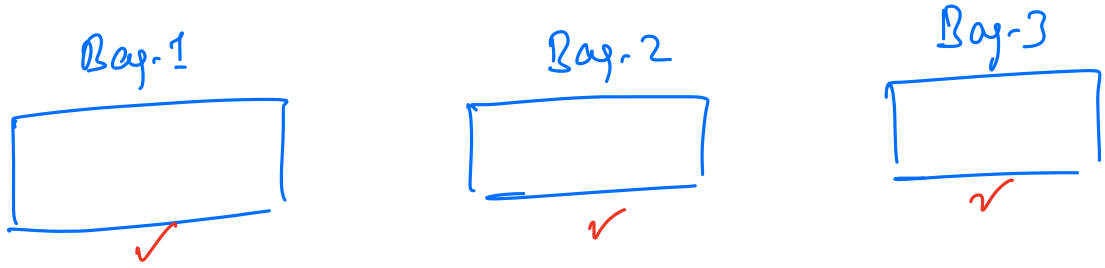
Recursion → solving a problem using sub-problems.

Backtracking → an algorithmic technique by which we can try out all the possibilities using recursion.

↓

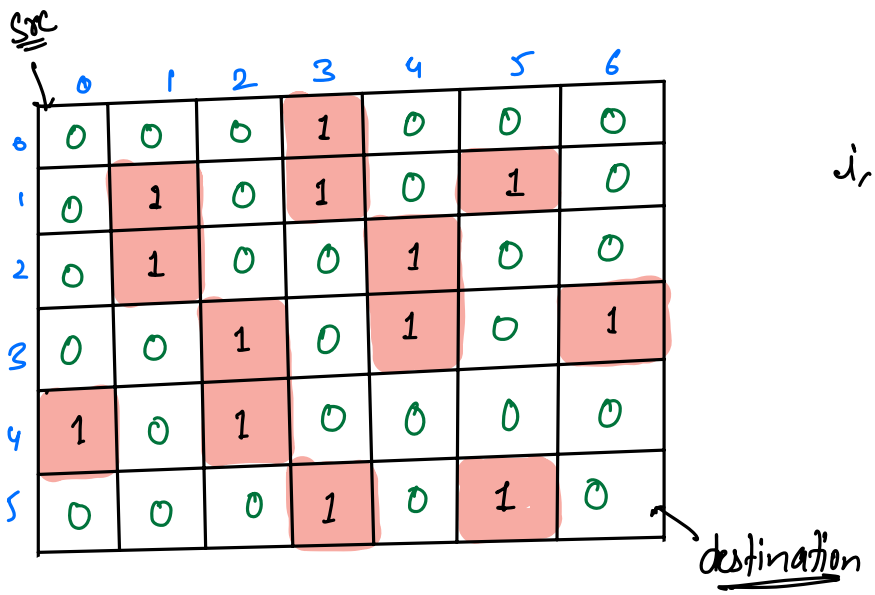
Brute-force

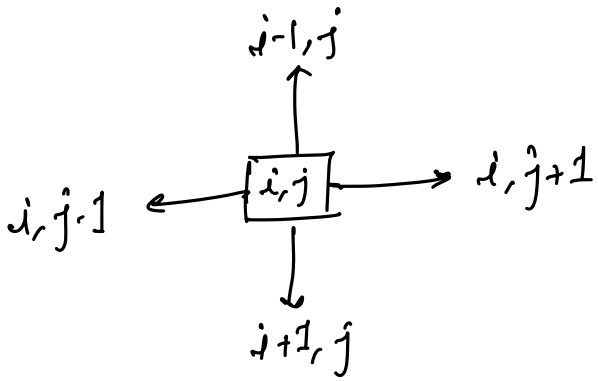


Rat In A Maze [N*M]

Check if it is possible to go from top-left to bottom right cell in a maze with blocked cell.

