

$$\begin{array}{c}??\\??\\?\\??\\?\\ \dot{\lambda}(X)\\ \rho(x)\end{array}$$

$$\lambda(X)=\sum_{d=1}^{d_v}\lambda_dX^{d-1},$$

$$(1)\quad \frac{\lambda_d}{d}$$

$$\rho(X)=\sum_{d=1}^{d_c}\rho_dX^{d-1},$$

$$(2)$$

$$\begin{array}{c}\frac{\rho_d}{d}\\\frac{\lambda(X)}{\tilde{\rho}(x)}\\\frac{\lambda_d}{d}\\\frac{\rho_d}{d}\\\tilde{\lambda}_d=\frac{\lambda_d/d}{\int_0^1\lambda(X)\mathrm{d}X},\end{array}$$

$$(3)$$

$$\tilde{\rho}_d=\frac{\rho_d/d}{\int_0^1\rho(X)\mathrm{d}X}.$$

$$(4)$$

$$L(r,x)=\sum_{b,d}L_{b,d}r^bx^d,$$

$$(5)$$

$$R(x)=\sum_dR_dx^d.$$

$$(6)$$

$$\begin{array}{c}n_e\\d=[\\d_1,...,d_{n_e}]\\x=[\\x_1,...,x_{n_e}]\\x^d\\ \sum_{i=1}^{n_e}x_i^{d_i}\\d_i\\d\\x_1^3x_2^5\\n_r\\r=[\\r_0,...,r_{n_r}]\\r^b\\ \sum_{i=0}^{n_r}r_i^{b_i}\\b\\b=[10]\\r_0^b=\\b=[01]\\r_1^b=\\L_{b,d}\\R_d\\(b,d)\\d\\ (\lambda_1(r,x),\lambda_2(r,x),...,\lambda_{n_e}(r,x))=\left(\frac{L_{x_1}(r,x)}{L_{x_1}(1,1)},\frac{L_{x_2}(r,x)}{L_{x_2}(1,1)},...,\frac{L_{x_{n_e}}(r,x)}{L_{x_{n_e}}(1,1)}\right),\end{array}$$

$$(7)$$

$$(\rho_1(x),\rho_2(x),...,\rho_{n_e}(x))=\left(\frac{R_{x_1}(x)}{R_{x_1}(1)},\frac{R_{x_2}(x)}{R_{x_2}(1)},...,\frac{R_{x_{n_e}}(x)}{R_{x_{n_e}}(1)}\right),$$

$$(8)$$

$$\begin{array}{c}L_{x_i}(r,x)=\\ \frac{\partial}{\partial x_i}L(r,x)\\ R_{x_i}(x)=\\ \frac{\partial}{\partial x_i}R(x)\\ 1\\ \lambda_i(r,x)\\ \rho_i(x)\\ i\\ d_i\end{array}$$