;
}
```

③ Separate original and cloned linked-list

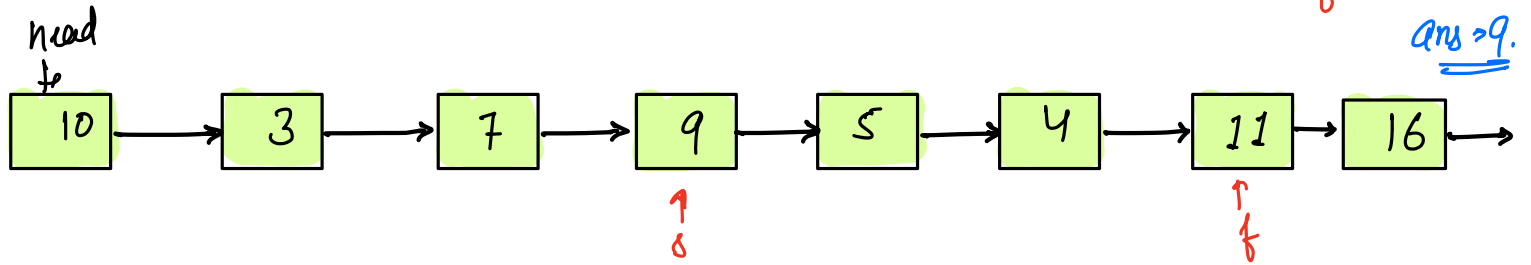
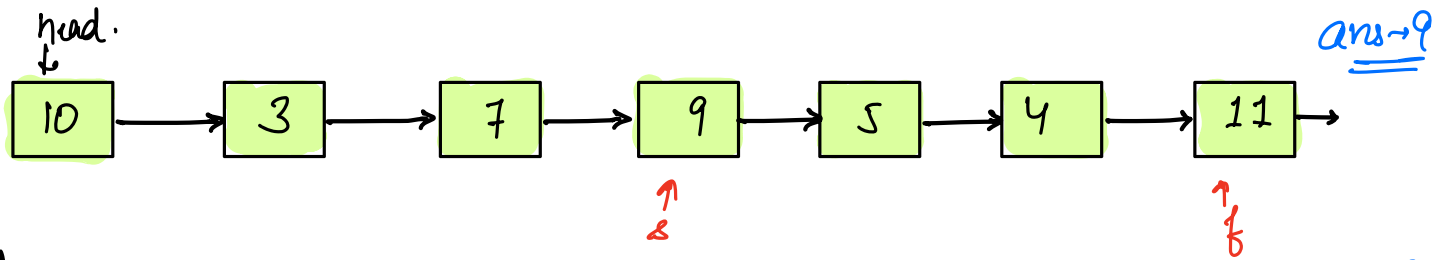
```
chead = head.next;  t1 = head,  t2 = chead;
```

```
while (t2.next != NULL) {
    t1.next = t1.next.next;
    t2.next = t2.next.next;
    t1 = t1.next;
    t2 = t2.next;
}
```