Note : You can't visit a cell more than once.





arr[i][j] = 0 ["empty"]

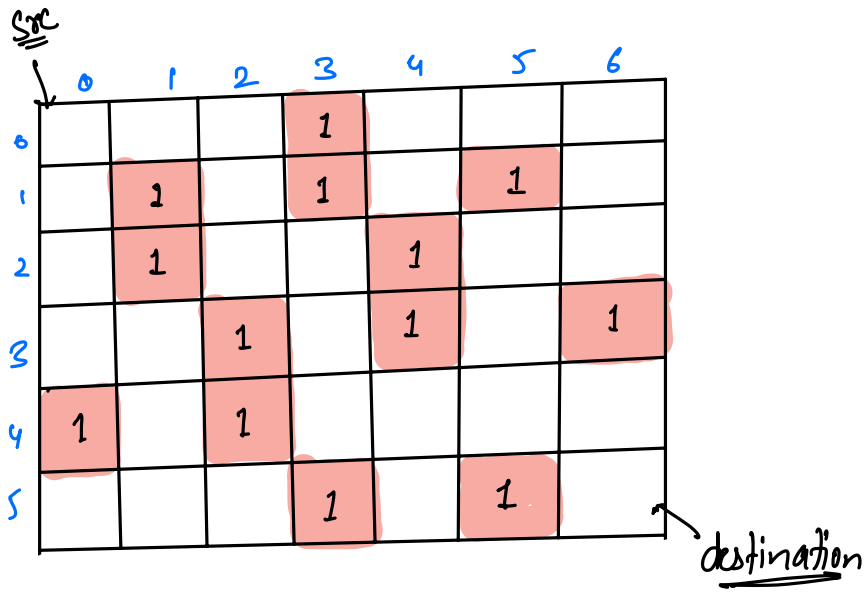
arr[i][j] = 1 ["blocked"]

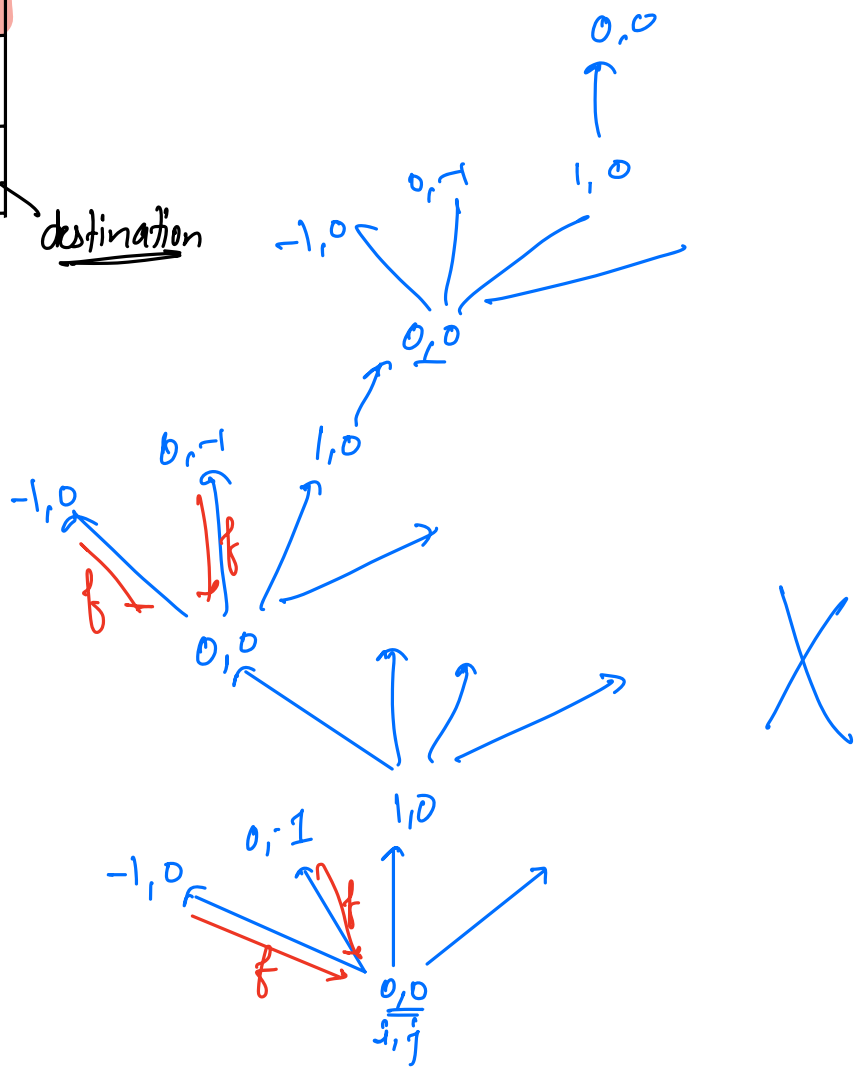
```
boolean check ( arr[][], i, j ){

    if( i == N-1 && j == M-1 ) { return true }

    if( i < 0 || j < 0 || i ≥ N || j ≥ m || arr[i][j] == 1 ){
        return false;
    }

    return ( check( arr[][], i-1, j) || check( arr[][], i, j-1) ||
             check (arr[][], i+1, j) || chuck(arr[][], i, j+1) );
}
```





∴ We should keep track of visited cells.

boolean [N][M] → true (cell is visited)
→ false (cell is not visited)

arr [N][M] → 0 → empty
→ 1 → blocked
→ 2 → visited.

final-code.

