Cost Function: For a neural Network: L = total number of layers in the network

Sc = number of units in layer 1 (input)

(Not counting bias Unit) K = Number of output units /classes $J(\Theta) = -\frac{1}{m} \sum_{i=1}^{m} \sum_{k=1}^{K} \left[y^{(i)} \log \left(\left(ho(x^{(i)}) \right)_{k} + \left(1 \cdot y^{(i)} \right) \right)_{k} \right]$ $\log (1 - (h_{\theta} (n^{(i)})) | + \frac{\lambda}{2m} \sum_{i=1}^{L-1} \sum_{i=1}^{m} \sum_{j=1}^{S_{t+1}} (\Omega_{j,i}^{(\ell)})^{2}$ Backpropagation Algorithm: Given Training set = { (x', y'), --.. (xm, ym) } Sel, (a) = 0 > Error Matrix → Perform Forward propagation a for 1=1.2...L → Using yt, compute $\delta^{(L)} = a^L - y^t$

From pute
$$\delta^{L-1}$$
, ... δ^2 using,
$$\delta^{(1)} = ((\Theta^{(1)})^T \delta^{(1+1)}) \cdot * a^{(1)} \cdot * (1-a^{(1)})$$

$$\Rightarrow \Delta^{(2)} := \Delta^{(1)} + \delta^{(1+1)} (a^{(1)})^T$$

$$D_{ij}^{(1)} := \frac{1}{m} (\Delta_{ij}^{(1)} + \lambda \Theta_{ij}^{(1)}) \text{ if } j \neq 0$$

$$D_{ij}^{(1)} := \frac{1}{m} \Delta_{ij}^{(2)}$$

$$\frac{\partial}{\partial \Theta^{(1)}} \cdot J(\Theta) = D_{ij}^{(1)}$$

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$$\Rightarrow \text{Theta } 1 = \text{reshape } (\text{thetavec } (1:110), 10, 11)$$

$$\Rightarrow \text{Theta } 2 = \text{reshape } (\text{thetavec } (111:220), 10, 11)$$

$$\Rightarrow \text{Theta } 3 = \text{reshape } (\text{thetavec } (221:231), 1, 11)$$

Gradient Checking (Numerically): epsilon = 1e-4; for i=1:n, thetaplus = theta; thetaplus(i)+= epsilon; thetaminus = theta; thetaminus(i) -= epsilon; grad Approx(i)= (J (theta plus) - J (thetaminus))/ (2* epsilon); end; check grod Approx = Delta Vector Random Initialization: Initializing all thetas weight to ZERO does not work with neural network. Because in backpropagation, all nodes will be replated with same value repeatedly.



