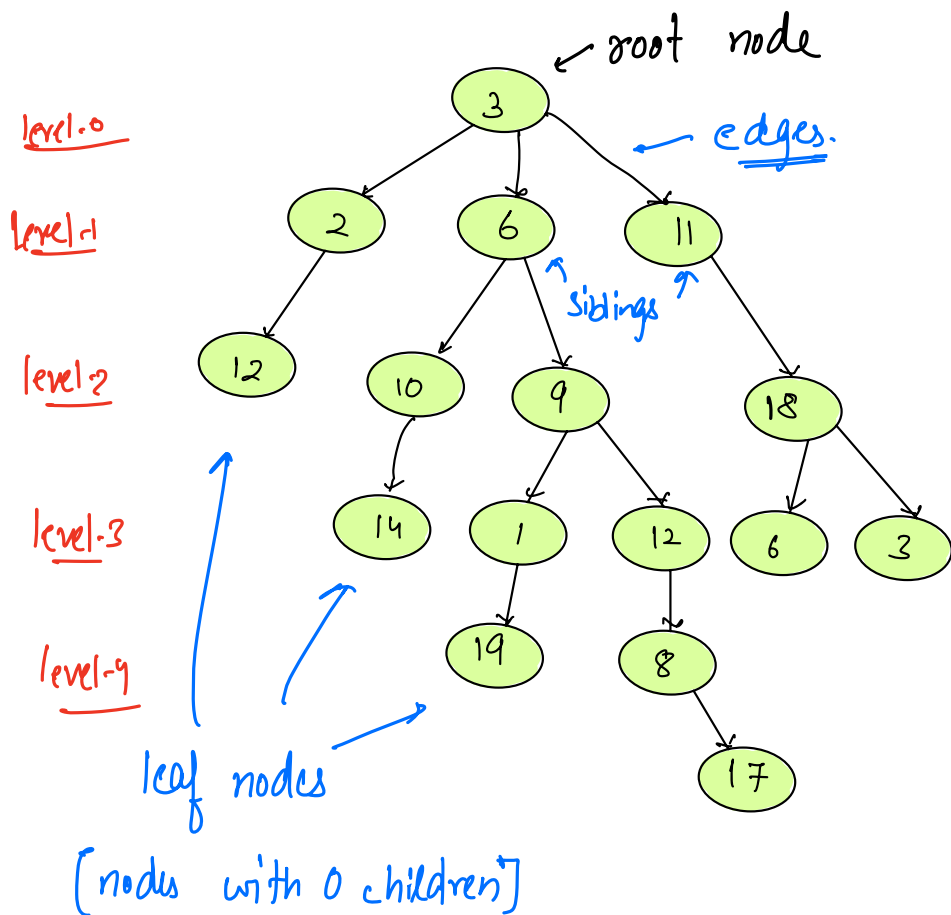
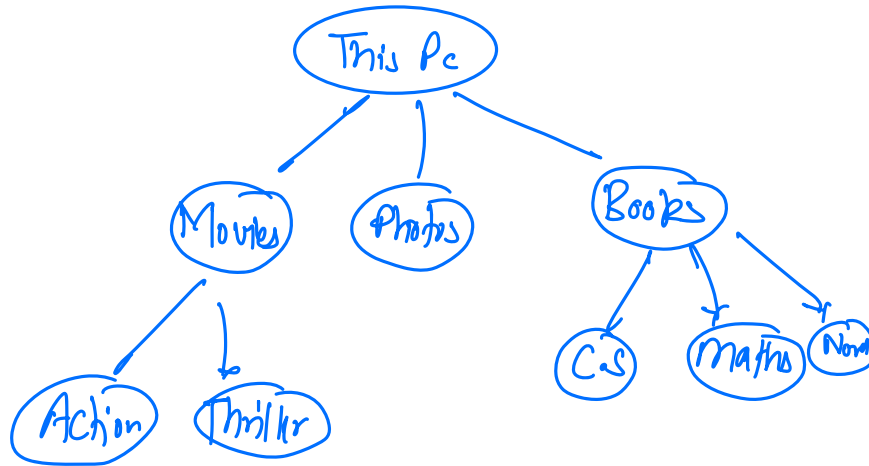
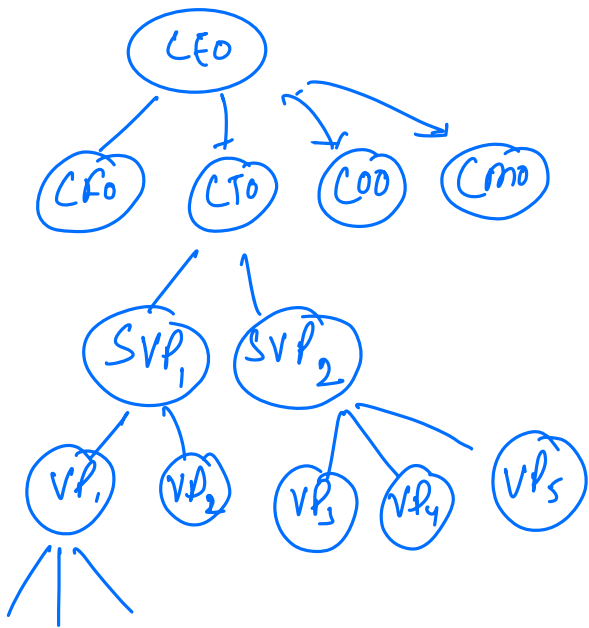