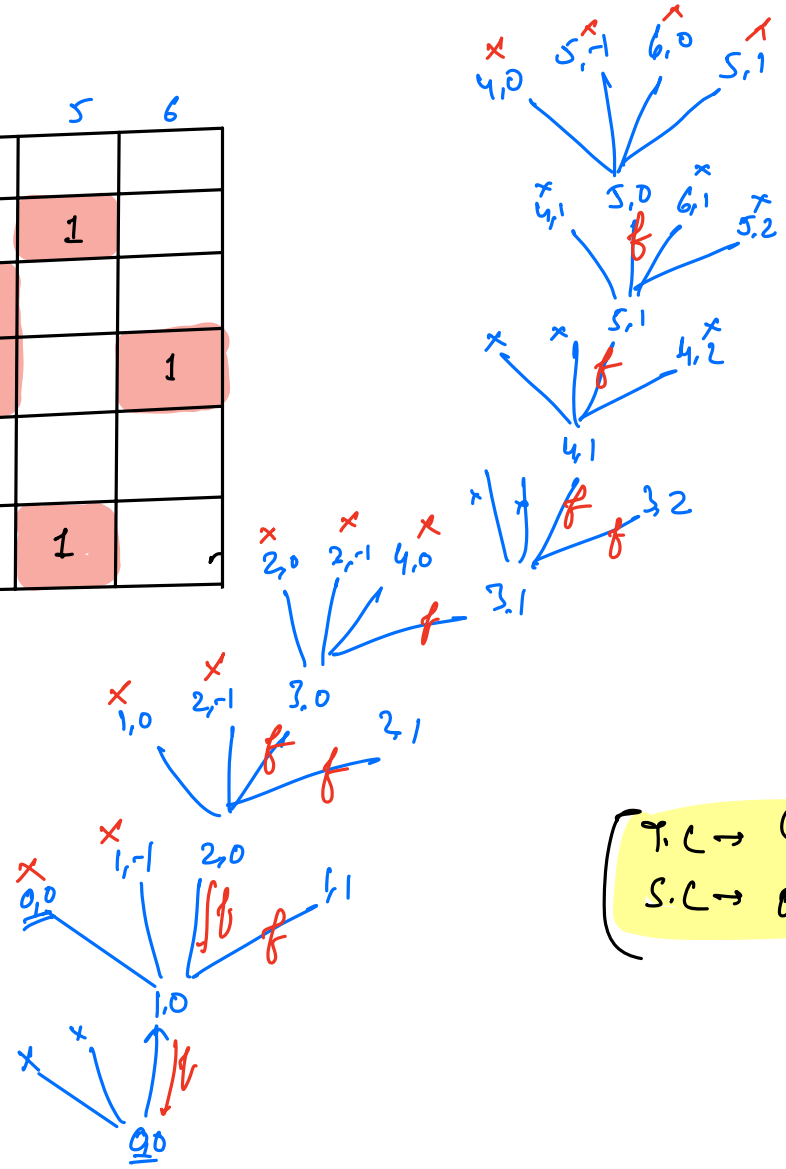
```
boolean check ( arr[][], i, j ){
    if( i == N-1 && j == M-1) { return true }

    if( i<0 || j<0 || i≥N || j≥m || arr[i][j] == 1 || arr[i][j] == 2){
        return false;

    arr[i][j] = 2 ;   [marking it visited]

    return ( check( arr[][], i-1, j) || check( arr[][], i, j-1) ||
             check (arr[][], i+1, j) || check( arr[][], i, j+1) );
}
```

	0	1	2	3	4	5	6
0	2			1			
1	2	1		1		1	
2	2	1			1		
3	2	2	1		1		1
4	1	2	1				
5	2	2	1	1		1	



T.C → O(N*m)
S.C → O(N*m)

