

Q1 Given 2 strings A and B.  $\text{len of str A} = N$ ,  $\text{len of str B} = m$

Count all permutations of A present in B as substring.

[lowercase alphabets]

$N \leq m$

①  $A \rightarrow xyz$

B → xyxzxy [ans=2]

②  $A \rightarrow abcd$

8 → bacdgabcda [ans = 3]

③  $A \rightarrow aaba$

B  $\rightarrow$  aaababaa [ans = 3]

idea. → for every substring of length  $N$  in  $B$ , compare with  $str \rightarrow A$  if that is a permutation of  $str A$  or not

$$\left[ \begin{array}{l} T.C \rightarrow O(m+n) \\ S.C \rightarrow O(1) \end{array} \right]$$
$$\text{str} = [a \ b \ c \ d \ e \ f] \quad , \quad \underline{m=6}$$

substrings of length 1  $\rightarrow$  'a' 'b' 'c' 'd' 'e' 'f'  $[m]$   
 substring of length 2  $\rightarrow$  'ab', 'bc', 'cd', 'de', 'ef'  $[m-1]$   
 3  $\rightarrow$   $[m-2]$   
 4  $\rightarrow$   $[m-3]$

idea-2. Since window size is fixed, sliding window ✓

A → a b c d  
          0 1 2 3

B → b a c d g a b c d a  
          0 1 2 3 4 5 6 7 8 9  
          x x x x x x ✓ ✓ ✓ ✓

count = 0 1 2 3

fA[] → [  $\frac{1}{0}$     $\frac{1}{1}$     $\frac{1}{2}$     $\frac{1}{3}$     $\frac{0}{4}$     $\frac{0}{5}$     $\frac{0}{6}$    -    $\frac{0}{25}$  ]

fB[] → [  $\frac{1}{0}$     $\frac{1}{1}$     $\frac{1}{2}$     $\frac{1}{3}$     $\frac{0}{4}$     $\frac{0}{5}$     $\frac{0}{6}$    -   -    $\frac{0}{25}$  ]

#code.

fA[26], fB[26], ans = 0

```
for( i = 0; i < N; i++) {  
    ch1 = A[i], ch2 = B[i]  
    fA[ch1 - 'a'] ++;  
    fB[ch2 - 'a'] ++;  
}
```

if (compare(fA[], fB[]) == true) { ans += 1 }

```

for( i = N; i < m; i++) {
    fB[ B[i] - 'a' ] ++;
    fB[ B[i-N] - 'a' ] --;
    if ( compare (fA, fB) == true ) {
        ans += 1;
    }
}

return ans;

```

$T.C \rightarrow O(m)$   
 $S.C \rightarrow O(1)$

```

boolean compare ( int[] fA, int[] fB ) {
    for( i = 0; i < 26; i++) {
        if ( fA[i] != fB[i] ) {
            return false;
        }
    }
    return true;
}

```

$\rightarrow O(1)$

Q2: Given a large text (str A of length N) and small pattern (string B of length m). [ $m < N$ ]  
Find the count of times B is present as substring in A.

A = "a c b a c a b c a" (N)      ||      a b c a c a b c a  
           0 1 2 3 4 5 6 7 8  
 B = "b c a" (m)                      b c a  
           0 1 2

A = "a b a b c a b a c" (N)      ans = 3  
 B = "a b a" (m)

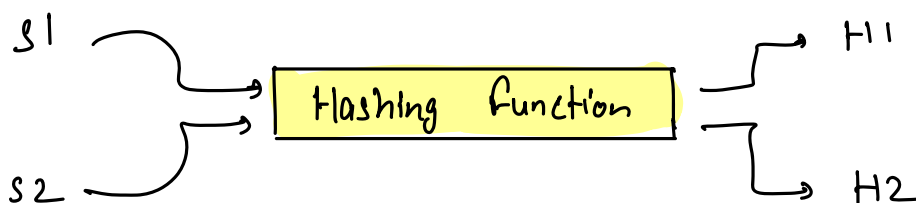
idea-1 → Consider all substrings of length m in string A & check if they are equal to string B or not.

T.C →  $O(N * m)$

Sliding Window X

Strings.

integer



① Sum of ASCII values -

a b c

$$97 + 98 + 99 = 294$$

$$\begin{bmatrix} abc \\ acb \\ bac \\ bca \\ cab \\ cba \end{bmatrix} = \underline{\underline{294}}$$

{ There is a lot }  
of collision.