Tree → data structure which stores non-linear info.



12 is descendent of 3

3 is ancestor of 12.

Every node is having exactly one parent node except the root node.

If total no. of nodes are n

no. of edges \rightarrow Exactly $n-1$

Height of a node \rightarrow

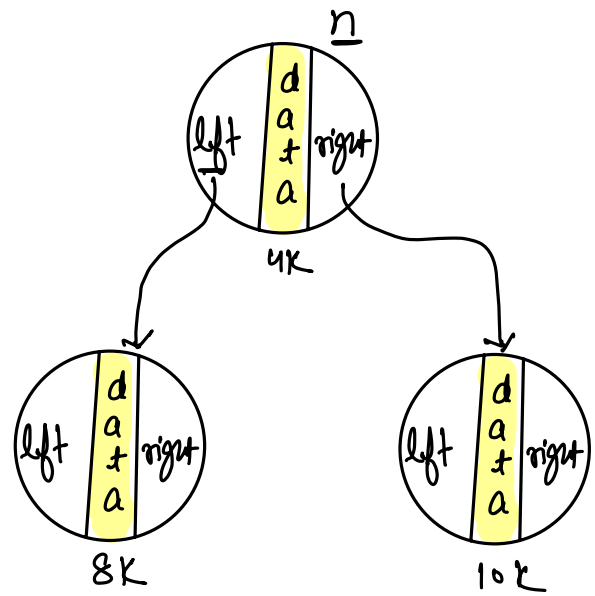
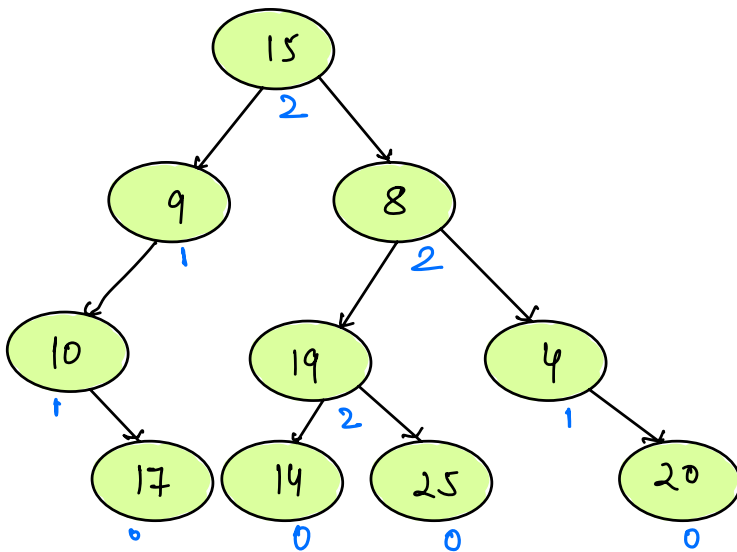
Maximum distance [in terms of edges] between node and its descendent leaf node.