Permutations - 1

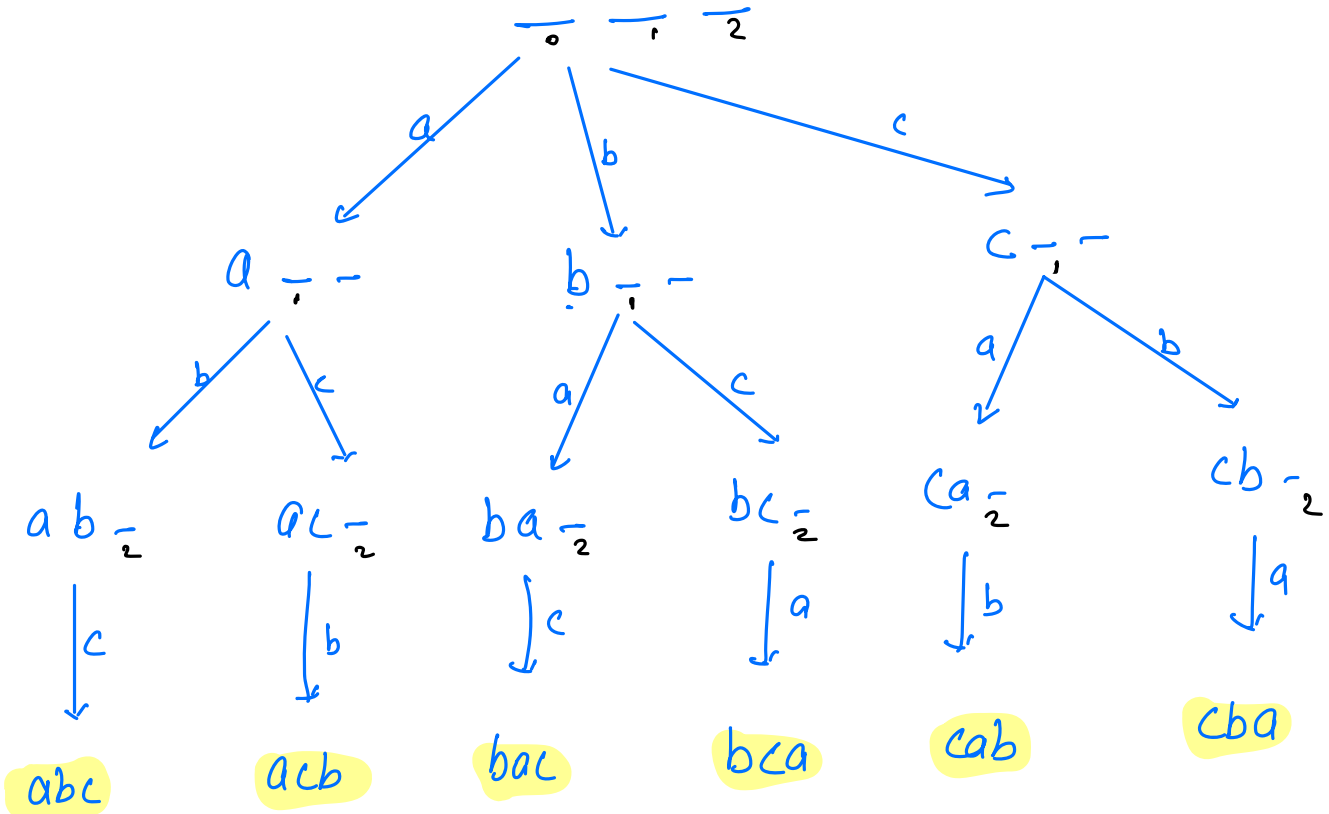
Given a character array with distinct elements, print all permutations of it without modifying it.

A - [a b c]

o/p. → [abc, acb, bac, bca, cab, cba]

3 * 2 * 1 = 6.

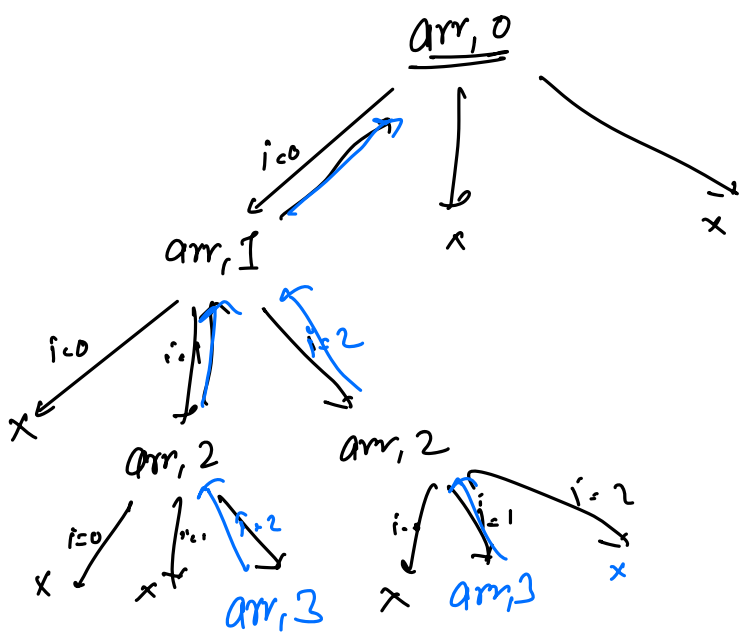
N * N-1 * N-2 * ___ * 1 = N!