```
t1.next = NULL;
return chead;
```

$\left[\begin{array}{l} \text{T.C} \rightarrow O(N) \\ \text{S.C} \rightarrow O(1) \end{array} \right]$

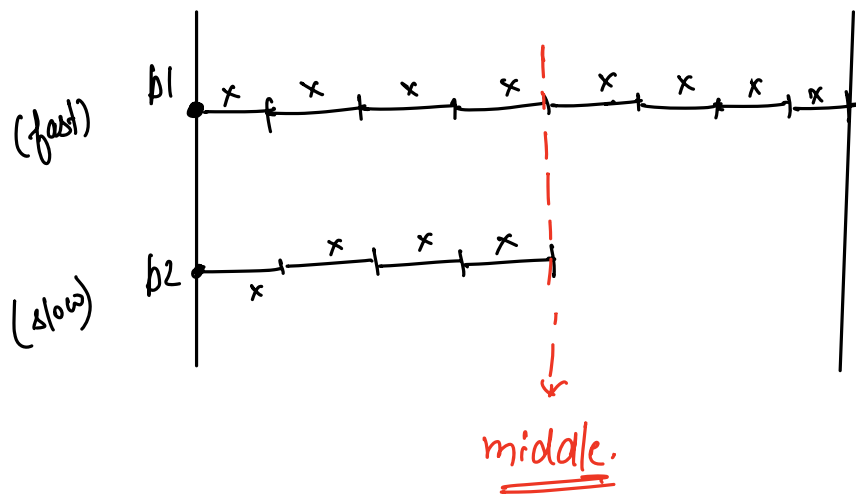
Middle of A Linked List.



idea 1 → iterate and find the length of the linked list.

ans → element present at $\left(\frac{l-1}{2}\right)^{\text{th}}$ index. T.C → $O(N)$
S.C → $O(1)$

Hint.



$$[s_{p1} = 2 * s_{p2}]$$

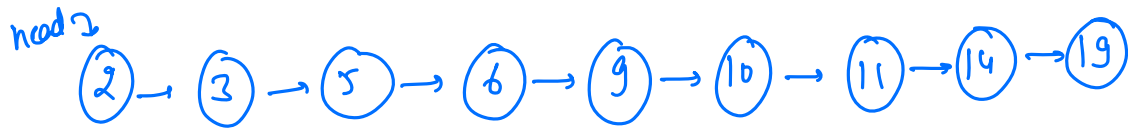
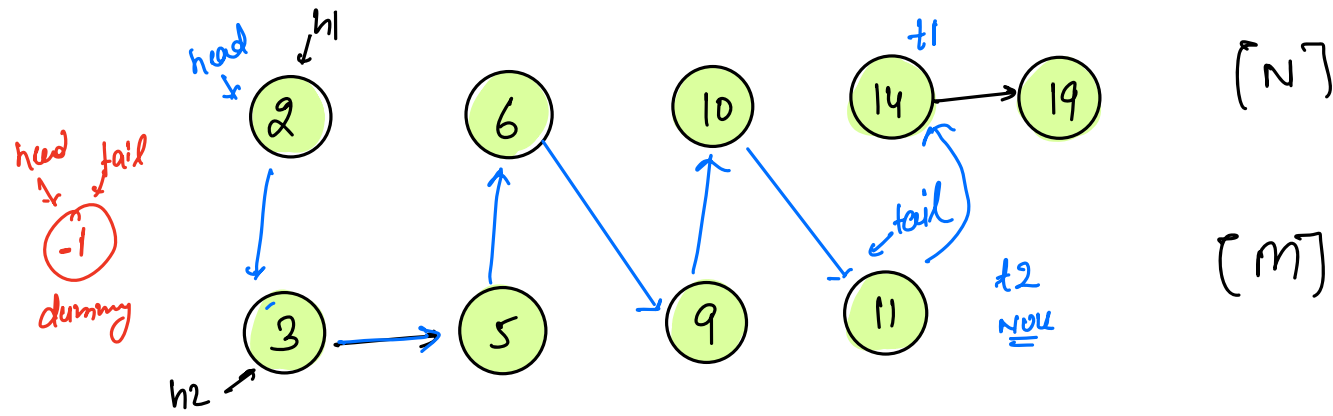
#code →

Node slow = head, fast = head;

```
while (fast.next != null && fast.next.next != null) {  
    slow = slow.next;  
    fast = fast.next.next;  
}  
return slow.val;
```

T.C → $O(N)$
S.C → $O(1)$

Merge Two Sorted Linked-lists



#code--