$ht(9) \rightarrow \underline{\underline{3}}$.

Height of a tree \rightarrow Height of the root node.

Depth of a node \rightarrow no. of edges node is away from the root node.

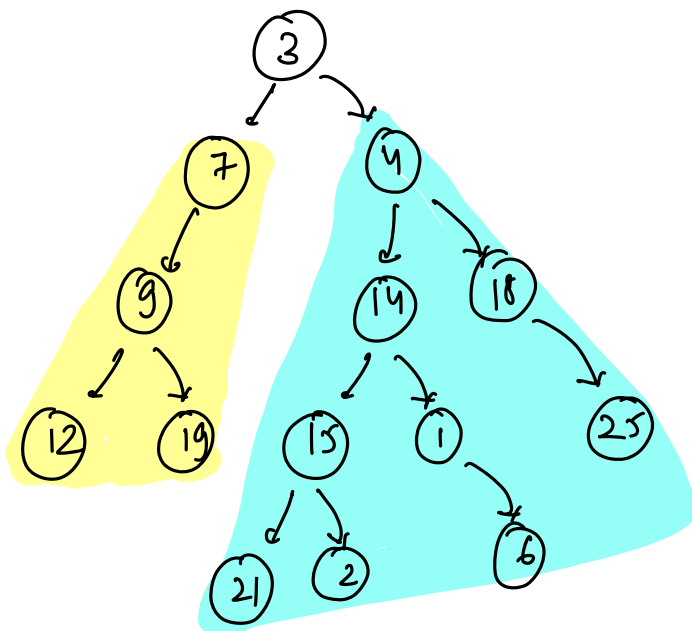
Binary Tree → Every node can have maximum two children.
 $[0, 1, 2]$



```

class Node {
    int data;
    Node left;
    Node right;
}
  
```

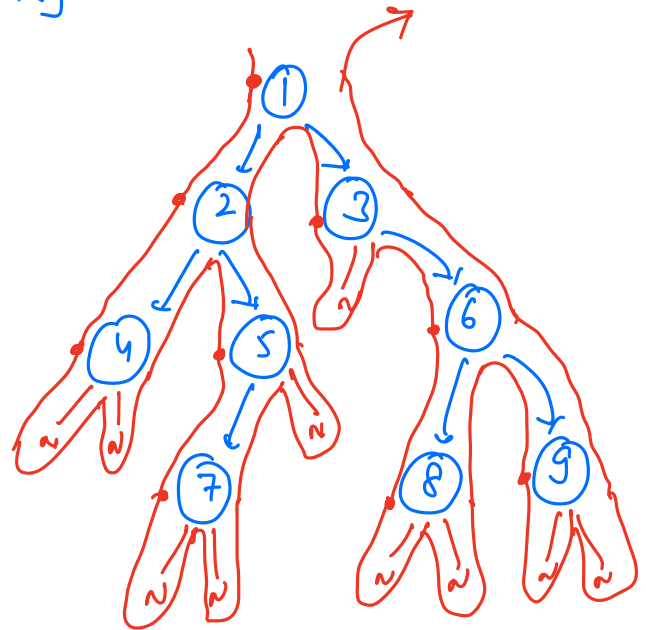
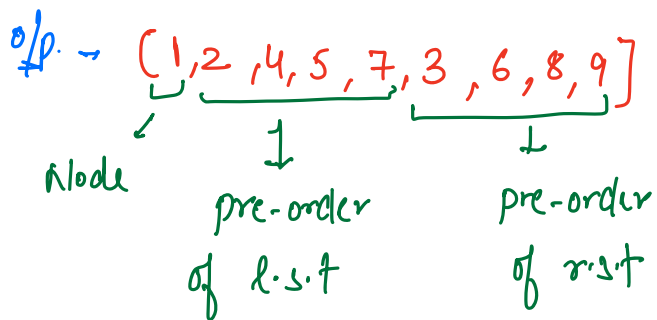
Sub-tree.