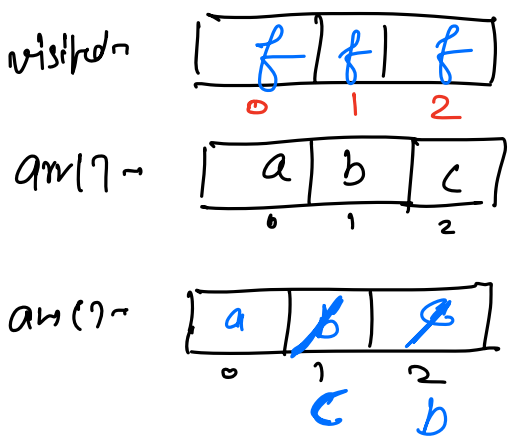


⇒ Keep track of visited / acquired characters.

code :-

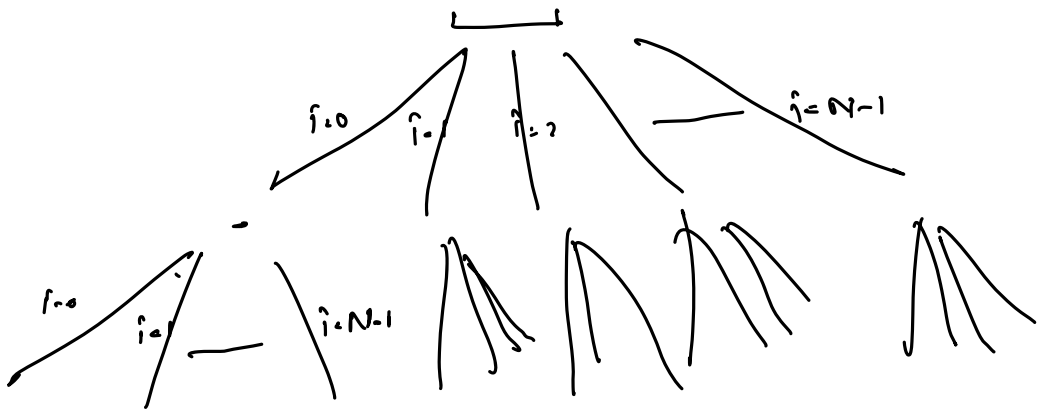
```
void permutations( char[] arr, int idx, char[] ans, boolean[] visited){
    if( idx == N) { print(ans[]) , return }
    for( i=0; i<N; i++){        // exploring all possibilities
        if( visited[i] == false){ // valid possibilities
            visited[i] = true;          ]  do-change
            ans[idx] = arr[i];          ]
            permutations(arr, idx+1, ans, visited); ] Recursive call
            visited[i] = false;         ] Undo-change.
        }
    }
}
```





T.C → O(N * N!)

S.C → O(N)



→ 1.

→ N

→ N!=N*(N-1)

→ N!=N*(N-1)*(N-2)

→ N!=N*(N-1)*(N-2)*(N-3)

|

|

→ N!