```
Node head = NULL, tail = NULL, t1 = NULL, t2 = NULL;
```

```
if (h1 == NULL) { return h2; }
```

```
if (h2 == NULL) { return h1; }
```

```
if (h1->val ≤ h2->val) { head = h1, tail = h1, t1 = h1->next, t2 = h2; }
```

```
else { head = h2, tail = h2, t1 = h1, t2 = h2->next; }
```

```
while (t1 != NULL && t2 != NULL) {
```

```
    if (t1->val ≤ t2->val) {
```

```
        tail->next = t1;
```

```
        tail = tail->next;
```

```
        t1 = t1->next;
```

```
    }
```

```
    else {
```

```
        tail->next = t2;
```

```
        tail = tail->next;
```

```
        t2 = t2->next;
```

```
    }
```

```
}
```

Node dummy = new Node(-1);

head = dummy;

tail = dummy;

t1 = h1;

t2 = h2;

```

if (t1 == NULL) {
    tail.next = t2;
}

if (t2 == NULL) {
    tail.next = t1;
}

return head; // dummy.next;

```

$T.C \rightarrow O(N+M)$
 $S.C \rightarrow O(1)$

→ We can use the concept of dummy node to avoid some edge-cases.

```

# Definition for singly-linked list.
# class ListNode:
#     def __init__(self, x):
#         self.val = x
#         self.next = None

class Solution:
    # @param A : head node of linked list
    # @return the head node in the linked list
    def sortList(self, A):
        def middle(head): # Getting middle Node of the Linked List Using Slow and Fast Pointers
            slow = head
            fast = head
            while fast.next and fast.next.next:
                slow = slow.next
                fast = fast.next.next
            return slow

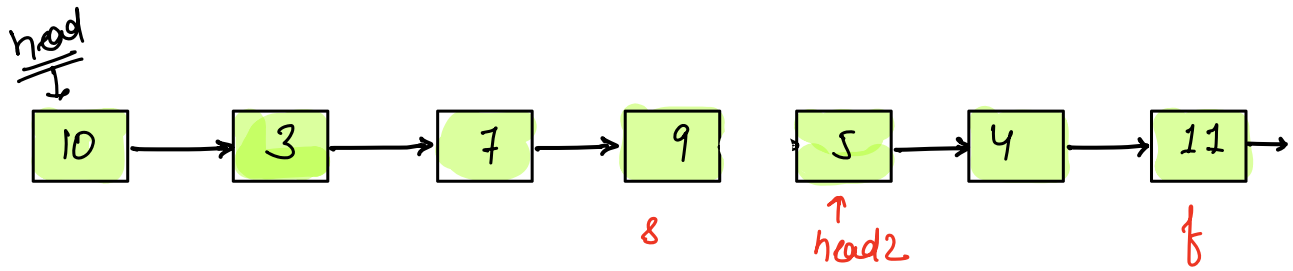
        def mergetwo(l, r): # Merging the two Sorted Linked List
            temp = ans = ListNode(-1)
            while l and r:
                if l.val <= r.val:
                    temp.next = l
                    l = l.next
                else:
                    temp.next = r
                    r = r.next
                temp = temp.next
            while l:
                temp.next = l
                l = l.next
                temp = temp.next
            while r:
                temp.next = r
                r = r.next
                temp = temp.next
            return ans.next

        def solve(head): # Using Merge Sort to Solve the Problem
            if head is None or head.next is None:
                return head
            left = head
            right = middle(head)
            temp = right.next
            right.next = None
            right = temp
            left = solve(left)
            right = solve(right)
            return mergetwo(left, right)

