



## Problem H. Consistency

Input file: standard input  
Output file: standard output  
Time limit: 1 seconds

In mathematics a theory  $T$  is said to be consistent if it does not lead to a contradiction, meaning that there is no sentence  $x$  such that  $x$  and its negation are both true. In 1931 Kurt Gödel stated that a theory cannot prove its consistency. Here, we would like to define a *petite version* of a provable consistency .

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Let  $T$  be a finite set of logical sentences. Each two members  $x$  and  $y$  of  $T$  are either equivalent (we denote  $x \Leftrightarrow y$ ) or not. As you may be aware, equivalence relations are symmetric (if  $x \Leftrightarrow y$  then  $y \Leftrightarrow x$  for all pairs  $x$  and  $y$  of  $T$ ), reflexive ( $x \Leftrightarrow x$  for all members  $x$  of  $T$ ) and transitive (if  $x, y$  and  $z$  are members of  $T$  such that  $x \Leftrightarrow y$  and  $y \Leftrightarrow z$  then  $x \Leftrightarrow z$ ).

If there exist three members of  $T$  such that the transitivity of the equivalence relation  $\Leftrightarrow$  does not apply, then  $T$  is said to be inconsistent, otherwise  $T$  is consistent. We suppose that symmetry and reflexivity properties are always met.

Here is an example : suppose that  $T$  consists of four members identified by numbers from 1 to 4 such that  $1 \Leftrightarrow 3$  and  $3 \Leftrightarrow 4$ , all the remaining pairs of distinct members are not equivalent. In this case,  $T$  is inconsistent, because the transitivity does not apply to 1, 3 and 4 ( $1 \Leftrightarrow 3$  and  $3 \Leftrightarrow 4$  but 1 and 4 are not equivalent). Not that 2 is not equivalent to any of the other members which is totally fine.

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Write a program that determines if  $T$  is consistent or not.

### Input

The first line of the input contains two integer numbers  $n$  and  $m$  ( $\leq n, m \leq 10^5$ ) where  $n$  is the number of the sentences in  $T$ , and  $m$  is the number of distinct pairs that are equivalent. Sentences of  $T$  are identified by integers from 1 to  $n$ .  
 $m$  lines follow, each of them contains two distinct integers  $x$  and  $y$  ( $1 \leq x, y \leq n$   $x \neq y$ ) indicating that  $x$  and  $y$  are equivalent. Each pair of distinct sentences that are equivalent will appear exactly once in the input.

### Output

If  $T$  is consistent print "YES", if  $T$  is inconsistent print "NO".



### Example

Standard input	Standard output
4 2 1 3 3 4	NO
4 3 1 3 3 4 1 4	YES
3 3 1 2 2 3 3 1	YES