

1.

- A. $O(n^4)$
- B. $O(1/\sqrt{n})$
- C. $O(1)$
- D. $O(1)$
- E. $O(n)$

2.

```
public int len() {  
    int count=0;  
    for(Student s:rowData){ -c1 N  
        if(s==null) continue; //Does not count Index that is empty -c2 N-1  
        count++; -c3 N-1  
    }  
    return count;  
}
```

$$T(N) = c1*N + c2(N-1) + c3(N-1)$$

Big - O : $O(n)$

```
public boolean addStudent(Student s) {  
    if(find(s) == null){ -c (Trial for 'if' itself is just a single time, but trials of 'find()' is N times)  
        for(int i=0;i< rowData.length;i++){ -c1 N  
            if(rowData[i] == null){ //fill in the first index that is empty -c2 N-1  
                rowData[i] = s; -c3 X  
                return true; -c4 X  
            }  
        }  
    }  
    return false;  
}
```

$$T(N) = c1*N + c2(N-1) + c3*X + c4*X$$

Big - O : $O(n)$

3.

```
public static double getMinimum(int[] arr) {  
    // Fill in here (arr is sorted in either ascending or descending order)  
    if(arr[0] < arr[1]) { return arr[0];} -c1 1  
    else {return arr[arr.length-1];} -c2 1  
}
```

The method will run just two lines one time for each, no matter how big is the input.

Big - O : $O(1)$

4.

```
public static int count(int[] arr, int item) {  
    // Return the # of elements that are <= item  
    int counting = 0;  
    for(int l : arr){  
        if(l <= item){  
            counting++;  
        }  
    }  
    return counting;  
}
```

$T(N) : c_1 \cdot N + c_2(N-1) + c_3 \cdot X$

For the best case : $c_1 \cdot N + c_2(N-1) + c_3 \cdot (N-1)$

For the worst case : $c_1 \cdot N + c_2(N-1)$

Average case : $c_1 \cdot N + c_2(N-1) + c_3 \cdot (N-1)/2$

Average would make difference with just c_3 , making it half trials. Because the difference between the best case and the worst case is only trials for c_3 , and to calculate average, we can just take middle value of those two (Half of trial sum).