        return solve(A)
    # Time Complexity--> O(nlogn)
    # Space Complexity--> O(logn)

```

Merge Sort a linked list →



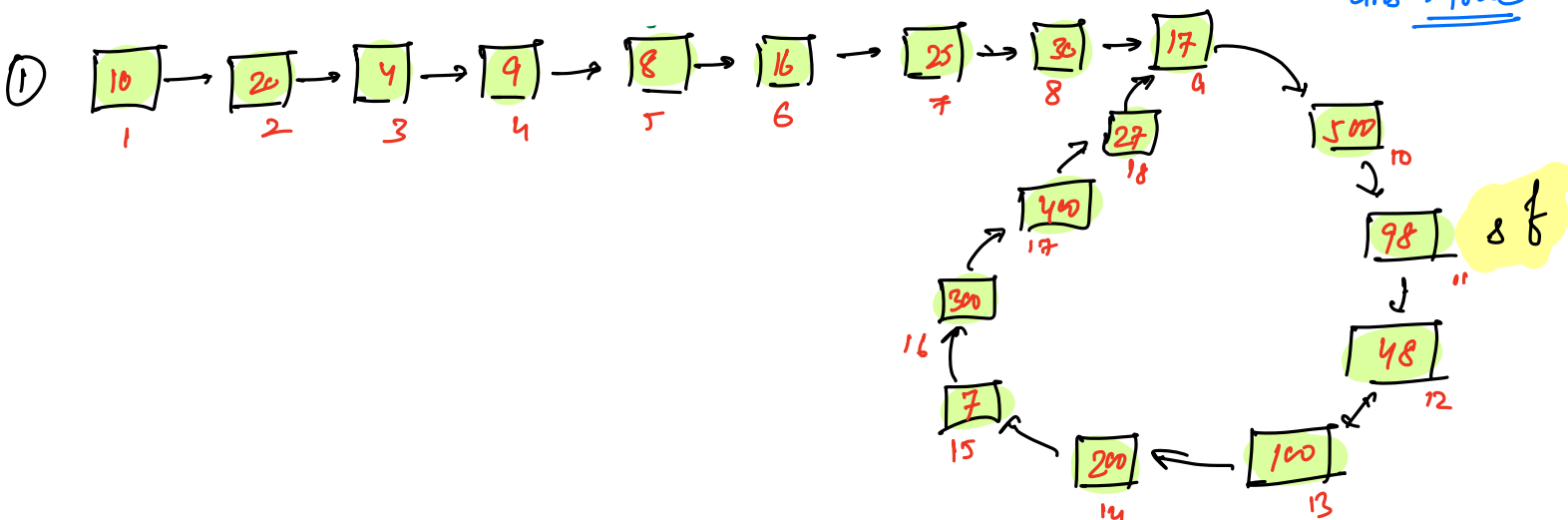
```
Node mergeSortLL ( Node head) {  
    if (head == NULL || head->next == NULL) { return head; }  
    mid = getMiddle ( head );  
    head2 = mid->next;  
    mid->next = NULL;  
    mergeSortLL ( head );  
    mergeSortLL ( head2 );  
    return mergeTwoSortedLL ( head, head2 );  
}
```

#dry run - todo.

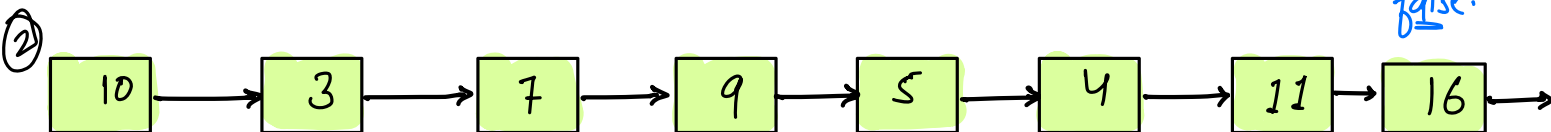
T.C → $O(N \log_2 N)$
S.C → $O(\log_2 N)$

Check if there is a loop

Ans → true



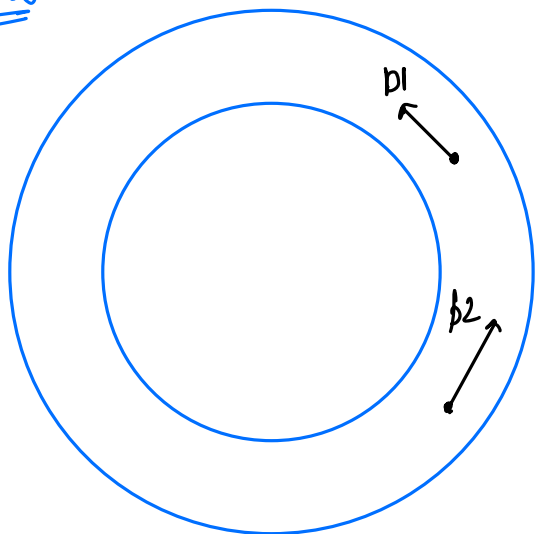
false



idea → use hashset/hashmap to store node references. Check if any node reference is already present → loop. ✓

