

# Object Oriented Analysis and Design: Assignment 0

Total Marks : 20

June 6, 2022

## Question 1

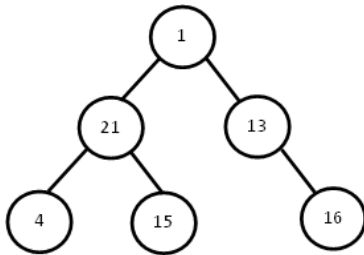
Pre order and inorder traversals of a binary tree are 1, 21, 4, 15, 13, 16 and 4, 21, 15, 1, 13, 16 respectively. What is the post order traversal of the same binary tree?

*Marks: 2 MCQ*

- a) 16, 13, 15, 4, 21, 1
- b) 4, 15, 21, 13, 16, 1
- c) 4, 15, 21, 16, 13, 1
- d) 4, 21, 15, 16, 13, 1

**Answer:** (c)

**Explanation:** The tree is as follows.



Hence, option (c) is correct.

## Question 2

Suppose that you are given a binary search tree of integers and you are asked to find out the inorder successor of a given integer present in the tree. Which of the following is (are) true about the inorder successor of a given integer present in the tree?

*Marks: 2 MSQ*

- a) The inorder successor of the given integer may be the integer present in its right child.
- b) If the given integer is a leaf node, its parent must be its inorder successor.
- c) If the given integer is in the root of the tree, it must not have an inorder successor.
- d) If the right child of the given node is non-empty, the following code will return the inorder successor.

```
node* f (node *givenNode)
{
    node *p;
    p = rightChild of the givenNode;
    while (leftChild of p != NULL)
        p = leftChild of p;
    return p;
}
```

**Answer:** (a), (d)

**Explanation:** According to the definition of inorder successor, options (a) and (d) are correct.

### Question 3

Suppose, you are searching for 37 in a binary search tree. Which of the following CANNOT be a possible sequence of comparisons?

*Marks: 2 MCQ*

- a) 23, 40, 30, 38, 36, 37
- b) 23, 40, 30, 38, 22, 37
- c) 23, 40, 30, 35, 36, 37
- d) 23, 45, 30, 38, 36, 37

**Answer:** (b)

**Explanation:** 40 is in the right of 23. So the tree rooted at 40 must have all integers greater than 23. 22 is in the right sub-tree of 23 which is not possible. Hence, option (b) cannot form the sequence of comparison in a binary search tree.

## Question 4

Suppose that you are given a square matrix consisting of only 0 and 1. You need to find out some integer  $i$  so that  $i$ -th row (except the element  $a[i][i]$ ) has all 0's and  $i$ -th column (except the element at  $a[i][i]$ ) has all 1's. How many such  $i$  may be possible?

*Marks: 2 MSQ*

- a) 2
- b) 1
- c) 0
- d)  $O(n)$

**Answer:** (b), (c)

**Explanation:** If  $i$ -th row has all 0's except the diagonal element, the columns except the  $i$ -th column cannot have all 1's. So, options (b) and (c) are correct.

## Question 5

Consider a queue Q1, initially containing the following characters, with 1 at the front and 5 at the rear, as shown below.

Q1 : 1; 6; 7; 5

What are the contents of the queue after the following operations are performed in the given order?

*Marks: 2 MCQ*

Q1.enqueue (6)

Q1.dequeue ()

Q1.enqueue (5)

Q1.dequeue ()

Q1.dequeue ()

a) 7; 5; 6

b) 5; 5; 6

c) 5; 6; 5

d) 1; 6; 7

**Answer:** (c)

**Explanation:** After Q1.enqueue (6) operation, Q1 becomes: 1; 6; 7; 5; 6

AfterQ1.dequeue () operation, Q1 becomes: 6; 7; 5; 6

AfterQ1.enqueue (5) operation, Q1 becomes: 6; 7; 5; 6; 5

AfterQ1.dequeue () operation, Q1 becomes: 7; 5; 6; 5

AfterQ1.dequeue () operation, Q1 becomes: 5; 6; 5

Hence, option (c) is correct.