[node + all its descendants]

Binary Tree Traversals

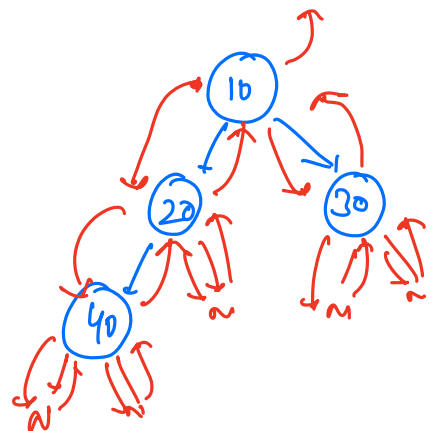
① Pre-order Traversal [N L R]



pre-order of tree = print(root) + pre-order of left sub-tree + pre-order of right sub-tree

```
void pre-order(Node root) {  
    if (root == NULL) { return }  
    print(root.value);  
    pre-order(root.left);  
    pre-order(root.right);  
}
```

T.C $\rightarrow O(N)$
S.C $\rightarrow O(\text{Ht. of tree})$



o/p $\rightarrow [10, 20, 40, 30]$

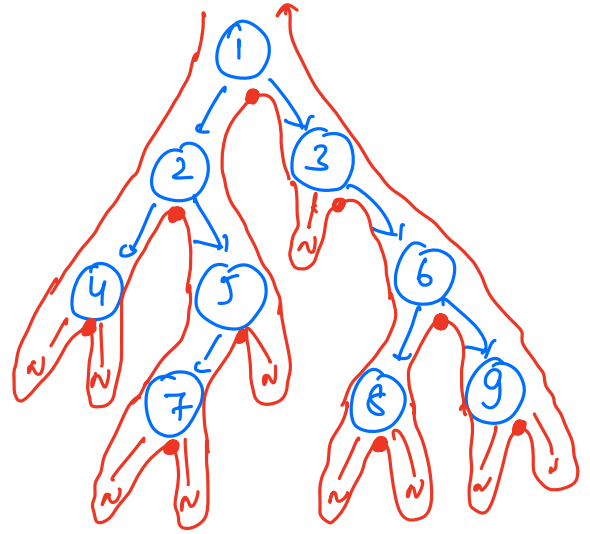
② In-order Traversal (left node right)

in[7- [4, 2, 7, 5, 1, 3, 8, 6, 9]

↓
inorder of
left sub-tree

↓
print
root

↓
inorder of
right sub-tree

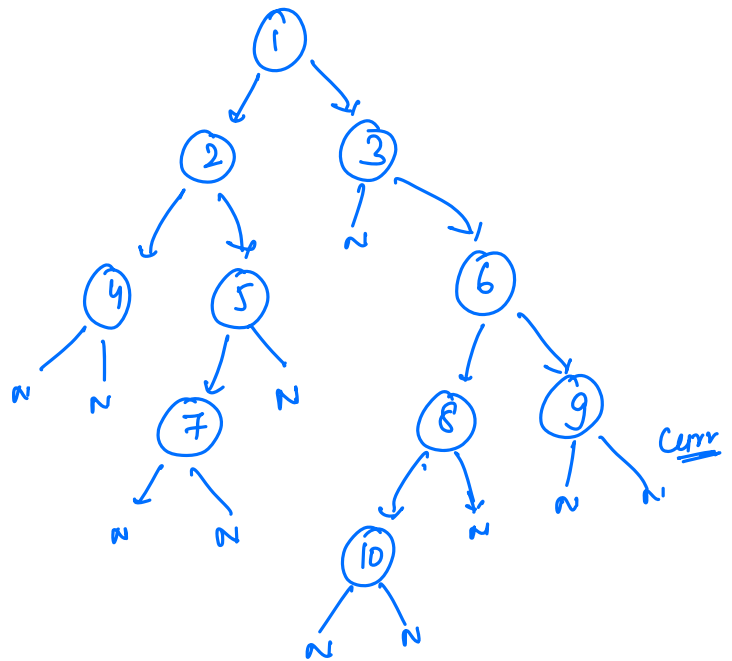
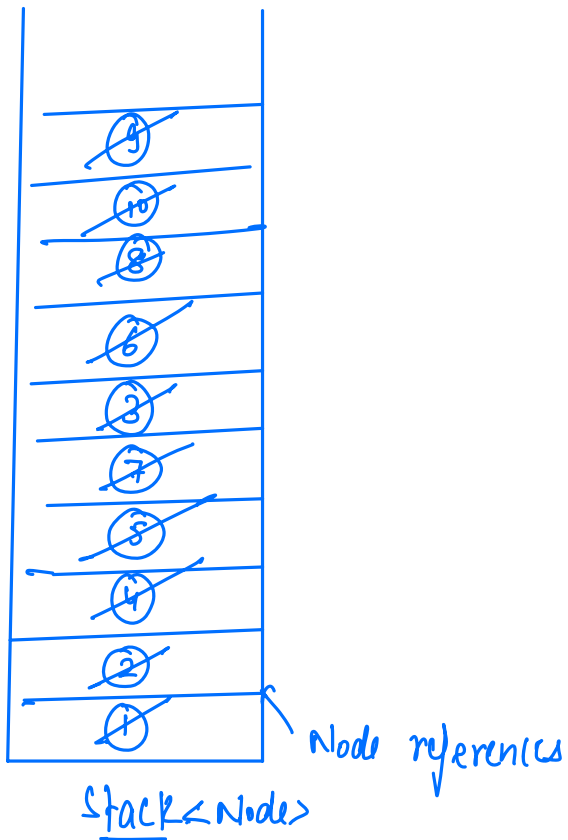


```
void inorder (Node root){  
    if (root == NULL) {return;}  
  
    inorder (root->left);  
    print (root->value);  
    inorder (root->right);  
}
```