[T.C → $O(N)$, S.C → $O(N)$]

idea-2



$$\frac{s_{p_1} \neq s_{p_2}}{\Downarrow}$$

they will definitely meet.

pseudo-code.

slow = head, fast = head

while(fast.next != null && fast.next.next != null) {

slow = slow.next;

fast = fast.next.next;

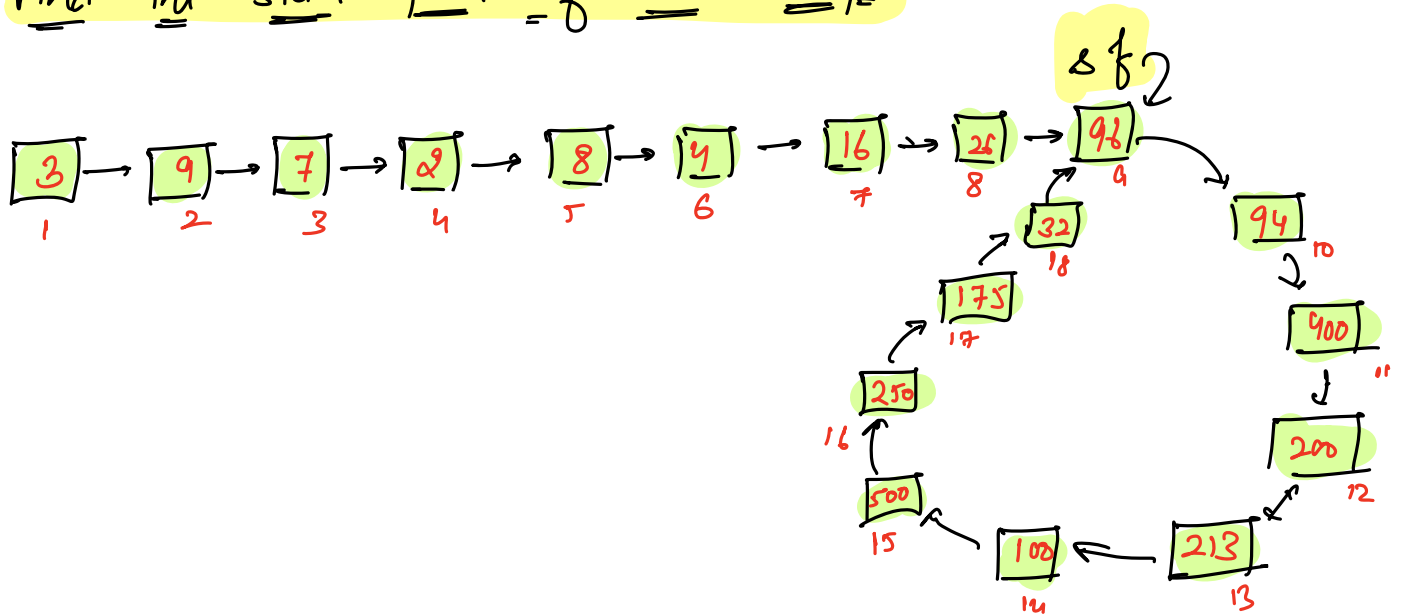
if (slow == fast) { return true; }

}

return false;

$\left[\begin{array}{l} T.C \rightarrow O(N) \\ S.C \rightarrow O(1) \end{array} \right]$

find the start point of the loop



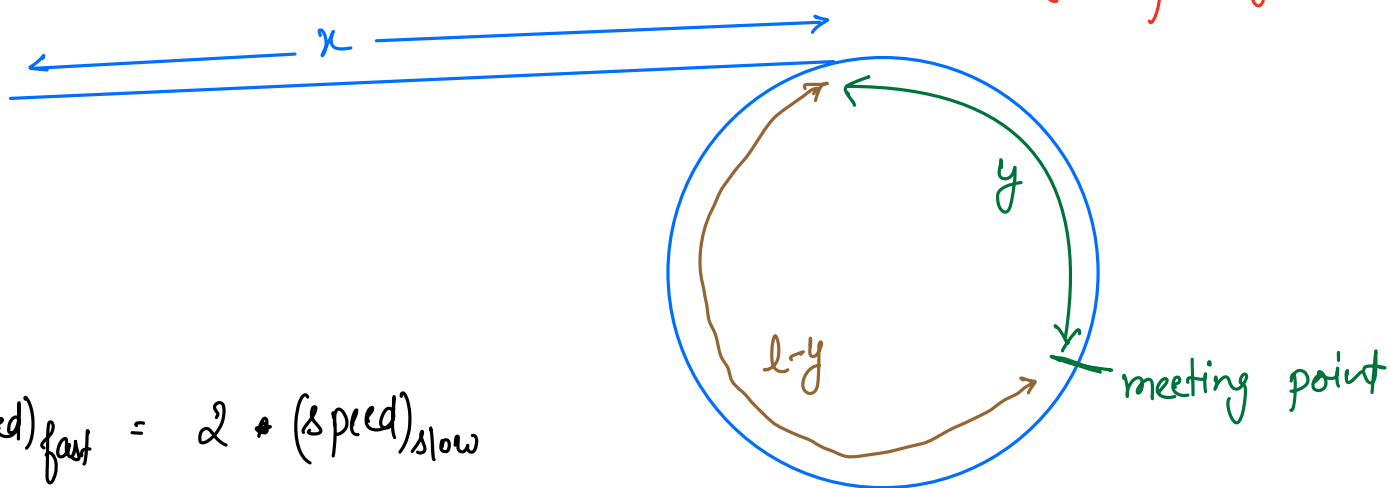
What?

- Reset slow to head
- move both slow & fast one step at a time simultaneously.

their meeting point → start point of the loop.

proof →

$l \rightarrow$ length of loop



$$(\text{speed})_{\text{fast}} = 2 * (\text{speed})_{\text{slow}}$$

no. of rotations by slow $\rightarrow R_1$

no. of rotations by fast $\rightarrow R_2$

distance covered by fast pointer = 2 * distance covered by slow.

$$x + R_2 \cdot l + y = 2 * [x + R_1 \cdot l + y]$$

$$x + R_2 \cdot l + y = 2x + 2R_1 \cdot l + 2y$$

$$R_2 \cdot l - 2R_1 \cdot l = 2x + 2y - x - y$$

$$\underline{(R_2 - 2R_1) \cdot l} = x + y$$

$$R_3 \cdot l = x + y$$

$$\boxed{R_3 \cdot l - y = x}$$

$$R_3 = 1 \Rightarrow l - y = x$$

$$R_3 = 2 \Rightarrow l + (l - y) = x$$

$$R_3 = 3 \Rightarrow 2l + (l - y) = x$$

1
1

$$M \cdot l + (l - y) = x$$

① Visualisation

② Edge-cases. [dummy]

③ { Before submission, dry-run the linked-list problem honestly
& check for NPE.
If you are sure about not getting NPE, then
only submit it. }