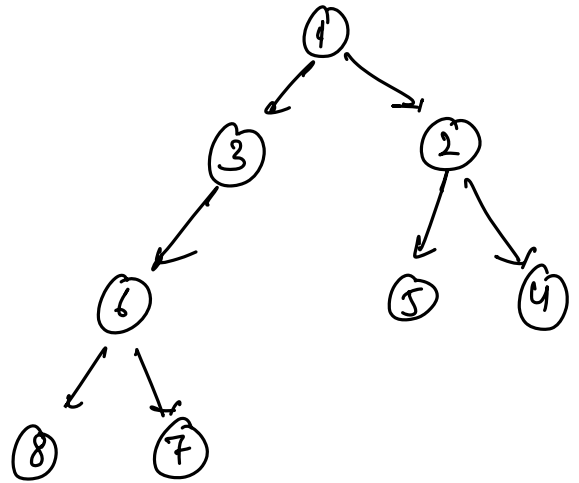
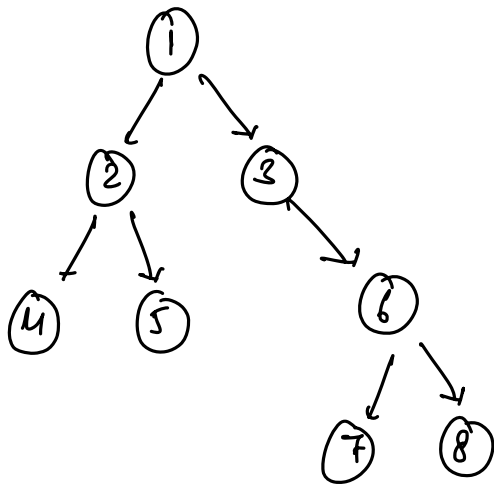


Today's content →

- ① Invert Binary Tree
- ② Equal Tree Partition
- ③ Next Pointer in Binary Tree
- ④ Root to Leaf Path Sum = K
- ⑤ Diameter of Binary Tree.

# ① Invert a Binary Tree



≠ nodes, swap left and right child

```
void invert (Node root) {
```

```
    if (root == NULL) { return; }
```

```
    // swapping left and right child
```

```
    Node temp = root->left;
```

```
    root->left = root->right;
```

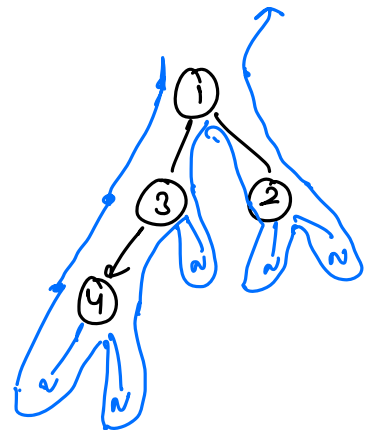
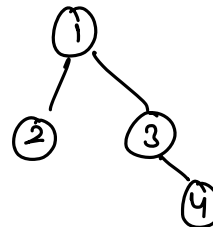
```
    root->right = temp;
```

```
    invert (root->left);
```

```
    invert (root->right);
```

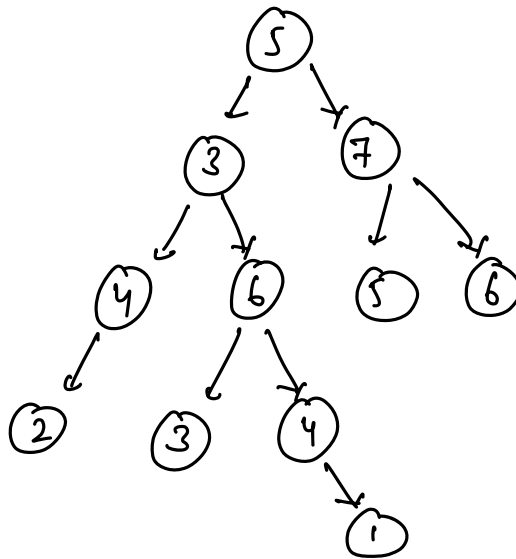
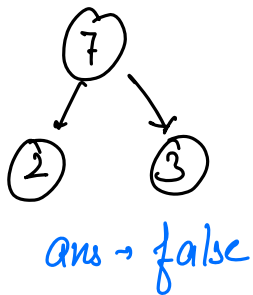
```
}
```

$T.C \rightarrow O(N)$   
 $S.C \rightarrow O(Ht.)$



## Equal Tree Partition

Check if it is possible to remove an edge from the given binary tree such that sum of resultant two trees is equal.



ans  $\rightarrow$  true

### Observations

- ① If total sum of binary tree is odd  $\rightarrow$  return false  
even  $\rightarrow$  check & find ans.
- ② One of the two trees will be a sub-tree.