T.C $\rightarrow O(N)$
S.C $\rightarrow O(\text{Ht. of tree})$

Post-Order Traversal (left right node)

Iterative In-Order Traversal



o/p. \rightarrow 4, 2, 7, 5, 1, 3, 10, 8, 6, 9

Code. \rightarrow

```
Stack <Node> st;
```

```
Node curr = root;
```

```
while ( st.size() != 0 || curr != NULL ) {
```

```
    while ( curr != NULL ) {  
        st.push(curr);  
        curr = curr.left;  
    }
```

```
    curr = st.pop();  
    print( curr.value );  
    curr = curr.right;
```

```
}
```

T.C $\rightarrow O(N)$
S.C $\rightarrow O(Ht. \text{ of tree})$

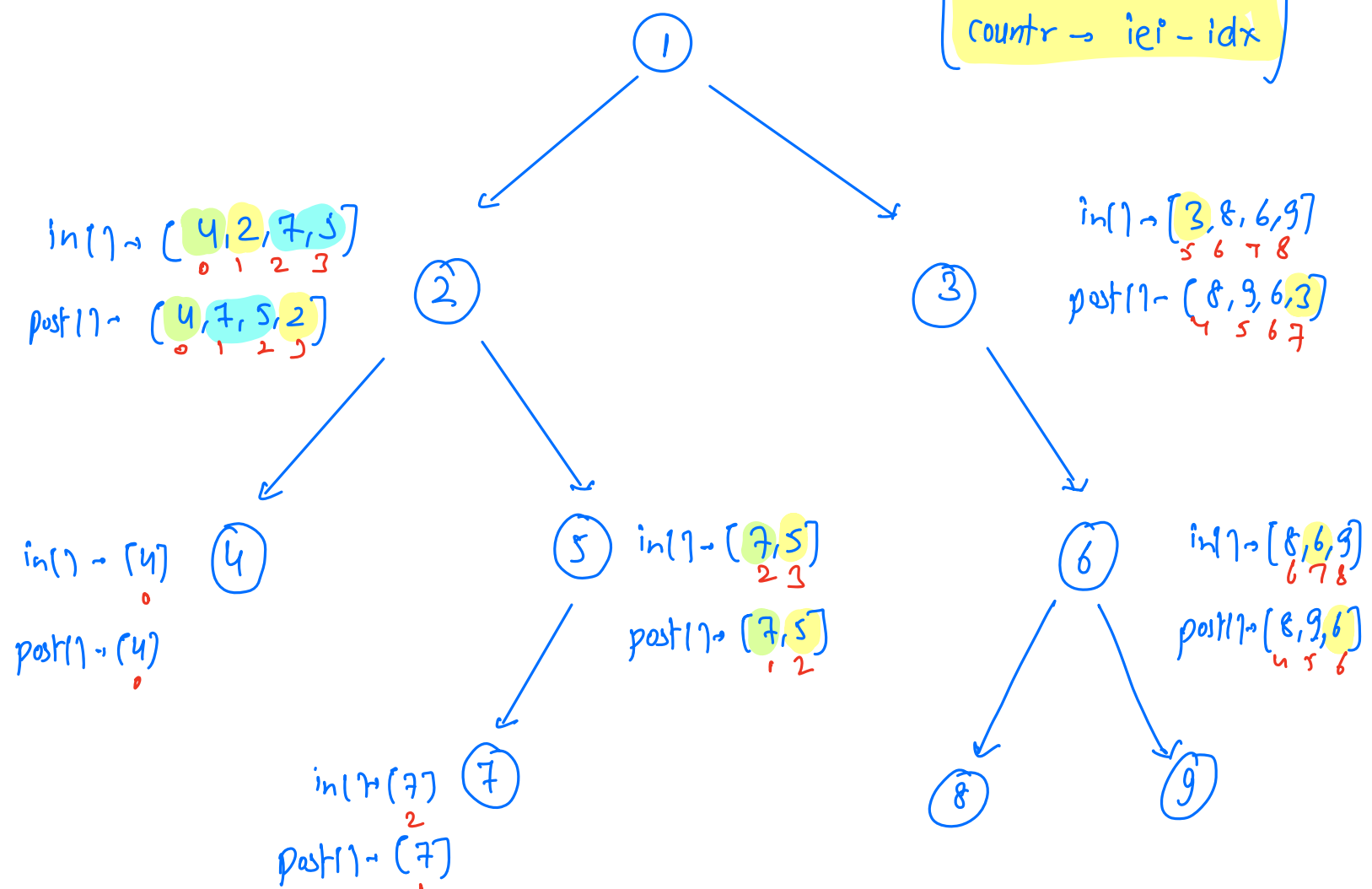
pre-order, post-order - todo

Q. Construct the binary tree from inorder & postorder.
 Given two arrays $in[]$, $post[]$. (unique elements)

$in[] \rightarrow [4, 2, 7, 5, 1, 3, 8, 6, 9]$ L N R
 $post[] \rightarrow [4, 7, 5, 2, 8, 9, 6, 3, 1]$ L R N

$isi \rightarrow$ (points to 4 in $in[]$)
 $idx \rightarrow$ (points to 1 in $in[]$)
 $iei \rightarrow$ (points to 1 in $post[]$)
 $psi \rightarrow$ (points to 4 in $post[]$)