② ASCII value with position -

$$\begin{matrix} a & b & c \\ 1 & 2 & 3 \end{matrix} = (97 \times 1) + (98 \times 2) + (99 \times 3)$$

= \_\_\_\_\_

{ collisions }

Hint -

$$\begin{array}{c} \text{Decimal no's.} \\ \hline (10) \end{array} \quad \rightarrow \quad \begin{array}{c} 41396 \\ \downarrow \end{array}$$

$$4 \times \underline{10^4} + 1 \times \underline{10^3} + 3 \times \underline{10^2} + 9 \times \underline{10^1} + 6 \times \underline{10^0}$$

b a d e f  
0 1 2 3 4

$$(b) \times 26^4 + (a) \times 26^3 + (d) \times 26^2 + (e) \times 26^1 + (f) \times 26^0$$

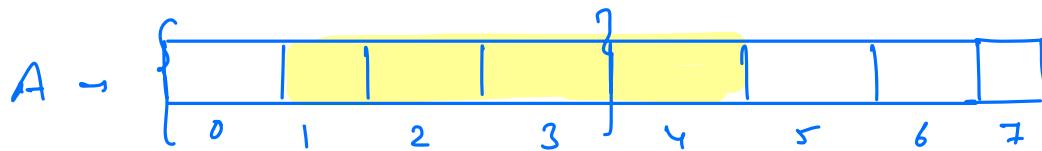
$$\left\{ \sum_{i=0}^{\text{len}-1} \text{ch}[i] * p^{\text{len}-i-1} \right\}$$

$$p \rightarrow 26$$

↓  
very large (overflow)

$$\Rightarrow \left\{ \sum_{i=0}^{\text{len}-1} \text{ch}[i] * p^{\text{len}-i-1} \% m \right\}$$

$$m \rightarrow 10^9 + 7$$



$$m = 4$$

$$H1 = A[0] \times p^3 + A[1] \times p^2 + A[2] \times p^1 + A[3] \times p^0$$

$$H2 = A[1] \times p^3 + A[2] \times p^2 + A[3] \times p^1 + A[4] \times p^0$$

$$H2 = (H1 - A[0] \times p^3) * p + A[4]$$

$$T.C \rightarrow \underline{O(1)}$$



Disadvantage.  $\rightarrow$  collisions.

$$\text{mod} \rightarrow 10^9 + 7$$

$$\% \text{ mod} \rightarrow [0, 10^9 + 6]$$

0    1    2    —————  $10^9 + 6$

$$S_1 = H_1 = 0$$

$$S_2 = H_2 = \frac{1}{\text{mod}}$$

$$S_3 = H_3 = \frac{2}{\text{mod}}$$

$$S_4 = H_4 = \frac{3}{\text{mod}}$$

$\vdots$

$$S_N = H_N = \frac{N-1}{\text{mod}}$$

$$= \frac{10^5 - 1}{10^9 + 7} \approx \frac{10^5}{10^9} \approx 10^{-4} = 0.0001$$

$$N \leq 10^5$$

$$\text{mod} = 10^9 + 7$$

$$\left\{ \% \text{ of collision} \Rightarrow 10^{-4} \times 10^2 = 0.01 \% \right\}$$

$\therefore$  Rabin Karp is 99.99% accurate.  
 $\approx \underline{100\%}$  ✓

$\left[ \begin{array}{l} \text{Z- Algo} \\ \text{Kmp} \end{array} \right] \underline{100\%}$  ✓



Given a large text (str A of length  $N$ ) and small pattern (string B of length  $m$ ).  $[m < N]$

Find the count of times B is present as substring in A.

A = "abc bc abca" [N]  
          0 1 2 3 4 5 6 7 8  
B = "bca" [m]  
          0 1 2

#code  $\rightarrow$  ans = 0

11. Find hash value of string B

long hb = 0, p = 26, long power = 1, mod =  $10^9 + 7$

```
for( i = m-1; i >= 0; i--){  
    ch = B[i];  
    hb = (hb + ch * power) % mod;  
    power = (power * p) % mod;  
}
```

12. Find hash value of first m characters of string A

long ha = 0, power = 1

```
for( i = m-1; i >= 0; i--){  
    ch = A[i];  
    ha = (ha + ch * power) % mod;  
    power = (power * p) % mod;  
}
```

```
if (ha == hb) { ans += 1 }
```

```
long largest power = fast power( p, m-1, mod);
```

```
for( i=m; i < N; i++){  
    ha = [ha - A[i-m] * largest power] * p + A[i]  
  
    if (ha == hb) { ans += 1 }  
}
```

```
return ans;
```

T.C  $\rightarrow O(N)$   
S.C  $\rightarrow O(\log m)$

Arrays

B.m

Maths

Recursion

Sorting

Searching

Hashing

Linkedlist

Stack

Queue

Trees

Tric

Heap

BackTracking

Greedy

D.P

Graphs

$\rightarrow$  80% problems  
can be expected  
from these topics  
in an interview.