Permutations - 2

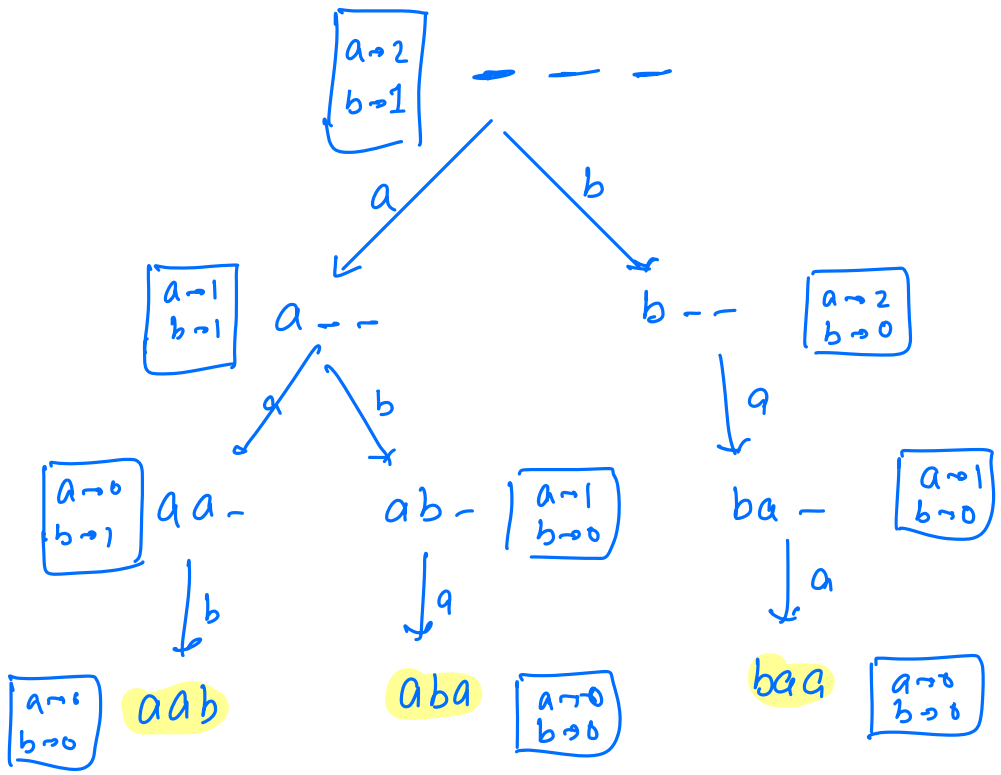
Print all unique permutations of the given char array.

str - [a b a] o/p. → [aab, aba, baa]

MISSISSIPPI → $\frac{11!}{4!\,4!\,2!}$ → $\frac{N!}{f(a)!\,f(b)!\,f(i)!\,\ldots\,f(z)!}$

idea-1 → insert all permutation in hashset.

But SC → O(N!)



#code.-

```
Void permutations2 ( farr[26] , N , ans[N] , idx ) {
    if ( idx == N ) { print(ans) , return } ;

    for ( i=0 ; i < 26 ; i++ ) {   // exploring all possibilities
        if ( farr[i] > 0 ) {   // valid possibilities
            ans[idx] = (char)(i + 'a') ;   ] do change
            farr[i] -= 1 ;
            permutations2 ( farr[7, N, ans[7, idx+1) ; //rec. call
            farr[i] += 1 ;   ] undo-change
        }
    }
}
```

[T.C → O(N!)
S.C → O(N)]

Subset:

arr[] → [10, 20, 30]

[-]

[10]

[10, 20]

[10, 20, 30]

[10, 30]

[20]

[20, 30]

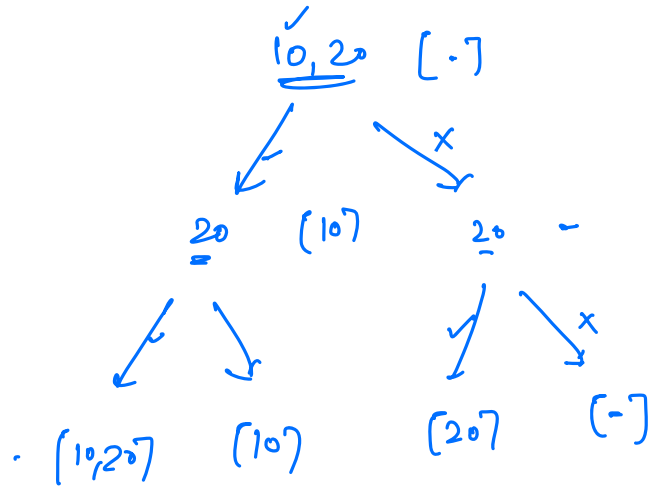
[30]

```
void subsets ( arr[], idx , list<int> l ) {
    if(idx == N) { print(l) , return}

    subsets( arr[], idx+1, l );
    l.insert( arr[idx]);
    subsets ( arr[], idx+1, l);
    l.remove( l.size() - 1);
}
```

T.C → $O(2^N)$

S.C → $O(N)$



P.S.I → 11:00 A.M – 1:00 PM

→ N-Queens

→ Sudoku.

---

2 days (medium level)