 $pei \rightarrow$ (points to 1 in $post[]$)

$countL \rightarrow idx - isi$
 $countR \rightarrow iei - idx$



code →

Node construct (in[] , post[] , ⁰↑ isi , ^{N-1}↑ iei , ⁰↑ psi , ^{N-1}↑ pei) {

if (isi > iei) { return NULL ;

Node root = new Node (post[pei]);

// find the position of post[pei] in in[]

int idx = -1 ;

for (i = isi ; i ≤ iei ; i++) {
 if (in[i] == post[pei]) {
 idx = i , break ;
 }
}

countL = idx - isi ;

root.left = construct (in[] , post[] , isi , idx-1 , psi , psi + countL - 1);

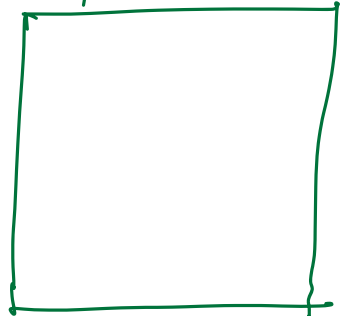
root.right = construct (in[] , post[] , idx+1 , iei , psi + countL , pei-1);

return root ;

}

Hashmap.

idx in
element → in[]



pre[] →

in[] →

$\left[\begin{array}{l} T.C \rightarrow O(N) \\ L.C \rightarrow O(N) \end{array} \right]$

$\left(\begin{array}{l} pre[] \rightarrow \\ post[] \rightarrow \end{array} \right)$ ✗ not valid

Level order Traversal → Trees - 2.

Left View / Right View

Top View / Bottom View

Vertical Order Traversal

4th October

Please Please Please utilise this time efficiently!!