

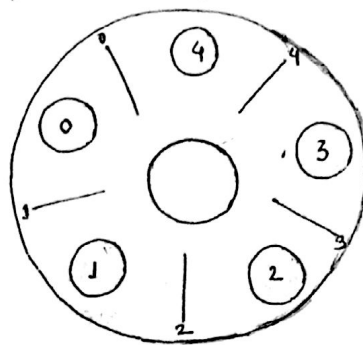
Dining Philosophers Algorithm

Problem Statement:-

1. There are N philosophers sitting around a round dining table.
2. There are N plates; placed each plate is in front of philosopher.
3. There are N chopsticks placed between the plates.
4. There is a bowl of food placed at the centre of the table.
5. Whenever a philosopher is willing to have his food, he will be attempting to pick up two chopsticks, which are shared with his nearest neighbours.

If any of his neighbours happens to be eating at that time then the philosopher has to wait until his neighbour completes.

6. When the philosopher is able to pick up two chopsticks he puts food from the centre bowl into his own plate and eats. After he finishes he puts the chopsticks back to table and the chopsticks are available for his neighbours.



Philosopher	Chopstick sought
0	0
1	2
2	2
3	4
4	4

Statement:-

Let the philosophers be numbered $0, 1, 2, \dots, (N-1)$ and let the chopsticks placed at the left of philosopher i be numbered as C_i and at the right be numbered as $C_{i+1} \% N$.

Algorithm to solve the synchronisation problem.

```

Do
    if  $(i \% 2 == 0)$ 
    {
        wait( $C_i$ );           // Pick up the left chopstick and generate wait signal.
        wait( $C_{i+1} \% N$ );    // Pick up the right chopstick and generate wait signal.
    }
    else
    {
        wait( $C_{i+1} \% N$ );    // Pick up the right chopstick and generate wait signal.
        wait( $C_i$ );           // Pick up the left chopstick and generate wait signal.
    }
    // critical section to the problem.
    eat;
    signal( $C_i$ );             // Put left chopstick back
    signal( $C_{i+1} \% N$ );    // Put right chopstick back.

```

// Function "Pick up" will be used when P_i is willing eat

```
void Pickup (int i)
{
    A[i] = Waiting;
    test(i);
    if (A[i] != Eating)
    {
        c[i].wait();
    }
}
```

// Function 'put down' to replace chopsticks once P_i has alone with eating

```
void Pickup Put down (int i)
{
    A[i] = thinking;
    if (A[i] == Waiting)
        test(i);
    if (A[i] == Eating)
        c[i].signal;
}
```

void initialize ()

```
{
    int i;
    for (i = 0; i < N; i++)
    {
        A[i] = thinking;
    }
}
```

// For i th philosopher the follow CS - solution will be found

```
do
{
    dp. {Pick up (i);
        <EAT>
    dp. putdown (i);
        <Think>
    } while (1);
```

{ table (true)

An even numbered philosopher will pick the left chopstick first then the right one whereas an odd numbered philosopher will pick up the right chopstick first then the left.

According to the fig: 1 and the table:

Now chopstick 0 will definitely go to philosopher 0 then none else access it.

Philosophers Chopstick 2 will go to either philosopher 1 or 2.

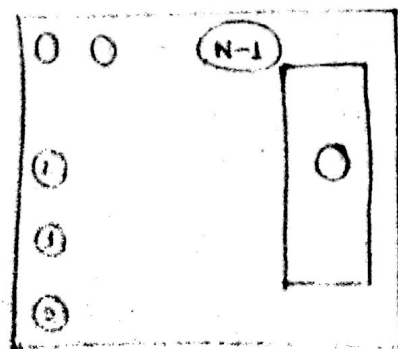
Chopstick 4 will go to either philosopher 3 or 4.

Therefore chopsticks 1 and 3 are available.

Sleeping Barber's problem:-

• Problem Statement:-

- 1) A hair cutting saloon has N chairs in its waiting room and 1 chair in barber cabin.
- 2) If there is no customer in the saloon then the barber goes to sleep.
- 3) When a customer arrives at the saloon ~~the customer walks into~~ one of the following may occur —
 - i) If there is no customer in the saloon then he goes to barber's cabin wakes up the barber and starts getting haircut.
 - ii) If a customer is already getting haircut then the arrived customer looks for an empty chair in the waiting room. If a chair is empty then he occupies it in the order of his arrival and waits for his turn. If there are no empty seats then the customer walks away without getting a haircut.
- 4) When a customer finishes getting his haircut he sends another customer from the ready queue.



Algorithm for sleeping barbarian's problem:-

```
do
{
    if (Capacity - full = TRUE)
    {
then
        delete(); // If there is no space in the ready queue then n-th
        on       // customer and so on will be aborted
        abort();
    }
    else
    {
        capacity = capacity - 1; // Whenever capacity full = FALSE on @
        // 1 ≤ capacity ≤ N then a newly arrived
        // customer can be accommodated in the waiting room
    }
    wait (ci); // The i-th arrived customer, i = 0, 1, 2, ..., n-1 will
    getting haircut // Proceed to barbarian's cabin and generate wait signal to others
    signal (ci); // once i-th customer is completed he will generate
    // signal to others and i+1th customer will get his turn
} while (TRUE)
```

Producer Consumer Problem:-

Problem Statement:-

Consider there are two concurrent processes — A process is producing some ^{item} and then one is consuming those items. ^{there} ~~they~~ may be the following three situations —

- i) Producer is producing at a faster rate than the consumer is consuming.
- ii) Producer is producing at a lesser/slower rate than the consumer is consuming.
- iii) Producer is producing in almost at a same speed at which the consumer is consuming.

In situation i) There arises a synchronisation problem for which a temporary storage is used by the producer, known as a buffer which can be either bounded (limited size) or unbounded (unlimited size).

How to use a bounded buffer to utilize the overwhelming production produced by the producer ^{before} for the consumer.

Semaphore used: $\text{mutex} = 1;$
 $\text{Empty} = N;$
 $\text{Full} = 0;$

void producer()

```
{
    int item;
    while(true)
    {
        Produce - item (&item);
        wait(empty);
        wait(mutex);
        enter_item(item);
        signal(mutex);
        signal(full);
    }
}
```

void consumer()

```
{
    while(true)
    {
        wait(full);
        wait(mutex);
        remove (&item);
        signal(mutex);
        signal(empty);
        consume - item (item);
    }
}
```