We are looking for a sub-tree with sum =  $\frac{\text{total Sum}}{2}$ .

# code...

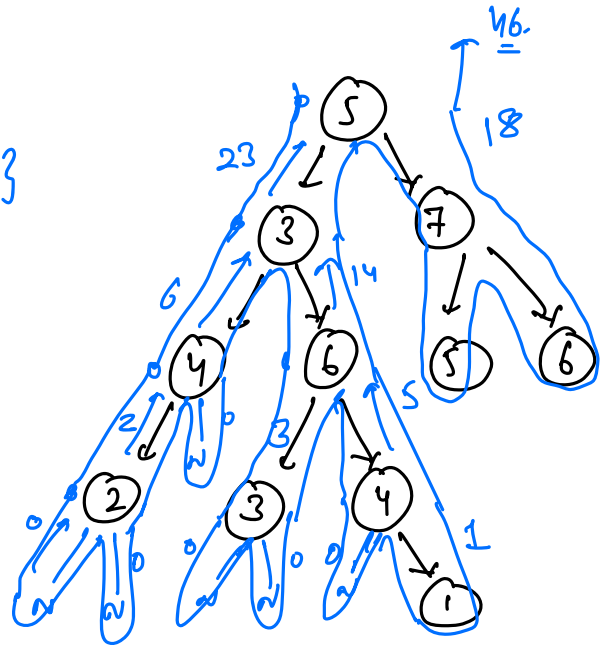
```
int sum(Node root) {  
    if (root == NULL) { return 0; }  
    return sum(root.left) + sum(root.right) + root.val;  
}
```

totalSum = sum(root);

if (totalSum % 2 == 1) { return false; }

boolean ans = false;

```
int sum2(Node root) {  
    if (root == NULL) { return 0; }  
    lans = sum2(root.left);  
    rans = sum2(root.right);  
    if (lans == totalSum/2 || rans == totalSum/2) {  
        ans = true;  
    }  
    return lans + rans + root.val;  
}
```

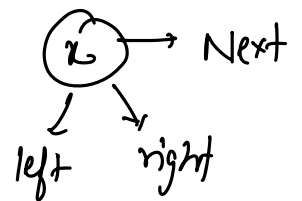
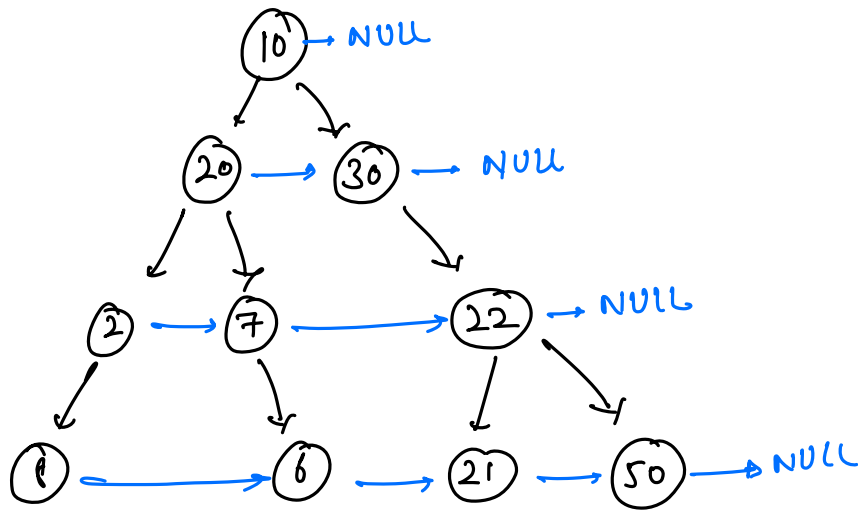


ans = false  
true

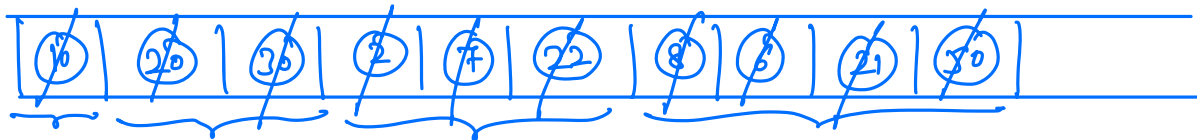
T.C  $\rightarrow O(N)$   
S.C  $\rightarrow O(H)$