## Question 6

Consider a max-heap of some numbers. Which of the following is not true about a max-heap of numbers?

*Marks: 2 MCQ*

- a) The second largest element is the number stored at the left or right child of the root node of the max-heap.
- b) The smallest element is found only at the leaf nodes of the max-heap.
- c) The number of swap operations to initialize a max-heap is  $O(n \log n)$ .
- d) The number of swap operations to find out the smallest number in a max-heap is  $O(\log n)$ .

**Answer:** (d)

**Explanation:** According to the properties of the max-heap.

## Question 7

A queue implemented in terms of a linked list has to maintain two pointers one pointing to its *front* and another pointing to its *rear*. You want to use a single pointer variable to access both these pointers in constant time. Which of the following is true in this context?

Marks: 2 MCQ

- a) Such a queue can be realized by a singly connected linked list.
- b) Such a queue can be realized by a doubly connected linked list.
- c) Such a queue can be realized by a singly connected circular list with the pointer variable pointing to its *front*.
- d) Such a queue can be realized by a singly connected circular list with the pointer variable pointing to its *rear*.

**Answer:** (d)

**Explanation:** If a queue is realized by a singly connected circular list with the pointer variable pointing to its *rear* then the *front* can be accessed by going to the next node from the node accessed by the pointer variable in one step.

Hence, option (d) is correct.

## Question 8

Suppose, you are given two sorted lists of size  $m$  and  $n$ . Each list contains non-duplicate integers. There is no common integer in these lists.  $m < n$ . How many comparisons are required to merge these two lists in the best case?

*Marks: 2 MCQ*

- a)  $m * n$
- b)  $m + n - 1$
- c)  $m$
- d)  $n$

**Answer:** (c)

**Explanation:** The best case arises if all elements in the smaller list is less than the smallest element in the larger list. In that case  $m$  number of comparisons are required. Hence, option (c) is correct.



## Question 9

Stack A has the entries 1, 2, 3 with 1 at the top. Stack B is empty. When an integer is popped out of stack A, it can either be printed immediately or pushed to stack B. An integer popped out of the stack B can only be printed. Which of the following permutations of 1, 2, 3 is not possible?

*Marks: 2 MCQ*

- a) 1, 3, 2
- b) 3, 1, 2
- c) 2, 1, 3
- d) 3, 2, 1

**Answer:** (b)

**Explanation:** Option (a): popA\_and\_Print(); popA\_and\_PushB(); popA\_and\_PushB(); popB(); popB()

Option(b): popA\_and\_PushB(); popA\_and\_PushB(); popA\_and\_Print(); Now stack B has 2, 1 with 2 at the top.

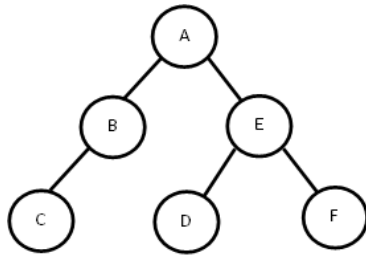
Option(c): popA\_and\_PushB(); popA\_and\_Print(); popB(); popA\_and\_Print()

Option(d): popA\_and\_PushB(); popA\_and\_PushB(); popA\_and\_Print(); popB(); popB()

Hence, option (b) is correct.

## Question 10

Consider the following tree.



Consider the following algorithm.

---

```
Create an empty stack  $S$  and push root node to  $S$ .  
while  $S \neq \text{empty}$  do  
    Pop an item  $q$  from  $S$  and print it.  
    Add the left child of  $q$  to  $S$ , if available.  
    Add the right child of  $q$  to  $S$ , if available.  
end while
```

---

What will be printed if the above algorithm is executed on the given tree (from the root)?

*Marks: 2 MCQ*

- a) A, E, F, D, B, C
- b) A, B, C, E, D, F
- c) A, B, C, D, E, F
- d) C, B, A, D, E, F

**Answer:** (a)

**Explanation:** The tree is traversed as Data-Right-Left order.  
Hence, option (a) is correct.