

# SIGNING FREE AGENTS BASEBALL PLAYERS

WE CAN  
SPEND UPTO

\$X



## Problem:

We have N positions and at each position.

We have P free agents, we have to select one agent.



Each player has Position, Cost and VORP. We are looking for players with high VORP and low Cost, spending no more than X on total cost.



## Explanation:

Let  $L=\{p_1, p_2, \dots, p_k\}$  be a set of players, possibly empty, with maximum VORP for the subproblem  $(i, x)$

If  $i=N$  then L has at most one player. If all players in position N have cost more than x, then L has no players. Otherwise,  $L=\{p_1\}$ , where  $p_1$  has the maximum VORP among players for position N with cost at most x

If  $i < N$  and L includes player p for position i, then  $L' = L - \{p\}$  is an optimal set for the subproblem  $(i+1, x - p_{\{i\}}.cost)$

If  $i < N$  and L does not include a player for position i, then L is an optimal set for the subproblem  $(i+1, x)$ .

## Solution:

```
FREE-AGENT-VROP(p, N, P, X)
let v[1..N][0..X] and who[1..N][0..X] be new tables
for x = 0 to X
    v[N, x] = -∞
    who[N, x] = 0
    for k = 1 to P
        if p_{Nk}.cost ≤ x and p_{Nk}.vrop > v[N, x]
            v[N, x] = p_{Nk}.vrop
            who[N, x] = k
for i = N - 1 downto 1
    for x = 0 to X
        v[i, x] = v[i + 1, x]
        who[i, x] = 0
        for k = 1 to P
            if p_{ik}.cost ≤ x and v[i + 1, x - p_{ik}.cost] + p_{ik}.vrop > v[i, x]
                v[i, x] = v[i + 1, x - p_{ik}.cost] + p_{ik}.vrop
                who[i, x] = k
print "The maximum value of VORP is " v[1, X]
amt = X
for i = 1 to N
    k = who[i, amt]
    if k != 0
        print "sign player " p_{ik}
        amt = amt - p_{ik}.cost
print "The total money spent is " X - amt
```

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