## Next Pointer in Binary Tree →

Initially  $\forall$  nodes, next pointers points to NULL. Update the next pointer to point to the next node in same level. (left to right)

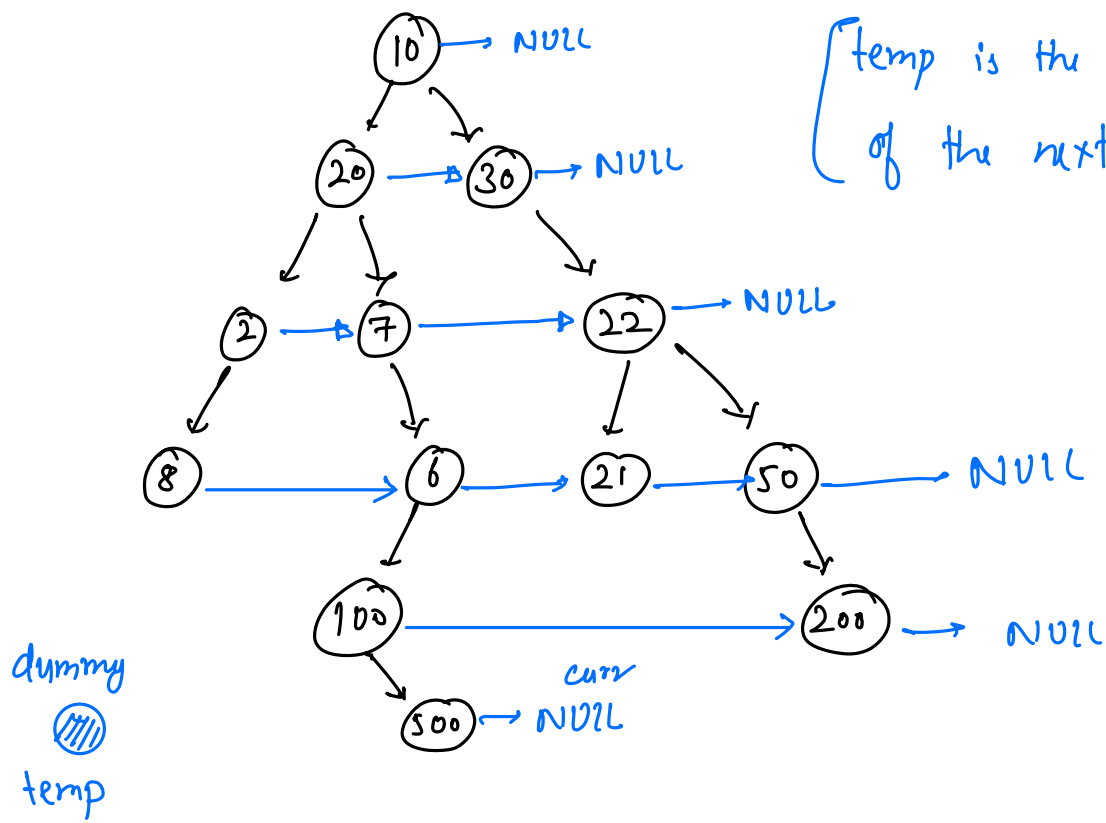


B.f idea → level order traversal.



similar to printing all the levels - linewise.

$$\left[ \begin{array}{l} \text{T.C} \rightarrow O(N) \\ \text{S.C} \rightarrow O(N) \end{array} \right]$$



[temp is the first node  
of the next level.]

```
while ( curr != NULL ) {
```

```
    if ( curr.left != NULL ) {
```

```
        temp.next = curr.left;
```

```
        temp = temp.next;
```

```
    if ( curr.right != NULL ) {
```

```
        temp.next = curr.right;
```

```
        temp = temp.next;
```

```
    curr = curr.next;
```

```
    if ( curr == NULL ) {
```

```
        curr = dummy.next;
```

```
        dummy.next = NULL;
```

```
        temp = dummy;
```

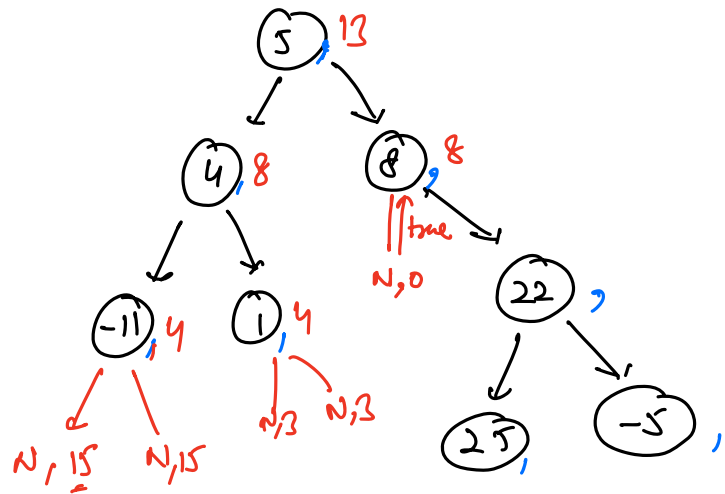
[T.C  $\rightarrow O(N)$   
S.C  $\rightarrow O(1)$ ]

Q1 Check if root to leaf path sum equals to K.

K=60    Yes.

K=50    false

K=30    True



boolean check (Node root, int K) {

if (root == null) { return false; }

if (root.left == null && root.right == null) {

if (K == root.val) return true;  
else return false;  
}

return check (root.left, K - root.val) ||  
check (root.right, K - root.val);

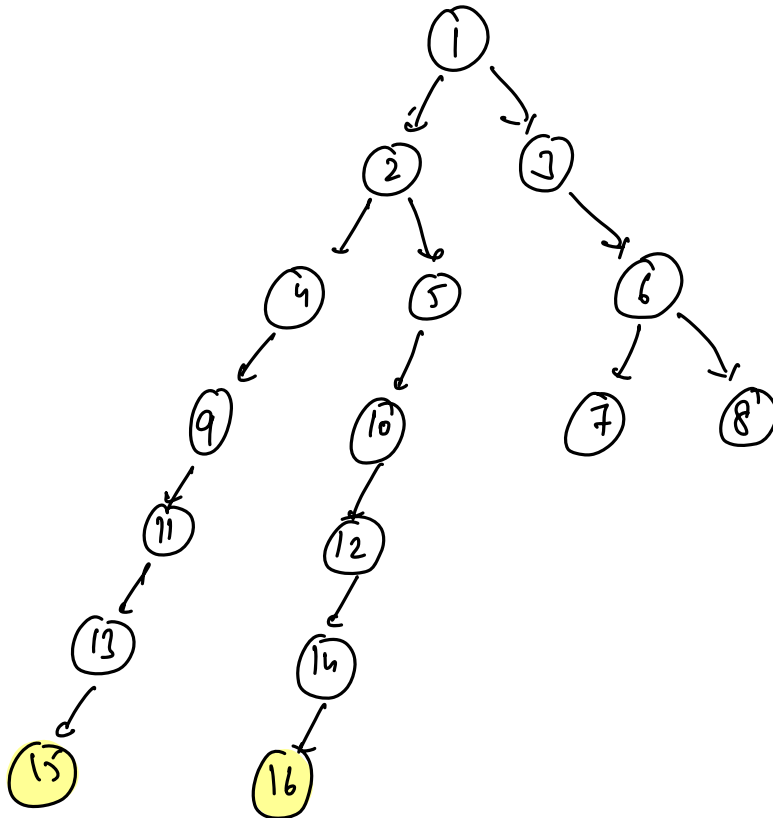
}

#dry-run

T.C  $\rightarrow O(N)$   
S.C  $\rightarrow O(H)$

## Diameter Of Binary Tree

↳ maximum distance (in edges) b/w any two nodes in a binary tree.



Ans = 10

At every node, consider  $ht_{left} + ht_{right} + 2$

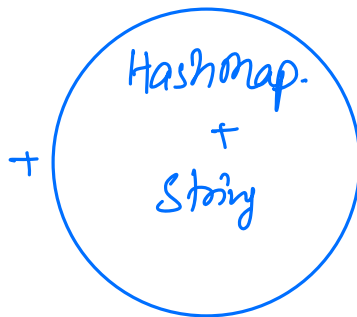
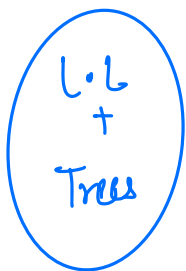


diameter = 0

```
int height(Node root) {  
    if (root == NULL) { return -1; }  
    lht = height(root.left);  
    rht = height(root.right);  
    diameter = Max(diameter, lht + rht + 2);  
    return Max(lht, rht) + 1;  
}
```

T.C  $\rightarrow O(N)$   
S.C  $\rightarrow O(H)$

→ Dry-run



⇒ Class & objects

⇒ edge-cases

⇒ recursion